#### **CPE 431/531**

### **Chapter 3 – Arithmetic for Computers**

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#### 3.1 Introduction

Bits are bits, what is important is how they are \_\_\_\_\_\_.

- You may have an \_\_\_\_\_\_.
- You may have a \_\_\_\_\_(integer).
- You may have an \_\_\_\_\_(integer).
- You may have a \_\_\_\_\_\_.



# 3.5 Floating Point - Basics

- Floating-point numbers are represented in \_\_\_\_\_notation
- Floating-point numbers use \_\_\_\_\_representation.
- In general, floating-point numbers are of the form
- There is a tradeoff between \_\_\_\_\_ and \_\_\_\_\_
  - More \_\_\_ bits gives you more \_\_\_\_\_
  - More \_\_\_ bits gives you more \_\_\_\_\_
- IEEE defines two types of floating-point numbers
  - Single Precision
  - Double Precision



### 3.5 Floating Point – More of the Story

IEEE 754 Floating	g Point Standard		
Adding a	to the exponent simplifies		
The leading one is			
Representati	on expanded		

Example: Represent -0.75 in single and double precision



# 3.5 Floating Point – More Examples

Example: What decimal number is represented by this single precision float? 0x4493 AB00



#### 3.6 Subword Parallelism

systems originally used 8 bits to represent and
B bits to represent
Support for led to 16 bits of information.
Subword items have been supported for a long time in
Graphics processing called for on subword items.
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Often the same operation is performed on () of data.
L28 bit adders can handle (Data Level Parallelism)
bit operands



#### 3.9 Fallacies and Pitfalls

Pitfall: Floating-point addition is not	
Because floating-point numbers are	of real
numbers and because computer arithmetic has	
, associativity does not hold for floating	g-point
numbers.	
$y = -1.5  ext{ } y = 1.5  ext{ } y = 1.5  ext{ } y = 1.0$	

$$x = -1.5_{10} \times 10^{38}$$
,  $y = 1.5_{10} \times 10^{38}$ ,  $z = 1.0$ 

Fallacy: Parallel exec	cution strategies that work for	data
types also work for <sub>_</sub>	data types.	
Results may be	but not .	