Lambda functions

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1. A simple example

You can define a function and apply it:

```
double sum(float x,float y) { return x+y; }
cout << sum( 1.2, 3.4 );</pre>
```

or you can apply the function recipe directly:

```
Code:
[] (float x,float y) -> float {
  return x+y; } ( 1.5, 2.3 )
```

```
Output
[func] lambdadirect:
3.8
```



2. Lambda syntax

```
[capture] ( inputs ) -> outtype { definition };
[capture] ( inputs ) { definition };
```

- The square brackets are how you recognize a lambda; we will get to the 'capture' later.
- Inputs: like function parameters
- Result type specification -> outtype: can be omitted if compiler can deduce it;
- Definition: function body.



3. Assign lambda to variable

```
Code:
auto summing =
   [] (float x,float y) -> float {
   return x+y; };
cout << summing ( 1.5, 2.3 ) << '\n';</pre>
```

```
Output
[func] lambdavar:
3.8
```

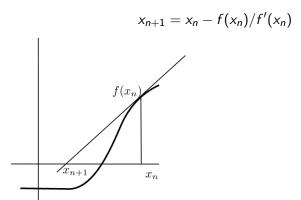
- This is a variable declaration.
- Uses auto for technical reasons; see later.

Return type could have been ommitted:

```
auto summing =
[] (float x,float y) { return x+y; };
```



4. Newton's method





5. Newton for root finding

$$f(x) = x^2 - 2 \Rightarrow f(x) = 0$$
 for $x = \sqrt{2}$

so

$$x_{n+1} = x_n - f(x_n)/f'(x_n) = x_n - \frac{(x_n^2 - 2)}{2x_n} = x_n/2 + 2/x_n$$

Square root computation only takes division!

Exercise 1

The Newton method (see HPC book) for finding the zero of a function f, that is, finding the x for which f(x) = 0, can be programmed by supplying the function and its derivative:

```
double f(double x) { return x*x-2; };
double fprime(double x) { return 2*x; };
and the algorithm:
double x{1.};
while ( true ) {
   auto fx = f(x);
   cout << "f( " << x << " ) = " << fx << '\n';
   if (std::abs(fx)<1.e-10 ) break;
   x = x - fx/fprime(x);
}</pre>
```

Rewrite this code to use lambda functions for f and g.

You can base this off the file newton.cxx in the repository



6. Lambdas as parameter: the problem

Lambdas are in a class that is dynamically generated, so you can not write a function that takes a lambda as argument, because you don't have the class name.

```
void do_something( /* what? */ f ) {
    f(5);
}
int main() {
    do_something
        ( [] (double x) { cout << x; } );
}</pre>
```

(Do not use C-style function pointer syntax.)



7. Lambdas as parameter: the solution

```
#include <functional>
using std::function;
```

With this, you can declare parameters by their signature:

```
double find_zero
  ( function< double(double) > f,
    function< double(double) > fprime ) {
```

This states that f is in the class of double(double) functions.



Exercise 2

Rewrite the Newton exercise above to use a function with prototype

```
double root = find_zero( f,g );
```

Call the function

- 1. first with the lambda variables you already created;
- 2. but in a better variant, directly with the lambda expressions as arguments, that is, without assigning them to variables.



8. Capture parameter

Capture value and reduce number of arguments:

```
int exponent=5;
auto powerfive =
  [exponent] (float x) -> float {
    return pow(x, exponent); };
```

Now powerfive is a function of one argument, which computes that argument to a fixed power.

```
Output
[func] lambdait:

To the power 5
1:1
2:32
3:243
4:1024
5:3125
```

Exercise 3

Extend the newton exercise to compute roots in a loop:

Without lambdas, you would define a function

```
double squared_minus_n( double x,int n ) {
  return x*x-n; }
```

However, the $find_zero$ function takes a function of only a real argument. Use a capture to make f dependent on the integer parameter.



Exercise 4

You don't need the gradient as an explicit function: you can approximate it as

$$f'(x) = (f(x+h) - f(x))/h$$

for some value of h.

Write a version of the root finding function

```
double find_zero( function< double(double)> f )
```

that uses this. You can use a fixed value h=1e-6. Do not reimplement the whole newton method: instead create a lambda for the gradient and pass it to the function find_zero you coded earlier.



9. Turn it in!

Write a program that

- 1. reads an integer from the commandline
- 2. prints a line:

The root of this number is 1.4142 which contains the word root and the value of the square root of the input in default output format.

Your program should

- have a subroutine newton_root as described above.
- (8/10 credit): call it with two lambda expressions: one for the function and one for the derivative, *or*
- (10/10 credit) call it with a single lambda expression for the function and approximate the derivative as described above.

The tester is coe_newton, options as usual.



10. Capture by value

Normal capture is by value:

```
Code:
int one=1;
auto one_more =
   [one] ( int input ) -> void {
       cout << input+one << '\n';
};
one_more (5);
one_more (6);
one_more (7);</pre>
```

```
Output
[func] lambdavalue:
6
7
```



11. Capture by value/reference

Capture by reference:

```
Code:
int stride = 1;
auto more and more =
  [&stride] ( int input ) -> void {
    cout << input << "=>" <<
     input+stride << '\n';</pre>
    stride++;
};
more and more(5):
more_and_more(6);
more and more(7):
more and more(8):
more_and_more(9);
cout << "stride is now: " << stride
    << '\n':
```

```
Output
[func] lambdareference:

5=>6
6=>8
7=>10
8=>12
9=>14
stride is now: 6
```



12. Capture a reduction variable

This mechanism is useful

```
int count=0;
auto count_if_f = [&count] (int i) {
    if (f(i)) count++; }
for ( int i : int_data )
    count_if_f(i);
cout << "We counted: " << count;</pre>
```



13. Lambdas vs function pointers

```
Code:
int cfun_add1( int i ) { return i+1;
    }:
int apply_to_5( int(*f)(int) ) {
 return f(5);
}:
//codesnippet end
 /* ... */
  auto lambda_add1 = [] (int i) {
     return i+1; };
  cout << "C ptr:</pre>
       << apply_to_5(&cfun_add1) <<</pre>
     '\n':
  cout << "Lambda: "
       << apply_to_5(lambda_add1) <<</pre>
     '\n':
```

```
Output
[func] lambdacptr:

C ptr: 6
Lambda: 6
```



Lambda in algorithms



14. For each, very simple example

Apply something to each array element:

```
Output
[iter] each:
13
14
15
```



15. For any

See if any element satisfies a boolean test:

```
Code:
    vector<int>
        ints{2,3,4,5,7,8,13,14,15};
    bool there_was_an_8 =
        any_of( ints.begin(),ints.end(),
            [] ( int i ) -> bool {
            return i==8;
            }
            );
    cout << "There was an 8: " <<
        boolalpha << there_was_an_8 <<
            '\n';</pre>
```

```
Output
[iter] each:
13
14
15
```



16. Capture by reference

Capture variables are normally by value, use ampersand for reference. This is often used in *algorithm* header.

```
Output [stl] counteach:
number of even: 3
```



17. For each, with capture

Capture by reference, to update with the array elements.

```
Output
[iter] each:
13
14
15
```



18. Sorting

```
lterator syntax:
(see later for ranges)
sort( myvec.begin(),myvec.end() );
```

The comparison used by default is ascending. You can specify other compare functions:

```
sort( myvec.begin(),myvec.end(),
      [] (int i,int j) { return i>j; }
);
```

