

# MTX - 3.4

## C ANSI/C++ BLAS-3 API

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Macro/Function/Keyword	Description	MATLAB Eq.
Generation		
<b>matrix</b> VAR=NULL <b>mtxdef</b> (VAR)	Matrix MTX type definition Keyword. <b>matrix</b> keyword, defines unallocated variables. Always initialize matrix-type MTX variables to NULL Use <b>mtxdef</b> to define an allocated empty MATRIX by default.	VAR=[];
<b>M=mtx_new</b> (n,m)	Returns a matrix $M$ of $m \times n$ dimensions (initialized on 0)	M=zeros(n,m)
<b>M=mtx_init</b> (n,m,initval)	Returns a matrix $M$ of $m \times n$ dimensions initialized on <i>initval</i>	M=initval*ones(n,m)
<b>M=mtx_rand</b> (n,m)	Returns a matrix $M$ of $m \times n$ dimensions containing pseudorandom values drawn from the standard uniform distribution on the open interval (0,1)	M=rand(n,m)
<b>M=mtx_1dtomtx</b> (A)	Allocates a MTX matrix from the 1D array $A$	
<b>M=mtx_2dtomtx</b> (A)	Allocates a MTX matrix from the 2D array $A$	
<b>M=mtx_eye</b> (n,alpha)	Returns the $n \times n$ identity matrix $M = \alpha I$ . $\alpha$ is scalar and $I$ represents the identity matrix	M=alpha*eye(n)
<b>mtx_del</b> (M)	Releases the specified block of memory generated by M, back to the heap	clear M
<b>M=mtx_cpy</b> (A)	Generates a copy of matrix $A$ into $M$ .	M=A
<b>mtx_memcpy</b> (M,A)	Generates a copy of matrix $A$ into $M$ . (M is allocated, and has the same dimensions of $A$ )	M=A
Indexing		
<b>x=A-&gt;pos</b> [r][c]	Get the element at index <i>row-r</i> and <i>column-c</i>	x=A(r,c)
<b>A-&gt;pos</b> [r][c] = value	Set a single element at index <i>row-r</i> and <i>column-c</i>	A(r,c)=value
<b>M=mtx_submatget</b> (A,r1,r2,c1,c2)	Get submatrix $M \leftarrow A$ ( $M$ from $A$ ), from rows $r1$ to $r2$ and columns $c1$ to $c2$	A(r1:r2,c1:c2)
<b>M=mtx_getrow</b> (A,r)	Get the $r$ -row from matrix $A$	M=A(r,:)
<b>M=mtx_getcol</b> (A,c)	Get the $c$ -column from matrix $A$	M=A(:,c)
<b>M=mtx_getrows</b> (A,r1,r2)	Get rows from matrix $A$ . From rows $r1$ to $r2$	M=A(r1:r2,:)
<b>M=mtx_getcols</b> (A,c1,c2)	Get columns from matrix $A$ . From columns $c1$ to $c2$	M=A(:,c1:c2)
<b>mxt_submatset</b> (M,A,r1,r2,c1,c2)	Put submatrix $A$ into $M$ from row $f1$ to row $f2$ and cols $c1$ to col $c2$	M(r1:r2,c1:c2)=A

<b>mtx_setrow(M,A,r)</b>	Set the $r$ -row from matrix $M$ , with the row vector $A$	$M(r,:)=A$
<b>mtx_setcol(M,A,c)</b>	Set the $c$ -column from matrix $M$ , with the column vector $A$	$M(:,c)=A$
<b>Basic information</b>		
<b>x=mtx_isempty(M)</b>	TRUE if $M$ is an empty matrix	<b>isempty(M)</b>
<b>x=mtx_isrow(M)</b>	TRUE if $M$ is a row vector	<b>isrow(M)</b>
<b>x=mtx_iscolumn(M)</b>	TRUE if $M$ is a column vector	<b>iscolumn(M)</b>
<b>x=mtx_isvector(M)</b>	TRUE if $M$ is vector	<b>isvector(M)</b>
<b>x=mtx_numel(M)</b>	Number of elements in matrix $M$	<b>x=numel(M)</b>
<b>x=mtx_length(M)</b>	Largest matrix dimension of $M$	<b>x=length(M)</b>
<b>x=mtx_det(M)</b>	Determinant of matrix $M$	<b>x=det(M)</b>
<b>x=mtx_trace(M)</b>	Trace of matrix $M$	<b>x=trace(M)</b>
<b>D=mtx_diag(M)</b>	Returns a column vector with all diagonal elements of $M$	<b>D=diag(M)</b>
<b>M=mtx_produ(A)</b>	Product of matrix elements - by columns	<b>M=prod(A)</b>
<b>x=mtx_cumprod(A)</b>	Total product of matrix elements	<b>x=prod(A(:))</b>
<b>M=mtx_sum(A)</b>	Sum of matrix elements - by columns	<b>M=sum(A)</b>
<b>x=mtx_cumsum(A)</b>	Total sum of matrix elements	<b>x=sum(A(:))</b>
<b>M=mtx_mean(A)</b>	Mean of matrix elements – by columns	<b>M=mean(A)</b>
<b>M=mtx_max(A)</b>	If $A$ is a vector, returns the largest element in $A$ . If $A$ is a matrix, treats the columns of $A$ as vectors, returning a row vector containing the maximum element from each column.	<b>M=max(A)</b>
<b>x=mtx_cummax(A)</b>	Largest element in matrix	<b>x=max(A(:))</b>
<b>M=mtx_min(A)</b>	If $A$ is a vector, returns the smallest element in $A$ . If $A$ is a matrix, treats the columns of $A$ as vectors, returning a row vector containing the smallest element from each column.	<b>M=min(A)</b>
<b>x=mtx_cummin(A)</b>	Smallest element in matrix	<b>x=min(A(:))</b>
<b>BLAS-Operations</b>		
<b>M=mtx_t(A)</b>	Returns the transpose of $A$	<b>M=A'</b>
<b>M=mtx_gadd(alpha,A,beta,B)</b>	Returns $M=\alpha A + \beta B$ $\alpha$ and $\beta$ are scalars, and $A$ and $B$ matrices.	<b>M=alpha*A+beta*B</b>
<b>M=mtx_prod(alpha,A,B)</b>	Returns matrix Multiplication $M=\alpha AB$	<b>M=alpha*A*B</b>

	$\alpha$ is scalar, $A$ and $B$ matrices.	
<b>ret=mtx_dgemm(alpha,A,TA,B,TB,beta,C)</b>	Computes $C = \alpha AB + \beta C$ and related operations. $\alpha$ and $\beta$ are scalars, and $A$ , $B$ and $C$ are matrices. $TA = \text{'T' or 't'}$ $\rightarrow A$ is considered transposed ( $A^T$ ). $TB = \text{'T' or 't'}$ $\rightarrow B$ is considered transposed ( $B^T$ ). On success, returns (0) and matrix $C$ is overwritten, otherwise returns (-1).	$C = \alpha A * B + \beta * C$ $C = \alpha A' * B + \beta * C$ $C = \alpha A * B' + \beta * C$ $C = \alpha A' * B' + \beta * C$
<b>M=mtx_powui(A,n)</b>	Returns $A^n$ (Matrix power - n must be an unsigned int and $A$ an square matrix)	$M=A^n$
<b>M=mtx_ptpprod(A,B)</b>	Returns $A.B$ (point by point product) ( $A$ and $B$ must have the same dimensions)	$M=A.*B$
<b>M=mtx_koper(A,Op,beta)</b>	Returns standard scalar matrix operations. $C = A(Op)\beta$ Related operations (Op) = '+', '-', '*', '/' and '^' (power) Example: <b>M=mtx_koper(A,'+',beta);</b>	$M=A+\beta$ $M=A-\beta$ $M=A*\beta$ $M=A/\beta$ $M=A^\beta$
<b>M=mtx_inv(A)</b>	Returns $A^{-1}$ (Matrix inverse)	$M=\text{inv}(A)$
<b>M=mtx_linsolve(A,B)</b>	Returns $M = A^{-1}B$	$M=\text{inv}(A)*B$ $M=A \setminus B$
<b>mtx_lu(L,U,A)</b>	Expresses the matrix $A$ , as the product of two essentially triangular matrices, one of them, a permutation of a lower triangular matrix and the other an upper triangular matrix. ( $L$ and $U$ , must be allocated previously and must have the same dimensions of $A$ )	$[L,U] = \text{lu}(A)$
<b>Q=mtx_qr(A,R)</b>	Orthogonal-triangular decomposition. ( $R$ is allocated previously and must have the same dimensions of $A$ )	$[Q,R]=\text{qr}(A)$
<b>M=mtx_rpinv(A)</b>	Returns the Moore-Penrose right pseudoinverse	
<b>M=mtx_lpinv(A)</b>	Returns the Moore-Penrose left pseudoinverse	
<b>M=mtx_expm(A, alpha)</b>	Returns matrix exponential $e^{\alpha A}$ . <b>mtx_expm</b> uses the Padé approximation with scaling and squaring.	$M=\text{expm}(\alpha * A)$
<b>M=mtx_fxptp(A, fx)</b>	Returns function $fx$ evaluated for each element of matrix $A$ Examples: <b>M=mtx_fxptp(A, sin);</b> $\rightarrow$ Element-wise sine <b>M=mtx_fxptp(A, fabs);</b> $\rightarrow$ Element-wise absolute value	$M=\text{fx}(A)$
<b>Manipulation</b>		
<b>M=mtx_vcat(A,B)</b>	Returns $[A ; B]$ (Vertical concatenation - append by columns)	$M=[A;B]$

<b>M=mtx_hcat(A,B)</b>	Returns $[A \text{ , } B]$ (Horizontal concatenation - append by rows)	<b>M=[A,B]</b>
<b>M=mtx_vcatn(A,B,C,...,X,Y,Z,NULL)</b>	Return $[A \text{ ; } B \text{ ; } C; \dots \text{ , } X \text{ ; } Y \text{ ; } Z]$ (Vertical concatenation - append by columns)	<b>M=[A;B;C;...;X;Y;Z]</b>
<b>M=mtx_hcatn(A,B,C,...,X,Y,Z,NULL)</b>	Return $[A \text{ , } B \text{ , } C, \dots \text{ , } X \text{ , } Y \text{ , } Z]$ (Horizontal concatenation - append by rows)	<b>M=[A,B,C,...,X,Y,Z]</b>
Visualization		
<b>mtx_disp(A)</b>	Display matrix $A$	<b>disp(A)</b>
<b>mtx_show(A)</b>	Display matrix with variable name	