iris_dataset_classification

March 18, 2018

1 Libraries

```
In [1]: import numpy as np
      import time
      from sklearn import datasets
      from sklearn.model_selection import train_test_split
      from sklearn.linear_model import LogisticRegression
      from sklearn.metrics import accuracy_score
In [2]: iris = datasets.load_iris()
      list(iris.keys())
Out[2]: ['data', 'target', 'target_names', 'DESCR', 'feature_names']
In [3]: print(iris.DESCR)
Iris Plants Database
=============
Notes
Data Set Characteristics:
   :Number of Instances: 150 (50 in each of three classes)
   :Number of Attributes: 4 numeric, predictive attributes and the class
   :Attribute Information:
      - sepal length in cm
      - sepal width in cm
      - petal length in cm
       - petal width in cm
      - class:
              - Iris-Setosa
              - Iris-Versicolour
              - Iris-Virginica
   :Summary Statistics:
   SD Class Correlation
                 Min Max Mean
```

```
4.3 7.9
                   5.84
                        0.83
                             0.7826
sepal length:
sepal width:
           2.0 4.4
                   3.05 0.43
                             -0.4194
petal length:
           1.0 6.9
                   3.76
                             0.9490
                       1.76
                                   (high!)
           0.1 2.5
petal width:
                   1.20 0.76
                             0.9565
                                   (high!)
```

:Missing Attribute Values: None

:Class Distribution: 33.3% for each of 3 classes.

:Creator: R.A. Fisher

:Donor: Michael Marshall (MARSHALL%PLU@io.arc.nasa.gov)

:Date: July, 1988

This is a copy of UCI ML iris datasets. http://archive.ics.uci.edu/ml/datasets/Iris

The famous Iris database, first used by Sir R.A Fisher

This is perhaps the best known database to be found in the pattern recognition literature. Fisher's paper is a classic in the field and is referenced frequently to this day. (See Duda & Hart, for example.) The data set contains 3 classes of 50 instances each, where each class refers to a type of iris plant. One class is linearly separable from the other 2; the latter are NOT linearly separable from each other.

References

- Fisher, R.A. "The use of multiple measurements in taxonomic problems" Annual Eugenics, 7, Part II, 179-188 (1936); also in "Contributions to Mathematical Statistics" (John Wiley, NY, 1950).
- Duda, R.O., & Hart, P.E. (1973) Pattern Classification and Scene Analysis. (Q327.D83) John Wiley & Sons. ISBN 0-471-22361-1. See page 218.
- Dasarathy, B.V. (1980) "Nosing Around the Neighborhood: A New System Structure and Classification Rule for Recognition in Partially Exposed Environments". IEEE Transactions on Pattern Analysis and Machine Intelligence, Vol. PAMI-2, No. 1, 67-71.
- Gates, G.W. (1972) "The Reduced Nearest Neighbor Rule". IEEE Transactions on Information Theory, May 1972, 431-433.
- See also: 1988 MLC Proceedings, 54-64. Cheeseman et al"s AUTOCLASS II conceptual clustering system finds 3 classes in the data.
- Many, many more ...

In [4]: print(iris.target) #gives a detailed description of the Iris dataset

2 Merging data features

3 Creation of Test and Train dataset

```
In [6]: train_set, test_set=train_test_split(data_with_labels,test_size=0.3,random_state=42)
```

4 Binary Classification

```
In [7]: X=train_set[:,(3,4)] # taking feature petal length and petal width
        # Y=(train_set[:,0]==2).astype(np.int) # to map true and false to 1 and 0 respectively
        # print(X)
        # print(Y)
        test_data=test_set[:,(3,4)] # taking feature petal length and petal width
        train_labels1=(train_set[:,0]==0).astype(np.int)
        train_labels2=(train_set[:,0]==1).astype(np.int)
        train_labels3=(train_set[:,0]==2).astype(np.int)
        # print(len(X))
        # print(len(train_labels1))
        test_labels1=(test_set[:,0]==0).astype(np.int)
        test_labels2=(test_set[:,0]==1).astype(np.int)
        test_labels3=(test_set[:,0]==2).astype(np.int)
        # print(test_labels2)
        # print(test_labels3)
In [8]: \# Y = (Y = -2). astype(np.int) \#  to map true and false to 1 and 0 respectively
        # print(Y)
```

5 Nearest Neighbours

5.1 Training time - Nearest Neighours is zero

```
In [9]: predicted_labels1=[]
    predicted_labels2=[]
    predicted_labels3=[]
    for i in range(len(test_data)):
        # euclidean distance
        minimum_distance=((np.dot(test_data[i],test_data[i]))-2*(np.dot(test_data[i],X[0]))+
```

```
closest_neighbour1=train_labels1[0]
closest_neighbour2=train_labels2[0]
closest_neighbour3=train_labels3[0]
for j in range(1,len(X)):
    # euclidean distance
    distance=((np.dot(test_data[i],test_data[i]))-2*(np.dot(test_data[i],X[j]))+(np.
    if(distance < minimum_distance):
        minimum_distance=distance
        closest_neighbour1=train_labels1[j]
        closest_neighbour2=train_labels2[j]
        closest_neighbour3=train_labels3[j]
    predicted_labels1.append(closest_neighbour1)
    predicted_labels2.append(closest_neighbour2)
    predicted_labels3.append(closest_neighbour3)
# print(predicted_labels1)</pre>
```

5.2 Accuracy score - Nearest Neighbours

6 Naive Bayes Classifier

Accuracy for Iris-Verginica: 1.0

6.1 Training Time - Naive Bayes Classifier

```
data_class2=[X[j] for j in range(len(train_labels[i])) if train_labels[i][j]==0] #
             start_time = time.time()
             (mean_class1,std_class1)=gaussian_parameters(data_class1) # get each features gauss
             (mean_class2,std_class2)=gaussian_parameters(data_class2) # get each features gauss
             end_time = time.time()
             totalTrainingTime.append(end_time-start_time)
             total_class1=0
             for j in range(len(train_labels[i])):
                 if(train_labels[i][j]==1):
                     total_class1=total_class1+1
             class1_probability=float(total_class1)/len(train_labels[i])
             class2_probability=1-class1_probability
             class_predicted_labels=[]
             for j in range(len(test_data)):
                 probability_class1=1
                 probability_class2=1
                 for k in range(len(test_data[j])):
                     probability_class1=probability_class1*probability(mean_class1[k],std_class1
                     probability_class2=probability_class2*probability(mean_class2[k],std_class2
                 probability_class1=probability_class1*class1_probability
                 probability_class2=probability_class2*class2_probability
                 if(probability_class1>probability_class2):
                     class_predicted_labels.append(1)
                 else:
                     class_predicted_labels.append(0)
             predicted_labels.append(class_predicted_labels)
         print("Training time for Iris-Setosa: "+str(totalTrainingTime[0]))
         print("Training time for Iris-Versicolour: "+str(totalTrainingTime[1]))
         print("Training time for Iris-Verginica: "+str(totalTrainingTime[2]))
Training time for Iris-Setosa: 0.0004410743713378906
Training time for Iris-Versicolour: 0.0017528533935546875
Training time for Iris-Verginica: 0.0003819465637207031
```

6.2 Accuracy score - Naive Bayes Classifier

7 Logistic Regression - Gradient Descent

Create a copy of features of test data and insert value "1" as first feature in every data point of test_data

7.1 Training Time - Logistic Regression (Gradient Descent)

In [18]: test_data_new=np.copy(test_data)

```
In [17]: learning_rate=0.1
         number_iterations=3000
         start_time = time.time()
         theta1=gradient_descent_logistic_regression(X_data,train_labels1,learning_rate,number_i
         end_time = time.time()
         training_time=end_time-start_time
         print("Training time for Iris-Setosa: "+str(training_time))
         start_time = time.time()
         theta2=gradient_descent_logistic_regression(X_data,train_labels2,learning_rate,number_i
         end_time = time.time()
         training_time=end_time-start_time
         print("Training time for Iris-Versicolour: "+str(training_time))
         start_time = time.time()
         theta3=gradient_descent_logistic_regression(X_data,train_labels3,learning_rate,number_i
         end_time = time.time()
         training_time=end_time-start_time
         print("Training time for Iris-Verginica: "+str(training_time))
Training time for Iris-Setosa: 0.051275014877319336
Training time for Iris-Versicolour: 0.04697895050048828
Training time for Iris-Verginica: 0.03890109062194824
```

test_data_new=np.insert(test_data_new, 0, values=[1], axis=1);

```
predicted_labels1=[]
predicted_labels2=[]
predicted_labels3=[]
for i in range(len(test_data_new)):
    if(sigmoid(np.dot(test_data_new[i],theta1))>0.5):
        predicted_labels1.append(1)
    else:
        predicted_labels1.append(0)
    if(sigmoid(np.dot(test_data_new[i],theta2))>0.5):
        predicted_labels2.append(1)
    else:
        predicted_labels2.append(0)
    if(sigmoid(np.dot(test_data_new[i],theta3))>0.5):
        predicted_labels3.append(1)
        predicted_labels3.append(0)
# print(predicted_labels)
```

7.2 Accuracy score - Logistic Regression (Gradient Descent)

8 Logistic Regression - Newton's method

Accuracy for Iris-Verginica: 1.0

8.1 Training Time - Logistic Regression (Newton's Method)

```
training_time=end_time-start_time
         print("Training time for Iris-Setosa: "+str(training_time))
         start_time = time.time()
         theta2=newton_method_logistic_regression(X_data,train_labels2,number_iterations)
         end_time = time.time()
         training_time=end_time-start_time
         print("Training time for Iris-Versicolour: "+str(training_time))
         start_time = time.time()
         theta3=newton_method_logistic_regression(X_data,train_labels3,number_iterations)
         end_time = time.time()
         training_time=end_time-start_time
         print("Training time for Iris-Verginica: "+str(training_time))
Training time for Iris-Setosa: 0.159376859664917
Training time for Iris-Versicolour: 0.1267549991607666
Training time for Iris-Verginica: 0.16057109832763672
In [22]: predicted_labels1=[]
         predicted_labels2=[]
         predicted_labels3=[]
         for i in range(len(test_data_new)):
             if(sigmoid(np.dot(test_data_new[i],theta1))>0.5):
                 predicted_labels1.append(1)
             else:
                 predicted_labels1.append(0)
             if(sigmoid(np.dot(test_data_new[i],theta2))>0.5):
                 predicted_labels2.append(1)
             else:
                 predicted_labels2.append(0)
             if(sigmoid(np.dot(test_data_new[i],theta3))>0.5):
                 predicted_labels3.append(1)
             else:
                 predicted_labels3.append(0)
```

8.2 Accuracy score - Logistic Regression (Newton's method)

9 Logistic Regression (Library)

9.1 Training Time - Logistic Regression (Library)

```
In [24]: logistic_regression=LogisticRegression()
         start_time = time.time()
         logistic_regression.fit(X,train_labels1)
         end_time = time.time()
         training_time=end_time-start_time
         print("Training time for Iris-Setosa: "+str(training_time))
         predicted_labels1=logistic_regression.predict(test_data) # prediction of labels for test
Training time for Iris-Setosa: 0.001950979232788086
In [25]: start_time = time.time()
         logistic_regression.fit(X,train_labels2)
         end_time = time.time()
         training_time=end_time-start_time
         print("Training time for Iris-Versicolour: "+str(training_time))
         predicted_labels2=logistic_regression.predict(test_data) # prediction of labels for test
Training time for Iris-Versicolour: 0.0011680126190185547
In [26]: start_time = time.time()
         logistic_regression.fit(X,train_labels3)
         end_time = time.time()
         training_time=end_time-start_time
         print("Training time for Iris-Verginica: "+str(training_time))
         predicted_labels3=logistic_regression.predict(test_data) # prediction of labels for test
Training time for Iris-Verginica: 0.0012712478637695312
```

9.2 Accuracy score - Logistic Regression (library)

Accuracy for Iris-Verginica: 0.955555555555556