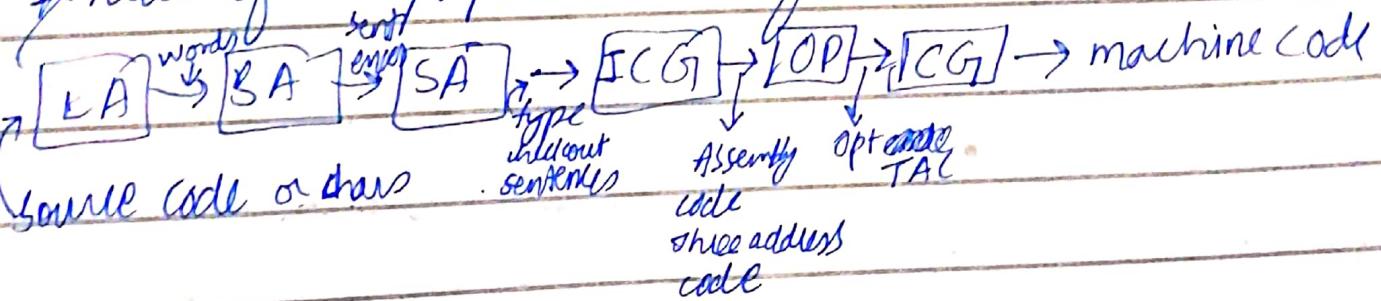


Compiler Construction

- ① Lexical Analysis
- ② Syntax Analysis (Parser)
- ③ Semantic Analysis
- ④ Intermediate code Generation
- ⑤ Optimization
- ⑥ Code Generation or Interpretation / VM

* Parts of a pipeline all of them



```

int x=2; int y;
int foo() { return ++x; }
    
```

```
cin >> y;
```

```
if (y > 10 || foo() > 5)
    cout << x << endl;
```

```
cout << x;
```

short circuit (yes)

y=15	2,2
y=5	③

short circuit (no)

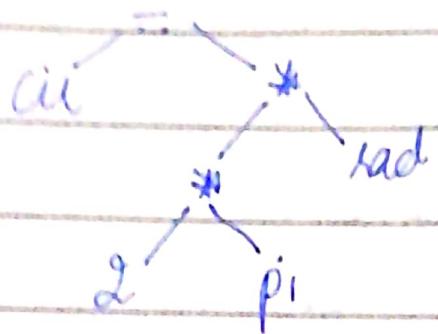
3,3

③

```
int sum = 100;
```

```
(INT, 1), (ID, "sum"), ( '=', x ), (NUM, 100),
(';', x)
```

$$ci = 2 * \pi * rad$$



Syntactic error - (Parser)

- (a) int n sum;
- (b) z:int;
- (c) a = b c + ;

Semantic error (captured by semantic analyzer)

int x = foo(); // return ~~string~~ string

JCG Three Address code

$$\begin{aligned} & c = a + b - c \quad \text{optimizing} \\ & \left\{ \begin{array}{l} t_1 = a + b \\ t_2 = t_1 - c \rightarrow x = t_1 - c \\ x = t_2 \end{array} \right. \end{aligned}$$

Example machine code

0 10 14 18

Symbol Table → Data structure used in every phase of compiler (holds information about identifiers (var names, functions)).

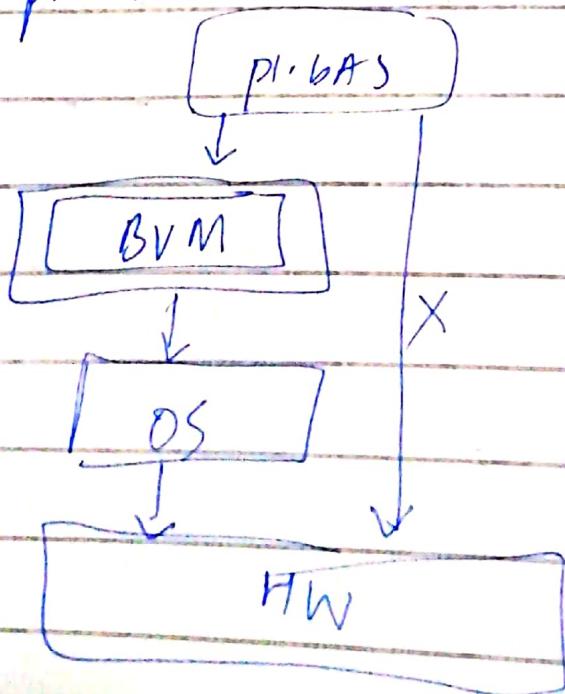
Symbol Table			
Name	Type	Address	
foo	FUN	0	
x	INT	0	Because var in data segment.
y	INT	4	function in code segment
ch	CHAR	8	
sal	DOUBLE	9	

First 2 phases generate this info, then other phases use this information.

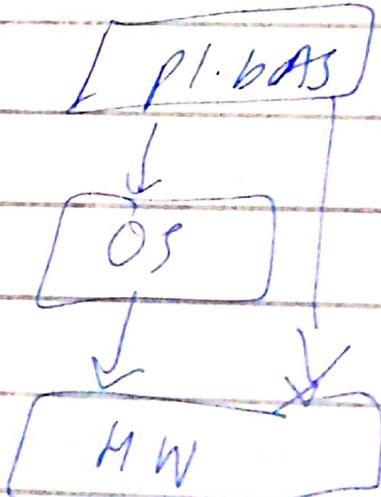
Types of language Processors

- ① Compiler
- ② Interpreter
- ③ Hybrid Systems

Compiled Interpreter
pt. bAS



Compiler



Compiler

- ① FAST execution
- ② source code protection
- ③ No scene here
- ④ less debugging

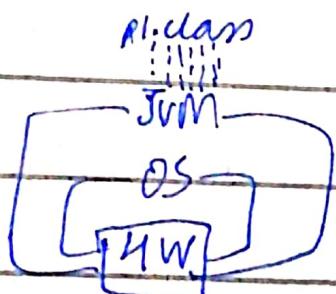
Interpreter

- ① slow execution
- ② no protection here because we need to give source code
- ③ portability (platform independent)
- ④ better debugging

out of array index error → given sometimes by C → compiler used, given everytime by Java → interpreter

Java uses hybrid → compiler + interpreter

pl.java → **javac** → pl.class



```
for (int i=0; i < arr.length; i++) {  
    if (special(arr[i])) {
```

```

for(token = strtok(NULL, " ")){
    while(token != NULL){
        for(int i=0; i<token.length(); i++){
            if(special(token[i])){
                cout << "h";
            }
            cout << token[i];
        }
        cout << endl;
    }
}

```

3/while end

token = strtok(NULL, " ");

func
special = returns true if character is +,-,/,*,;,%,%

Regular Expression (Lex)

- ① If $r \in E$ then " r " is RE
- ② If " r " and " s " are RE then so are

(a) $a+s$, (b) rS (c) (r) (d) r^*

815
 \rightarrow All possible strings over a and b
 $(a+b)^* = [\lambda, a, b, aa, ab, ba, bb, \dots]$

[Lexicographic ordering:-

Dictionary ordering Exactly 1 a

$(a+ab^*+ba^*)^*$ b^*ab^*

Exactly three a's

~~aaa~~ $bab^*ab^*ab^*$

At least 2 a's

(3) At most three a's

$$(b^* a b^* + b^* a b^* a b^* + b^* a b^* a b^* a b^* + b^*)$$

or $b^* (a + \lambda) b^* (a + \lambda) b^* (a + \lambda) b^*$

(4) Third digit is 1 from left

$$(0+1)^* (0+1)^* 1 (0+1)^*$$

(5) Third digit is 1 from right

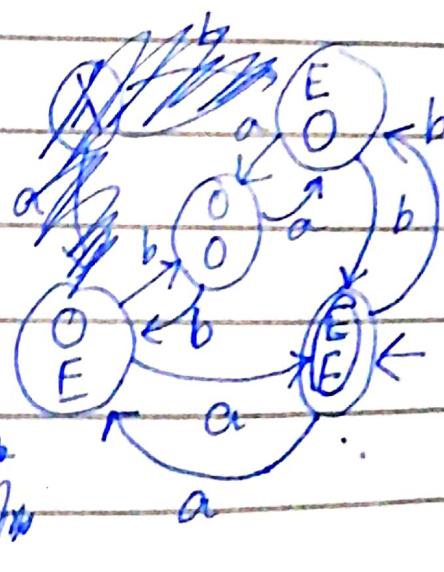
$$(0+1)^* 1 (0+1)(0+1)$$

ab aaba

\times

\times

Even-Even



$$aa + bb + (ab + ba)(aa + bb)^* (ab + ba)$$

Is naming alag alag takah samjh ai

Regular definition: (No recursion here)

(A|B|C|D|---|Z|a|b|c|---|z)*

" " " 10|11|2|3|---|19)*

id → letter (letter | digit)*

letter → A|B|---|Z|a|b|c|---|z

digit → 0|1|2|3|---|19

CFG → recursion allowed but * not allowed

Easy to use interface, details hidden

b)

Regular Exp for numeric constant:-

(-|+|\lambda)(\text{Numeric})^*(\cdot|.)|(\lambda)(\text{Numeric})^*(E|\#|\lambda)(-\ast|\lambda)(\text{Numeric})^*

N → OSdigit⁺|F|OE

OS → \lambda|+|-

digit → 0|1|2|3|---|19

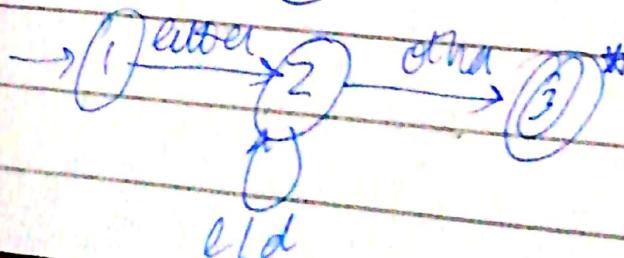
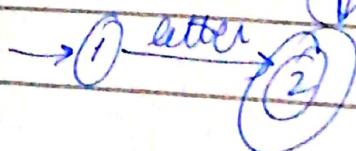
OF → \lambda|.|digit⁺

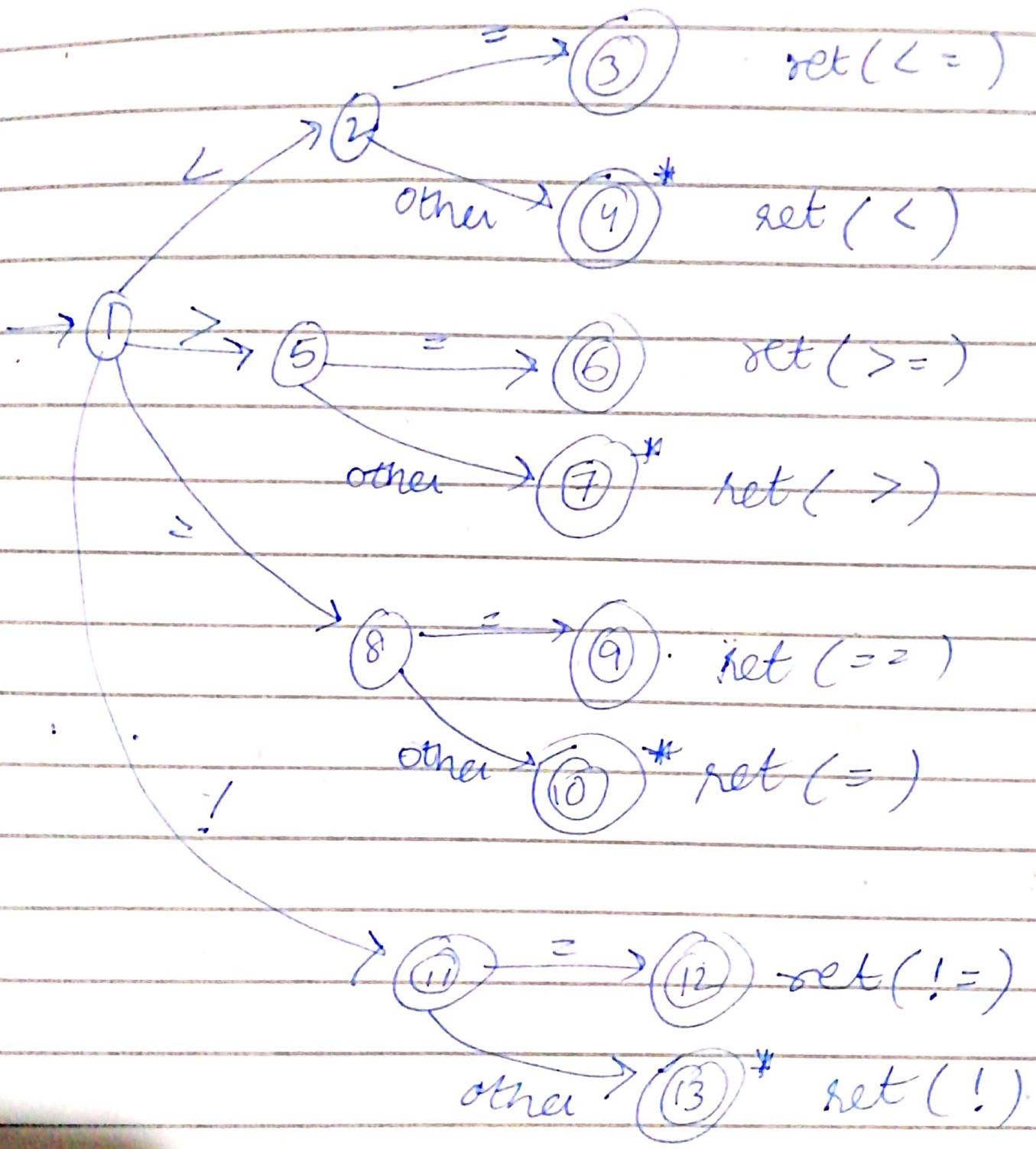
OE → \lambda|E|OSdigit⁺

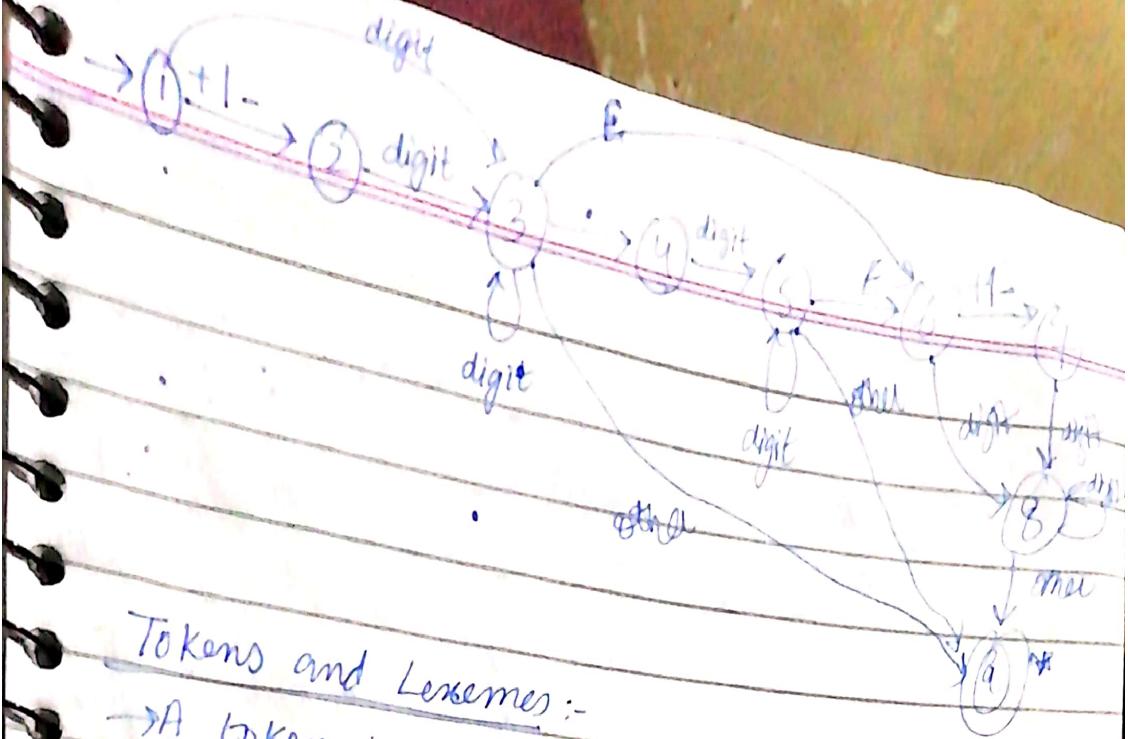
deterministic

DFA → Deterministic finite Automata

letter/digit







Tokens and Lexemes :-

- A token is a meaningful sequence of characters
- A lexeme is a particular instance of a token

```
Int max (int x, int y) {  
    int m;
```

int mij

$(+, \wedge)$ (R_0, G_I) (AND, \wedge)

$f(x \geq y)$ (\neg) \wedge ($R \otimes L T$) (OR, \wedge)

$m=x$ (x', x) (RD, LE) $(!^!, \wedge)$

else

(Y;^) (R, E, Q)

$m=y$ ($\%;$, \wedge) (RO , NE)

return m; (RIGHT)

*) an identifier (ID) can have multiple extremes

$(ID, "x"), (ID, "y"), (ID, "max"), (ID, "m")$

* some tokens have 1 lexeme

$\hookrightarrow (\text{INT}, \wedge), (\text{IF}, \wedge)$

256

enum Names [INT, ID, RO, -----];

* Struct Pair {

int tok; // R0 // ID

int arr[10] {int};

Chad S. Smale

~~parse (INT, A), (ID, "sum"), (S, A), (INT, A), (ID, "a"),
(E, A), (T, A), (S, A), (const, A), (INT, A),
(ID, "N"), (E, A), (INT, A), (ID, "S"), (T, A),
(NUM, A), (FOR, A), (C, A), (INT, A), (NUM, A),
(=, A), (NUM, 0), (i, A), (ID, "i"), (RG, L),
(ID, "N"), (i, A), (INC, A), (ID, "f"), (=, A),
(ID, "S"), (+, A), (ID, "a"), (I, A), (ID, "p"),
(T, A), (i, A), (RET, A), (ID, "S"), (i, A),
(T, A)~~

int sum (int a[], const int N){

int s = 0;

for (int i = 0; i < N; i++) {

s = s + a[i];

return s;

}

$$\Sigma = [a, b]$$

① strings having exactly 2 a's

$$S \rightarrow BaBaB$$

$$B \rightarrow Bb | \lambda$$

② at least two a's

$$S \rightarrow R | XX$$

$$[aa + bb + (ab + ba)(aa + bb)^* (ab + ba)]^*$$

$$S \rightarrow Sa | Sb | SABDAB | \lambda$$

$$AB \rightarrow Ab | ba$$

$$D \rightarrow Da | Db | \lambda$$

Questions:-

- 1- Which code needs to generate for incorrect program
- 2- symbolTable would have unique ID's?
- 3- Test.cmm? what is this file
- 4- Strings and comments to print in file?
- 5- $x = x - 1 \Rightarrow$ Now should it be ($f, 1$) and (ASUM,
or (-, 1) and (ARUM, 1))
- 6- Incorrect Program partially give token-lexeme pa
until its correct.

How to Develop Parser?

$$E \rightarrow E + E / E - E / \text{num}$$

① Write CFG

② Rewrite CFG

③ Implementation

④ Ambiguity

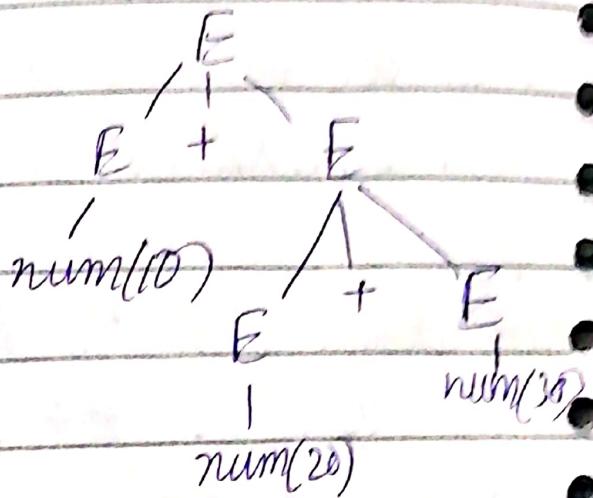
⑤ Associativity

⑥ Procedure

⑦ Left recursion

⑧ Left factoring

$$10 + 20 + 30$$



if CFG is ambiguous, our

parsing algo (top down) E + E

gets confused. Thus

make it unambiguous

$$S \rightarrow S(S)S \mid \text{num}$$

(Ambiguous)

$$S \rightarrow S(S) \mid \text{num}$$

(unambiguous)

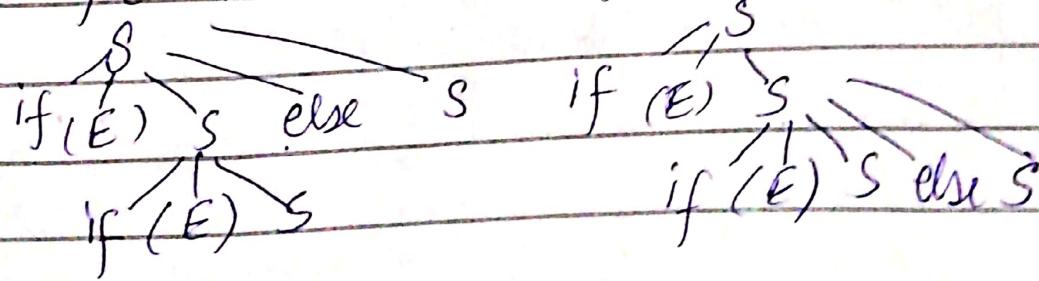
$$S \rightarrow (S)S \mid \text{num}$$

(unambiguous)

$$S \rightarrow SS \mid (S) \mid \text{num}$$

(ambiguous)

$$S \rightarrow \text{if}(E) S \text{ else } S \mid \text{if}(E) S$$



Dangling else problem

~~$S \rightarrow \text{if}(E) \{ S \} \text{ else } S$~~ $\{ \}$ $\{ \}$ $\{ \}$ $\{ \}$ $\{ \}$ $\{ \}$

~~$S \rightarrow \text{if}(E) S R$~~ $\{ \}$ $\{ \}$ $\{ \}$ $\{ \}$ $\{ \}$ $\{ \}$

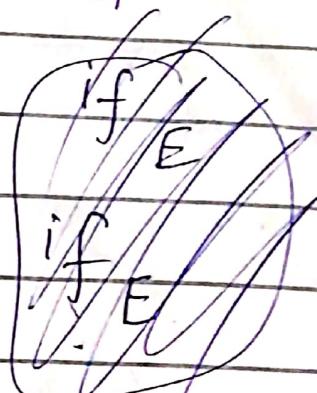
~~$R \rightarrow a \mid \text{else } S$~~

~~if~~

~~is~~ ~~if~~ ~~E~~ ~~then~~ ~~{ S }~~ ~~else~~ ~~S~~

$S \rightarrow \text{if}(E) [S] R$

$R \rightarrow a \mid \text{else}[S]$



Operator Associativity:-

$x = a + b + c ; \leftarrow$ left assoc (addition)

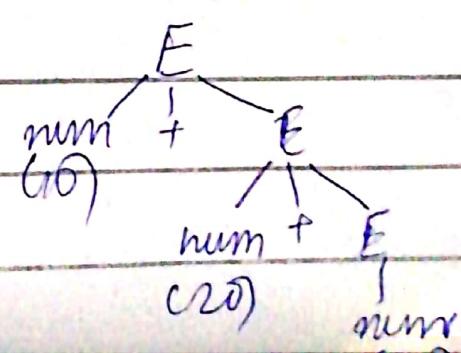
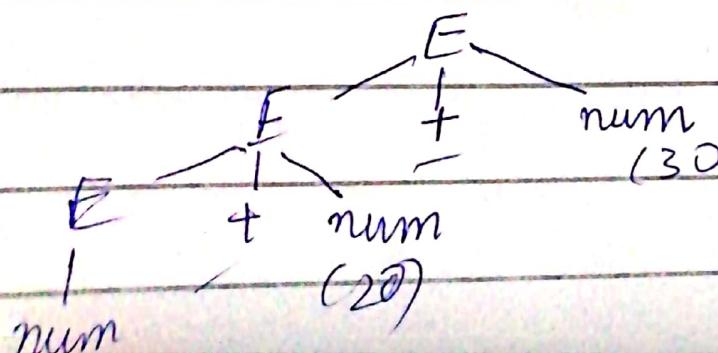
$u = v = w ; \leftarrow$ right assoc (assignment)

$y = e^a f^b u \leftarrow$ right assoc (exponent) e^u

left recursive \rightarrow associativity left
right recursive \rightarrow as right

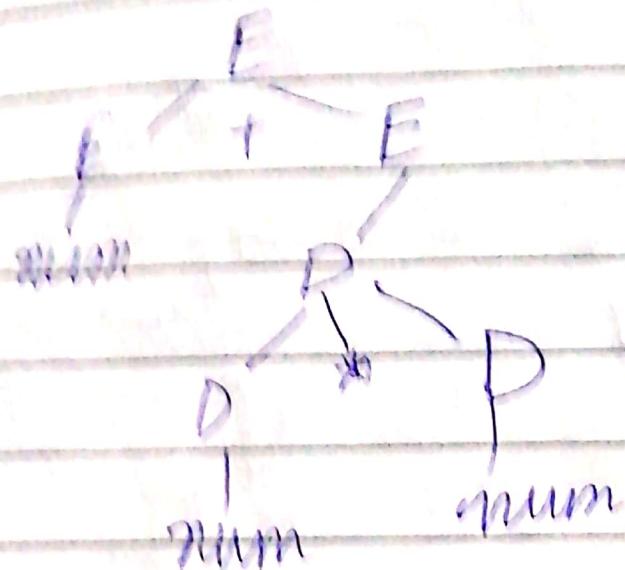
$E \rightarrow E + \text{num} \mid \text{num}$

$E \rightarrow \text{num} + E \mid \text{num}$



~~operator precedence~~
 $E \rightarrow E + E | E * E | E / E | E \text{ num}$

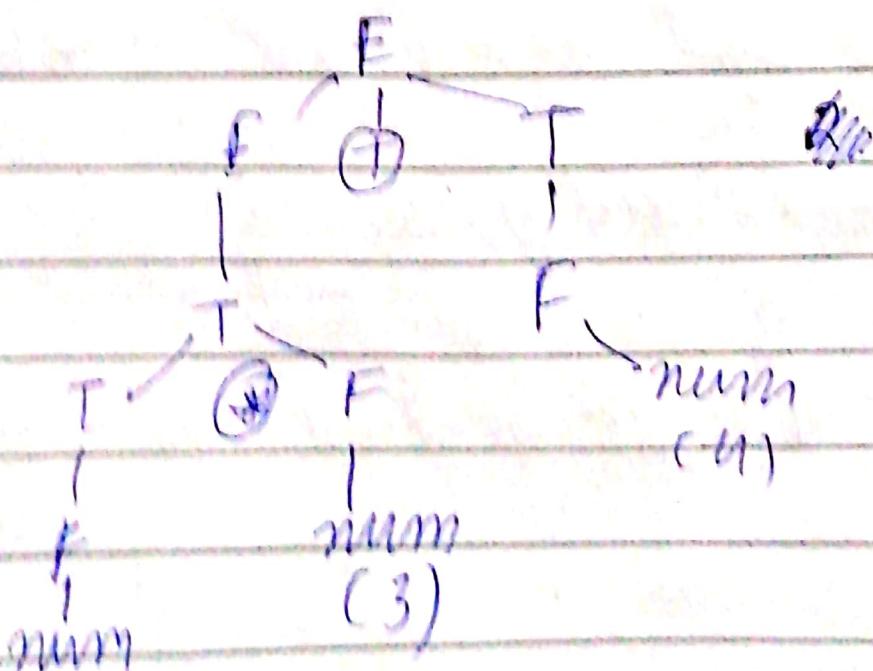
$E \rightarrow E + E | E - E | E \text{ D} | \text{num}$
 $(D \rightarrow D * D) D / D | \text{num}$



$E \rightarrow E + T | E - T | T$

$T \rightarrow T * F | T / F | F$

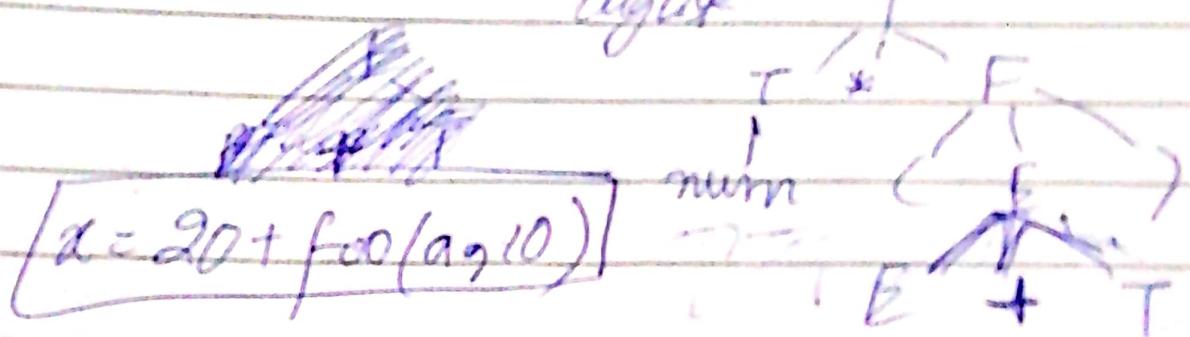
$F \rightarrow \text{num}$



(left associativity)

$$E \rightarrow E + T \quad T \rightarrow T * F \quad F \rightarrow \text{num} \mid (E) \mid \text{id} \mid \text{id}(x), E$$

$$T \rightarrow T * F \quad F \rightarrow \text{num} \mid (E) \mid \text{id} \mid \text{id}(x), E$$



AL \rightarrow

OAL $\rightarrow \lambda [AL]$

AL $\rightarrow AL, E \mid E$