seed : $\begin{bmatrix} i \\ 21 \end{bmatrix} + \begin{bmatrix} s \\ 31 \end{bmatrix} + \begin{bmatrix} a \\ 0 \end{bmatrix} + \begin{bmatrix} o \\ 27 \end{bmatrix} + \ldots + \begin{bmatrix} t \\ 32 \end{bmatrix}$ = - 216 **global seed**

sentences : $\begin{bmatrix} 21 \bmod 6 \\ 3 \end{bmatrix}, \begin{bmatrix} 31 \bmod 6 \\ 1 \end{bmatrix}, \begin{bmatrix} 0 \bmod 6 \\ 0 \end{bmatrix}, \begin{bmatrix} 27 \bmod 6 \\ 3 \end{bmatrix}, \ldots \begin{bmatrix} 32 \bmod 6 \\ 2 \end{bmatrix}$

Constructing the abstract Euler homoset theory for a relational comonad

I. Euler

1. Introduction

In relational discrete statistics the abstract Euler homoset theory for a relational comonad is extremely constructable. Observe:

$$\forall o < \forall \varepsilon \geq o$$

By enriching an abstract metacyclic integral on a functoral cardial hackset, that is $\forall y \times y$ We reach a stochastically bijective metacyclic integral. Presumably there exists a unique a stochastically oblique vector, which is equivalent to an abstract functoral cardial hackset. It nominally is well ordered: Observe:

$$\forall o < \forall \varepsilon \geq o$$

Strictly a combinator is fixed by a stochastically section. On the other hand, forming an enriched homoset, necessarily creates a natural $\binom{m}{z}$. Observe:

$$\forall o < \forall \varepsilon \geq o$$

Logically a functoral cardial hackset is informed by an inerpolated oblique vector.