```
multiple FPs? Which graph-nodes appear most frequently among all paths?
% Function to find number of distinct FPs in which paths starting from each node
end and their abundances
% and which network-states (besides FPs) appear the most across all complete
(ending in an FP) paths
function distinctFPsDictionary = howManyFPs(paths)
nodes = 1:64; % Initialize paths' first nodes array
numberOfFPs = zeros(1, 64); % Initialize first node-corresponding distinct FPs
for inPaths = nodes % Iterate through each first node
    if inPaths ~= 1 % For all first nodes except node 1
        forNode = inPaths - 1; % Term in product to reach current node's paths
in paths cell
        pathCell20 = paths{1, (forNode*64) + 20}; % Extract current node's paths
which end in FP node 20
        pathCell45 = paths{1, (forNode*64) + 45}; % Extract current node's paths
which end in FP node 45
        pathCell54 = paths{1, (forNode*64) + 54}; % Extract current node's paths
which end in FP node 54
    else % For first node = node 1
        pathCell20 = paths{1, 20}; % Extract paths which end in FP node 20
        pathCell45 = paths{1, 45}; % Extract paths which end in FP node 45
        pathCell54 = paths{1, 54}; % Extract paths which end in FP node 54
    end
    if ~isempty(pathCell20) % For paths between current first node and node 20
existing
        numberOfFPs(inPaths) = numberOfFPs(inPaths) + 1; % Update number of
distinct FPs corresponding to current first node
    end
    if ~isempty(pathCell45) % For paths between current first node and node 45
existing
        numberOfFPs(inPaths) = numberOfFPs(inPaths) + 1; % Update number of
distinct FPs corresponding to current first node
```

%%% Q.1: Among the paths starting from each graph-node, how many can end in

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end
    if ~isempty(pathCell54) % For paths between current first node and node 54
existing
        numberOfFPs(inPaths) = numberOfFPs(inPaths) + 1; % Update number of
distinct FPs corresponding to current first node
    end
end
% Create and display dictionary mapping number of distinct FPs that appear at
the end of paths from each first node
distinctFPsDictionary = dictionary(nodes, numberOfFPs); % Create dictionary
disp("Number of distinct FPs paths starting from node, end in:")
disp(distinctFPsDictionary); % Display dictionary
%
% Find abundances of FPs' appearance across all graph paths
numOfNodesW1FP = sum(numberOfFPs == 1); % Abundance of first nodes which end in
only 1 FP
numOfNodesW2FPs = sum(numberOfFPs == 2); % Abundance of first nodes which end in
2 FPs
numOfNodesW3FPs = sum(numberOfFPs == 3); % Abundance of first nodes which end in
all 3 FPs
disp(['Number of nodes ending in 1 FP is ', num2str(numOfNodesW1FP), ',', ...
    ' those ending in 2 FPs are ', num2str(numOfNodesW2FPs), ', and those ending
in all FPs are ', ...
    num2str(numOfNodesW3FPs), '.']); % Display abundances
end
% Invoke function to get number of distinct FPs and their respective abundances
distinctFPsDictionary = howManyFPs(allPaths);
```

Output:

Number of distinct FPs paths starting from node, end in:

- 1 2 3
- 2 2
- 3 2 3
- 4 2 1

- 5 2
- 6 🛭 1
- 7 🛭 3
- 8 2
- 9 🛭 3
- 10 🛭 3
- **11** 🛭 3
- **12** 2 3
- 13 🛭 2
- 14 🛭 2
- **15** ② 3
- **1**6 🛭 3
- **17** 🛭 3
- 18 🛭 2
- 19 🛭 1
- 20 🛭 1
- 21 2
- 22 🛭 1
- 23 🛭 3
- 24 🛭 2
- 25 🛭 3
- 26 🛭 3
- 27 🛭 1
- 28 🛭 1
- 29 🛭 2
- 30 🛭 2
- 31 🛭 3
- 32 🛭 3
- 33 🛭 3
- 34 🛭 2
- 35 🛭 3
- 36 🛭 1

- 37 🛭 2
- 38 🛭 1
- 39 🛭 3
- 40 🛭 2
- 41 🛭 3
- 42 🛭 3
- 43 🛭 3
- 44 🛭 3
- 45 🛭 1
- 46 🛭 2
- 47 🛭 1
- 48 🛭 3
- 49 🛭 3
- 50 🛭 2
- 51 🛭 1
- 52 🛭 1
- 53 🛭 2
- 54 🛭 1
- 55 🛭 3
- 56 🛭 2
- 57 🛭 3
- 58 🛭 3
- 59 🛭 1
- 60 🛭 1
- 61 🛭 1
- 62 🛭 2
- 63 🛭 3
- 64 🛭 3

Number of nodes ending in 1 FP is 17, those ending in 2 FPs are 18, and those ending in all FPs are 29.