

0.1 TF Kill Switch

$$\frac{dV}{dt} = -k_{cat}V[C_{Cas,1}] \quad (1)$$

$$\frac{d[C_{Cas,1}]}{dt} = k_{C_g}[P_{Cas}][G_1] - k_{cat}V[C_{Cas,1}] - \delta_{C_g}[C_{Cas,1}] \quad (2)$$

$$\frac{d[C_{Cas,2}]}{dt} = k_{C_g}[P_{Cas}][G_2] - k_{cat}[C_{Cas,2}]H - \delta_{C_g}[C_{Cas,2}] \quad (3)$$

$$\frac{dH}{dt} = -k_{cat}[C_{Cas,2}]H \quad (4)$$

$$\frac{d[C_{Cas,1}^*]}{dt} = -\delta_{C_g}[C_{Cas,1}^*] + k_{cat}V[C_{Cas,1}] \quad (5)$$

$$\frac{d[C_{Cas,2}^*]}{dt} = -\delta_{C_g}[C_{Cas,2}^*] + k_{cat}[C_{Cas,2}]H \quad (6)$$

$$\frac{dH^*}{dt} = k_{cat}[C_{Cas,2}]H \quad (7)$$

$$\frac{d[P_{TF}]}{dt} = \alpha_{p,P_{TF}}V - \delta_{p,P_{TF}}[P_{TF}] \quad (8)$$

$$\frac{d[P_{Cas}]}{dt} = \alpha_{p,P_{Cas}}V - \delta_{p,P_{Cas}}[P_{Cas}] - k_{C_g}[P_{Cas}][G_1] - k_{C_g}[P_{Cas}][G_2] \quad (9)$$

$$\frac{d[G_1]}{dt} = \alpha_{r,G_1} \frac{[P_{TF}]^n}{K_a^n + [P_{TF}]^n} V - \delta_g[G_1] - k_{C_g}[P_{Cas}][G_1] \quad (10)$$

$$\frac{d[G_2]}{dt} = \alpha_{r,G_2}V - \delta_g[G_2] - k_{C_g}[P_{Cas}][G_2] \quad (11)$$