Question 1.

R code

```
# Make a new wide format dataframe 'staiData' containing only "participant", "group", and
three sets of stai scores at different timepoint
staiData<-labdata[c("participant","group","timepoint","stai score")]
staiData <- reshape(staiData, direction="wide", idvar="participant",timevar="timepoint")
staiData <- subset(staiData, select=-c(`group.week 4`,`group.week 8`))
names(staiData) <- c("participant", "group", "stai baseline", "stai week4", "stai week8")
# Decide whether their anxiety level improved from baseline to after the intervention for every
participant
change <- logical()
for (i in 1:(nrow(staiData))){
 if (staiData\group[i]=="A"){
                                    # if the participant is in group A
  change[[i]] <- (staiData$stai baseline[i]-staiData$stai week4[i])>=3
                                                                          # compare data
obtained from baseline and week 4
 if (staiData\group[i]=="B"){
                                    # if the participant is in group B
  change[[i]] <- (staiData$stai baseline[i]-staiData$stai week8[i])>=3
                                                                          # compare data
obtained from baseline and week 8
}
# Make a table of change
table(change)
Table
FALSE TRUE
 22 29
```

Question 2.

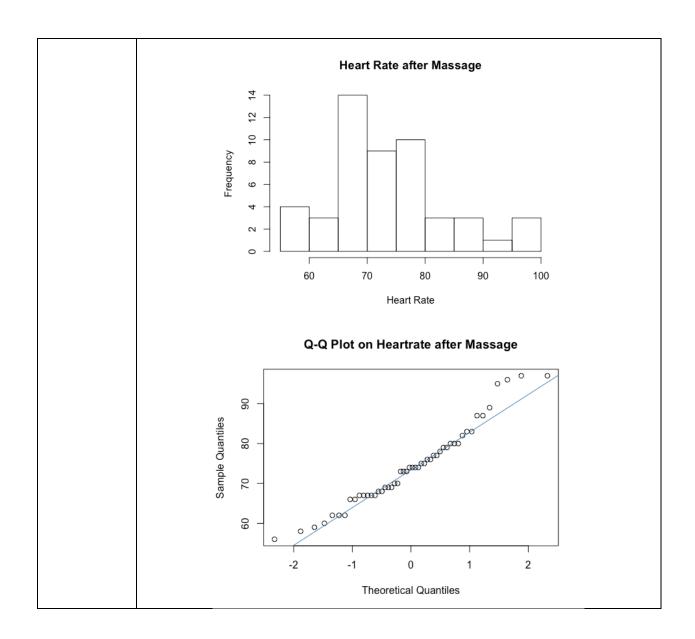
a) inference procedure

t confidence interval for the population mean

b) Note: simply <u>copy and paste</u> (or recreate) the template table given below as many times as needed, i.e. once for each condition of the model.

Condition	The data is a SRS from a large population
Valid?	Yes
Justification	The data is obtained from a repeated measures design with randomization on the
	order of participation in two treatments which means it is a SRS. The desired
	population is all Japanese adults which is large enough.
R code and	N/A
associated	
output (if	
applicable)	

Condition	Observations from the population has a normal distribution with mean μ and
	standard deviation σ
Valid?	Yes
Justification	A histogram and a Q-Q plot are drawn based on the heart rate data obtained from the adults who have been using aromatherapy foot massage for an extended period of time and a straight Q-Q line is added. The deviations from the line are minimal which indicates normal distribution. Besides, the sample is large enough (>50), so although the histogram is right skewed, the population is relevant to deviations from the Q-Q line.
D 1 1	is robust to deviations from the Q-Q line.
R code and	labdata\$heartrate <- as.integer(labdata\$heartrate) # convert the heartrate to
associated	integer from factors
output (if	heartrateAfter =
applicable)	labdata\$heartrate[(labdata\$group=="A"&labdata\$timepoint=="week
	4") (labdata\$group=="B"&labdata\$timepoint=="week 8")]
	heartrateAfter <- heartrateAfter[!is.na(heartrateAfter)] # make a subset
	containing the heartrate data obtained after inventation for both group A and B
	hist(heartrateAfter, main="Heart Rate after Massage", xlab="Heart Rate",
	ylab="Frequency") # make a histogram with the heartrate data
	qqnorm(heartrateAfter, main="Q-Q Plot on Heartrate after Massage") # make a
	Q-Q plot with the heartrate data
	qqline(heartrateAfter, col="steelblue") # add a Q-Q line to the Q-Q plot



Question 3.

a) inference procedure (copy & paste from Question 2a):

t confidence interval for the population mean

b) R code and associated Output

R Code:

labdata\$heartrate <- as.integer(labdata\$heartrate) # convert the heartrate to integer from factors

heartrateAfter = labdata\$heartrate[(labdata\$group=="A"&labdata\$timepoint=="week 4")|(labdata\$group=="B"&labdata\$timepoint=="week 8")] # make a subset containing the heartrate data obtained after invention for both group A and B

heartrateAfter <- heartrateAfter[!is.na(heartrateAfter)] # Remove the NA in the list

mean = mean(heartrateAfter) # Calculate the mean

sd <- sqrt(var(heartrateAfter)) # Calculate the standard deviation

mean # print the mean

sd # print the standard deviation

Output:

[1] 74.24

[1] 10.06015

c) conclusion

The mean heartrate for adults who have been using aromatherapy foot massage for an extended period of time is 74.24 ± 10.06 BPM.

Question 4.

Description:

As the research question indicates, the independent variable is whether one is engaged in aromatherapy foot massage, and the response variable is the blood pressure. The null hypothesis would be engaging in aromatherapy foot massage does not have change the blood pressure of healthy adults. The alternative hypothesis would be engaging in aromatherapy foot massage could make the blood pressure of healthy adults closer to normal range.

To determine the definition of "a positive therapeutic impact", we will find the normal range (as the "healthy blood pressure") of the systolic and diastolic blood pressure of Japanese adults. After calculating the average systolic and diastolic blood pressure (=(sysBP1+sysBP2)/2 and =(diaBP1+diaBP2)/2, respectively) for each participant at each timepoint, we will calculate the difference between the average blood pressure and the healthy blood pressure range. The mean difference calculated at the baseline and after the intervention (timepoint="week 4" for group A, timepoint=="week 8" for group B) will be compared using two-sample t procedure.