#### **ASSIGNMENT 1 MACHINE LEARNING**

## **SYABAB ALHAQQI BIN JAAFAR 2211117**

#### Q1 housing

**A)** Parameters selected is: ['longitude', 'latitude', 'housing\_median\_age', 'total\_rooms', 'total\_bedrooms', 'population', 'households', 'median\_income']. These are all the important parameters to ensure accurate data prediction.

```
Coding:
import pandas as pd
import numpy as np
import seaborn as sns
import matplotlib.pyplot as plt
from sklearn.model_selection import train_test_split
from sklearn.preprocessing import StandardScaler, PolynomialFeatures
from sklearn.linear_model import LinearRegression
from sklearn.svm import SVR
from sklearn.metrics import mean_squared_error, r2_score
# Load Dataset
df = pd.read csv("housing.csv")
# Data Preparation
# Handle missing values
df['total_bedrooms'].fillna(df['total_bedrooms'].median(), inplace=True)
# One-Hot Encoding for categorical variable
df = pd.get_dummies(df, columns=['ocean_proximity'], drop_first=True)
# Feature Scaling
scaler = StandardScaler()
numerical_features = ['longitude', 'latitude', 'housing_median_age', 'total_rooms',
```

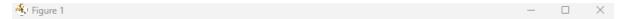
'total\_bedrooms', 'population', 'households', 'median\_income']

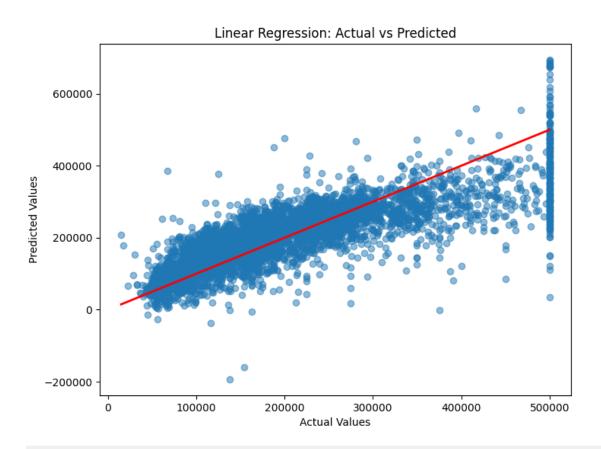
```
df[numerical_features] = scaler.fit_transform(df[numerical_features])
# Define Features and Target
X = df.drop(columns=['median_house_value'])
y = df['median_house_value']
# Train-test split
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)
# --- Multiple Linear Regression ---
lr_model = LinearRegression()
lr_model.fit(X_train, y_train)
y_lr_pred = lr_model.predict(X_test)
lr_mse = mean_squared_error(y_test, y_lr_pred)
lr_r2 = r2_score(y_test, y_lr_pred)
# --- Polynomial Regression (Degree 2) ---
poly = PolynomialFeatures(degree=2)
X_train_poly = poly.fit_transform(X_train)
X_test_poly = poly.transform(X_test)
poly_model = LinearRegression()
poly_model.fit(X_train_poly, y_train)
y_poly_pred = poly_model.predict(X_test_poly)
poly_mse = mean_squared_error(y_test, y_poly_pred)
poly_r2 = r2_score(y_test, y_poly_pred)
# --- Support Vector Regression (SVR) ---
scaler_y = StandardScaler()
y_train_scaled = scaler_y.fit_transform(y_train.values.reshape(-1, 1)).ravel()
y_test_scaled = scaler_y.transform(y_test.values.reshape(-1, 1)).ravel()
```

```
svr_model = SVR(kernel='rbf', C=100, gamma=0.1, epsilon=0.1)
svr_model.fit(X_train, y_train_scaled)
y_svr_pred_scaled = svr_model.predict(X_test)
y_svr_pred = scaler_y.inverse_transform(y_svr_pred_scaled.reshape(-1, 1)).ravel()
svr_mse = mean_squared_error(y_test, y_svr_pred)
svr_r2 = r2_score(y_test, y_svr_pred)
# Display results
results = pd.DataFrame({
  "Model": ["Linear Regression", "Polynomial Regression (Degree 2)", "Support Vector
Regression"],
  "MSE": [lr_mse, poly_mse, svr_mse],
  "R<sup>2</sup> Score": [lr_r2, poly_r2, svr_r2]
})
print(results)
# --- Plot Predictions vs Actual Values ---
def plot_results(y_test, y_pred, title):
  plt.figure(figsize=(8, 6))
  plt.scatter(y_test, y_pred, alpha=0.5)
  plt.plot([y_test.min(), y_test.max()], [y_test.min(), y_test.max()], 'r', linewidth=2)
  plt.xlabel('Actual Values')
  plt.ylabel('Predicted Values')
  plt.title(title)
  plt.show()
plot_results(y_test, y_lr_pred, "Linear Regression: Actual vs Predicted")
plot_results(y_test, y_poly_pred, "Polynomial Regression: Actual vs Predicted")
plot_results(y_test, y_svr_pred, "SVR: Actual vs Predicted")
```

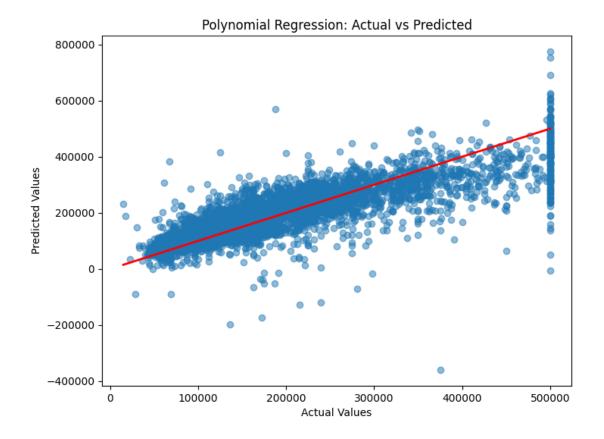
# **F)** The best model is SVR as it has the highest R<sup>2</sup> score and the lowest MAE/MSE.

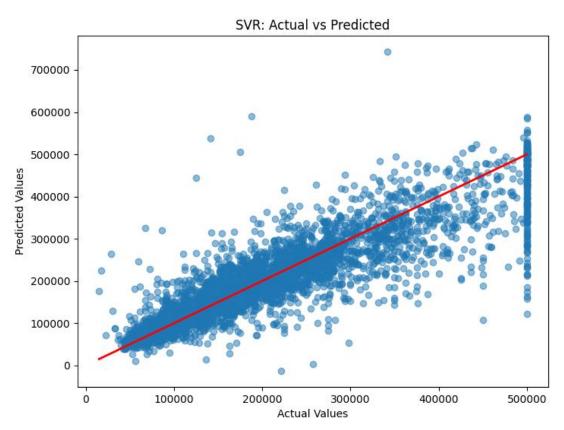
	Model	MSE	R <sup>2</sup> Score
0	Linear Regression	4.908477e+09	0.625424
1	Polynomial Regression (Degree 2)	4.509304e+09	0.655886
2	Support Vector Regression	3.077935e+09	0.765116











### Q2 solar-based energy

```
A) Parameters selected is: ["shortwave_radiation_backwards_sfc",
"total_cloud_cover_sfc", "high_cloud_cover_high_cld_lay",
"medium_cloud_cover_mid_cld_lay", "low_cloud_cover_low_cld_lay",
"temperature_2_m_above_gnd", "relative_humidity_2_m_above_gnd",
"mean_sea_level_pressure_MSL", "total_precipitation_sfc", "snowfall_amount_sfc",
"wind_speed_10_m_above_gnd", "wind_speed_80_m_above_gnd",
"wind_speed_900_mb", "wind_direction_10_m_above_gnd",
"wind_direction_80_m_above_gnd", "wind_direction_900_mb", "angle_of_incidence",
"zenith", "azimuth"]. These selected features are physically relevant for PV power
prediction.
Coding:
import pandas as pd
import matplotlib.pyplot as plt
from sklearn.impute import SimpleImputer
from sklearn.preprocessing import MinMaxScaler, PolynomialFeatures
from sklearn.model_selection import train_test_split
from sklearn.linear_model import LinearRegression
from sklearn.svm import SVR
from sklearn.pipeline import make_pipeline
from sklearn.metrics import mean_absolute_error, mean_squared_error, r2_score
# Load the dataset
file_path = "SolarPowerGenerationKaggle_MissingData.xlsx"
df = pd.read_excel(file_path, sheet_name="spg")
# Select relevant features
selected_features = [
 "shortwave_radiation_backwards_sfc", "total_cloud_cover_sfc",
 "high_cloud_cover_high_cld_lay", "medium_cloud_cover_mid_cld_lay",
"low_cloud_cover_low_cld_lay",
 "temperature_2_m_above_gnd", "relative_humidity_2_m_above_gnd",
"mean_sea_level_pressure_MSL",
```

```
"total_precipitation_sfc", "snowfall_amount_sfc", "wind_speed_10_m_above_gnd",
 "wind_speed_80_m_above_gnd", "wind_speed_900_mb",
"wind direction 10 m above gnd",
 "wind_direction_80_m_above_gnd", "wind_direction_900_mb", "angle_of_incidence",
 "zenith", "azimuth"
1
df_selected = df[selected_features + ["generated_power_kw"]]
# Handle missing values with mean imputation
imputer = SimpleImputer(strategy="mean")
df_imputed = pd.DataFrame(imputer.fit_transform(df_selected),
columns=df_selected.columns)
# Scale data using Min-Max Scaling
scaler = MinMaxScaler()
df_scaled = pd.DataFrame(scaler.fit_transform(df_imputed),
columns=df_selected.columns)
# Split data into features (X) and target variable (y)
X = df_scaled.drop(columns=["generated_power_kw"])
y = df_scaled["generated_power_kw"]
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)
# --- Multiple Linear Regression ---
mlr_model = LinearRegression()
mlr_model.fit(X_train, y_train)
y_pred_mlr = mlr_model.predict(X_test)
mae_mlr = mean_absolute_error(y_test, y_pred_mlr)
mse_mlr = mean_squared_error(y_test, y_pred_mlr)
r2_mlr = r2_score(y_test, y_pred_mlr)
```

```
# --- Polynomial Regression (Degree 2) ---
poly_degree = 2
poly_model = make_pipeline(PolynomialFeatures(degree=poly_degree),
LinearRegression())
poly_model.fit(X_train, y_train)
y_pred_poly = poly_model.predict(X_test)
mae_poly = mean_absolute_error(y_test, y_pred_poly)
mse_poly = mean_squared_error(y_test, y_pred_poly)
r2_poly = r2_score(y_test, y_pred_poly)
# --- Support Vector Regression (SVR) ---
svr_model = SVR(kernel='rbf')
svr_model.fit(X_train, y_train)
y_pred_svr = svr_model.predict(X_test)
mae_svr = mean_absolute_error(y_test, y_pred_svr)
mse_svr = mean_squared_error(y_test, y_pred_svr)
r2 svr = r2 score(y test, y pred svr)
# Print model evaluation results
print("Multiple Linear Regression:", f"MAE: {mae_mlr:.4f}, MSE: {mse_mlr:.4f}, R2:
{r2_mlr:.4f}")
print("Polynomial Regression:", f"MAE: {mae_poly:.4f}, MSE: {mse_poly:.4f}, R2:
{r2_poly:.4f}")
print("Support Vector Regression:", f"MAE: {mae_svr:.4f}, MSE: {mse_svr:.4f}, R2:
{r2_svr:.4f}")
# --- Plot Predictions vs Actual Values ---
def plot_results(y_test, y_pred, title):
 plt.figure(figsize=(8, 6))
 plt.scatter(y_test, y_pred, alpha=0.5)
 plt.plot([y_test.min(), y_test.max()], [y_test.min(), y_test.max()], 'r', linewidth=2)
 plt.xlabel('Actual Values')
```

```
plt.ylabel('Predicted Values')
plt.title(title)
plt.show()
```

plot\_results(y\_test, y\_pred\_mlr, "Linear Regression: Actual vs Predicted")
plot\_results(y\_test, y\_pred\_poly, "Polynomial Regression: Actual vs Predicted")
plot\_results(y\_test, y\_pred\_svr, "SVR: Actual vs Predicted")

**F)** The best model is SVR as it has the highest R<sup>2</sup> score and the lowest MAE/MSE.

```
Multiple Linear Regression: MAE: 0.1281, MSE: 0.0276, R2: 0.7177
Polynomial Regression: MAE: 0.1264, MSE: 0.1678, R2: -0.7161
Support Vector Regression: MAE: 0.0997, MSE: 0.0207, R2: 0.7882
```

