

Neutrino Chirality from Swirl–Clock Geometry: A First-Principles Derivation in Swirl–String Theory (SST)

Omar Iskandarani^{*}

December 5, 2025

Abstract

Neutrinos appear exclusively left-handed in low-energy interactions. In the Standard Model this is imposed by construction through the $SU(2)_L$ chiral gauge structure. In this paper we derive an alternative, purely geometric origin for neutrino chirality based on the swirl–clock structure of Swirl–String Theory (SST). A universal timelike field u^μ , encoding the global foliation induced by swirl dynamics, couples axially to fermions. The coupling strength is determined by the canonical swirl-force scale F_{swirl}^{\max} , which itself arises from harmonic motion at the Compton frequency over the classical radius. Integrating out the right-chiral neutrino generates a low-energy effective theory with a single propagating chiral state—recovering the observed left-handed neutrino sector. Hydrogen’s $3\times$ swirl-charge structure aligns with this preferred orientation, establishing a unified microscopic origin for matter chirality and the electroweak asymmetry. We extract experimental predictions and falsifiable signatures.

^{*} Independent Researcher, Groningen, The Netherlands

Email: info@omariskandarani.com

ORCID: 0009-0006-1686-3961

DOI: [10.5281/zenodo.xxx](https://doi.org/10.5281/zenodo.xxx)

1 Introduction

The persistent left-handedness of neutrinos is among the strongest observed violations of parity in nature. In the Standard Model, this phenomenon is implemented artificially: only left-chiral fermions transform under $SU(2)_L$, and right-chiral neutrinos are absent.

Swirl–String Theory (SST), a hydrodynamic reinterpretation of particle physics where matter corresponds to knotted swirl strings embedded in a preferred foliation, provides an alternative pathway. SST postulates a global swirl–clock field u^μ defining a timelike direction associated with the background swirl density. This structure breaks local Lorentz symmetry spontaneously, and allows new axial couplings to fermionic currents.

This paper derives how such couplings naturally select a single neutrino chirality, linking the phenomenon to a universal oscillator scale derived from the electron.

2 The Swirl–Clock Field and Preferred Foliation

SST introduces a unit timelike vector field

$$u^\mu u_\mu = -1, \quad (1)$$

representing the direction of “vertical swirl” in the fluid foliation. Matter excitations with swirl–clock orientation aligned with u^μ are energetically favored; those anti-aligned are suppressed.

Hydrogen’s swirl-charge is

$$Q_{\text{swirl}}(H) = +3, \quad (2)$$

reflecting the three swirl strings (proton constituents + electron) aligned along u^μ .

We now show that the neutrino is the *minimal* swirl-charged excitation obeying the same alignment rule, with chirality emerging dynamically.

3 Axial Coupling of Neutrinos to the Swirl–Clock Field

Consider a Dirac neutrino field ν . The most general leading-order coupling consistent with gauge invariance is an axial-current interaction:

$$\mathcal{L}_{\text{int}} = \frac{\lambda}{M_*} u_\mu \bar{\nu} \gamma^\mu \gamma^5 \nu. \quad (3)$$

Write the chiral components

$$\nu_{L,R} = \frac{1 \mp \gamma^5}{2} \nu. \quad (4)$$

In the rest frame of the foliation, $u^\mu \simeq (1, 0, 0, 0)$, so

$$\mathcal{L}_{\text{int}} = \frac{\lambda}{M_*} \left(\nu_L^\dagger \nu_L - \nu_R^\dagger \nu_R \right). \quad (5)$$

Thus the two chiralities experience opposite “chemical potentials”:

$$\mu_5 = \frac{\lambda}{M_*}. \quad (6)$$

Low-energy dispersion relations become

$$E_{L,R}(\mathbf{p}) = |\mathbf{p}| \mp \mu_5. \quad (7)$$

If $\mu_5 > 0$, the right-chiral branch becomes energetically heavy and can be integrated out. The neutrino then appears *purely left-handed*.

To complete the mechanism, we must identify the scale M_* from SST first principles.

4 Swirl-Force Scale from Harmonic Motion of the Electron

Define the swirl-force scale using harmonic motion at the Compton frequency and the classical electron radius:

$$F_{\text{swirl}}^{\max} = m_e \left(\frac{\omega_C}{\alpha} \right)^2 r_e. \quad (8)$$

Here

$$\omega_C = \frac{m_e c^2}{\hbar}, \quad r_e = \frac{e^2}{4\pi\epsilon_0 m_e c^2}.$$

Using the SST core radius r_c , define the swirl energy scale

$$E_{\text{swirl}} \equiv F_{\text{swirl}}^{\max} r_c. \quad (9)$$

Substituting Eq. (8) and canonical values,

$$E_{\text{swirl}} \approx 2.555 \times 10^5 \text{ eV} = \frac{1}{2} m_e c^2. \quad (10)$$

Thus

$$M_* = \frac{E_{\text{swirl}}}{c^2} = \frac{1}{2} m_e. \quad (11)$$

Inserting this into the axial coupling:

$$\mathcal{L}_{\text{int}} = \frac{2\lambda}{m_e} u_\mu \bar{\nu} \gamma^\mu \gamma^5 \nu. \quad (12)$$

This shows that the neutrino's chiral asymmetry is anchored directly to the electron's Compton/Bohr structure.

5 Hydrogen Alignment and the Swirl Selection Rule

Hydrogen carries swirl-charge +3:

$$Q_{\text{swirl}}(H) = 3.$$

The neutrino carries

$$Q_{\text{swirl}}(\nu) = 1,$$

with orientation fixed by the sign of λ in Eq. (12).

Thus both hydrogen and the neutrino align with the same swirl-clock direction. The electroweak chiral asymmetry is therefore a consequence of a universal swirl selection rule:

$$\text{Preferred chirality} \iff \text{alignment with } u^\mu.$$

This reproduces the observed left-handed neutrino sector.

6 Predictions and Falsifiable Signatures

1. **Right-handed neutrino suppression.** The right-chiral branch is suppressed by $\mu_5 \propto \lambda/m_e$. Experiments searching for sterile right-handed neutrinos should observe an effective high mass gap.
2. **Directional modulation.** If u^μ has cosmological variation, ultra-high-energy neutrinos may show directional asymmetries.
3. **Chiral amplification in gravitational wells.** The effective μ_5 increases in regions where swirl density or foliation gradients increase (e.g., near neutron stars).

4. **Hydrogen-dependent chirality lock-in.** Systems with coherent hydrogen swirl-charge (dense hydrogen phases, metallic hydrides) may exhibit enhanced parity-violating optical activity.

These are specific to SST and distinguish it from Standard Model neutrino physics.

7 Conclusion

We have shown that neutrino chirality emerges naturally in SST from an axial coupling to the swirl-clock field, with coupling strength determined purely by the fundamental swirl-force scale. This scale, in turn, is set by electron harmonic motion at the Compton frequency and connects directly to hydrogen's ground-state energetics.

The result is a parsimonious explanation of the neutrino's left-handedness, not as an imposed gauge asymmetry but as a dynamical consequence of the swirl-geometry underlying spacetime and matter.

References

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