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PES Institute of Technology, Bangalore

14CS351

Department of Computer Science / Information Science & Engineering

SEMESTER END EXAMINATION (SEE) B. E. VI SEMESTER [Session: May, 2017]

14CS351 - COMPILER DESIGN

Time: 3 hrs.

Answer All Questions

Max Marks: 100

conflicts in lexer by taking the largest possible match at any point. That is, if we have the following lex scanner specification: %% do {return T_Do;} [A-Za-z_][A-Za-z0-9]* {return T_Identifier;} and we see the input string "dot", we will match the second rule and emit T_Identifier for the whole string, not T_Do. However, it is possible to have a set of regular expressions for which we can tokenize a particular string, but for which taking the largest possible match will fail to break the input into tokens. Give an example of a set of regular expressions and an input string such that: a) The string can be broken into substrings, where each substring matches one of the regular expressions, b) and using our usual lexer algorithm, taking the largest match at every step, will fail to break the string in a way in which each piece matches one of the regular expressions. Explain how the string can be tokenized and why taking the largest match won't work in this case. 1. c) Explain the front end of a compiler using the following example: if(x>10) x = x + 100/x;	1.	· a)	Consider the following tokens and their associated regular expressions, given as a lex-like specification:	5
(compiler ¹¹ design²) ⁴ course ³ Where, A¹ denotes A repeated i times. (And, of course, the parentheses are not part of the output.) You may use similar shorthand notation in your answer. Recall from the lecture that, when using regular expressions to scan an input, we resolve conflicts in lexer by taking the largest possible match at any point. That is, if we have the following lex scanner specification: %% do {return T_Do;} [A-Za -z _][A-Za -z 0-9]* {return T_Identifier;} and we see the input string "dot", we will match the second rule and emit T_Identifier for the whole string, not T_Do. However, it is possible to have a set of regular expressions for which we can tokenize a particular string, but for which taking the largest possible match will fail to break the input into tokens. Give an example of a set of regular expressions and an input string such that: a) The string can be broken into substrings, where each substring matches one of the regular expressions, b) and using our usual lexer algorithm, taking the largest match at every step, will fail to break the string in a way in which each piece matches one of the regular expressions. Explain how the string can be tokenized and why taking the largest match won't work in this case. 1. c) Explain the front end of a compiler using the following example: if(x>10) x = x + 100/x; Consider the following simple context free grammars: G: S → Aa A → E A → B A → B A → B A → B A → B Note that the grammars generate the same language: strings consisting of even numbers of			(01 10) print ("course") 0(01) *1 print ("compiler")	
conflicts in lexer by taking the largest possible match at any point. That is, if we have the following lex scanner specification: """ "" "" "" "" "" "" "" "" "" "" "" "			Give an input to this scanner such that the output string is (compiler 11 design 2) 4 course 3 Where, Ai denotes A repeated i times. (And, of course, the parentheses are not part of the	
following lex scanner specification: %% do {return T_Do;} [A-Za -z_][A-Za -z0 -9]* {return T_Identifier;} and we see the input string "dot", we will match the second rule and emit T_Identifier for the whole string, not T_Do. However, it is possible to have a set of regular expressions for which we can tokenize a particular string, but for which taking the largest possible match will fail to break the input into tokens. Give an example of a set of regular expressions and an input string such that: a) The string can be broken into substrings, where each substring matches one of the regular expressions, b) and using our usual lexer algorithm, taking the largest match at every step, will fail to break the string in a way in which each piece matches one of the regular expressions. Explain how the string can be tokenized and why taking the largest match won't work in this case. 1. c) Explain the front end of a compiler using the following example: if(x>10) $x = x + 100/x$; 2. a) Consider the following simple context free grammars: $G_1: G_2: G_2: G_3: G_4: G_5: G_5: G_6: G_6: G_6: G_6: G_6: G_6: G_6: G_6$	1.	b)		5
do {return T_Do;} [A-Za -z_][A-Za -z0 -9]* {return T_Identifier;} and we see the input string "dot", we will match the second rule and emit T_Identifier for the whole string, not T_Do. However, it is possible to have a set of regular expressions for which we can tokenize a particular string, but for which taking the largest possible match will fail to break the input into tokens. Give an example of a set of regular expressions and an input string such that: a) The string can be broken into substrings, where each substring matches one of the regular expressions, b) and using our usual lexer algorithm, taking the largest match at every step, will fail to break the string in a way in which each piece matches one of the regular expressions. Explain how the string can be tokenized and why taking the largest match won't work in this case. 1. c) Explain the front end of a compiler using the following example:	ef IN	OUT	following lex scanner specification:	
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particular string, but for which taking the largest possible match will fail to break the input into tokens. Give an example of a set of regular expressions and an input string such that: a) The string can be broken into substrings, where each substring matches one of the regular expressions, b) and using our usual lexer algorithm, taking the largest match at every step, will fail to break the string in a way in which each piece matches one of the regular expressions. Explain how the string can be tokenized and why taking the largest match won't work in this case. 1. c) Explain the front end of a compiler using the following example:	c x, y	x,y	whole string, not T_Do.	
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if $(x>10)$ $x = x + 100/x$; 2. a) Consider the following simple context free grammars: $G_1: \qquad G_2: \qquad (3 + 2)$ $S \rightarrow Aa \qquad \qquad S \rightarrow Aa$ $A \rightarrow \varepsilon \qquad \qquad A \rightarrow \varepsilon$ $A \rightarrow bAb \qquad \qquad A \rightarrow Abb$ Note that the grammars generate the same language: strings consisting of even numbers of		57	expressions, b) and using our usual lexer algorithm, taking the largest match at every step, will fail to break the string in a way in which each piece matches one of the regular expressions. Explain how the string can be tokenized and why taking the largest match won't work in this case.	
context free grammars: G_1 : G_2 : $S \to Aa \qquad S \to Aa$ $A \to \varepsilon \qquad A \to \varepsilon$ $A \to bAb \qquad A \to Abb$ Note that the grammars generate the same language: strings consisting of even numbers of	1.	c)		10
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	2.	1		10 (3 + 7)
Note that the grammars generate the same language: strings consisting of even numbers of		347	$S \to Aa$ $A \to \varepsilon$ $S \to Aa$ $A \to \varepsilon$	(3 / 7)
		32	Note that the grammars generate the same language: strings consisting of even numbers of	
a b c d First FOLL				FULLOW

- Calleian	a	Ь	C	d		1	First	FULLOW
1	5	5	10			S	re,w, x,y,z	\$
2	10	10			15	20	21,7,2,€	wxyZ
3	10	10			23	v	w,x,e	y Z
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E	E	C	E	5	(1.	n C.	1 1 nino	

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	12.2	I. Attempt to show a shift-reduce parse of the string bbbba for a parser for grammar G ₁ . Show the contents of the stack, the input, and the actions (i.e., shift, reduce, error, accept). You don't need to create a parse table; just use your knowledge of the grammar and how the parser works. Be sure to indicate any conflicts and explain why they are conflicts.	
		II. Using the definition and properties of various parsers that you studied in Compiler design course, justify whether or not:	
	1	1. G1 is LR(1)?	
		2. G2 is LR(0)?	
	k en	3. G1 is LL(1)?:	
		4. G2 is LL(1)?	
		The first of the second of the control of the contr	
2.	b)	[You get credit only for correct justification not for writing yes or No] Consider the following grammar over the alphabet $\sum = \{ u, v, w, x, y, z \}$	10
2.	(0)		10
		S -> UVW	
		U -> u Wv ε V -> w xU ε	
		V -> W XO ε W -> y z	
		I. Give the first sets and follow sets of each non-terminal in the grammar. II. Is this grammar LL (1)? Justify.	
3.	a)	Consider grammar and rules given below for array address translation and generating 3	10
		address code for array references: • Larray.basename means name of the array	
		Larray.typeofelement means type of the element of the array	
		• L.type. width means width of L.type	
		Assume size of integer to be 4 bytes, and lower bound of the arrays to be 0	
		Let A, B and C be 10 X 5, 5 X 7, and 10 X 7 arrays of integers respectively. Let i, j, and k be	
		integers. Construct an annotated parse tree for the expression	
		C[i][j] + A[i][k] * B[k][j]	
		and show the 3-address code sequence generated for the expression.	ra se sistema
		$E \rightarrow E_1 + E_2 $ {E.addr = newtemp(); gen(E.addr '=' E_1 .addr '+' E_2 .addr);}	
		$E \rightarrow E_1 * E_2 \{E.addr = newtemp(); gen(E.addr '=' E_1.addr '*' E_2.addr);\}$	
		$ id $ {E.addr = id.lexeme; }	
		{E.addr = newtemp(); gen(E.addr '=' L.array.basname '[' L.addr ']'); }	
		$L \rightarrow id \ [E] \ \{L.array = id.lexeme; \ L.type = L.array.typeofelement; \ L.addr=newtemp();$	
		gen(L.addr '=' E.addr '*' L.type.width);}	
		$[L_1 \ [E]] \ [L.array = L_1.array; \ L.type = L_1.type.typeofelement;$	
		t = newtemp(); L.addr = newtemp();	
		gen(t '=' E.addr '*' L.type.width);	

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3.	b)	Provide an implementation of SDT schen below for reference) during LR parsing. I show parser stack when necessary. Con	For full credit, pro	ovide proper explanation and	10
	r = = = i	D -> TL T -> int L -> L, i	float		
	1	(Note: Provide the general structure of pa	rser stack used dur	ing LR parsing.)	
4.	a)	What are the different ways in which a pr stack? Explain each technique using a sim		non-local data on a run time	5
4.	b)	Generate Target Code for the following pr	rocedure call assum	ning static allocation.	5
		Code	is kept at address	Activation record is kept at address	
		main 100	The government of the	600	
		p 400		800	n file of
		n=6 i=0 L1:if i>=6 goto L2 i=i+1 goto L1 L2:call p halt	i = 60 return		
4.	c)	Generate 3-address code for the following int prime(int n) { int n, i, flag = 0; for(i=2; i<=n/2; ++i) { if(n%i==0){ flag=1; break; } if (flag==0) return 0; else return 1; }	program and conve	ert it into a CFG.	10
5.	a)	What are the issues in the design of a code	generator?		5
5.	b)	Optimize the code below by applying the for propagation, constant folding, copy-propagation.			5

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		The second second second second	Called Same	Charles when I is					
		make the last special control of		= t1 + 1	Land of				
		d - Ada - Cas - I	t2						
				= t1 * 8					
				= t3 + t					
				= t4 * 4					
				= *t5					
	-			= FP + t	3				
		Land Colonia		= t2					
				= t1					
		and retreated much by a	1.1 · ~ ~ +	(t8 > 0)	goto I	L			6 - 4
			L1: goto L2: t1 =						
	-								
	14. J			= 16 $=$ t1 $*$	2				12 1
	18	Pitol of Equipmental Language	goto		_				
		and the same of th	gott) TIT					L. dr
5.		Perform Live variable analy	vsis on the foll	owing CEC	Provide	VOUR angu	or in the t	abla format	
٥.	c)	as given below next to the C	CFG.	owing Ci O	. I Tovide	your answ	or in the t	aoie ioiiial	5
		+	or G.						-
	ė i	B1 1:17					·····		
		1		B1	use .	def	IN	OUT	
		B2 (X=read(1)		B2					
			المتناث والزو	B3				- Annual Control of the Control of t	
		В3	K=elen(x)	B4					
			K-26104(49	B5					
		B4 72=X+y						a special second	
		Bs y=x+1							
		35 251							
		Y		Allene de la					
		Note: clean(x) is some fu	inction perfor	med on the	e value of	Х.			
		Construct DAC for the fello	vvina Dlask am	di		No.			
)	d)	Construct DAG for the follow							5
	۵)	1.	41	- 1 * T			and the same of the same of		
	-	1.		= 4 * I					
		2.	t2 :=	A-4					
		2. 3.	t2 := t3 :=	A – 4 t2 [t1]					
		2. 3. 4.	t2 := t3 := t4 :=	A – 4 t2 [t1] 4 * I					
		2. 3. 4. 5.	t2 := t3 := t4 := t5 : =	A – 4 t2 [t1] 4 * I = B – 4					
		2. 3. 4. 5.	t2 := t3 := t4 := t5 : = t6 : =	A - 4 t2 [t1] 4 * I = B - 4 = t5 [t4]					
		2. 3. 4. 5. 6. 7.	t2 := t3 := t4 := t5 := t6 := t7 :=	A - 4 t2 [t1] 4 * I = B - 4 = t5 [t4] = t3 * t6					
		2. 3. 4. 5.	t2 := t3 := t4 := t5 := t6 := t7 :=	A - 4 t2 [t1] 4 * I = B - 4 = t5 [t4]					
		2. 3. 4. 5. 6. 7.	t2 := t3 := t4 := t5 : = t6 : = t7 : = t8 : =	A - 4 t2 [t1] 4 * I = B - 4 = t5 [t4] = t3 * t6					
		2. 3. 4. 5. 6. 7.	t2 := t3 := t4 := t5 : = t6 : = t7 : = t8 : = PRO	A - 4 t2 [t1] 4 * I = B - 4 = t5 [t4] = t3 * t6 = PROD + t D : = t8					
		2. 3. 4. 5. 6. 7. 8. 9.	t2 := t3 := t4 := t5 : = t6 : = t7 : = t8 : = PROI	A - 4 t2 [t1] 4 * I = B - 4 = t5 [t4] = t3 * t6 = PROD + t D : = t8 = I + 1					