Due: 30/11/2017 Swapzil Danni CSC 226: Problem Set 4 Written Part OI) Tragic Comedy and Network flows We can reduce the prof problem to a Max-plow problem by doing the following. for each cometer, draw and node Ci. let the capacity of each edge be number of pairs of passenders (p., p.), such that Ci & p., p.; Create a directed graph with all the pa cometeins and find the max-flow. If the max-flow is equal to story k, then it is possible to evacuate everyone on board.

02) Max-flow with Node Capacities In order to sabisfy the node capacity constraint, we can create an additional graph (it which contains two vertices to and vi for every vertex in (it). If we set the capacity of the edge (Vi, Vo) to be the capacity of edge vertex u, then then we can run the Ford-Fulkerson algorithm. As as edge (u, u) in graph (it does not have a capacity, we set the (uo, vi) in (it) to be infinite. The flow through any vertex will not increase above capacity cor as it has to pass through the edge (vi, vo). Thus, using the Ford-Fulkerson algorithm will B A 田 用 雨 4 4 F F F Thus, using the Ford-Fulkerson abjorithm will And a maximum s-t flow. (B) No they are not right. Consider the Let then nitial graph be: Then the minimum cut is A= {s} B= U-A which has the capacity Increasing the edges by 1 gives: This paper is recycled.

the min cut of the graph. Thus the friend was Oli) Knuth-Morris-Pratt A,B