

# Lambda functions

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COE 322 Fall 2021

# 1. A simple example

You can define a function and apply it:

```
double f(x) { return 2*x; }
```

```
y = f(3.7);
```

or you can apply the function recipe directly:

```
y = [] (double x) -> double { return 2*x; } (3.7);
```

## 2. Lambda syntax

```
[capture] ( inputs ) -> outtype { definition };  
[capture] ( inputs ) { definition };
```

- The square brackets are how you recognize a lambda
- Inputs: like function parameters
- Result type: can be omitted if compiler can deduce it;
- Definition: function body.

### 3. Assign lambda to variable

```
auto f = [] (double x) -> double { return 2*x; };  
y = f(3.7);  
z = f(4.9);
```

- This is a variable declaration.
- Uses `auto` for technical reasons
- See different approach below.

# Exercise 1

The Newton method (see HPC book) for finding the zero of a function  $f$ , that is, finding the  $x$  for which  $f(x) = 0$ , can be programmed by supplying the function and its derivative:

```
double f(double x) { return x*x-2; };  
double g(double x) { return 2*x; };
```

and the algorithm:

```
double x{1.};  
while ( true ) {  
    auto fx = f(x);  
    cout << "f( " << x << " ) = " << fx << "\n";  
    if (abs(fx)<1.e-10 ) break;  
    x = x - fx/g(x);  
}
```

Rewrite this code to use lambda functions for  $f$  and  $g$ .

*You can base this off the file newton*

## 4. Lambdas as parameter

Lambdas have a generated type, so you can not write a function that takes a lambda as argument.

Instead:

```
#include <functional>
using std::function;
```

With this, you can declare parameters by their signature:

```
double find_zero
( function< double(double)> f,
  function< double(double) > g ) {
```

## Exercise 2

Rewrite the Newton exercise above to use a function with this prototype. Call the function directly with the lambda functions as arguments, that is, without assigning them to variables.

## 5. Capture parameter

Capture value and reduce number of arguments:

```
int exponent=5;
auto powerfive =
    [exponent] (float x) -> float {
        return pow(x,exponent); };
```

Now powerfunction is a function of one argument, which computes that argument to a fixed power.

### Code:

```
cout << "To the power "
      << exponent << endl;
for (float x=1.; x<=5.; x+=1.)
    cout << x << ":" << powerfive(x)
      << endl;
```

### Output

[func] lambdait:

```
To the power 5
1:1
2:32
3:243
4:1024
5:3125
```



## Exercise 3

Extend the newton exercise to compute roots in a loop:

```
for (int n=2; n<=8; n++) {  
    cout << "sqrt(" << n << ") = "  
        << find_zero(  
/* ... */  
        )  
    << "\n";  
}
```

Without lambdas, you would define a function

```
double f( double x,int n );
```

However, the *find\_zero* function takes a function of only a real argument. Use a capture to make *f* dependent on the integer parameter.

## Exercise 4

You don't need the gradient as an explicit function: you can approximate it as

$$f'(x) = (f(x+h) - f(x))/h$$

for some value of  $h$ .

Write a version of the root finding function

```
double find_zero( function< double(double)> f, double h=.001 );
```

that uses this. Do not reimplement the whole newton method: instead create a lambda for the gradient and pass it to the root finder you coded earlier.

## 6. Capture by reference

Capture variables are normally by value, use ampersand for reference. This is often used in *algorithm* header.

### Code:

```
vector<int> moreints
{8,9,10,11,12};
int count{0};
for_each
( moreints.begin(),moreints.
end(),
 [&count] (int x) {
    if (x%2==0)
        count++;
} );
cout << "number of even: " <<
count << endl;
```

### Output

[*stl*] counteach:

number of even: 3