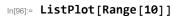
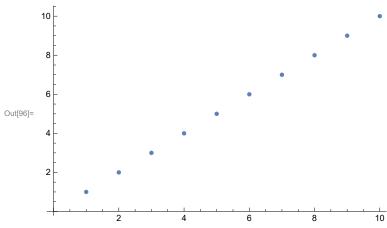
First look at lists

```
In[89]:= List[1, 2, 3, 4, 5]
Out[89]= \{1, 2, 3, 4, 5\}
ln[90]:= k = List[1, 2, 3, 4, 5]
Out[90]= \{1, 2, 3, 4, 5\}
In[91]:= ListLinePlot[k]
       5
Out[91]=
ln[92]:= k = \{2, 7, 4, 23, 1, 0, 32\}
Out[92]= \{2, 7, 4, 23, 1, 0, 32\}
In[93]:= ListLinePlot[k]
       30
       25
       20
Out[93]= 15
       10
In[94]:= Reverse[k]
Out[94]= \{32, 0, 1, 23, 4, 7, 2\}
In[95]:= Range [10]
Out[95]= \{1, 2, 3, 4, 5, 6, 7, 8, 9, 10\}
```





In[97]:= k1 = List[1, 2, 3, 4, 5]

Out[97]= $\{1, 2, 3, 4, 5\}$

In[98]:= **k2** = List[6, 7, 8, 9, 10]

Out[98]= $\{6, 7, 8, 9, 10\}$

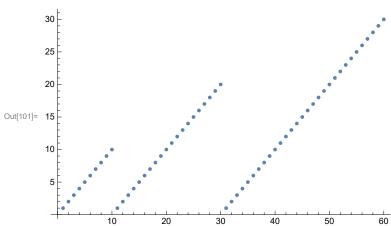
In[99]:= **Join[k1, k2]**

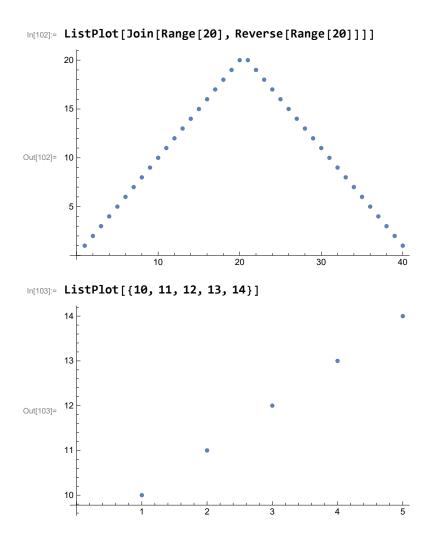
 $\mathsf{Out}[99] = \ \{ \textbf{1, 2, 3, 4, 5, 6, 7, 8, 9, 10} \}$

In[100]:= Join[Range[5], Range[3]]

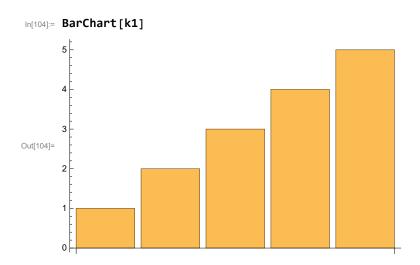
 ${\tt Out[100]=} \ \{ \textbf{1, 2, 3, 4, 5, 1, 2, 3} \}$

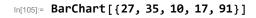
In[101]:= ListPlot[Join[Range[10], Range[20], Range[30]]]

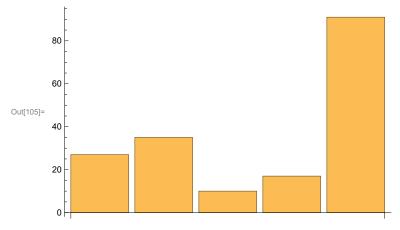




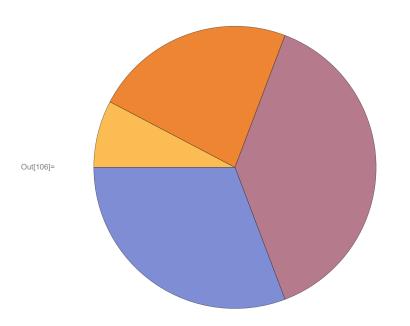
Displaying Lists







In[106]:= **PieChart**[{1, 3, 5, 4}]

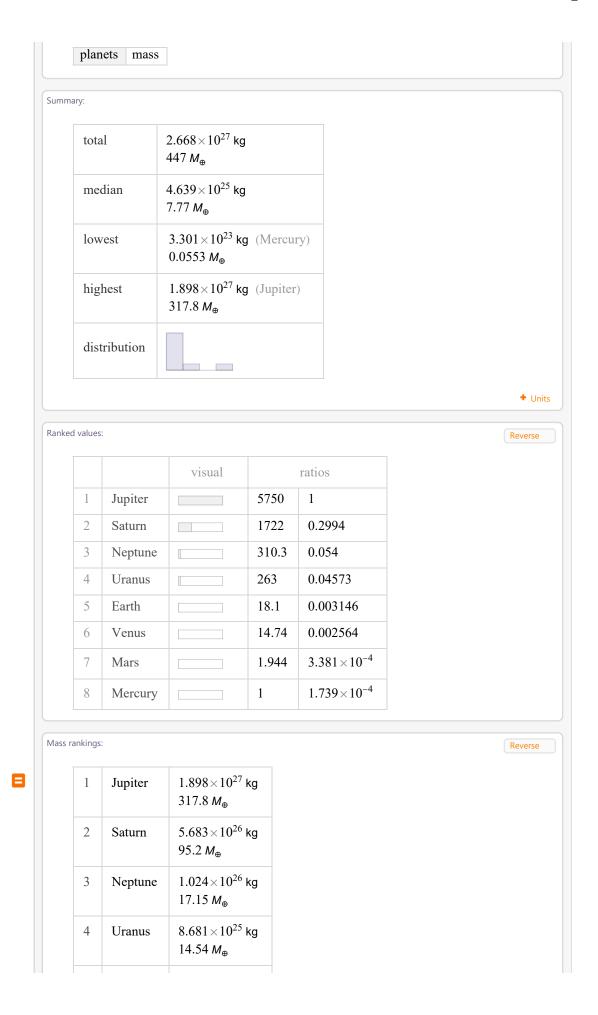












5	Earth	$5.97{ imes}10^{24}~\mathrm{kg}$
6	Venus	$4.867\! imes\!10^{24}\mathrm{kg}$ $0.815M_{\oplus}$
7	Mars	$\begin{array}{c} 6.417\!\times\!10^{23}\ \mathrm{kg} \\ 0.1074\ M_{\oplus} \end{array}$
8	Mercury	$3.301 \times 10^{23} \ \mathrm{kg} \ 0.0553 \ M_{\oplus}$

Units

Unit conversions for total mass 2.668×10^27 kg:

 5.881×10^{27} lb (pounds)

 $2.668\!\times\!10^{30}\,\text{grams}$

 2.668×10^{24} t (metric tons)

 $0.001342 M_{\odot}$ (solar masses)

Comparisons for total mass 2.668×10^27 kg:

 $\approx (~0.015 \approx 1/66~) \times \text{mass of AB Doradus C}~(\approx 93~\text{M}_{\tiny H})$

 $\approx (0.016 \approx 1/61) \times$

mass of EBLM J0555–57Ab (smallest known main sequence star as of 2018) ($\approx 85\, M_{\!\scriptscriptstyle \odot}$)

 $\approx 1.4 \times \text{Jupiter mass} \; (\, 1.89813 \times 10^{27} \, \text{kg} \,)$

Corresponding quantity:

Weight w of a body from w = mg:

 $2.616 \times 10^{28} \, \text{N} \, \text{(newtons)}$

 $2.616{\times}10^{33}\,\text{dynes}$

 $2.668\!\times\!10^{30}\,\text{ponds}$

 5.881×10^{27} lbf (pounds-force)

 $_{\text{Out[*]=}}$ $\left\{\text{ 3.301}\times\text{10}^{23}\text{ kg}\text{, 4.867}\times\text{10}^{24}\text{ kg}\text{, 5.97}\times\text{10}^{24}\text{ kg}\text{, 6.417}\times\text{10}^{23}\text{ kg}\text{,}\right.$

 $1.898\times10^{27}\;\text{kg}$, $5.683\times10^{26}\;\text{kg}$, $8.681\times10^{25}\;\text{kg}$, $1.0243\times10^{26}\;\text{kg}$ $\Big\}$

NumberLinePlot EntityClass Planet Mass

(no interpretations available)

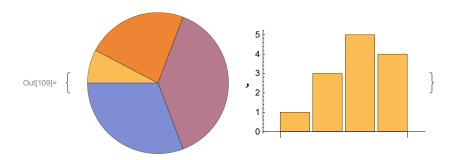
PieCha[EntityClass["Planet",All][mass] In[•]:=

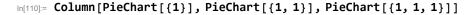
(no interpretations available)

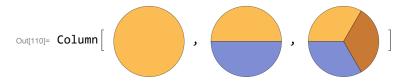
EntityClass["Planet",All][mass] (no interpretations available) ••• PieChart: Null is not a valid dataset or list of datasets. In[108]:= PieChart[Null] ••• PieChart: Null is not a valid dataset or list of datasets.

Out[108]= PieChart[Null]

In[109]:= {PieChart[{1, 3, 5, 4}], BarChart[{1, 3, 5, 4}]}







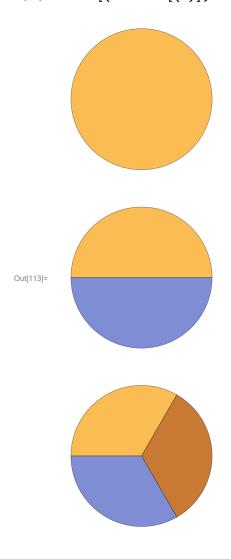
$\label{eq:local_local_local} $$ \inf_{1 \leq 1 \leq r} \operatorname{Column}[\operatorname{PieChart}[\{1\}], \operatorname{PieChart}[\{1, 1\}], \operatorname{PieChart}[\{1, 1, 1\}]] $$ $$$



In[112]:= ColumnAlignments[PieChart[{1}], PieChart[{1, 1}], PieChart[{1, 1, 1}]]

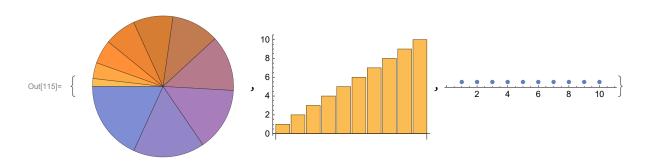


In[113]:= Column[{PieChart[{1}], PieChart[{1, 1}], PieChart[{1, 1, 1}]}]



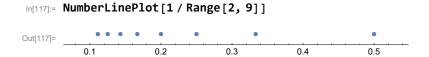
In[114]:= **k = Range [10]** List[PieChart[k], BarChart[k], NumberLinePlot[k]]

Out[114]= $\{1, 2, 3, 4, 5, 6, 7, 8, 9, 10\}$



In[116]:= 1 / Range[2, 5]

Out[116]=
$$\left\{\frac{1}{2}, \frac{1}{3}, \frac{1}{4}, \frac{1}{5}\right\}$$



Operations on List

```
ln[118]:= \{1, 2, 3\} + \{1, 2, 3, 4\}
        Thread: Objects of unequal length in {1, 2, 3} + {1, 2, 3, 4} cannot be combined.
Out[118]= \{1, 2, 3\} + \{1, 2, 3, 4\}
ln[119] = \{1, 2, 3\} + \{1, 2, 3\}
Out[119]= \{2, 4, 6\}
ln[120]:= \{1, 2, 3\} + 10
Out[120]= \{11, 12, 13\}
In[121]:= Part[{6, 2, 5, 1, 0, 9}, 3]
Out[121]= 5
```

So, basically what this Part function does is, it fetches the value at a particular index in the list.

```
In[122]:= Take[{1, 2, 3, 4, 5, 6}, 3]
Out[122]= \{1, 2, 3\}
```

The take command what it does is it takes the first n values of list as another sub-list, where n is the user input. The alternative to the part function is

```
ln[123]:= \{7, 6, 5\}[[2]]
Out[123]= 6
```

The above statement does the same task as Part function, just we need to change the index no. within "[[]]"

```
In[124]:= Drop[{1, 2, 3, 4, 5, 6}, 3]
Out[124]= \{4, 5, 6\}
```

The above function above basically drops the no. of elements in the list and displays all other remaining elements starting from the beginning.

```
In[125]:= Count[{7, 4, 0, 1, 7, 2, 99, 24, 63, 7, 3, 9, 7}, 7]
Out[125]= 4
```

The count function counts the no. of occurrences of that particular element in the list.

In[126]:= IntegerDigits[1957]

Out[126]= $\{1, 9, 5, 7\}$

The above function makes a list of all the digits of the number given.

In[127]:= Length[IntegerDigits[1957]]

Out[127]= **4**

The above function provides the length of the list.

In[128]:= Length["Aman"]

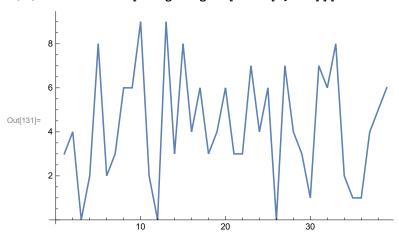
Out[128]= **0**

 $In[129]:= f[a_, b_] := Power[(a + b), 2]$

In[130]:= **f[3, 4]**

Out[130]= 49

In[131]:= ListLinePlot[IntegerDigits[Power[2, 128]]]



In[132]:= List[PieChart[IntegerDigits[Power[2, 20]]]], PieChart[IntegerDigits[Power[2, 40]]], PieChart[IntegerDigits[Power[2, 60]]]]

