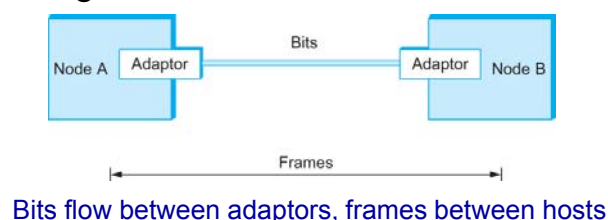


Framing

- We are focusing on packet-switched networks, which means that blocks of data (called *frames* at this level), not bit streams, are exchanged between nodes.
- It is the network adaptor that enables the nodes to exchange frames.



Framing

- When node A wishes to transmit a frame to node B, it tells its adaptor to transmit a frame from the node's memory. This results in a sequence of bits being sent over the link.
- The adaptor on node B then collects together the sequence of bits arriving on the link and deposits the corresponding frame in B's memory.
- Recognizing exactly what set of bits constitute a frame—that is, determining where the frame begins and ends—is the central challenge faced by the adaptor

Framing

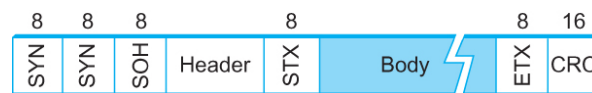
- Byte-oriented Protocols
 - To view each frame as a collection of bytes (characters) rather than bits
 - BISYNC (Binary Synchronous Communication) Protocol
 - Developed by IBM (late 1960)
 - DDCMP (Digital Data Communication Protocol)
 - Used in DECNet

Framing

- BISYNC – sentinel approach
 - Frames transmitted beginning with leftmost field
 - Beginning of a frame is denoted by sending a special SYN (synchronize) character
 - Data portion of the frame is contained between special sentinel character STX (start of text) and ETX (end of text)
 - SOH : Start of Header
 - DLE : Data Link Escape
 - Used to precede a data portion that is equivalent to ETX
 - Used to precede a data portion that is equivalent to DLE
 - CRC: Cyclic Redundancy Check

Framing

Chapter 2



BISYNC Frame Format

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5

Framing (point-to-point protocol)

Chapter 2

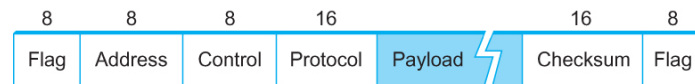
- Recent PPP which is commonly run over Internet links uses sentinel approach
 - Special start of text character denoted as Flag
0 1 1 1 1 1 0
 - Address, control : default numbers
 - Protocol for demux : IP / IPX
 - Payload : negotiated (default: 1500 bytes)
 - Checksum : for error detection
 - Several field sizes negotiated – Link control protocol (LCP)

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Framing

Chapter 2



PPP Frame Format

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Framing

Chapter 2

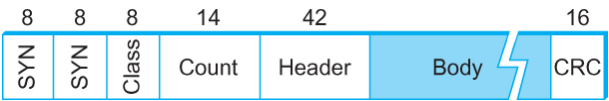
- Byte-counting approach
 - DDCMP (Digital Data Communication Message Protocol)
 - *count* : how many bytes are contained in the frame body
 - If *count* is corrupted
 - Framing error
 - Usually results in back-to-back frames received in error

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Framing

Chapter 2



DDCMP Frame Format

Framing

Chapter 2

- Bit-oriented Protocol
 - HDLC : High Level Data Link Control
 - Beginning and Ending Sequences
 - 0 1 1 1 1 1 0
 - Send 0 1 1 1 1 1 0 when idle



HDLC Frame Format

Framing

- HDLC Protocol – Sending Side
 - any time five consecutive 1's have been transmitted from the body of the message (i.e. excluding when the sender is trying to send the distinguished 01111110 begin/end sequence)
 - The sender inserts 0 before transmitting the next bit (bit stuffing)

Framing

- HDLC Protocol - On the receiving side
 - Receive 5 consecutive 1's
 - Next bit 0 : Stuffed, so discard it, continue with data
 - Next bit 1 : Either End of the frame marker,
Or Error introduced in the bitstream
 - Look at the next bit after the 6th 1
 - If 0 (01111110) → End of the frame marker
 - If 1 (01111111) → Error, discard the whole frame
 - The receiver needs to wait for next 01111110 before it can start receiving again

Framing

- Bit stuffing and Character stuffing
 - Frame size dependent on data sent
 - Not possible to make all frames the same size

Clock Based Framing (SONET)

- Synchronous Optical Network
- Designed for phone company use
- Designed to multiplex several low-speed links on to one high-speed link
- STS-1 lowest SONET link (51.84 Mbps)
 - Frame is 9 rows of 90 bytes (810 bytes)
 - First 3 bytes of each row are overhead
 - First 2 bytes of the frame are a special bit pattern used for synchronization

Clock Based Framing (SONET)

- In general, SONET is extremely complex
- Overhead bytes are sent NRZ
- Payload bytes are XOR'd with a 127 bit sequence to ensure transitions
- Each SONET frame is 125 micro seconds
 - STS-1 (51.84 Mbps): 810 bytes
 - STS – 48 (2488.32 Mbps): 38,880 bytes

Clock Based Framing (SONET)

- STS – N
 - Consist of N STS-1 frames
 - All of the STS – 1 frames are interleaved
 - Each STS -1 frame is received at the STS-1 rate
 - Reduces effect of burst noise

Error Detection

- Bit errors are introduced into frames
 - Because of electrical interference
 - Because of thermal noises
- Need a mechanism to
 - Detect any errors
 - Notify of or correct errors

Error Detection

- Two approaches when the recipient detects an error
 - Notify the sender that the message was corrupted, so the sender can send again.
 - If the error is rare, then the retransmitted message will be error-free
 - Using some error correct detection and correction algorithm, the receiver reconstructs the message

Error Detection

- Common techniques for detecting transmission error
 - CRC (Cyclic Redundancy Check)
 - Used in HDLC, DDCMP, CSMA/CD, Token Ring
 - Two Dimensional Parity (BISYNC)
 - Checksum (IP)

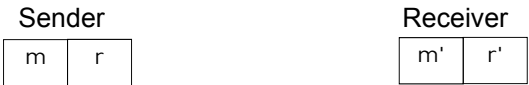
Error Detection

- Basic Idea of Error Detection
 - Add redundant information to a frame that can be used to determine if errors have been introduced
 - Extreme Case: Transmitting two complete copies of data
 - Identical → No error
 - Differ → Error
 - Poor Scheme? – not very efficient
 - n bit message, n bit redundant information
 - Error can go undetected
 - In general, we can provide strong error detection technique
 - k redundant bits, n bits message, $k \ll n$
 - In Ethernet, a frame carrying up to 12,000 bits of data requires only 32-bit CRC

Error Detection

Chapter 2

- Extra bits are redundant
 - They add no new information to the message
 - Derived from the original message using some algorithm
 - Both the sender and receiver know the algorithm



Receiver receives m' and r' computes r using m'
If the computed r matches the received r' , then message is assumed to be error free

Two-dimensional parity

Chapter 2

- Two-dimensional parity is exactly what the name suggests
- It is based on “simple” (one-dimensional) parity, which usually involves adding one extra bit to a 7-bit code to balance the number of 1s in the byte. For example one-dimensional parity is,
 - Odd parity sets the eighth bit to 1 if needed to give an odd number of 1s in the byte, and
 - Even parity sets the eighth bit to 1 if needed to give an even number of 1s in the byte

Two-dimensional parity

Chapter 2

- Two-dimensional parity does a similar calculation for each bit position across each of the bytes contained in the frame
- This results in an extra parity byte for the entire frame, in addition to a parity bit for each byte
- Two-dimensional parity catches all 1-, 2-, and 3-bit errors and most 4-bit errors
- In the following example, 42 bits of data and 14 bits of parity (redundant bits)



23

Two-dimensional parity

Chapter 2

		Parity bits
Data	0101001	1
	1101001	0
	1011110	1
	0001110	1
	0110100	1
	1011111	0
Parity byte	1111011	0

Two Dimensional Parity (using even parity)



24

Internet Checksum Algorithm

- Not used at the link level
- Add up all the words that are transmitted and then transmit the result of that sum
 - The result is called the checksum
- The receiver performs the same calculation on the received data and compares the result with the received checksum
- If any transmitted data, including the checksum itself, is corrupted, then the results will not match, so the receiver knows that an error occurred



25

Internet Checksum Algorithm

- Consider the data being checksummed as a sequence of 16-bit integers.
- Add them together using 16-bit ones complement arithmetic (explained next slide) and then take the ones complement of the result.
- That 16-bit number is the checksum
- Not a good detector of bit errors – however it is easy to implement in software



26

Internet Checksum Algorithm

- In ones complement arithmetic, a negative integer $-x$ is represented as the complement of x ;
 - Each bit of x is inverted.
- When adding numbers in ones complement arithmetic, a carryout from the most significant bit needs to be added to the result.



27

Internet Checksum Algorithm

- Consider, for example, the addition of -5 and -3 in ones complement arithmetic on 4-bit integers
 - $+5$ is 0101, so -5 is 1010; $+3$ is 0011, so -3 is 1100
- If we add 1010 and 1100 ignoring the carry, we get 0110
- In ones complement arithmetic, the fact that this operation caused a carry from the most significant bit causes us to increment the result, giving 0111, which is the ones complement representation of -8 (obtained by inverting the bits in 1000), as we would expect



28

Cyclic Redundancy Check (CRC)

Chapter 2

- Reduce the number of extra bits and maximize protection
- Given a bit string 110001 we can associate a polynomial on a single variable x for it.
 $1*x^5+1*x^4+0*x^3+0*x^2+0*x^1+1*x^0 = x^5+x^4+1$ and the degree is 5.
 A k -bit frame has a maximum degree of $k-1$
- Let $M(x)$ be a message polynomial and $C(x)$ be a generator polynomial – pulled from a table.



29

Cyclic Redundancy Check (CRC)

Chapter 2

- Let $M(x)/C(x)$ leave a remainder of 0.
- When $M(x)$ is sent and $M'(x)$ is received we have $M'(x) = M(x)+E(x)$
- The receiver computes $M'(x)/C(x)$ and if the remainder is nonzero, then an error has occurred.
- The only thing the sender and the receiver should know is $C(x)$.



30

Cyclic Redundancy Check (CRC)

Chapter 2

Polynomial Arithmetic Modulo 2

- Any polynomial $B(x)$ can be divided by a divisor polynomial $C(x)$ if $B(x)$ is of higher degree than $C(x)$.
- Any polynomial $B(x)$ can be divided once by a divisor polynomial $C(x)$ if $B(x)$ is of the same degree as $C(x)$.
- The remainder obtained when $B(x)$ is divided by $C(x)$ is obtained by subtracting $C(x)$ from $B(x)$.
- To subtract $C(x)$ from $B(x)$, we simply perform the exclusive-OR (XOR) operation on each pair of matching coefficients.



31

Cyclic Redundancy Check (CRC)

Chapter 2

- Let $M(x)$ be a frame with m bits and let the generator polynomial have less than m bits say equal to k .
- Let r be the degree of $C(x)$ where $r = k-1$
- Append r zero bits to the low-order end of the frame, so it now contains $m+r$ bits and corresponds to the polynomial $x^r M(x)$.

If $M(x) = x^5 + x^4 + 1$ and $C(x) = x^3 + x^2 + 1 \rightarrow r=3$

Then $x^r M(x) = x^8 + x^7 + x^3$



32

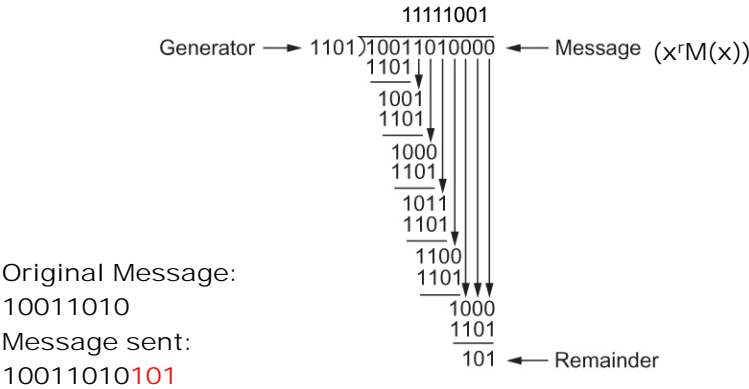
Cyclic Redundancy Check (CRC)

Chapter 2

- Divide the bit string corresponding to $x^rM(x)$ by the bit string corresponding to $C(x)$ using modulo 2 division.
- Subtract the remainder (which is always r or fewer bits) from the string corresponding to $x^rM(x)$ using modulo 2 subtraction (addition and subtraction are the same in modulo 2).
- The result is the checksummed frame to be transmitted. Call it polynomial $M'(x)$.

Cyclic Redundancy Check (CRC)

Chapter 2



CRC Calculation using Polynomial Long Division

Cyclic Redundancy Check (CRC)

Chapter 2

- Properties of Generator Polynomial
 - Let $P(x)$ represent what the sender sent and $P(x) + E(x)$ is the received string. A 1 in $E(x)$ represents that in the corresponding position in $P(x)$ the bit is flipped.
 - We know that $P(x)/C(x)$ leaves a remainder of 0, but if $E(x)/C(x)$ leaves a remainder of 0, then either $E(x) = 0$ or $C(x)$ is factor of $E(x)$.
 - When $C(x)$ is a factor of $E(x)$ we have problem; errors go unnoticed.
 - If there is a single bit error then $E(x) = x^i$, where i determines the bit in error. If $C(x)$ contains two or more terms it will never divide $E(x)$, so all single bit errors will be detected.



35

Cyclic Redundancy Check (CRC)

Chapter 2

- Properties of Generator Polynomial
 - In general, it is possible to prove that the following types of errors can be detected by a $C(x)$ with degree r (book uses k here) with the stated properties
 - All single-bit errors, as long as the x^r and x^0 terms have nonzero coefficients.
 - All double-bit errors, as long as $C(x)$ has a factor with at least three terms.
 - Any odd number of errors, as long as $C(x)$ contains the factor $(x+1)$.
 - Any “burst” error (i.e., sequence of consecutive error bits) for which the length of the burst is less than r bits. (Most burst errors of larger than r bits can also be detected.)



36

Cyclic Redundancy Check (CRC)

Chapter 2

- Six generator polynomials that have become international standards are:
 - CRC-8 = $x^8 + x^2 + x + 1$
 - CRC-10 = $x^{10} + x^9 + x^5 + x^4 + x + 1$
 - CRC-12 = $x^{12} + x^{11} + x^3 + x^2 + x + 1$
 - CRC-16 = $x^{16} + x^{15} + x^2 + 1$
 - CRC-CCITT = $x^{16} + x^{12} + x^5 + 1$
 - CRC-32 =
 $x^{32} + x^{26} + x^{23} + x^{22} + x^{16} + x^{12} + x^{11} + x^{10} + x^8 + x^7 + x^5 + x^4 + x^2 + x + 1$