Name: Swaleha Shaikh

Roll No. 33374

Exercise 1: Create a webpage that prints your name to the screen.

Code:

```
<html>
<head>
<title>This is a webpage</title>
</head>
<body>
<h1>Swaleha Shaikh</h1>
</body>
```

Output:

</html>



Swaleha Shaikh



Exercise 2: Create a webpage that prints the numbers 1 - 10 to the screen.

Code:

<html>

<head>

<title>This is a webpage</title>

```
</head>
<body>
<h3>1</h3>
<h3>1</h3>
<h3>2</h3>
<h3>3</h3>
<h3>4</h3>
<h3>5</h3>
<h3>5</h3>
<h3>6</h3>
<h3>7</h3>
<h3>8</h3>
<h3>9</h3>
<h3>10</h3>
</body>
</html>
```





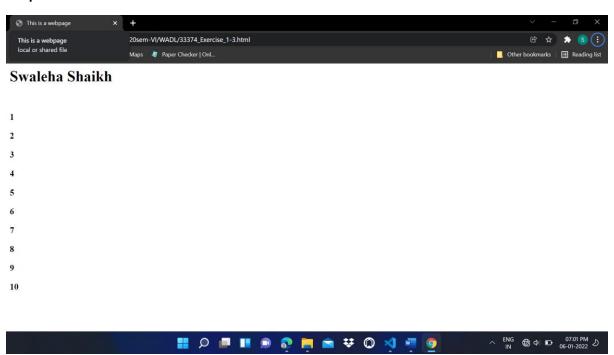
Exercise 3: Create a webpage and set its title to "This is a webpage"

Code:

<html>

<head>

```
<title>This is a webpage</title>
  </head>
  <body>
    <h1>Swaleha Shaikh</h1>
    <br>
    <h3>1</h3>
    <h3>2</h3>
    <h3>3</h3>
    <h3>4</h3>
    <h3>5</h3>
    <h3>6</h3>
    <h3>7</h3>
    <h3>8</h3>
    <h3>9</h3>
    <h3>10</h3>
  </body>
</html>
```



Exercise 4: Create a webpage that prints the message "When was this webpage created? Check page's title for the answer." to the screen, and set the title of the page to the current date.

```
Code:
<html>
<head>
<title>06-01-2022</title>
</head>
<body>
When was this webpage created? Check page's title for the answer.
</body>
```

</html>



When was this webpage created? Check page's title for the answer.



Exercise 5: Create a webpage that prints any text of your choosing to the screen, do not include a head section in the code.

Code:

<html>

<body>

>

Mathematical logic is the foundation on which the proofs and arguments rest.

Propositions are statements used in mathematical logic, which are either true or false but not both and we can definitely say whether a proposition is true or false.

>

In this chapter we introduce propositions and logical connectives. Normal forms for well-formed formulas are given. Predicates are introduced. Finally, we discuss the rules of inference for propositional calculus and predicate calculus

</body>

</html>

Output:



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Exercise 6: Repeat exercise #5, but this time include a head section in the code.

Code:

<html>

<head>

<title>Exercise 5</title>

</head>

<body>

>

Mathematical logic is the foundation on which the proofs and arguments rest.

Propositions are statements used in mathematical logic, which are either true or false but not both and we can definitely say whether a proposition is true

```
or false.
```

In this chapter we introduce propositions and logical connectives. Normal forms for well-formed formulas are given. Predicates are introduced. Finally, we discuss the rules of inference for propositional calculus and predicate calculus

</body>

</html>

Output:



Mathematical logic is the foundation on which the proofs and arguments rest. Propositions are statements used in mathematical logic, which are either true or false but not both and we can definitely say whether a proposition is true or false.

In this chapter we introduce propositions and logical connectives. Normal forms for well-formed formulas are given. Predicates are introduced. Finally, we discuss the rules of inference for propositional calculus and predicate calculus



Exercise 7: Print the squares of the numbers 1 - 20. Each number should be on a separate line, next to it the number 2 superscripted, an equal sign and the result. (Example: 102 = 100)

Code:

<html>

<head>

<title>Exercise 7</title>

</head>

<body>

<h5>1² = 1</h5>

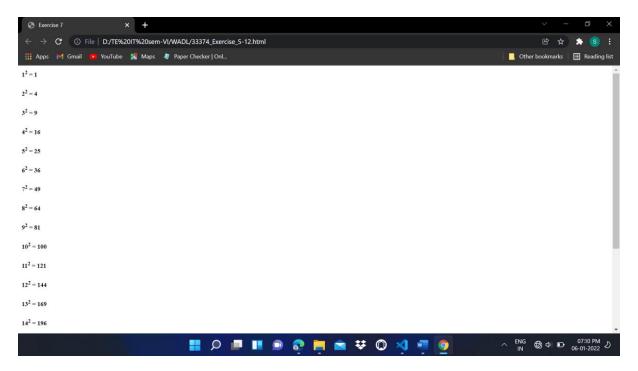
<h5>2² = 4</h5>

<h5>3² = 9</h5>

```
<h5>4<sup>2</sup> = 16</h5>
<h5>5<sup>2</sup> = 25</h5>
<h5>6<sup>2</sup> = 36</h5>
<h5>7<sup>2</sup> = 49</h5>
<h5>8<sup>2</sup> = 64</h5>
<h5>9<sup>2</sup> = 81</h5>
<h5>10<sup>2</sup> = 100</h5>
<h5>11<sup>2</sup> = 121</h5>
<h5>12<sup>2</sup> = 144</h5>
<h5>13<sup>2</sup> = 169</h5>
<h5>14<sup>2</sup> = 196</h5>
<h5>15<sup>2</sup> = 225</h5>
<h5>16<sup>2</sup> = 256</h5>
<h5>17<sup>2</sup> = 289</h5>
<h5>18<sup>2</sup> = 324</h5>
<h5>19<sup>2</sup> = 361</h5>
<h5>20<sup>2</sup> = 200</h5>
```

</body>

</html>



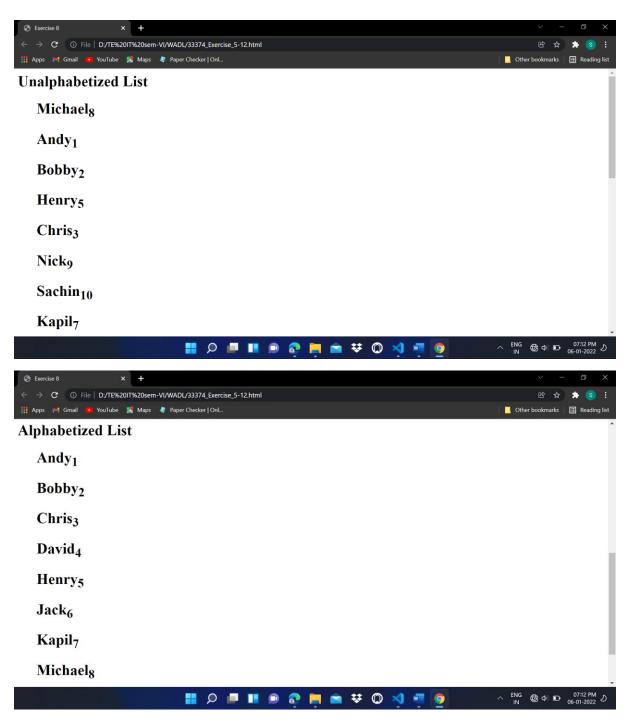
Exercise 8: Prints 10 names with a line break between each name. The list should be alphabetized, and to do this place a subscripted number next to each name based on where it will go in the alphabetized list. (Example: Alan1). Print first, the unalphabetized list with a subscript number next to each name, then the alphabetized list. Both lists should have an level heading.

Code:

<html>
<head>
<title>Exercise 8</title>
</head>
<body>
<h1>Unalphabetized List</h1>

<h1>Michael₈</h1>
<h1>Andy₁</h1>
<h1>Bobby₂</h1>
<h1>Henry₅</h1>
<h1>Chris₃</h1>
<h1>Nick₉</h1>
<h1>Sachin₁₀</h1>

```
<h1>Kapil<sub>7</sub></h1>
   <h1>David<sub>4</sub></h1>
   <h1>Jack<sub>6</sub></h1>
 <h1>Alphabetized List</h1>
 <h1>Andy<sub>1</sub></h1>
   <h1>Bobby<sub>2</sub></h1>
   <h1>Chris<sub>3</sub></h1>
   <h1>David<sub>4</sub></h1>
   <h1>Henry<sub>5</sub></h1>
   <h1>Jack<sub>6</sub></h1>
   <h1>Kapil<sub>7</sub></h1>
   <h1>Michael<sub>8</sub></h1>
   <h1>Nick<sub>9</sub></h1>
   <h1>Sachin<sub>10</sub></h1>
 </body>
</html>
```



Exercise 9: Print two paragraphs that are both indented using the command.

Code:

<html>

<head>

<title>Exercise 9</title>

</head>

<body>

>

A predicate formula is valid if for all possible assignments

of values from any universe of discourse to free variables, the resulting

propositions have the truth value T. Sometimes when we wish to derive some-conclusion from a given set of

premises involving quantifiers. we may have to eliminate the quantifiers before applying the rules of inference for proposition formulas. Also, when the conclusion involves quantifiers, we may have to introduce quantifiers. The necessary rules of inference for addition and deletion of quantifiers

</body>

</html>

Output:



A predicate formula is valid if for all possible assignments of values from any universe of discourse to free variables, the resulting propositions have the truth value T.Sometimes when we wish to derive some-conlusion from a given set of premises involving quantifiers. we may have to eliminate the quantifiers before applying the rules of inference for proposition formulas. Also, when the conclusion involves quantifiers, we may have to introduce quantifiers. The necessary rules of inference for addition and deletion of quantifiers



Exercise 10: Print two lists with any information you want. One list should be an ordered list, the other list should be an unordered list.

Code:

<html>

<head>

<title>Exercise 10</title>

</head>

```
<body>
 Mango
  Banana
  Apple
  Pine-apple
  Cherry
 <0|>
  Amol
  Chirag
  Himesh
  Saloni
 </body>
</html>
```

