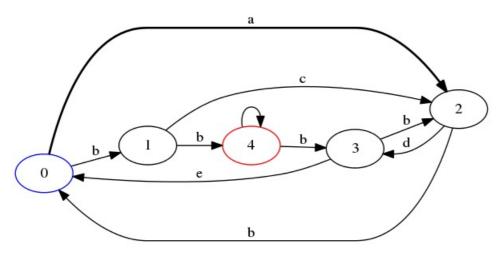
- 1 Test 1
- 2 test 2
  - 1 Test sub 1
- 3 Test 1
- 4 test 2
  - 1 Test sub 1

# Test 1



test inline  $\sqrt{2}\sin x\cdot\sqrt{2}\,\sin x$  fin test

test Block

$$\int_0^\infty e^{-x^2} dx = \frac{\sqrt{\pi}}{2}$$

fin test

public static void main(String[] args){
 System.out.println("Hello");

- 1. a
- 2. b
- 3. c

## test 2

The HTML specification is maintained by the W3C.

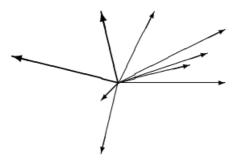
### Test sub 1

$$F(x,y) = 0$$
 and  $\begin{vmatrix} F''_{xx} & F''_{xy} & F'_{x} \\ F''_{yx} & F''_{yy} & F'_{y} \\ F'_{x} & F'_{y} & 0 \end{vmatrix} = 0$ 

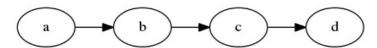
&& \int $x = \frac{x^2}{2} + C \cdot $	
$\&\& \inf x^2 = \frac{x^3}{3} + C \left  eq:xde \right $	f}
\end{eqnarray}	

First Header	Second Header
Content Cell	Content Cell
Content Cell	Content Cell

ficIn = open("test.md", 'r')
txt = ficIn.read()
ficIn.close()
ficOut = open("test.html", 'w')

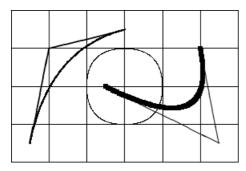


This is some text above a graph.

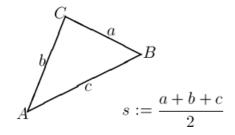


Some other text between two graphs.

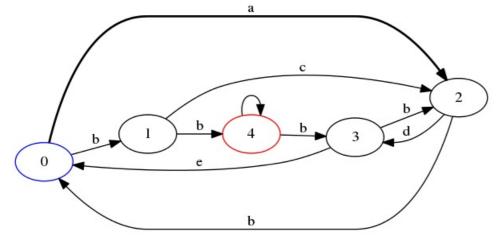
This is also some text below a graph.



$$F = \sqrt{s(s-a)(s-b)(s-c)}$$



Test 1



test inline  $\sqrt{2}\sin x$ ,  $\sqrt{2}\sin x$  fin test

test Block

$$\int_0^\infty e^{-x^2} dx = \frac{\sqrt{\pi}}{2}$$

fin test

public static void main(String[] args){
 System.out.println("Hello");
}

- 1. a
- 2. b
- 3. c

#### test 2

The HTML specification is maintained by the W3C.

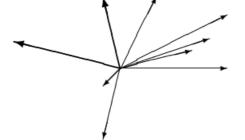
#### Test sub 1

$$F(x,y) = 0$$
 and  $\begin{vmatrix} F''_{xx} & F''_{xy} & F'_{x} \\ F''_{yx} & F''_{yy} & F'_{y} \\ F'_{x} & F'_{y} & 0 \end{vmatrix} = 0$ 

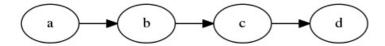
```
\begin{eqnarray}
&& \int 1 = x + C \nonumber\
&& \int x = \frac{x^2}{2} + C \nonumber\
&& \int x^2 = \frac{x^3}{3} + C \label{eq:xdef}
\end{eqnarray}
```

First Header	Second Header
Content Cell	Content Cell
Content Cell	Content Cell

```
ficIn = open("test.md", 'r')
txt = ficIn.read()
ficIn.close()
ficOut = open("test.html", 'w')
```

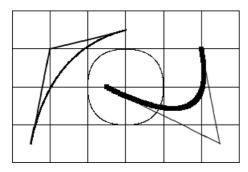


This is some text above a graph.



Some other text between two graphs.

This is also some text below a graph.



$$F = \sqrt{s(s-a)(s-b)(s-c)}$$

