

8530 - binary. (a) 1000100100100100

(1,3) flip

2 | 8530 → 0

2 | 4265 → 1

2 | 2132 → 0

2 | 1066 → 0

2 | 533 → 0

2 | 266 → 1

2 | 133 → 0

2 | 66 → 1

2 | 33 → 0

2 | 16 → 1

2 | 8 → 0

2 | 4 → 0

2 | 2 → 0

2 | 1 → 0

1000010101000

6) 1 0 1 0 1 0 1 1 0 1 0 1 0 0 1 0 1 1 1 0

(1,3,5) 1 1 1 1 1 1 1 1 0 1 0 1 0 0 1 0 1 1 1 0

(8,10,12) 1 1 1 1 1 1 1 1 1 1 1 1 1 0 1 0 1 1 1 0

(13,15,17) 1

min no. of moves = 3

Sequence  $\rightarrow$  Root (0)

Right (1)

Left (0)

Right (1)

Right (1)

Right (1)

Has 4 is  $\rightarrow$  even number

5) Binary tree

1  $\rightarrow$  move to right.

0  $\rightarrow$  move to left.

Given, 10111

Root,

right

left

right 13

Root (R)

R

L

R

R

R



$$\begin{array}{rcl}
 4) & 1001 & - 9 \\
 & 1100 & - 12 \\
 & 1110 & - 14 \\
 & 1010 & - 10 \\
 & 0111 & - 7 \\
 & 0101 & - 5 \\
 & 0011 & - 3 \\
 & 1111 & - 15 \\
 & 1101 & - 13 \\
 & 1011 & - 11 \\
 & 0110 & - 6 \\
 & 0100 & - 4 \\
 & 0010 & - 2 \\
 & 0001 & - 1
 \end{array}$$

First divide into two parts and weigh using the digital balance. Keep on doing it till left with the heaviest weight.

$$10) \text{ rem} = (\text{rem} \times 2 + \text{current bit}) \bmod 7.$$

$$\text{First rem} = 0$$

For 1st bit

$$\text{rem} = (0 \times 2 + 1) \bmod 7 = 1.$$

$$2^{\text{nd}} \text{ rem} = (1 \times 2 + 1) \bmod 7 = 3$$

$$3^{\text{rd}} \text{ rem} = (3 \times 2 + 0) \bmod 7 = 6$$

$$4^{\text{th}} \text{ rem} = (6 \times 2 + 1) \bmod 7 = 13 \bmod 7 = 6$$

$$5^{\text{th}} \text{ rem} = (6 \times 2 + 0) \bmod 7 = 12 \bmod 7 = 5$$

$$6^{\text{th}} \text{ rem} = (5 \times 2 + 1) \bmod 7 = 11 \bmod 7 = 4$$

$$7^{\text{th}} \text{ rem} = (4 \times 2 + 0) \bmod 7 = 8 \bmod 7 = 1$$

$$\text{Final rem} = 1$$

$\therefore$  Final rem is not equal to 0 the binary number is not divisible by 7

7) Given  $\rightarrow$   $\begin{matrix} 0 & 1 & 2 & 3 & 4 & 5 & 6 & 7 & 8 & 9 \\ 1 & 0 & 1 & 1 & 0 & 1 & 1 & 1 & 0 & 1 \end{matrix}$  is not

Palindromic because reversed is not equal to original number.

if we flip  $4(0) \neq 0$   $1(208)$   
 $5(1) \neq 0$  we get

a Palindromic  $\rightarrow$   $10111110$

$\rightarrow$   $1100110$

9) Highest XOR values for  $\rightarrow$

$000000 \& 111111$   
 $\rightarrow$  without having more than 3 consecutive  
 is  $\rightarrow 011011, 100110$

$1 \oplus 5 \text{ bits } (1 \oplus 5 \times 0) = \text{max}$   
 $2 \oplus 5 \text{ bits } (1 \oplus 5 \times 1) = \text{max}$   
 $3 \oplus 5 \text{ bits } (0 \oplus 5 \times 0) = \text{max}$   
 $4 \oplus 5 \text{ bits } (1 \oplus 5 \times 1) = \text{max}$   
 $5 \oplus 5 \text{ bits } (0 \oplus 5 \times 0) = \text{max}$   
 $6 \oplus 5 \text{ bits } (1 \oplus 5 \times 1) = \text{max}$   
 $7 \oplus 5 \text{ bits } (0 \oplus 5 \times 0) = \text{max}$   
 $8 \oplus 5 \text{ bits } (1 \oplus 5 \times 1) = \text{max}$   
 $9 \oplus 5 \text{ bits } (0 \oplus 5 \times 0) = \text{max}$