

K226007

B SR 4C

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TOA

Q1.

11101 → Accepted

a.  $(0+1)^*$

$$L(0+1)^* \Rightarrow \{0, 1\}^*$$

$$L\{0, 1\}^* = \{\lambda, 0, 1, 01, 11, 1101, \dots\}$$

→ 11101, is a part.

b.  $R = 1^* 0^* 1^*$

$$L(1^* 0^* 1^*) \Rightarrow \underline{\underline{\lambda}}$$

$$\Rightarrow \{\lambda, 1, 0, 10, 11, 101, \dots, 1101, \dots\}$$

~~1101 is a~~

→ R have 11101.

c.  $110^*01$

$$L \Rightarrow L(11) L(0)^* L(01)$$

$$L(0)^* = \{ \lambda, 0, 00, 000, \dots \}$$

$$L(110^*01) = \{ 1101, 11001, 110001, \dots \}$$

$\rightarrow L(110^*01)$  do not have  $11101$ .

d.  $(11)^* 0 (01)^*$

$$L(11)^* = \{ \lambda, 11, 1111, 111111, \dots \}$$

$$L(01)^* = \{ \lambda, 01, 0101, \overbrace{010101}^{010101}, \dots \}$$

$$L((11)^* 0 (01)^*) \Rightarrow$$

$$\{ 0, 110, 001, 11001, 111100101, \dots \}$$

$\rightarrow L((11)^* 0 (01)^*)$  do not have

$11101$



11101

$$(e) \quad (1110)^* 0^* 1^*$$

$$L = L(1110)^* L(0)^* L(1)^*$$

$$L(1110)^* = \{ \lambda, 1110, 11101110, \dots \}$$

$$L(0)^* = \{ \lambda, 0, 00, 000, \dots \}$$

$$L(1)^* = \{ \lambda, 1, 11, 111, \dots \}$$

$$L \{ (1110)^* 0^* 1^* \} \Rightarrow$$

$$\{ \lambda, 1110, 0, 1, 11101, 111001, \dots \}$$

→ The language accept 11101.

$$(f) \quad (11 + 0)^* (00 + 01)^*$$

$$L = \{ (L(11) \cup L(0))^* (L(00) \cup L(01))^* \}$$

$$L((11 + 0)^*) = \{ \lambda, 11, 0, 1111, 00, \dots \}$$

$$L((00 + 01)^*) = \{ \lambda, 00, 01, 0001, 000001, \dots \}$$

$$L((11 + 0)^* (00 + 01)^*) \Rightarrow$$

$$\{ \lambda, 11, 0, 00, 01, 1100, 1101, 000, 001, 1100001, \dots \}$$

→ This language does not accept

11101.

$$R = (0+1)^*$$

$$R = (0)^* 101^*$$

$$R = (010)^* (0)^* 1$$

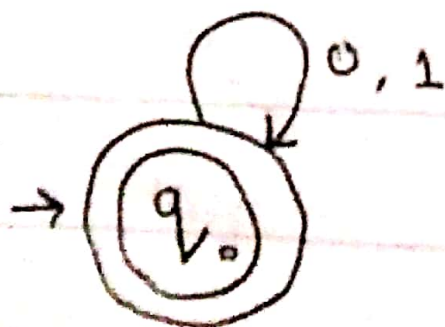
$$R = (010 + 011)^* (00 + 01)$$

$$R = 00(0)^* 01$$

01001 → accept state

$$L = \{0, 1\}^*, R.E = (0+1)^*$$

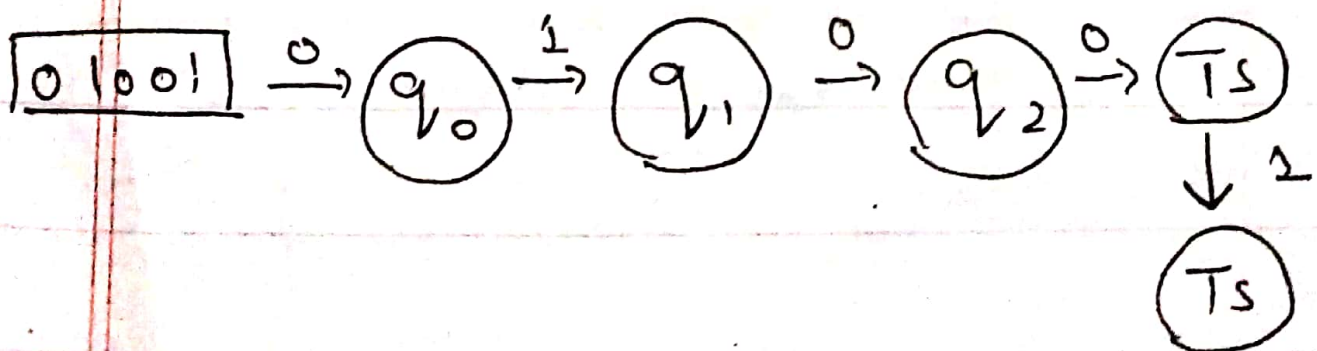
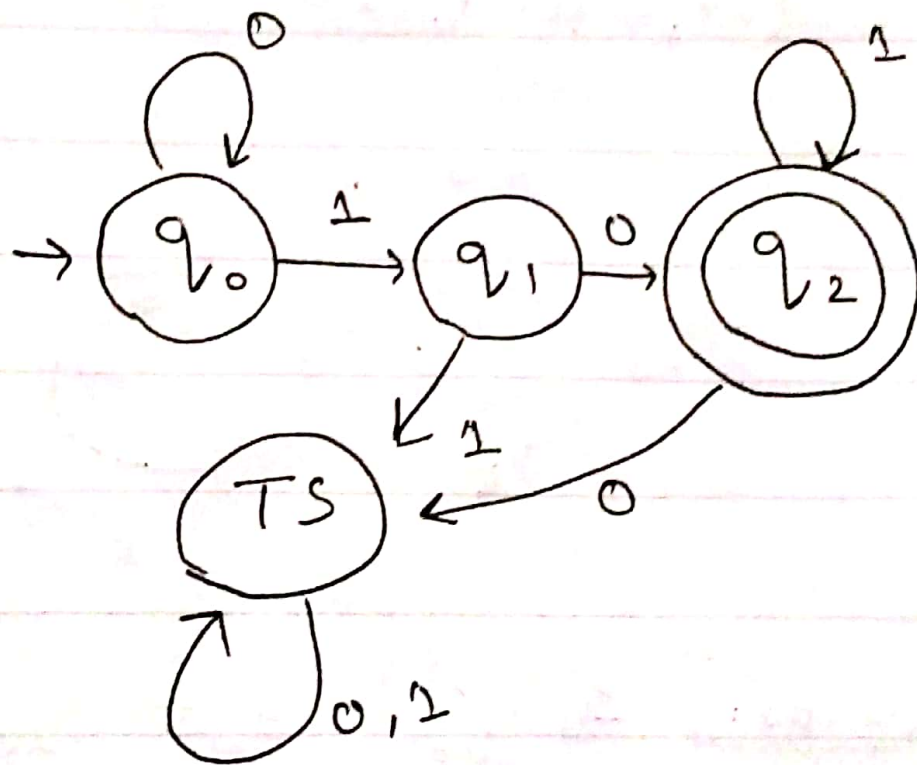
$$L = \{ \lambda, 0, 1, 01, 001, 011, 0011, \dots \}$$



$$0 \rightarrow q_0 \xrightarrow{1} q_0 \xrightarrow{0} q_0 \xrightarrow{0} q_0 \xrightarrow{1} q_0, \text{ accepted}$$



b.  $L = \{0\}^* \{10\} \{1\}^*$ , R.E =  $(0)^* 10 (1)^*$   
 $L = \{ 10, 010, 101, 0101, 001011, \dots \}$

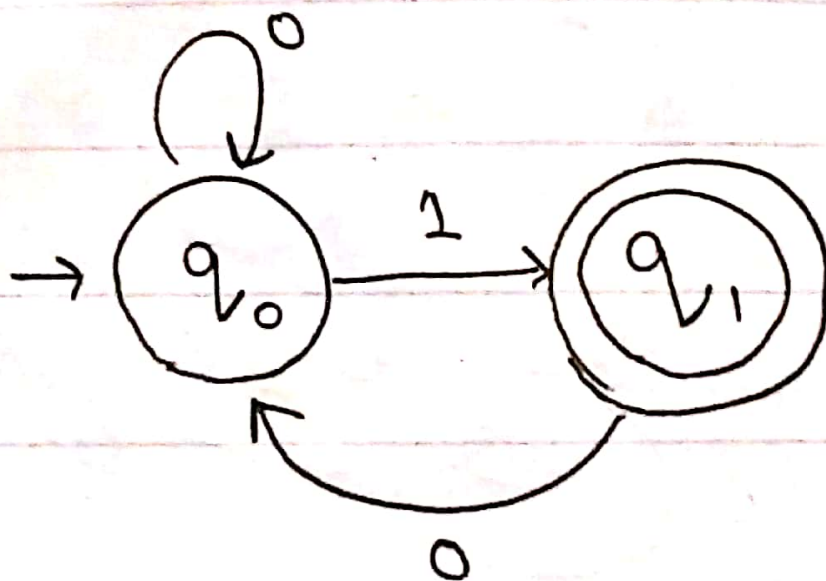


→ Model does not accept 01001

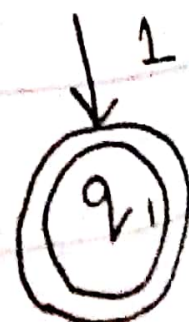
$$L = \{010\}^* \{0\}^* \{1\}$$

$$R.E = (010)^* (0)^* 1$$

$$L = \{1, 0101, 01, 01001, 0100101, \dots\}$$



$$\boxed{01001} \xrightarrow{0} q_0 \xrightarrow{1} q_1 \xrightarrow{0} q_0 \xrightarrow{0} q_0$$

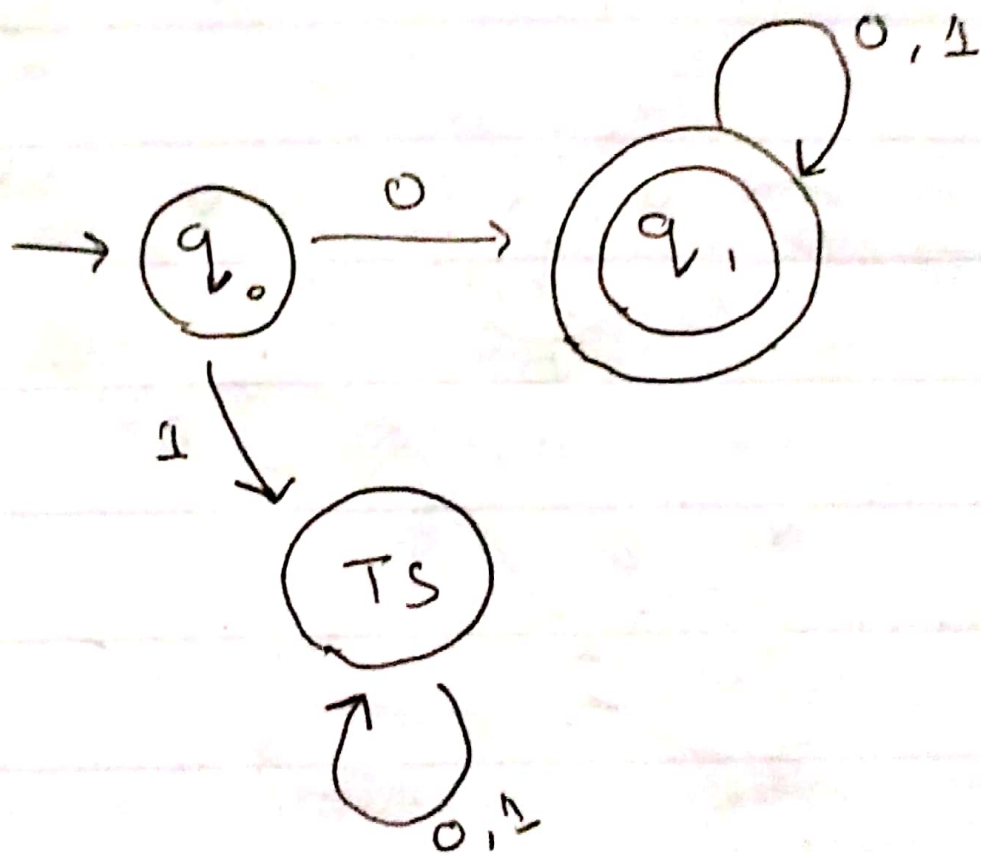


→ Model accept 01001

d.  $L = \{010, 011\}^* \{00, 01\}$

R.E =  $(010 + 011)^* (00 + 01)$

$L = \{00, 01, 01000, 01100, 01001, 01101, \dots\}$



$\boxed{01001} \xrightarrow{0} q_0 \xrightarrow{1} q_1 \xrightarrow{0} q_1 \xrightarrow{0} q_1$

→ Model accept 01001

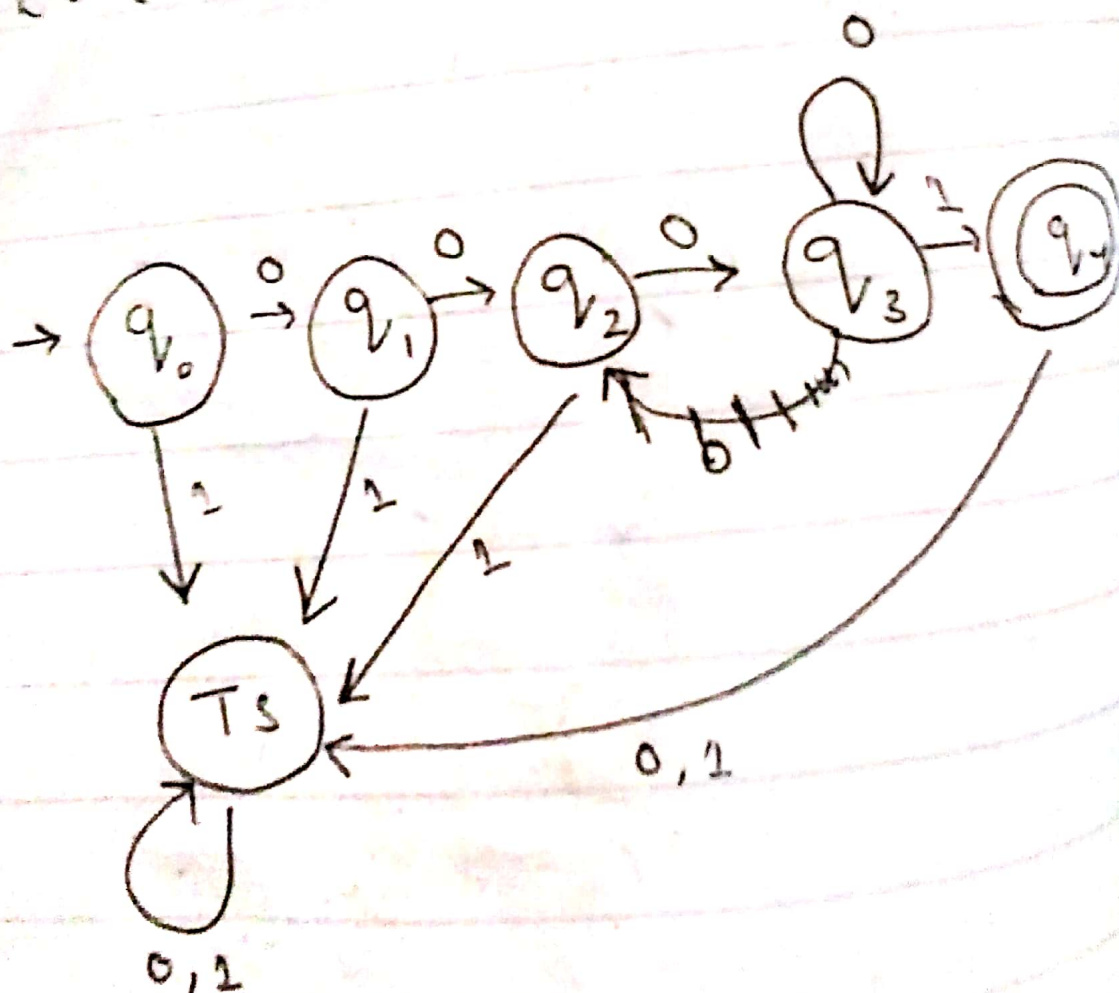




e.  $L = \{00\} \{0\}^* \{01\}$

R.E =  $00(0)^*01$

$L = \{0001, 00001, 000001, \dots\}$



01001  $\xrightarrow{0} q_1 \xrightarrow{1} TS \xrightarrow{0} TS \xrightarrow{0} TS \xrightarrow{1} TS$

→ Model doesn't accept

01001

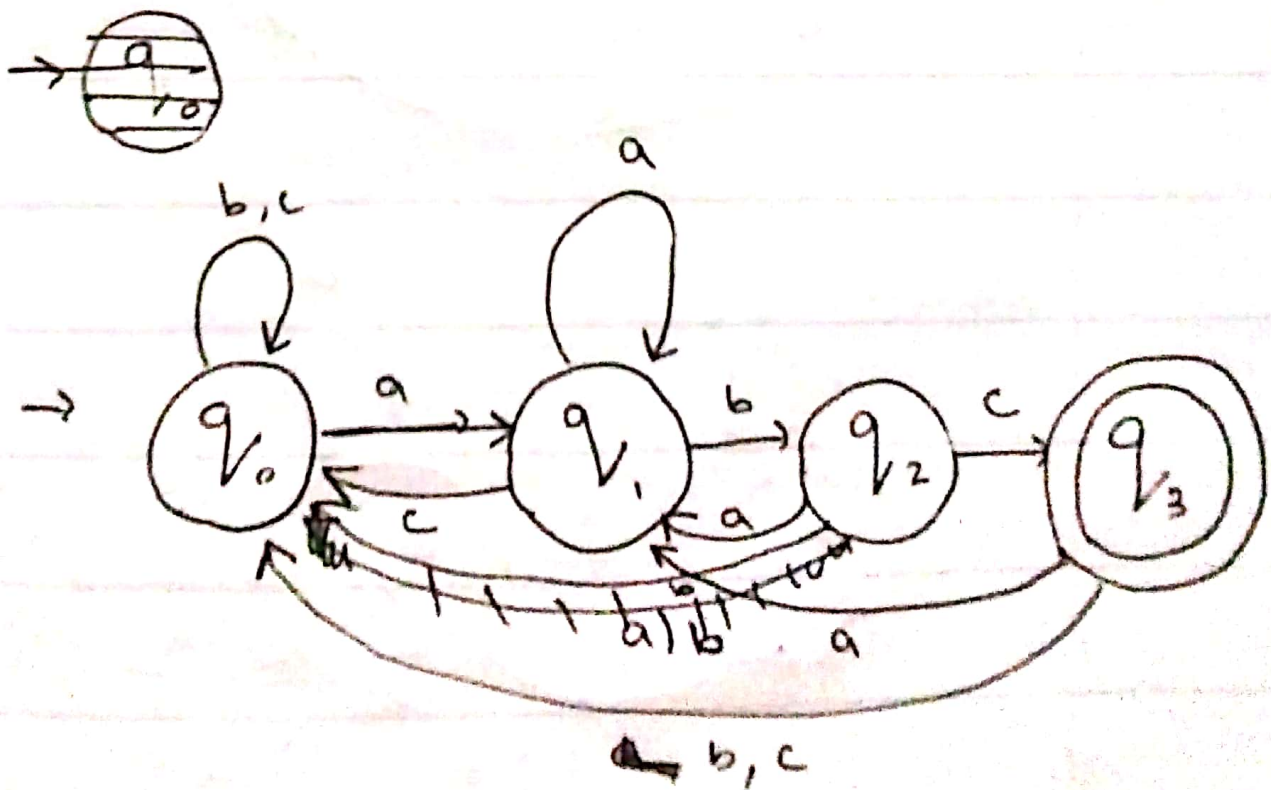
Q4.

$\Sigma = \{a, b, c\}$ , not ending on "abc".

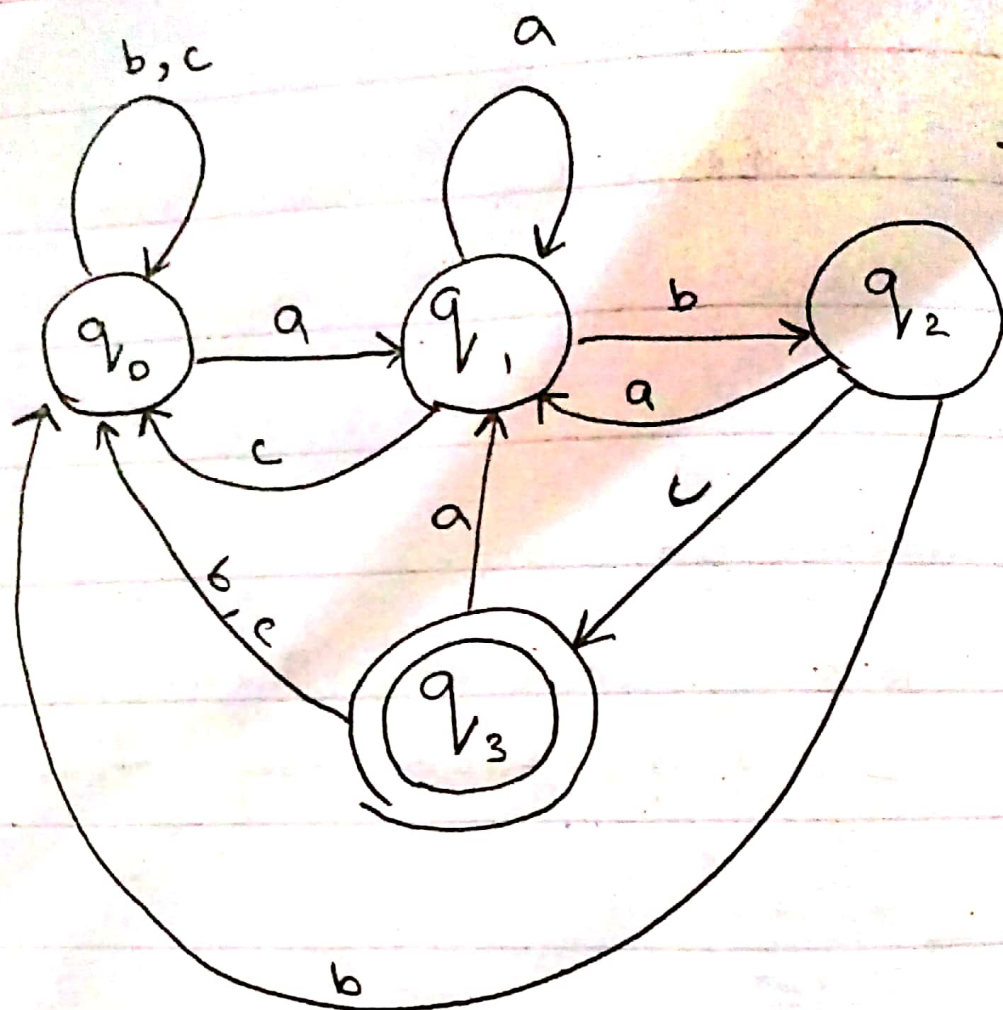
① ending on abc:

$$R.E = (a + b + c)^* (abc)$$

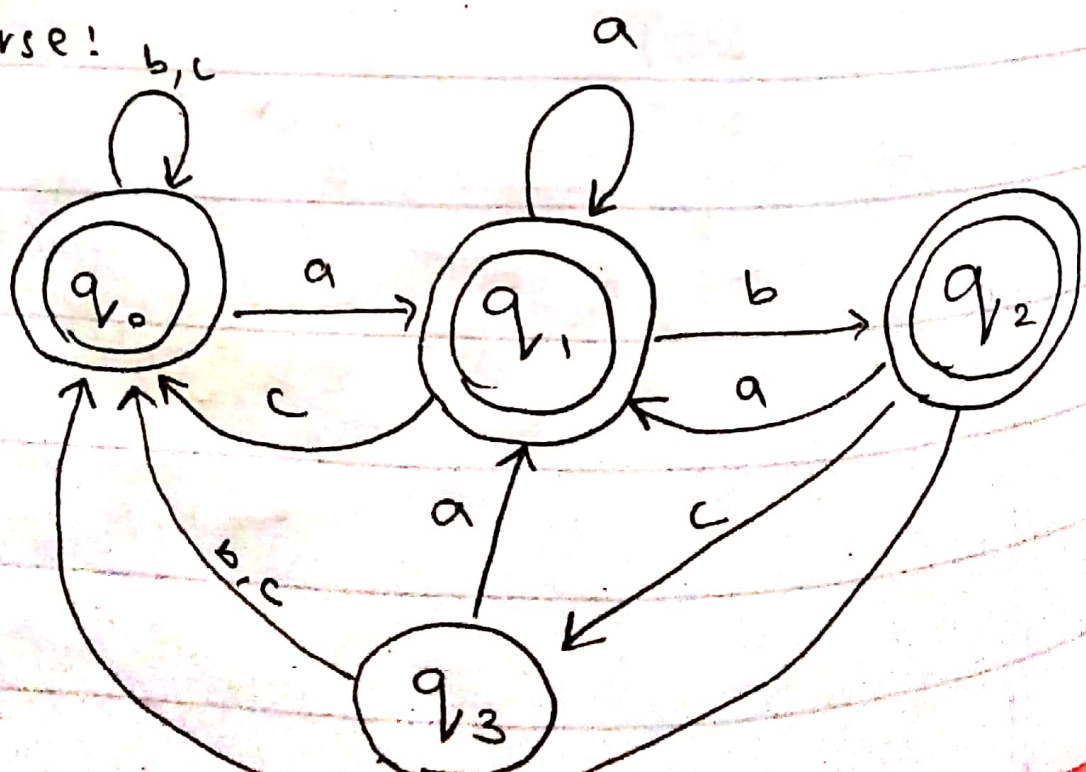
$$L = \{ abc, aabc, \overset{babc}{\cancel{abbc}}, \overset{cabc}{\cancel{abcc}}, \overset{ababc}{\cancel{aabbcc}}, \dots \}$$







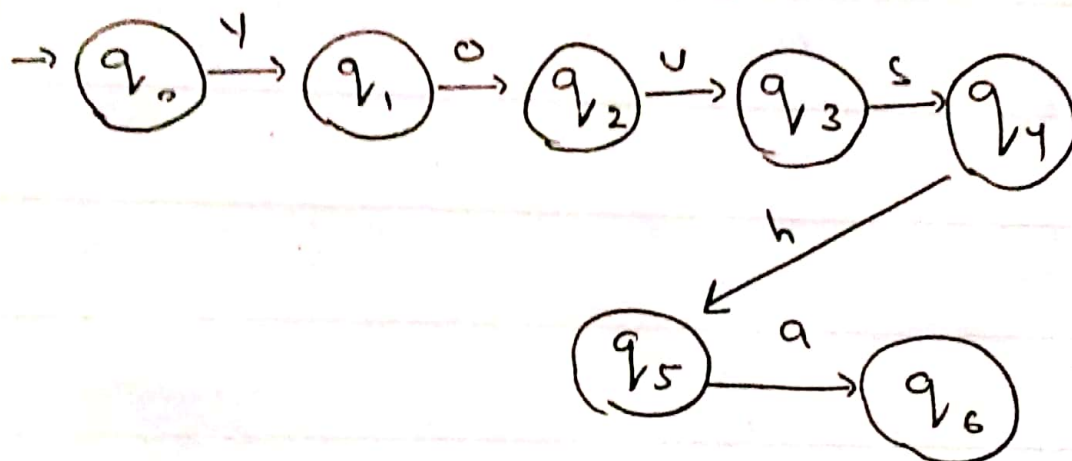
Reverse!



Q5.

NFA:

Yousha



DFA:

