

Structural Macroeconometrics

Chapter V: *Dynare*

Prof. Dr. Johannes Pfeifer

Kobe University

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Dynare

Preprocessor and collection of Matlab (and GNU Octave) routines that

1. computes the solution of deterministic models (arbitrary accuracy)
2. computes first- and higher-order approximation to solution of stochastic models
3. estimates (maximum likelihood or Bayesian approach) parameters of DSGE models, for linear and non-linear models
4. checks for identification of estimated parameters
5. computes optimal policy
6. performs global sensitivity analysis of a model
7. solves problems under partial information
8. estimates BVAR and Markov-Switching Bayesian VAR models
9. provides macro language and reporting facility

Dynare

- Latest version: Dynare 4.5.5
→ download from <http://www.dynare.org>
- Online forum at <https://forum.dynare.org>
- Report bugs at <https://github.com/DynareTeam/dynare>

Structure of typical Dynare *.mod* file for stochastic models

- Declare variables, shocks, and parameters (+ values) of the model
- Specify model equations
- Specify steady state and let Dynare check stability conditions
 - Dynare can also search for steady state numerically
- Dynare
 - linearizes model around steady state
 - solves for recursive equilibrium laws of motion
- Plot impulse responses, conduct stochastic simulations, ...

Structure of typical Dynare *.mod* file: declarations

- `var` ;
→ define endogenous model variables
- `varexo` ;
→ define exogenous model variables, i.e. shocks
- `parameters` ;
→ define list of parameters
→ assign parameter values
- All command lines are ended with a semicolon
- Note: For all three types, you can specify \LaTeX names with `$$` and long names for Dynare output with `(long_name='name here')`

Structure of typical Dynare *.mod* file: declarations

- Declaration of variables in the model

```
var y $y$ (long_name='output')  
c $c$ (long_name='consumption')  
;
```

- Declaration of shocks in the model

```
varexo eps_z ${\varepsilon_z}$ (long_name='TFP shock')  
eps_g ${\varepsilon_g}$ (long_name='government spending shock')  
;
```

- Declaration of parameters in the model

```
parameters beta ${\beta}$ (long_name='discount factor')  
psi ${\psi}$ (long_name='labor disutility parameter')  
;
```

- Setting of parameter values

```
sigma=1;  
alpha= 0.33;
```

Structure of typical Dynare *.mod* file: model equations

- Model block starts with:

`model;`

and ends with:

`end;`

- The same general syntax applies to other blocks like `initval;` or `steady_state_model;`
- In between the model-block you write down the necessary equations defining the dynamic equilibrium of the model
→ FOCs, constraints, additional variable transformations
- Remember: you need as many equations as endogenous variables
- Note: you can name the equations with `[name='name here']`

Structure of typical Dynare *.mod* file: model equations

- Block of model equations

model;

[name='Euler equation']

$$c^{(-\sigma)} = \beta / \gamma_{\max} * c^{(+1)^{(-\sigma)}} * (\alpha * \exp(z^{(+1)}) * (k/l^{(+1)})^{\alpha-1})^{(1-\delta)}$$

[name='Labor FOC']

$$\psi * c^{\sigma} * 1 / (1-l) = w;$$

[name='Definition log output']

$$\log_y = \log(y);$$

end;

Structure of typical Dynare *.mod* file: steady state

- If not told differently, Dynare tries whether 0 is the steady state, and if not, starts a numerical solver to find the steady state
- As 0 is often infeasible for nonlinear models, always provide explicit steady state information
- There are three ways to do this:
 1. compute the steady state analytically and provide it to Dynare using the `steady_state_model`-block
 2. provide initial guesses to start the numerical optimizer using the `initval`-block (the better the higher the chances of finding the steady state; economic intuition provides good guidance, e.g. $I < C < Y < K$, with $I = \delta K$.)
 3. use an explicit steady state file (see e.g. the `NK_baseline.mod` in the Dynare examples folder), which offers a lot of flexibility
- Note: linearized models typically do not spare you from computing the steady state, they just shift the problem to computing parameters

Structure of typical Dynare *.mod* file: steady state

- Block of steady state definitions

```
steady_state_model;  
gammax=(1+n)*(1+x);  
delta=i_y/k_y-x-n-n*x;  
// calibrate the model to steady state labor of 0.33, i.e. compute the  
corresponding steady state values and the labor disutility parameter by hand  
beta=gammax/(alpha/k_y+(1-delta));  
l=0.33;  
k=((1/beta*gammax-(1-delta))/alpha)^(1/(alpha-1))*l;  
end;
```

Structure of typical Dynare *.mod* file: shocks

- Block defining the covariance matrix of exogenous shocks

```
shocks;
```

```
var eps_z=0.68^2;
```

```
var eps_g=1.05^2;
```

```
end;
```

Structure of typical Dynare *.mod* file: additional commands

- Commands to generate L^AT_EX output

```
write_latex_dynamic_model;  
write_latex_parameter_table;  
write_latex_definitions ;  
collect_latex_files ;
```

- Commands to compute the steady state and check stability conditions

```
steady;  
check; // check Blanchard–Kahn–conditions
```

- Command to

- linearize the model around the steady state
- compute recursive equilibrium laws of motion of the linearized model
- analyze the model via impulse responses, stochastic simulations, moments, etc.

```
stoch_simul(order=1, irf=20);
```

Timing conventions

- Time indices are given in parenthesis:
 - X_{t+1} is written $X(+1)$, (these are forward looking variables)
 - X_{t-1} is written $X(-1)$
 - X_t is written X (no time index needed for the current period)
- Time indices refer to the period when the value of the variable is determined, i.e. the **stock at the end of period notation**
- The value of the capital stock used in production at time t is determined by investment at time $t - 1$ and therefore predetermined

$$K_t = (1 - \delta)K_{t-1} + I_t \quad (1)$$

$$Y_t = K_{t-1}^\alpha L_t^{1-\alpha} \quad (2)$$

- To use the **stock at the beginning of period notation**

$$K_{t+1} = (1 - \delta)K_t + I_t \quad (3)$$

$$Y_t = K_t^\alpha L_t^{1-\alpha} \quad (4)$$

you can declare a particular variable as predetermined using the `predetermined_variables` declaration

Timing conventions: conditional expectations

- The conditional expectations operator E_t is typically not needed in Dynare as it starts from an equilibrium system

$$0 = E_t (f(y_{t+1}, y_t, y_{t-1}, \varepsilon_t)) \quad (5)$$

and therefore assumes a conditional expectations operator in front of every equation

- $1/c = \beta/c_{t+1} * (R_{t+1})$;
therefore corresponds to

$$\frac{1}{c_t} = E_t \left(\frac{1}{c_t} \right) = E_t \left(\beta \frac{R_{t+1}}{c_{t+1}} \right) = \beta E_t \left(\frac{R_{t+1}}{c_{t+1}} \right) \quad (6)$$

- Due to certainty equivalence at first order, we do not have to bother with this, but intricate issues can arise at higher order (e.g. Epstein-Weil-Zin preferences)

Log-linearization vs. linearization

- Dynare linearizes the model around the steady state
- However, we often want log-linearization to express everything in percentage deviations from steady state (or the balanced growth path)
- To obtain a log-linear solution, you can
 1. use the `loglinear` option
 2. write down the model in terms of logarithmic transformations of the original variables (`exp()`-substitution)
 3. append the logarithm of model variables as separate model variables (e.g. `log_y=log(y)`)

Estimation

- Set parameters to be estimated and their priors

```
estimated_params;  
rhoz, beta_pdf, 0.7, 0.1;  
stderr eps_z, inv_gamma_pdf, 0.01, 0.1;  
end;
```

- Initialize parameters at model calibration

→ otherwise initialized at prior mean

```
estimated_params_init(use_calibration);  
end;
```

- Declare observed variables

```
varobs y_obs;
```

- Conduct estimation → see Dynare manual for more options

```
estimation( datafile = data_bayesian_estimation,  
mh_jscale = ?  
mh_replic = ?,  
mh_nblocks = ?)  
end;
```