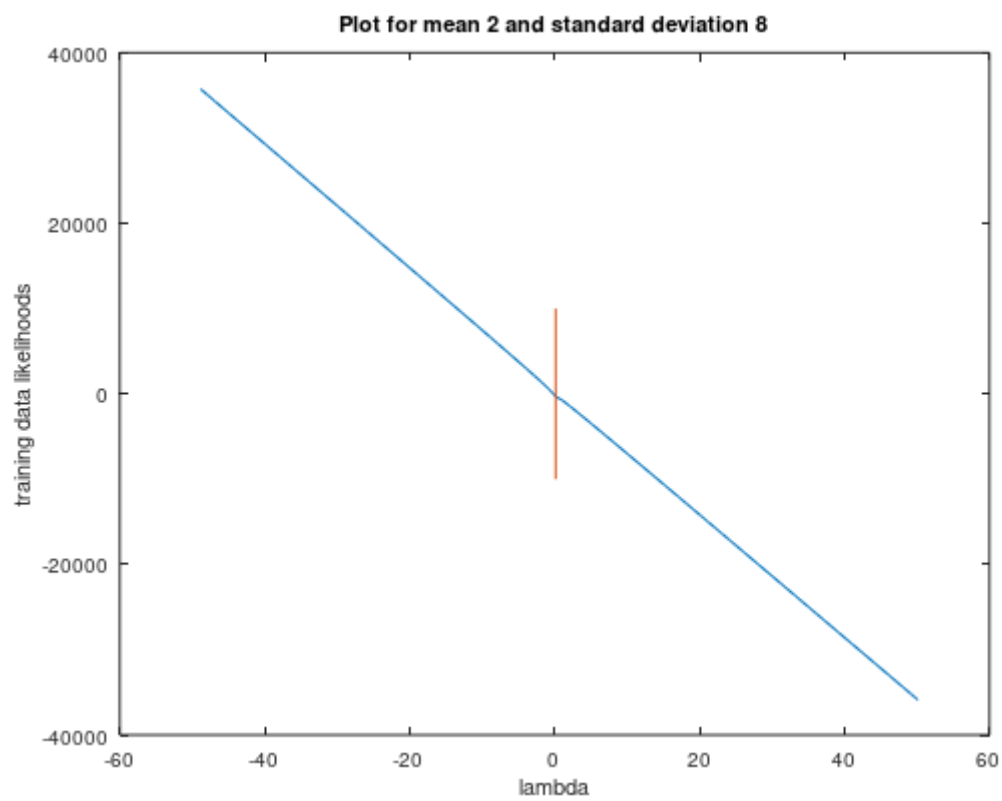
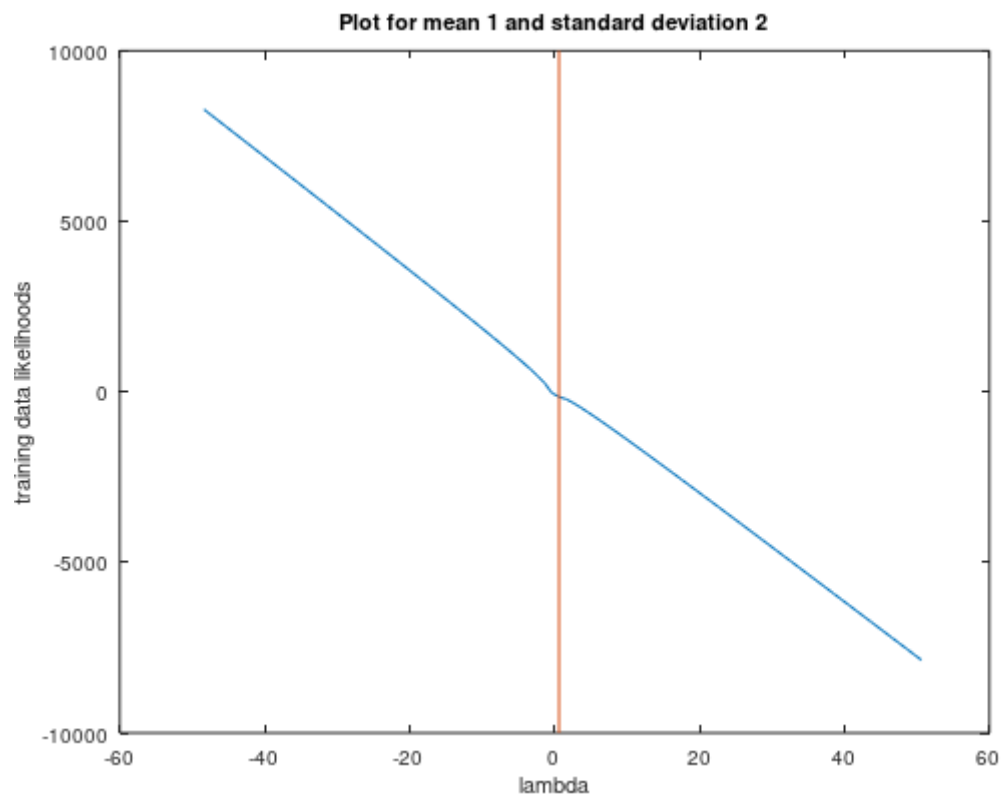


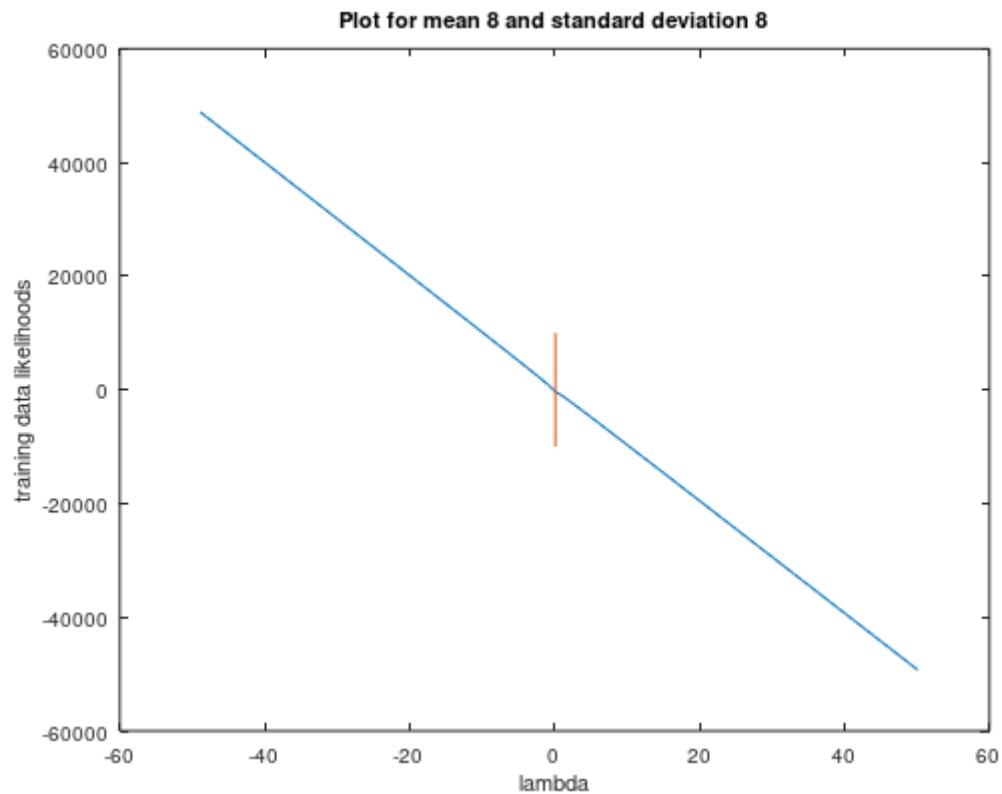
## Practical Exercise 7

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### Code

```
1  axis ([-60 60 -10000 10000]);
2  fig = 1;
3  X = [];
4  Maxlies = [];
5  Logli = [];
6  #Different means and standdev
7  for mean = 1:8
8      for standdev = 1:8
9          #Get a 10x10 matrix with random numbers which are normally distributed
10         #with mean and standard deviation (standdev)
11         m = mean + standdev * randn(10)
12         #Take one vector out of the 100 entrys of the matrix
13         m = reshape(m,1,[])
14         #No negative samples
15         m = abs(m)
16         #Maximum-likelihood estimate following the theory sheet
17         maxlies = 100 * (1/sum(m))
18         #Computing log-likelihood function
19         logli = 100 * log(maxlies) - (maxlies * (sum(m)))
20         #Vector with 100 settings around maxlies
21         vec = []
22         for dif = -49:50
23             vec(end+1) = maxlies + dif
24         endfor
25         #Compute log-likelihood function on vec
26         for i = 1:100
27             vec(i) = 100 * log(vec(i)) - (vec(i) * (sum(m)))
28         endfor
29         #Show result
30         figure(fig);
31         x = 1:100;
32         plot (maxlies - 50 + x,vec(x));
33         hold on;
34         #the line at the maximum-likelihood estimate
35         plot([maxlies,maxlies],[-10000,10000]);
36         xlabel ("lambda");
37         ylabel ("training data likelihoods");
38         tit = strcat("Plot for mean ",num2str(mean)," and standard deviation ", num2str(standdev));
39         title (tit);
40         hold off;
41
42     fig = fig + 1;
43     #Put the new values into the matrix X, Maxlies and Logli
44     X = vertcat(X,x)
45     Maxlies = vertcat(Maxlies,maxlies)
46     Logli = vertcat(Logli,logli)
47 endfor
48 endfor
```





### **Comment on the results**

In the graphs above we clearly see the intersection of the estimated lambda (the vertical red line marks it) and the likelihoods of the training data (blue line) for given lamda. Intersection is the value of the estimated likelihood.

Furthermore we notice that the function of likelihoods is almost a linear function for all data sets. That was to be expected because the likelihood-function is a linear function in relation to lambda (see theory sheet 5).