Appendix S1. The R and WinBUGS codes for the integrated population model where immigration is constrained to be a function of vole abundance v ($\phi_{age2+T+sex}$, p_{t+sex} , b_t , imm_v)

```
# 1 MODEL DESCRIPTION
  # Age structured model (2 age classes: 1-year and 2 years or older)
  # Age at first breeding =1 year
  # Pre-breeding census
  # Little owl data (1978-2003)
# 2 LOAD THE REQUIRED PACKAGES
library(lattice)
  library(coda)
  library(R2WinBUGS)
# 3 SPECIFY THE DIRECTORY WHERE WINBUGS IS LOCATED
bugs.dir <- c("P:/WinBUGS14") # Change to the correct directory
# 4 SPECIFY WORKING DIRECTORY
# This is optional and can be changed to any other
  # setwd("c:/imm")
           # directory
          # Keep the data files in this directory
#******************************
# 5 READ DATA
# Number of years (Number of sample occasion in year) (1978-2003)
     ti <- 26
  # Capture recapture data for females and males
```

```
0.0.0.0.0.0.0.0.0.0.0.0.0.0.0.0.0.0.0.1.0.0.0.0.0.3.
0.0.0,0,0,0,0,0,0,0,0,0,0,0,0,0,1,0,0,1,0,0,0,0,0
0.0.0.0.0.0.0.0.0.0.0.0.0.0.0.0.0.0.0.1.0.0.0.0.0.2.
```

```
# Population count data
      popcount < c(14,9,8,15,17,15,13,9,8,9,9,10,12,11,10,
     11,10,7,5,5,8,12,14,15,18,21) # number of occupied nest boxes
    # Data on reproductive success
     nestlings <- c(27,19,25,25,47,46,26,29,23,24,20,21,33,
     32,35,35,8,7,17,10,24,31,28,30,33,25) # number of offspring produced
     sample.size <- c(15,9,8,17,18,16,13,9,8,9,9,11,13,11,11,
     11,10,7,5,5,8,12,14,15,20,24)
                             # number of breeding females counted
    # Vole abundance
    vole \langle c(1,0,0,1,1,0,0,1,0,0,1,0,0,1,0,0,1,0,1,1,0,0,1,0) \rangle
    # Time
    time <- seq(1,25,1)
# 5 WinBUGS CODES TO FIT THE INTEGRATED POPULATION MODEL
    # The file is called "IPM_IMM.bug"
#************************
    sink("IPM_IMM.bug")
    cat("
    model
      #**************
      # 5.1 Define the regression equations
      for (i in 1:(ti-1))
          # Best model structure (phi(a2+sex+T),p(sex+t),b(t)) for little owl
          # data from Schaub et al.(2006)
          # standardize the variable
```

```
# Juvenile survival rate
     logit(phijM[i]) <- v[1] + v[3] + v[4]*stdT[i] # Male
     logit(phij[i]) \leftarrow v[1] + v[4]*stdT[i]
                                             # Female
     # Adult survival
     logit(phiaM[i]) <- v[1] + v[2] + v[3] + v[4]*stdT[i] # Male
     logit(phia[i]) <- v[1] + v[2] + v[4]*stdT[i]
                                                     # Female
    # Recapture rate
     logit(pM[i]) \leftarrow v[5] + bp[i]
     logit(p[i]) \leftarrow bp[i]
                           # Female
    # Immigration
     log(im[i]) < v[6] + v[7]*voleH[i] # Immigration rate as a function of
                                        # vole abundance
                                        # voleH is a categorical variable
                                        # with 2 levels (high,low)
   } #i
#***************
# 5.2 Define the priors for the parameters
#**************
  for (i in 1:7)
         v[i] \sim dnorm(0,0.0001)I(-10,10)
       } #i
  for (i in 1:(ti-1))
          bp[i] \sim dnorm(0,0.0001)I(-10,10)
          fec[i] \sim dunif(0,10)
```

stdT[i] <- (time[i]-mean(time[]))/sd(time[])</pre>

```
} #i
                 N1[1] \sim dnorm(100,0.0001)I(0,)
                                                                                                                                                                                                                          #1-year
                 NadSurv[1] \sim dnorm(100,0.0001)I(0,)
                                                                                                                                                                                                                             # Adults
                 Nadimm[1] \sim dnorm(100,0.0001)I(0,)
                                                                                                                                                                                                                          # Immigrants
#***********
# 5.3 Derived parameters
#**************
                 # Population growth rate r[t], Mean population growth rate using
                   # geometric mean
for(tt in 1:(ti-1))
              {
                                  lambda[tt] <- Ntot[tt+1]/Ntot[tt]</pre>
                            logla[tt] <- log(lambda[tt])
                  } #tt
                 MELAM <- exp((1/(ti-1))*sum(logla[1:(ti-1)]))
                                                                                                                                                                                                                                                    # Mean population
                                                                                                                                                                                                                                                    # growth rate
                 # Mean survival rates for females
                 MEPHJUF <-\exp(v[1] + v[4]*0*mean(time[]))/(1+exp(v[1] + v[4] + v[
                                                                                    v[4]*0*mean(time[]))
                 MEPHADF < -exp(v[1] + v[2] + v[4]*0*mean(time[]))/(1+exp(v[1] + v[4] +
                                                                                    v[2] + v[4]*0*mean(time[])))
                 # Mean survival rates for males
                 MEPHJUM <- exp(v[1] + v[3] + v[4]*0*mean(time[])) /(1+exp(v[1] +
                                                                                    v[3] + v[4]*0*mean(time[]))
                 MEPHADM < -exp(v[1] + v[2] + v[3] + v[4]*0*mean(time[]))/
                                                                                             (1+\exp(v[1]+v[2]+v[3]+v[4]*0*mean(time[])))
                 # Mean fecundity rate
                 MEFE <- mean(fec[])
                   # Mean immigration rate
               MEIM_H \leftarrow exp(v[6] + v[7]) # High vole abundance
```

```
MEIM_L < -exp(v[6])
                       # Low vole abundance
#**************
# 5.4 The Integrated population model
#*************
  #****************
  # 5.4.1 Likelihood for reproductive data
  #****************
 for (i in 1:(ti-1))
     nestlings[i] ~ dpois(rho[i])
     rho[i] <- sample.size[i]*fec[i]
  } #i
#***************
 # 5.4.2 Likelihood for population survey data
#****************
#********
# System process
#********
for (tt in 2:ti)
  {
    mean1[tt] <- 0.5*fec[tt-1]*phij[tt-1]*Ntot[tt-1]
    N1[tt] \sim dpois(mean1[tt])
   mpo[tt] \leftarrow Ntot[tt-1]*im[tt-1]
   NadSurv[tt] ~ dbin(phia[tt-1],Ntot[tt-1])
   Nadimm[tt] ~ dpois(mpo[tt])
  } # tt
#*********
# Observation process
#*********
for(tt in 1:ti)
```

```
Ntot[tt] <- NadSurv[tt] + Nadimm[tt] + N1[tt]
 popcount[tt] ~ dpois(Ntot[tt])
} # tt
#***********************
 # 5.4.3 Likelihood for capture-recapture data: CJS models (2 age classes)
 #***********
  # Female capture recapture data
  #**********
 for( i in 1:2*(ti-1))
     m[i,1:ti] \sim dmulti(pr[i,],r[i])
   } # i
 # No. of released individuals
 for(i in 1:2*(ti-1))
     r[i] \leftarrow sum(m[i,])
    } # i
 # m-array cell probabilities for juveniles
 for(i in 1:(ti-1))
      q[i] <- 1-p[i]
     # Main diagonal
      pr[i,i]<-phij[i]*p[i]
     # above main diagonal
     for(j in (i+1):(ti-1))
         pr[i,j] \leftarrow phij[i]*prod(phia[(i+1):j])*prod(q[i:(j-1)])*p[j]
        } # j
```

```
# Below main diagonal
     for( j in 1:(i-1))
          pr[i,j] < -0
         } # j
    # Last column
      pr[i,ti] <- 1-sum(pr[i,1:(ti-1)])
} # i
# m-array cell probabilities for adults
for(i in 1:(ti-1))
       # main diagonal
       pr[i+ti-1,i] \leftarrow phia[i]*p[i]
       # above main diagonal
      for(j in (i+1):(ti-1))
            pr[i+ti-1,j] \leftarrow prod(phia[i:j])*prod(q[i:(j-1)])*p[j]
          } # j
      # below main diagonal
      for( j in 1:(i-1))
           pr[i+ti-1,j] <- 0
         } # j
      # last column
      pr[i+ti-1,ti] <- 1-sum(pr[i+ti-1,1:(ti-1)])
   } # i
```

```
#**********
   # Male capture recapture data
#**********
for( i in 1:2*(ti-1))
                                mM[i,1:ti] \sim dmulti(prM[i,],r[i])
                   } # i
         # No. of released individuals
            for(i in 1:(ti-1))
                                      rM[i] <- sum(mM[i,])
                            } # i
         # m-array cell probabilities for juveniles
            for(i in 1:(ti-1))
                                     qM[i] \leftarrow 1-pM[i]
                                      # main diagonal
                                      prM[i,i] <- phijM[i]*pM[i]</pre>
                                      # above main diagonal
                               for(j in (i+1):(ti-1))
                                                          prM[i,j] <- phijM[i]*prod(phiaM[(i+1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*prod(qM[i:(j-1):j])*pr
                                                             1)])*pM[j]
                                               } # j
            # below main diagonal
               for( j in 1:(i-1))
                                     prM[i,j] < -0
                              } # j
```

```
# last column
          prM[i,ti] <- 1-sum(prM[i,1:(ti-1)])
       } # i
       # m-array cell probabilities for adults
       for(i in 1:(ti-1))
          {
             # main diagonal
        prM[i+ti-1,i] <- phiaM[i]*pM[i]
        # above main diagonal
       for(j in (i+1):(ti-1))
             prM[i+ti-1,j] <- prod(phiaM[(i+1):j])*prod(qM[i:(j-1)])*pM[j] \\
          } # j
        # below main diagonal
        for( j in 1:(i-1))
            prM[i+ti-1,j] < -0
          } # j
        # last column
         prM[i+ti-1,ti] <- 1-sum(prM[i+ti-1,1:(ti-1)])
     } # i
} # End Model
",fill=TRUE)
sink()
```

```
#***********************
# 6 PREPARE INPUT DATA FOR WinBUGS
#*******************
     data.athene <-list(ti=ti,m=mfem,mM=mmal,popcount=popcount,
              nestlings=nestlings[1:(ti-1)], sample.size=sample.size[1:(ti-1)],
              time=time,voleH=voleH[2:ti])
           # m and mM are capture-recapture data for female and male
#*********************
# 7 CREATE INITIAL VALUES TO START THE MCMC CHAINS
init.nt <- function() \{ list(v=rnorm(7),bp=rnorm((ti-1)),fec=runif((ti-1),0,5), \} \}
            N1=round(runif(ti,1,50),0),NadSurv=round(runif(ti,5,10),0),
            Nadimm=round(runif(ti,5,10),0))}
#*************
# 8 PARAMETERS TO BE MONITORED
parameters <- c("phij", "phia", "phijM", "phiaM", "fec", "im", "lambda",
               "p","pM","NadSurv","Nadimm","Ntot","MEPHJUF",
               "MEPHADF", "MEFE", "MEIM_H", "MEIM_L", "MEPHJUM",
               "MEPHADM","v","bp")
#***************
# 9 RUN THE MODEL FROM R USING R2WinBUGS
#**************
   # The WinBUGS code "IPM_IMM.bug" is needed to specify in model.file
   # Save the file in the current working directory (i.e. c:/imm)
   # Here we run a single 200000 iterations, 100000 burnin and and retained every
   #100th observation
   # The posterior summary was computed based on 1000 samples
   # Specify the correct path (directory) where the WinBUGS program located
   # MCMC SPECIFICATIONS
    #***********
      chain <- 1
      iter <- 200000
      burn <- 100000
      thin <- 100
   out.athene <- bugs(data.athene,inits=init.nt,model.file = "IPM_IMM.bug",
             parameters=parameters, n.chains =chain, n.iter =iter,
             n.burnin=burn,n.thin=thin,debug=F, bugs.directory =bugs.dir,
            clearWD=TRUE)
```