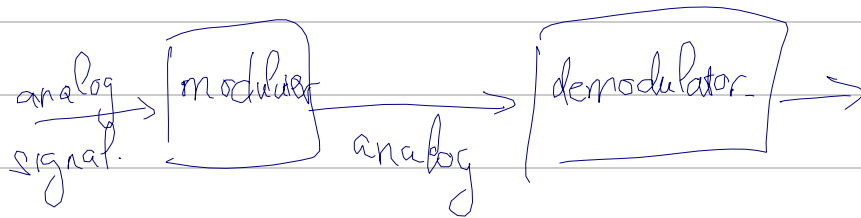
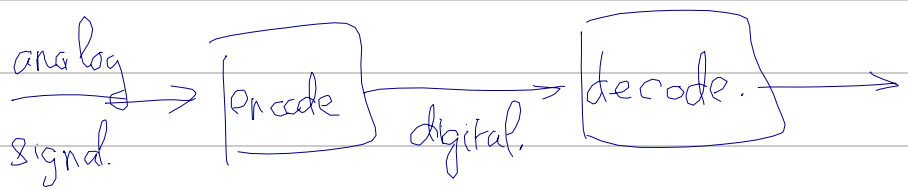


CS440 - Jul. 12th.

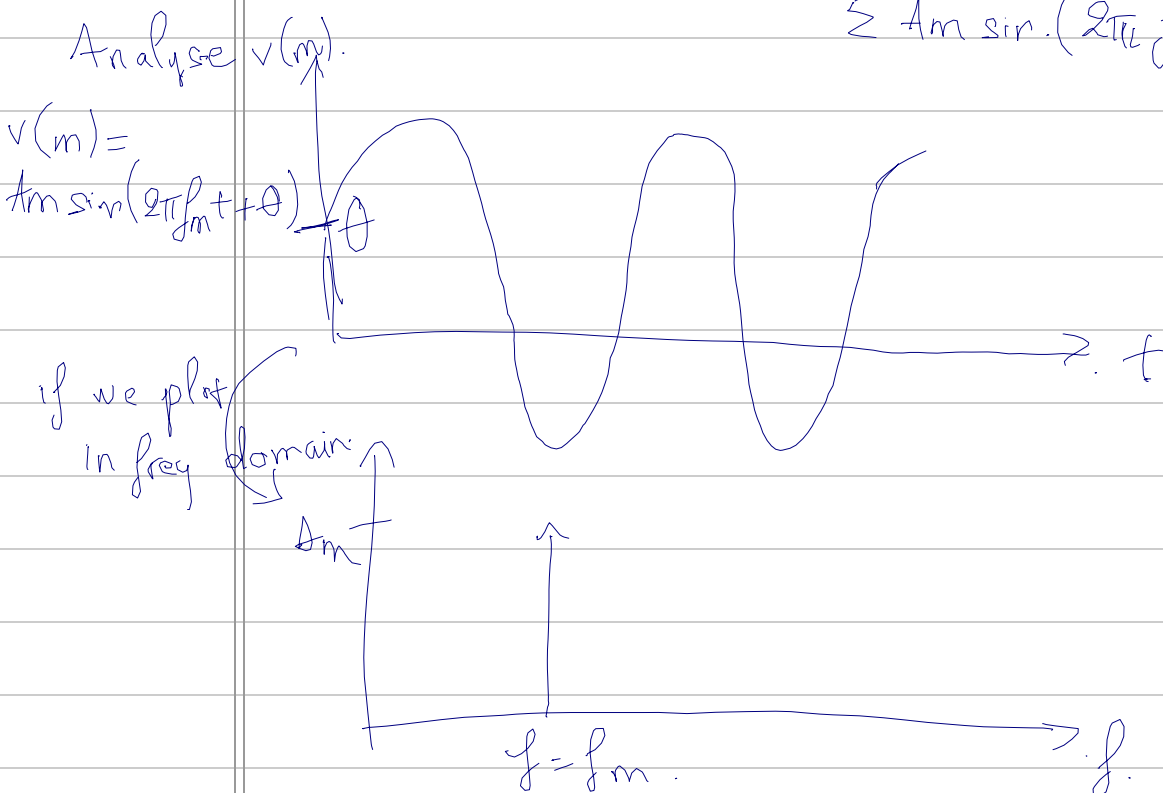
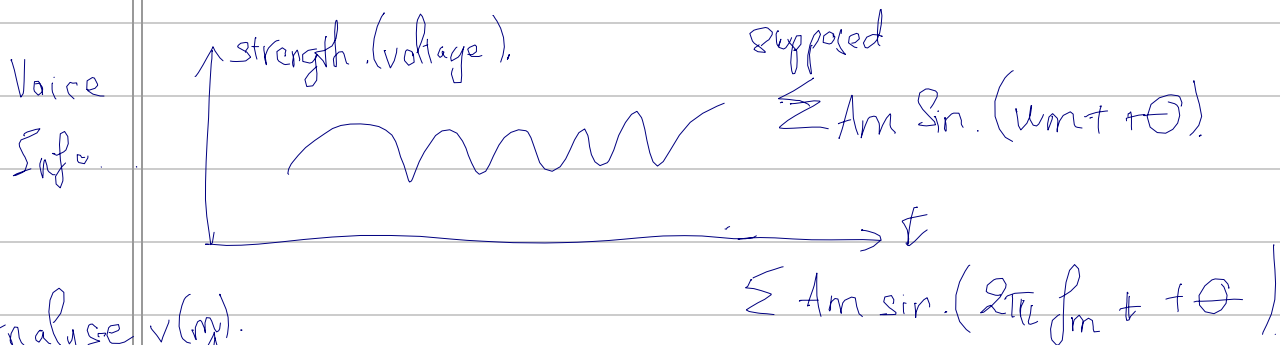
## Encoding & Modulation Techniques.

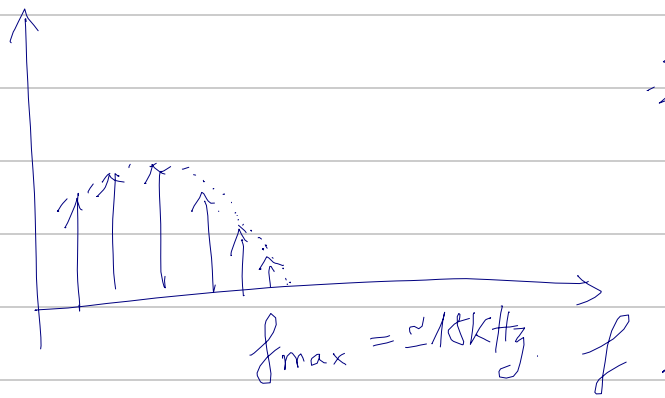


Example:

Analog signal: radio station, (modulator), receiver (demod)

Mod: shifting of signal.





$$\sum A_m \sin(2\pi f_m t + \theta)$$

Band of freqs = Bandwidth of the signal.

Modulator:

Voice signal  $m(t) = \sum A_m \sin \omega_m t$

$$f_c(t) = A_c \sin \omega_c t$$

$$m(t) \xrightarrow{\text{Modulator: } m(t) \times f_c(t)} A \sum x_i$$

$\uparrow$   
 $f_c(t) = \sum A x_i$

$$m(t) \times f_c(t)$$

$$= \sum A_m A_c \sin \omega_c t \sin \omega_m t$$

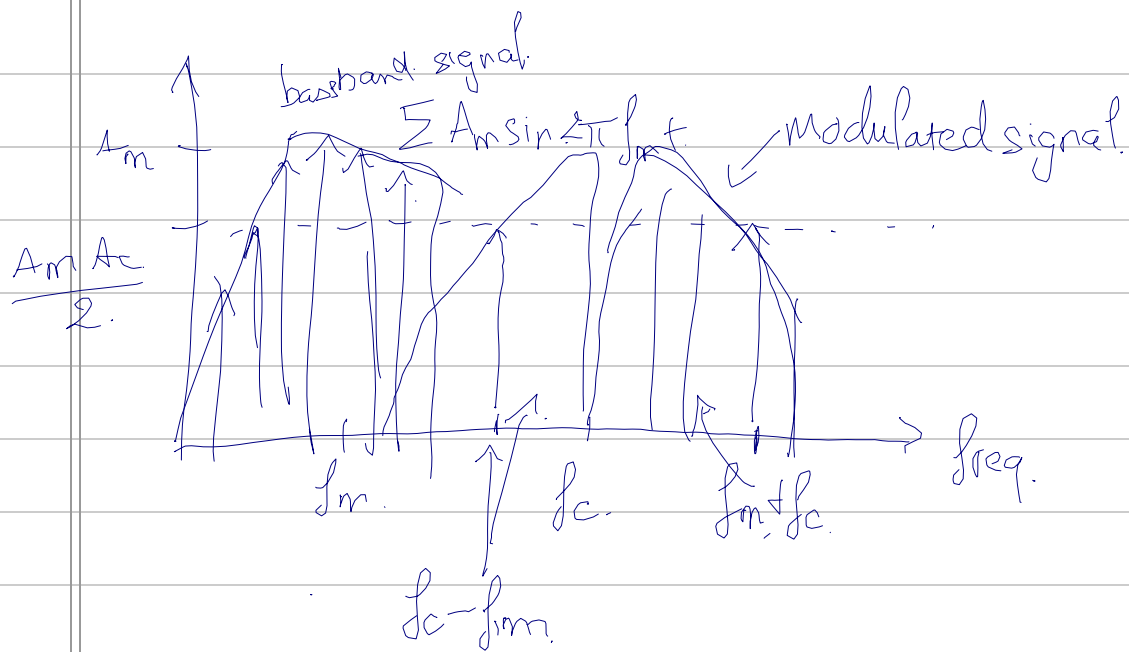
$$= \sum \frac{A_m A_c}{2} 2 \sin \omega_c t \sin \omega_m t$$

$$= \sum \frac{A_m A_c}{2} \left[ \sin \left( \frac{\omega_c + \omega_m}{2} t \right) + \sin \left( \frac{\omega_c - \omega_m}{2} t \right) \right]$$

$$\omega = 2\pi f$$

$$= \sum \frac{A_m A_c}{2} \left[ \sin \pi (f_c + f_m) t + \sin \pi (f_c - f_m) t \right]$$

$$\begin{aligned}
 & \quad \quad \quad 1001 \text{ MHz} \quad \quad \quad 0.999 \text{ MHz} \\
 &= 1001000 \text{ Hz} + 999000 \text{ Hz} \\
 &= 2000 \text{ Hz}
 \end{aligned}$$



→ The modulated signal has same shape as baseband signal

On the receiving end, multiply  $A_c \sin \omega_c t$

we get  $\nearrow f_c - f_m + f_c = 2f_c - f_m = f_m$   
 2 components  $\searrow f_c + f_m + f_c = \underbrace{2f_c}_{2\pi} + f_m = f_m$

After that pass it to low pass filter → get  $f_m$ .

$$c = f \lambda$$

baseband  $f$  is small →  $\lambda$  is high.

→ antenna must be big,

modulated  $f$  is big →  $\lambda$  is small

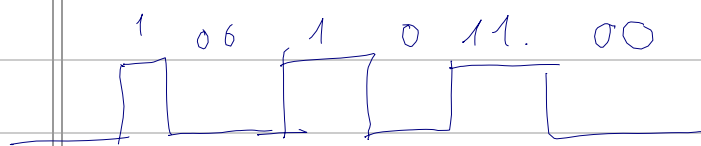
→ antenna is normal-size.

⇒ cannot transmit at baseband freq.

(also noise, & absorption of medium)

Terminology: Mark & space.  
 1 0.

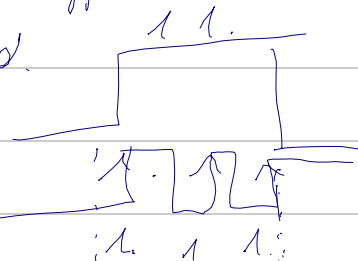
# Interpreting signals 4 probs.



1st prob)  $\nrightarrow$  depend on the clock, interpretation of 1 or 0 is different.

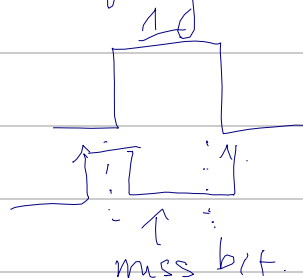
2nd prob) where to sample makes a difference

3rd prob) oversampling - supposed send.

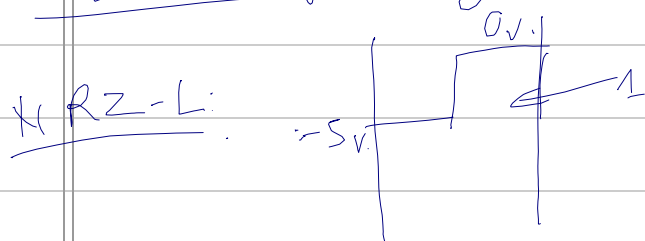


but sampling

4th prob) undersampling.



## Def of Digital signal encoding format



NRZI:  $0 \rightarrow 1$ ,  $1 \rightarrow 1$ ; there is a transition when going to 1.

Bipolar AMI: 0: no charge

1: either positive or negative, alternatively.

Pseudoternary: 3 levels: 1 is represented by 0 level.

0 is represented by positive (1) or negative (-1) alternatively.

Manchester: :  $0 \rightarrow 1$ ,  $1 \rightarrow 0$  : transmission in the middle  
0 : lower  
1 : raiser.

Differential.  
Manchester: Manchester + the alternative of previous 1 or 0.

(midterm question, give the bits  $\rightarrow$  plot & define the.)  
name

### Encoding Schemes

Signal spectrum: focus on the <sup>energy</sup> middle to not interfere with other signals.

FM: not susceptible to noise, better than AM.

Spectral Density of Various signal encoding schemes  
? don't understand

#### Strength

NRZ-L, - simple to implement.

NRZ-I

Bipolar-AMI - much better detection  
(avg = 0) an Rx end if the gap  
of 2 levels is big (next page)

Manchester: - transition in each bit  
 $\rightarrow$  easy to clock  $\rightarrow$  best  
synch of clock rate.

#### Weakness

- average DC voltage.  
- difficult for consecutive 1 or 0s

- need wider spectrum.  
- consume more energy/power  
if gap is big (??)

- freq is double than other

Nycteron.

2 hours:

Qn from LAK

- } different between repeater, switch, hub, router
- } similarity.

## Transmission Media

Why certain devices use for certain Bandwidth  
fibre ; how info flow , v/s coaxial cable.

Compare encoding scheme.

Bipolar AMI:

advantage:

- logic 1 — can be 5V, 4.0V, 2.5V etc.
- logic 0 — 0V ↗ noise bring 0V up.

attenuation lower voltage down.

$S V_i^2$  compression threshold is  $2 S V_i$ .

10 V 5 V.

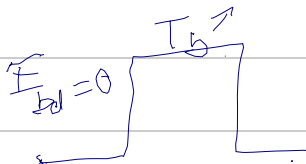
$\Rightarrow$  much better detection.

$$\text{Power} = \frac{\text{Voltage}}{\text{Current}} = \frac{V^2}{R}$$

logic 1. - v.

Logic 0 - 0V

$$\frac{E}{T} = P T_0 = \frac{v^2 T_0}{R}$$

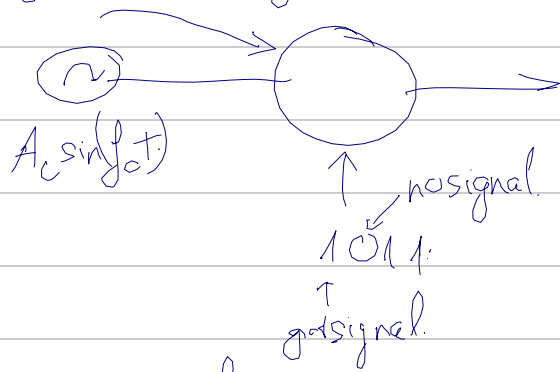


$$\begin{aligned} \text{logic 1} &\rightarrow \frac{V}{2} (0.25) \Rightarrow E = p_T = \frac{\left(\frac{V}{2}\right)^2 T}{R} = \frac{V^2}{4RT} \\ \text{logic 0} &\rightarrow \frac{V}{2} (-0.25) \Rightarrow E = p_T = \frac{\left(-\frac{V}{2}\right)^2 T}{R} = \frac{V^2}{4RT} \\ &\Rightarrow \Sigma E = \frac{V^2}{2R} T \Rightarrow \text{less energy} \end{aligned}$$

Scrambling: to avoid codes 1:1111 or 0000 are sent consecutively.

Mod of Analog & Digital Data: (ASK, BFSK, BPSK).

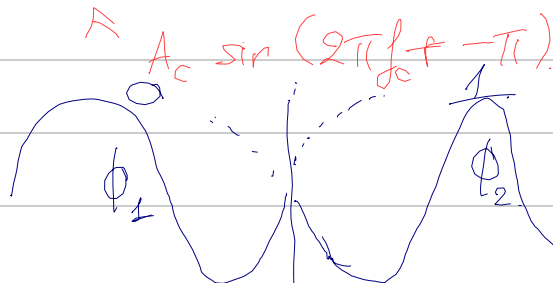
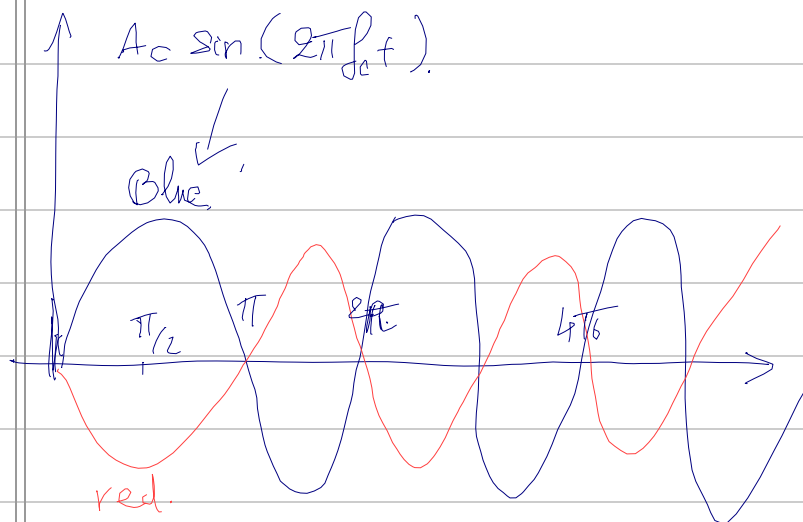
Key: "allow" signal or not.



ASK: Amplitude = 0 or = X.  
 $\uparrow$                        $\uparrow$   
 0                      1.

BFSK: Frequency change between 0 and 1.

BPSK: Phase change between 0 & 1.



← BPSK.

MFSK 1 frequency for different values (instead of only 0-1)  
in BFSK

$M=4 \rightarrow$  transfer in half time shorter.  
than BPSK on the same data.

QPSK: change phase every  $45^\circ$

Practice S.11 QPSK & QAM PSK at home.

$\otimes$  multiplier

QAM: not much really we  
Modem until slide 39 / signal encoding