

	2^{31}	2^{27}	2^{26}	2^{25}	2^{24}	2^{23}	2^2	2^1	2^0
20 →	0	0	0	0	1	0	1	0	0
1's comp →	1	1	1	1	0	1	0	1	1
2's comp →	0	0	0	0	0	0	0	0	1

(-20) → 1 1 1 1 1 0 1 1 0 0

2's comp → 1 1 1 1 1 0 1 1 0 0

↑ binary of (-160)

	2^{31}	2^{11}	2^{10}	2^9	2^8	2^7	2^6	2^5	2^4	2^3	2^2	2^1	2^0
160 →	0	0	0	0	1	0	1	0	0	0	0	0	

160	32
-128	-32
32	100

160 → 0 0 0 0 0 1 0 1 0 0 0 0 0 0

1's comp → 1 1 1 1 1 0 1 0 1 1 1 1 1 1

2's comp → 0 0 0 0 0 0 0 0 0 0 0 0 0 1

(-160) → 1 1 0 1 1 0 0 0 0 0

① num = 88 result = num < 4;

① num = 88 result = num

	128	64	32	16	8	4	2	1
	2^7	2^6	2^5	2^4	2^3	2^2	2^1	2^0
88 →	0	0	0	0	0	0	0	0
88 →	0	1	0	1	1	0	0	0

88 \rightarrow 0

88	24	8
<u>-64</u>	<u>-16</u>	<u>-8</u>
24	8	0

It is a left shift bitwise operator.

Now shift 88 by 4 bits to the left.

2^{31}
 $88 \rightarrow 0 \text{ --- } 000001011000$

2^{31}
 $\ll 4 \rightarrow 0$

$$1024 + 256 + 128 = 1408 \text{ (Ans)}$$

② num = -20 result = num < 3;

		2^7	2^6	2^5	2^4	2^3	2^2	2^1	2^0
	2^{31}								
	0	0	0	0	0	0	0	0	0
20 →	0	0	0	1	0	1	0	0	0

$$\begin{array}{r} 20 \\ -16 \\ \hline 4 \end{array} \qquad \begin{array}{r} 4 \\ -4 \\ \hline 0 \end{array}$$

But (-20) internally stored as a 2's complement of (20) . and then shift that binary no by 3 bits to the left.

2's complement (20)

\therefore 1's complement (20)

+	binary (1)
---	------------