

## I PC

[Drying v/s evaporative  
longer v/s shorter] \_/\_/\_

- Disturbance (load variable) (LV)
- Primary measurement (controlled variable) (CV)
- Manipulative variable (MV)

→ Transducers:- Only physical quantities like voltage, current can  
be transmitted not T, P, C  
convert T, P, C to Voltage, current

→ Transmission line:-

used to carry measurement signal from sensor to controller.

→ relative volatility =  $\frac{y_i/x_i}{y_j/x_j} = \frac{P_A}{P_B}$   $\alpha > 1 \rightarrow$  separable.  
 $\alpha \leq 1 \rightarrow$  non-separable.  
more volatile  
↓  
Compares  
vapor pressure of  
low BP of compound.  
it indicates ease or  
difficulty of using distillation.  
function of T, P  
(T, P,  $\alpha \downarrow$ )

( $\alpha = 1 \rightarrow$  azeotropes)

→ PT → low BP component's BP ↑ significantly.  
but high BP component's BP increase is not that significant  
 $\therefore \alpha \downarrow$

Transfer function =  $\frac{\text{Output}}{\text{Input}}$   
investigates  
the process behavior  
with time

$$F(s) \rightarrow \boxed{G(s)} \rightarrow Y(s)$$

$$G(s) = \frac{Y(s)}{F(s)} = \frac{Q(s)}{P(s)}$$

~~Q(s)~~  $Q(s) = 0 \rightarrow$  zeros  $\rightarrow$  process dynamics

$P(s) = 0 \rightarrow$  poles  $\rightarrow$  tell about the stability

Pole  $> 0 \rightarrow$  unstable (exponential)

Pole  $< 0 \rightarrow$  stable.

→ 2nd order system  $\rightarrow$  damping



## 2nd order

$$G(s) = \frac{k_r}{s^2 + 2\psi s + 1}$$

$z \rightarrow$  speed of response

$\psi \rightarrow$  damping factor

$\psi = 0 \rightarrow$  undamped  $\rightarrow$  const amplitude

$\psi < 0 \rightarrow$  unstable system  $\rightarrow$  increasing amplitude

$\psi > 0 \rightarrow$  stable  $\rightarrow$  oscillation with decreasing amplitude.

$\psi > 1 \rightarrow$  overdamped

$\psi = 1 \rightarrow$  critically damped

$0 < \psi < 1 \rightarrow$  underdamped

$\rightarrow$  Peak time: time required for output to reach 1st max value.

$\rightarrow$  Overdort:

$\rightarrow$  rise time: time taken for the response to first reach its final SS value

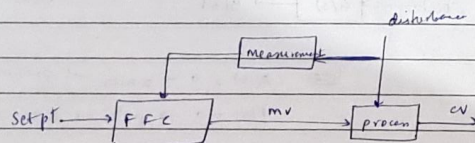
$\rightarrow$  Feed forward controller: measures one or more inputs, calculates the required value of other inputs and then adjusts it.

$\rightarrow$  has to predict the output as it does not measure it.

$\rightarrow$  takes corrective action before the disturbance enters into the process.

$\rightarrow$  provides direct solution to control problem by measuring disturbance and compensating the controlled variable before it deviates from set pt.

(open loop control)



$\rightarrow$  Measures the disturbance directly and controller predicts the impact on the process.

Madhavi

dead time  $\rightarrow$  time delay + i.e. time the system takes to respond.  
G.T.F will be added.

## FFC

$\rightarrow$  Acts before hand.

$\rightarrow$  good for slow systems

$\rightarrow$  does not introduce instability

$\rightarrow$  requires disturbance measurement

$\rightarrow$  cannot cope with unmeasured disturbance

$\rightarrow$  sensitive to process parameter variation

## FBC

$\rightarrow$  No measurement of disturbance

$\rightarrow$  Insensitive to parameter change

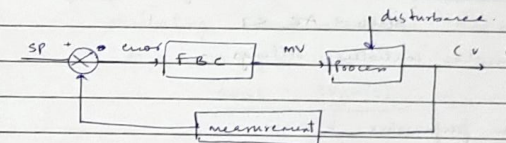
$\rightarrow$  acts after the effect of disturbance has been felt

$\rightarrow$  creates instability in closed loop.

## FBC

Measures output

Altering MV in response to the deviation between CV and set point to eliminate deviation.



$\rightarrow$  Controller: receives error signal and provides manipulative signal

## Proportional controller

signal is proportional to error signal

$$c(t) = k_c e(t) + c_s$$

## PI controller (actions corresponding to past)

$$c(t) = k_c e(t) + \frac{1}{s} \left( \int_0^t e(z) dz \right) k_i$$



### PID controller (future)

$$C(t) = k_c e(t) + c_s + \frac{k_c}{\tau_i} \int_0^t e(\tau) d\tau + \tau_d k_c \frac{de}{dt}$$

→ setpoint problem:  $\bar{d}(s) = 0$ ,  $\bar{y}_{sp} \neq 0$

→ regulatory:  $\bar{y}_{sp}(s) = 0$ ,  $\bar{d}(s) \neq 0$

→ Integral action corresponds to 2nd order system  
↳  $\text{offset} = 0$   
↓  
(desired value - value attained after long time)

$$G(s) = \frac{B(s)}{P(s)} \quad \text{roots of } P(s) < 0 \quad \left| \quad \text{real part} < 0 \right. \\ \text{characteristic eqn} \quad \quad \quad \downarrow \quad \quad \quad \text{stable}$$

→ Stability test → for stability

→ Frequency response: behavior is analyzed using bode plot  
stable →  $AR < 1$

→ Ziegler nicolas controller settings →

- ① Controller performance
  - ② Controller selection
  - ③ Tuning
- } rules

Temperature measurement: - thermocouple, RTD, bimetallic thermometer, radiation pyrometer

Pressure measurement: - manometer, Piezometer, Bellows, diaphragm, Bourdon tubes

Flow: - venturimeter, orificemeter, rotameter, Coriolis meter

Composition: - chromatography, spectroscopy, Turbidimetry, pH, conductivity

Level: - level measurement

### Functional elements

- ① Primary sensing element
- ② Variable conversion element
- ③ Variable manipulation element
- ④ Variable transmission element
- ⑤ Variable presentation element

Coriolis meter → directly measures mass flow

↳ Principle: The inertia created by fluid flowing through an oscillating tube causes the tube to twist in proportion to mass flow rate

$$\text{twist} = \frac{v \cdot \omega(t)}{\text{mass flow}}$$

Flapper nozzle: notes



### PID controller (future)

$$C(t) = k_c E(t) + c_i + \frac{k_c}{T_i} \int_0^t e(z) dz + T_d k_c \frac{de}{dt}$$

→ servo problem:-  $\bar{d}(s) = 0$ ,  $\bar{y}_{sp} \neq 0$

→ regulatory:-  $\bar{y}_{sp}(s) = 0$ ,  $\bar{d}(s) \neq 0$

→ Integral action corresponds to 2nd order system

↳ offset = 0

↓  
desired value - value attained  
after long time

$$G(s) = \frac{B(s)}{P(s)} \quad \text{roots of } P(s) < 0 \quad \left| \quad \text{real part} < 0 \right. \\ \text{characteristic eqn} \quad \downarrow \quad \text{stable}$$

→ Root test → for stability

→ Frequency response:- behavior is analyzed using bode plot  
stable →  $AR < 1$

→ Ziegler nichols controller settings →

- ① Controller performance
  - ② Controller selection
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- } notes

Temperature measurement:- thermocouple, <sup>resistance</sup> RTD, bimetallic thermometer, radiation pyrometer

Pressure measurement:- manometer, Piezometer, Bellows, diaphragms, Bourdon tubes.

Flow:- venturimeter, orificemeter, rotameter, Coriolis meter.

Composition:- chromatography, spectroscopy, Turbidimetry, pH, conductivity

Level:- SP measurement

### Functional elements

- ① Primary sensing elements
- ② Variable conversion element
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Coriolis meter → directly measures mass flow

↳ Principle:- The inertia created by fluid flowing through an oscillating tube causes the tube to twist in proportion to mass flow rate

$$\text{twist} = \frac{P V \omega(t)}{g} \\ \downarrow \\ \text{mass flow}$$

Flapper nozzle:- notes

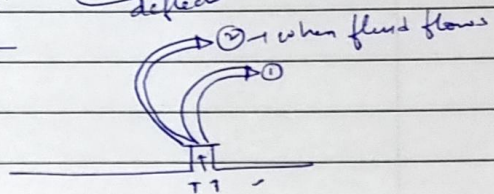
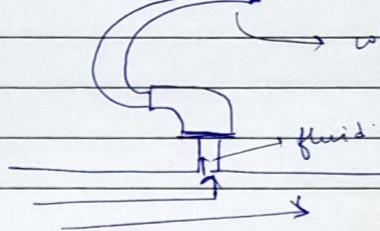


## Bourdon tube (elastic transducer)

displacement is converted to pressure

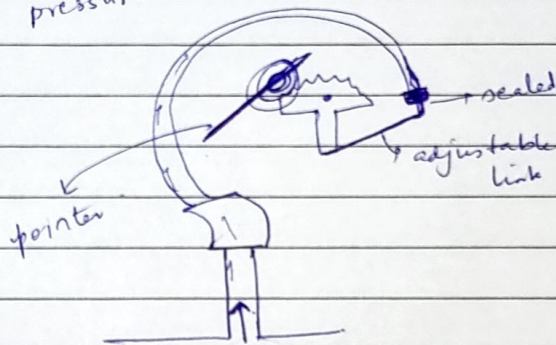
→ Used to measure gauge pressure

→ deflection  $\propto$  pressure



deflection is proportional to pressure

static pressure



When the fluid flows, oval shape tube converts to circular

→ give accurate results

→ hysteresis ??

→ P & ID diagram