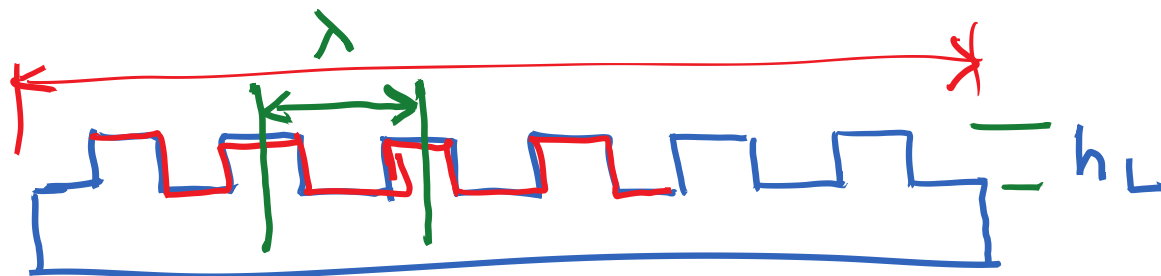
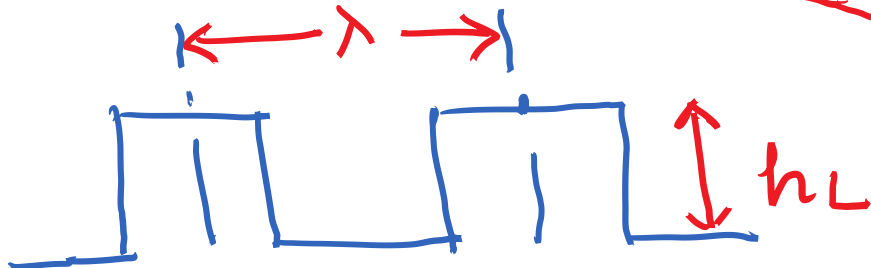
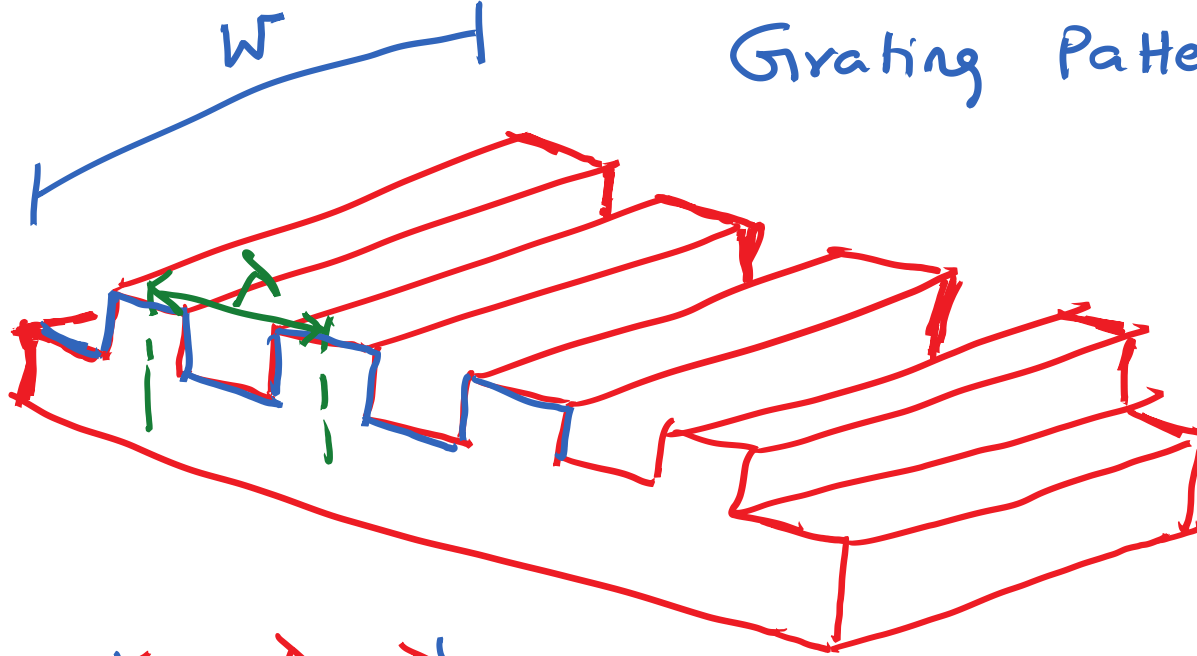


# Topographic Patterns

03.02.2022

Lecture - 11

Grating Patterned Surface



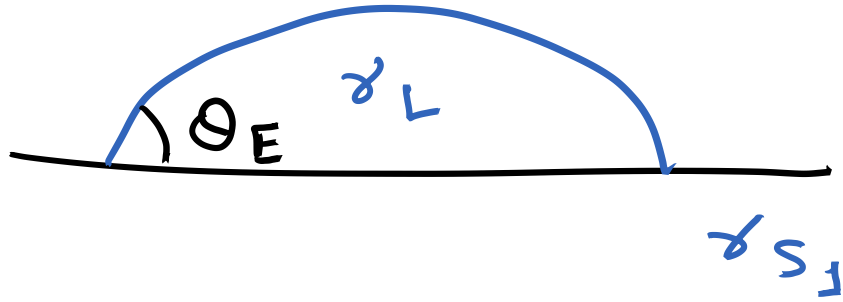
Line and Grating

Optical Grating

A Liquid Drop on a  
Topographically Patterned  
Surface

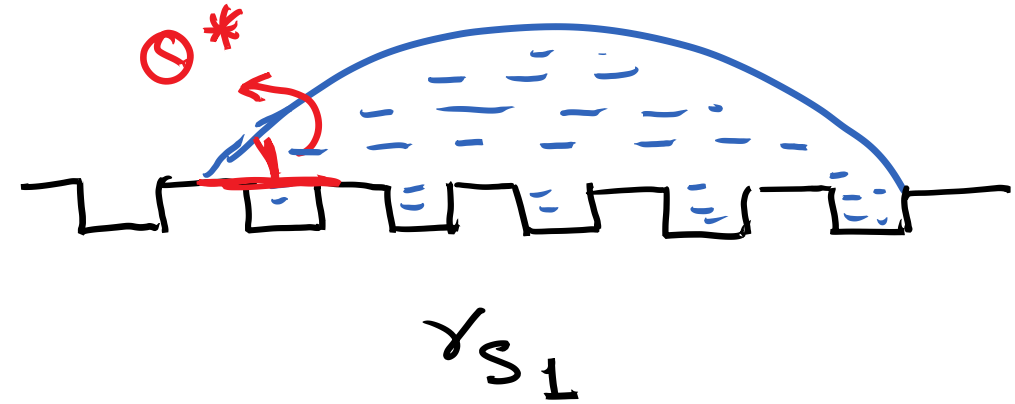
$$\gamma_f = \frac{\lambda + 2h_L}{\lambda}$$

# WENSEL STATE OF WETTING



(1)  $\gamma_L$  and  $\gamma_s$  are same

$\theta^*$  is different than  $\theta_E$



$$\cos \theta^* = \gamma_f \cdot \cos \theta_E$$

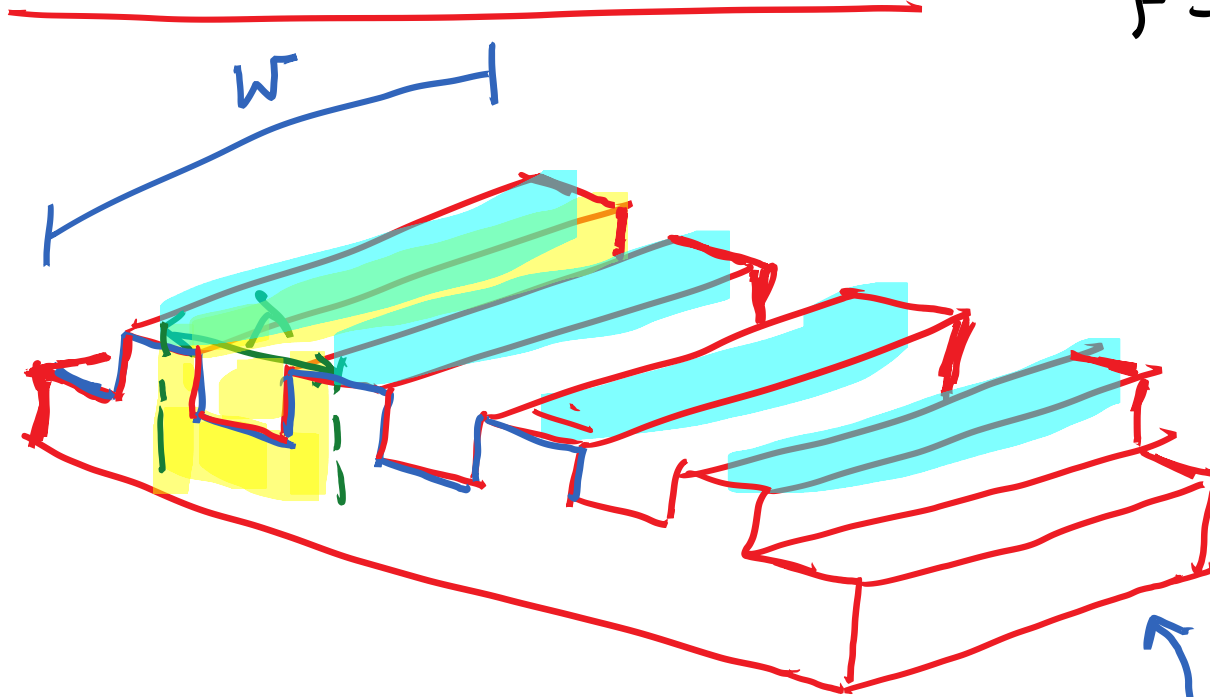
$\gamma_f$  = Line Roughness

$$= \frac{\text{Wetted area}}{\text{Projected area}} = \frac{\text{Wetted Perimeter}}{\text{Project Perimeter.}}$$

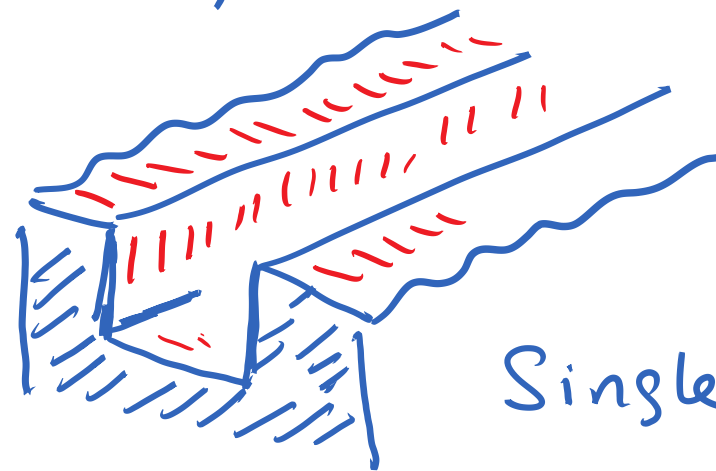
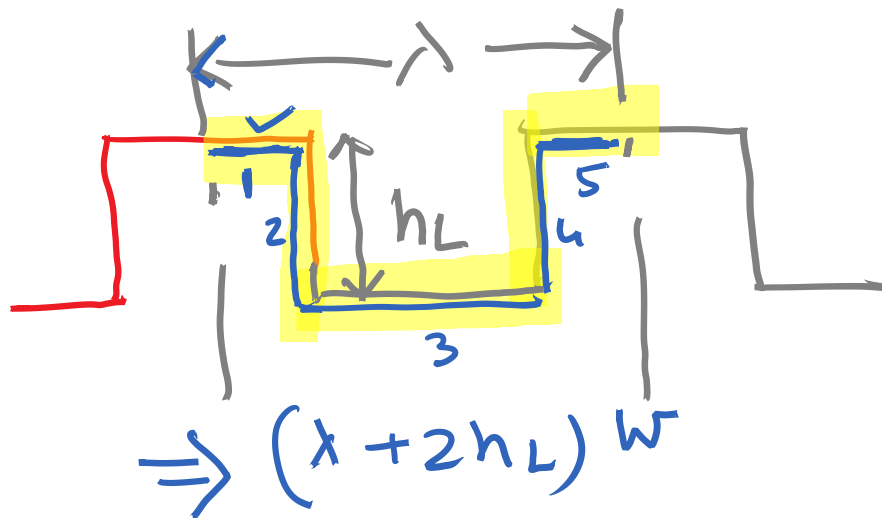
$r_f =$  Line Roughness

$$= \frac{\text{Wetted Area}}{\text{Projected Area}}$$

$$= \frac{(\lambda + 2h_L) \cancel{W} \cancel{n}}{(\lambda \cdot \cancel{W} \cdot \cancel{n})} = \frac{\lambda + 2h_L}{\lambda}$$



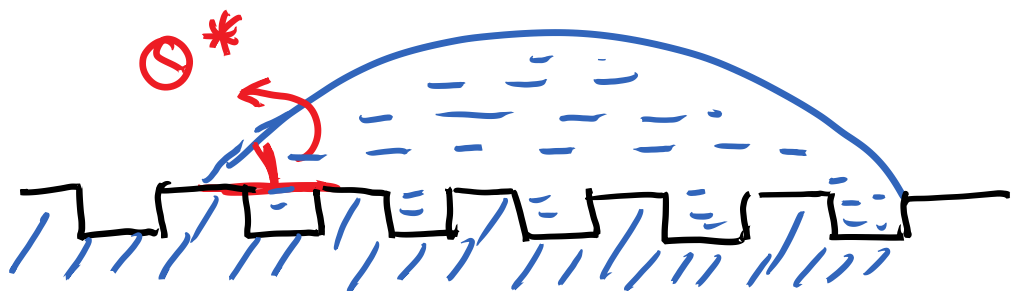
Keep  $n$  such features side by side  $\rightarrow$  You get the surface.



Single Feature

Wetted Area for this single feature

# WENSEL STATE OF WETTING



$\theta^* \rightarrow$  Effective Contact Angle

$$\cos \theta^* = \gamma_f \cdot \cos \theta_E$$

$$\cos \theta^* > \cos \theta \rightarrow$$

$$\theta^* < \theta_E$$

$$\theta_E > 90^\circ \rightarrow$$

$$\theta^* > \theta_E$$

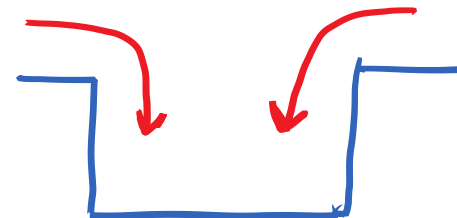
$$\gamma_f = \frac{\lambda + 2h_L}{\lambda}$$

Liquid Enters within the features

$$\gamma_f > 1$$

$$(1) \quad \theta_E < 90^\circ$$

$$(\gamma_f \cdot \cos \theta_E) > (\cos \theta_E)$$



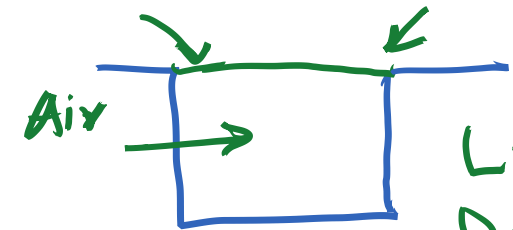
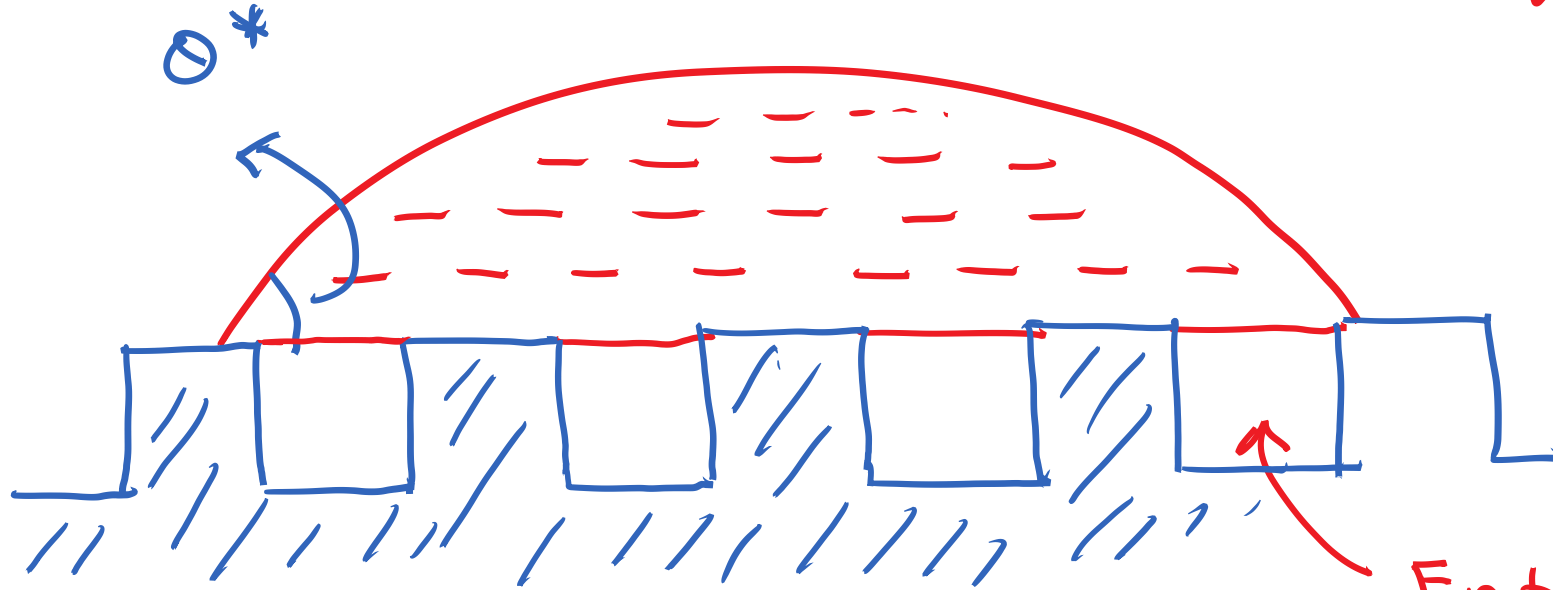
Surface 1:  $88^\circ$

Surface 2:  $92^\circ$

(Difference amplified when patterned)  $\Rightarrow$

# CASSE STATE OF WETTING

Liquid does not penetrate within the grooves.



Liquid DOES NOT ENTER within the feature

Entrapped Air,  
(Below the liquid)

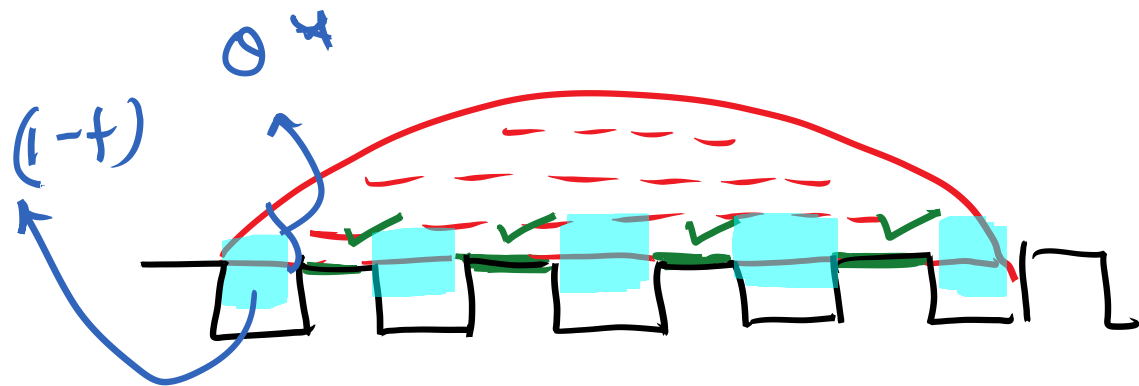
Liquid Fails to remove the air within the features

Composite Contact Area:  
Comprising of S-L and  
Solid-Air Interfaces

Solid-Liquid Contact



Area below the liquid had complete



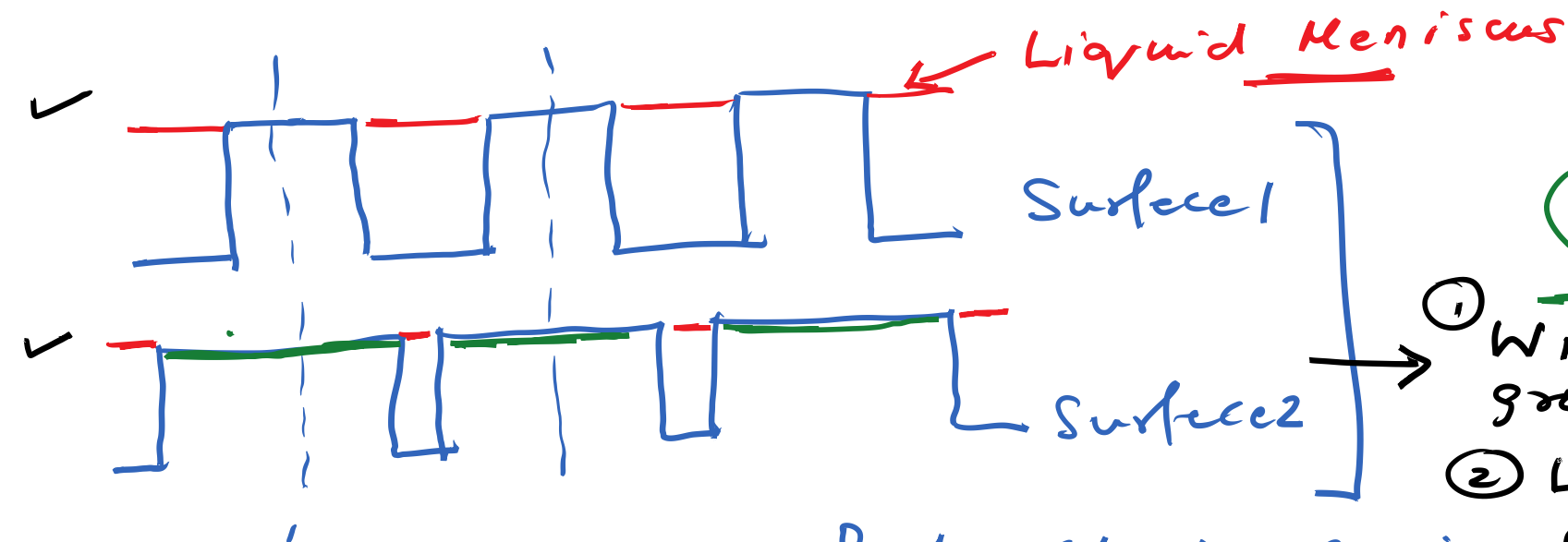
$$\cos \theta^* = \gamma_f \cdot f \cdot \cos \theta_E - (1-f)$$

$\gamma_f \rightarrow$  Same Line roughness as Wenzel state

$f$  = Ratio of Flat Projection of Solid-liquid contact area to the total Flat Geometrical area (Projected Area) under the drop.

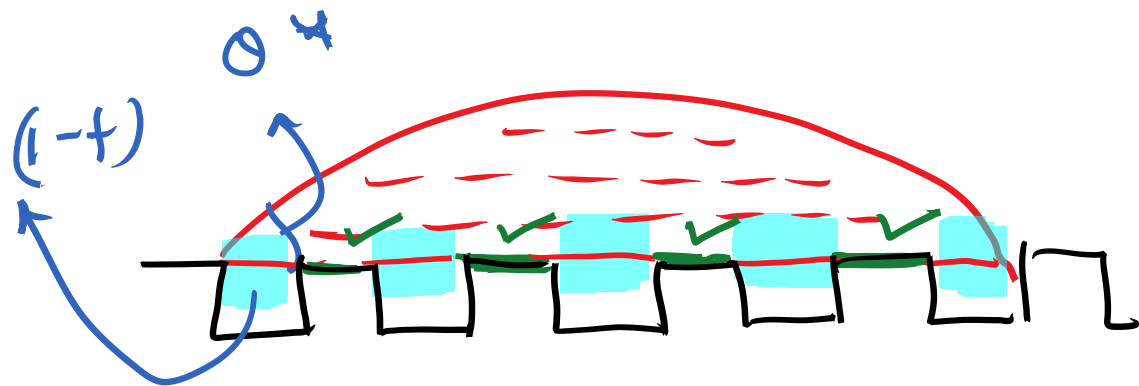
$f \rightarrow$  Fraction of Liquid-Solid contact

$(1-f) \rightarrow$



- ① Wider Line, narrower grooves.
- ② Line Tops Come in Contact with Liquid Only.

Both showing Cassie



$$\cos \theta^* = \underbrace{\gamma_f \cdot f \cdot \cos \theta_E}_{\text{Term 1}} - \underbrace{(1-f)}_{\text{Term 2}}$$

$\gamma_f \rightarrow$  Same Line roughness as Wenzel state

$$\theta_E < 90^\circ$$

$$\left[ \begin{array}{l} \gamma_f > 1 \\ f < 1 \end{array} \right]$$

$$\underbrace{\gamma_f \cdot f \cdot \cos \theta_E}_{\text{Term 1}} \rightarrow \text{Higher or Lower than } \cos \theta_E.$$

$$\underline{(1-f) > 0}$$

Depending on the actual geometry  
It may be possible to achieve effective hydrophobicity on a hydrophilic surface, if wetting state is Cassie.

$(\gamma_f \cdot f) > 1$ , Term 1 is trying to reduce  $\theta^*$  then  $\theta_E$

$(\gamma_f \cdot f) < 1 \rightarrow$  trying to increase  $\theta^*$  then  $\theta_E$









