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Exp 6

```
from Crypto.Cipher import DES from Crypto.Util.Padding import pad, unpad
```

```
key = b'8bytekey'          # 8 bytes key text =  
b'HELLO123'                # Plaintext (must be bytes)  
cipher = DES.new(key, DES.MODE_ECB)
```

```
encrypted = cipher.encrypt(pad(text, 8)) print("Encrypted:",  
encrypted)
```

```
decipher = DES.new(key, DES.MODE_ECB)  
decrypted = unpad(decipher.decrypt(encrypted),  
8) print("Decrypted:", decrypted) Exp 7 def  
des_encrypt(text, key):  
    encrypted = ""    for i  
in range(len(text)):  
    encrypted += chr(ord(text[i]) ^ ord(key[i % len(key)])) # XOR encryption  
return encrypted
```

```
def des_decrypt(encrypted, key):  
    return des_encrypt(encrypted, key) # XOR is reversible
```

```

# Example plaintext =
"HELLODES" key =
"8bytekey"

encrypted = des_encrypt(plaintext, key) print("Encrypted (hex):",
".join(f'{ord(c):02x}' for c in encrypted)) # Display in hex

decrypted = des_decrypt(encrypted, key)
print("Decrypted:", decrypted)

```

Exp 8

# Prime number and primitive root

$p = 23$   $g = 5$

# Private keys (chosen secretly)

$a = 6$  # Alice  $b = 15$  # Bob

# Public keys (shared openly)

$A = \text{pow}(g, a, p)$  # Alice's public key

$B = \text{pow}(g, b, p)$  # Bob's public key

# Shared secret (calculated independently)

$\text{secret\_a} = \text{pow}(B, a, p)$   $\text{secret\_b} =$

$\text{pow}(A, b, p)$

```
# Output print("Shared Secret (Alice):",
secret_a) print("Shared Secret (Bob):",
secret_b) Exp 9 import hashlib
```

```
def generate_md5_hash(text):
    hash_object = hashlib.md5(text.encode())
    md5_hash = hash_object.hexdigest()
    return md5_hash
```

```
message = "HelloWorld" hashed =
generate_md5_hash(message)
```

```
print("Original Message:", message)
print("MD5 Hash:", hashed) Exp 10
import hashlib
```

```
def generate_sha1_hash(text):

    hash_object = hashlib.sha1(text.encode())
    sha1_hash = hash_object.hexdigest()
    return sha1_hash
```

```
# Example usage message =
"HelloWorld" hashed =
generate_sha1_hash(message)
```

```

print("Original Message:", message)

print("SHA-1 Hash:", hashed) Exp

11 from Crypto.Cipher import
DES3 from Crypto.Util.Padding
import pad, unpad from
Crypto.Random import
get_random_bytes

# Key and IV key = DES3.adjust_key_parity(get_random_bytes(24)) # 3DES requires
a 24-byte key iv = get_random_bytes(8)

# Data to encrypt data = b"Encrypt this message
using 3DES CBC!"

# Encrypt cipher_encrypt = DES3.new(key, DES3.MODE_CBC,
iv) ciphertext = cipher_encrypt.encrypt(pad(data,
DES3.block_size))

# Decrypt cipher_decrypt = DES3.new(key, DES3.MODE_CBC, iv)
plaintext = unpad(cipher_decrypt.decrypt(ciphertext),
DES3.block_size)

print("Ciphertext:", ciphertext.hex())
print("Decrypted:",
plaintext.decode()) Exp 12 def
gcd_ext(a, b):

```

```

    if b == 0: return a, 1, 0
    g, x1, y1 = gcd_ext(b, a % b)
    return g, y1, x1 - (a // b) * y1

```

```

def modinv(e, phi):
    g, x, _ = gcd_ext(e, phi)
    return x % phi if g == 1 else None

```

```

def find_factors(n):
    for i in range(2, int(n**0.5)+1):
        if n % i == 0:
            return i, n // i

```

```

# Given e, n = 31,
3599 p, q =
find_factors(n) phi =
(p - 1) * (q - 1) d =
modinv(e, phi)

```

```

print(f"Public Key (e, n): ({e}, {n})")
print(f"Private Key d: {d}")
print(f"Factors p, q: {p}, {q}")
print(f" $\phi(n)$ : {phi}")
Exp 13 import
math

```

```

# Given public key n
= 3599 # n = p * q

```

e = 31

# Let's say someone gives a plaintext block m

m = 177 # Assume this shares a factor with n

Try to factor n using GCD g = math.gcd(m, n)

if 1 < g < n:

p = g

q = n // g

phi = (p - 1) \* (q - 1)

# Compute private key d

def modinv(a, m):

def egcd(a, b):

if b == 0: return a, 1, 0

g, y, x = egcd(b, a % b) return

g, x, y - (a // b) \* x g, x, \_ =

egcd(a, m) return x % m if g ==

1 else None

d = modinv(e, phi)

print(f'Found p = {p}, q = {q}')

print(f'Private key d = {d}') else:

print("No common factor found. RSA still secure.")

Exp 14 import math

```
# Given public key n
```

```
= 3599 # n = p * q e
```

```
= 31
```

```
# Let's say someone gives a plaintext block m m
```

```
= 177 # Assume this shares a factor with n
```

```
# Try to factor n using GCD g
```

```
= math.gcd(m, n)
```

```
if 1 < g < n:
```

```
    p = g
```

```
    q = n // g
```

```
    phi = (p - 1) * (q - 1)
```

```
    # Compute private key d
```

```
def modinv(a, m):    def
```

```
    egcd(a, b):
```

```
        if b == 0: return a, 1, 0
```

```
    g, y, x = egcd(b, a % b)    return
```

```
    g, x, y - (a // b) * x    g, x, _ =
```

```
    egcd(a, m)    return x % m if g ==
```

```
1 else None
```

```
    d = modinv(e, phi)
```

```
    print(f'Found p = {p}, q = {q}')    print(f'Private key d = {d}') else:
```

```

    print("No common factor found. RSA still secure.")
Exp 15 def encrypt(m, e, n):    return pow(m, e, n)

# Simulate known RSA public key e =
17
n = 3233 # Large enough to seem secure

# Build lookup table for A-Z (0-25) lookup = {encrypt(m, e, n):
chr(m + ord('A')) for m in range(26)}

# Intercepted ciphertexts (simulate Alice's encrypted message) ciphertext_blocks
= [encrypt(ord(c) - ord('A'), e, n) for c in "HELLO"]

# Attacker decrypts using lookup table decrypted =
"".join(lookup[c] for c in ciphertext_blocks)
print("Decrypted:", decrypted)
Exp 16 # Public values a = 5
# primitive root mod q q =
23 # prime modulus

# Alice and Bob's secret values alice_secret
= 6
bob_secret = 15

# Exchange values alice_public =
pow(a, alice_secret, q) bob_public =
pow(a, bob_secret, q)

```



```
# Shared key alice_key = pow(bob_public,
alice_secret, q) bob_key =
pow(alice_public, bob_secret, q)
```

```
print("Shared key (Alice):", alice_key)
```

```
print("Shared key (Bob):", bob_key)
```

```
Exp 17 import random
```

```
def simulate_sha3():
```

```
    state = [[0] * 64 for _ in range(25)]    rate_lanes = 12 #
50% capacity, 50% rate (25 lanes total)    for i in
range(rate_lanes, 25):
```

```
        state[i] = [random.choice([0, 1]) for _ in range(64)]
```

```
    steps = 0    while not all(any(bit == 1 for bit in lane) for lane in
state[:rate_lanes]):
```

```
        steps += 1        for i in range(rate_lanes): # Flip random bits
in capacity lanes            state[i][random.randint(0, 63)] = 1
```

```
    return steps
```

```
steps_needed = simulate_sha3()
```

```
print(steps_needed) Exp 18 from
```

```
Crypto.Cipher import AES from
```

```
Crypto.Util.Padding import pad, unpad
```

```
import hashlib
```

```

def cbc_mac(key, message):
    cipher = AES.new(key, AES.MODE_CBC, iv=b'\x00' * 16)
    padded_message = pad(message.encode(), AES.block_size)
    mac = cipher.encrypt(padded_message)[-AES.block_size:]
    return mac

# Key and message X key
= b'Sixteen byte key'
X = "Hello1234"

# CBC MAC for one-block message X
T = cbc_mac(key, X) print("MAC for
X:", T.hex())

# Adversary computes MAC for X || (X ⊕ T)
X_xor_T = ".join(chr(ord(a) ^ ord(b)) for a, b in zip(X, T.decode()[:len(X)]))
message = X + X_xor_T mac_xt = cbc_mac(key, message)
print("MAC for X || (X ⊕ T):", mac_xt.hex())

Exp 19 from cryptography.hazmat.primitives.asymmetric import
dsa from cryptography.hazmat.primitives import hashes,
serialization

# Generate private key private_key =
dsa.generate_private_key(key_size=1024)

```

```
# Sign the same message twice message = b"Hello, DSA"
```

```
signature1 = private_key.sign(message,
```

```
hashes.SHA256()) signature2 =
```

```
private_key.sign(message, hashes.SHA256())
```

```
print("Signature 1:", signature1.hex()) print("Signature
```

```
2:", signature2.hex()) print("Are signatures different?",
```

```
signature1 != signature2) Exp 20 from collections import
```

```
Counter import string
```

```
# Standard English letter frequency (approx.)
```

```
ENGLISH_FREQ = "ETAOINSHRDLCLUMWFGYPBVKJXQZ"
```

```
# Function to score text based on frequency match def
```

```
score(text):
```

```
    freq = Counter(c for c in text.upper() if c.isalpha())    most_common =  
    ".join([pair[0] for pair in freq.most_common()])
```

```
    return sum([ENGLISH_FREQ.index(c) if c in ENGLISH_FREQ else 26 for c in  
    most_common[:6]])
```

```
# Frequency attack def
```

```
frequency_attack(ciphertext, top_n=10):
```

```
    cipher_freq = Counter(c for c in ciphertext.upper() if c.isalpha())
```

```
    cipher_letters = [pair[0] for pair in cipher_freq.most_common()]
```

```
    guesses = []
```

```

    for i in range(top_n):
        mapping = dict(zip(cipher_letters, ENGLISH_FREQ[i:] + ENGLISH_FREQ[:i]))
    plaintext = ''.join([mapping.get(c.upper(), c) for c in ciphertext])
    guesses.append((plaintext, score(plaintext)))

    guesses.sort(key=lambda x: x[1]) # Lower score = better match
    return [text for text, _ in guesses]

# Example usage ciphertext = "GSRH RH Z
HVXVGRLM ULI ZMW"
top_plaintexts = frequency_attack(ciphertext, top_n=10)

print("\nTop 10 Possible Plaintexts:")
for i, text in enumerate(top_plaintexts, 1):
    print(f'{i}. {text}')

```

Exp 21 from math

```

import gcd #
Encryption: C = (a *
p + b) % 26
def
encrypt(text, a, b):
if gcd(a, 26) != 1:
    raise ValueError("Invalid 'a': gcd(a, 26) must be 1 for one-to-one mapping.")
    return
''.join([chr((a * (ord(c) - 65) + b) % 26 + 65) if c.isalpha() else c for c in text.upper())])

# Modular inverse of a modulo 26
def modinv(a):
    for i in range(1,
26):
        if (a * i) % 26 == 1:

```

```

        return i

    raise ValueError("No modular inverse for given 'a'.")

# Decryption:  $P = a_{inv} * (C - b) \% 26$ 
def decrypt(cipher, a, b):
    a_inv = modinv(a)

    return ''.join([chr((a_inv * ((ord(c) - 65) - b)) \% 26 + 65) if c.isalpha() else c for c in cipher.upper()])

# Example usage a, b = 5, 8 # a must be
# coprime with 26
plain_text = "HELLO"
cipher_text = encrypt(plain_text, a, b)
decrypted_text = decrypt(cipher_text, a, b)

print("Plaintext:", plain_text)
print("Ciphertext:", cipher_text)
print("Decrypted:", decrypted_text)

# Exp 22 from cryptography.hazmat.primitives.asymmetric import dsa
from cryptography.hazmat.primitives import hashes, serialization

# Generate private key
private_key = dsa.generate_private_key(key_size=1024)

# Sign the same message twice
message = b"Hello, DSA"
signature1 = private_key.sign(message, hashes.SHA256())
signature2 = private_key.sign(message, hashes.SHA256())

```

```
print("Signature 1:", signature1.hex()) print("Signature  
2:", signature2.hex()) print("Are signatures different?",  
signature1 != signature2) Exp 23 from collections import  
Counter
```

```
# English letter frequency (most to least common)  
ENGLISH_FREQ = "ETAOINSHRDLCLUMWFGYPBVKJXQZ"
```

```
def frequency_attack(ciphertext, top_n=10):  
    ciphertext = ciphertext.upper()    cipher_freq = [c for c, _ in  
Counter(filter(str.isalpha, ciphertext)).most_common())    results = []  
    for i in range(top_n):  
        guess_map = dict(zip(cipher_freq, ENGLISH_FREQ[i:] + ENGLISH_FREQ[:i]))  
guess = ".join(guess_map.get(c, c) for c in ciphertext)    results.append(guess)  
return results
```

```
# UI ciphertext = input("Enter ciphertext: ") top_n =  
int(input("Top how many plaintexts to display? "))
```

```
print("\nTop guesses:") for i, guess in  
enumerate(frequency_attack(ciphertext, top_n), 1):  
    print(f'{i}. {guess}')
```

```
Exp 24 import math
```

```
# Number of unique letters in Playfair (I/J merged) n  
= 25
```

```
# Number of possible keys = 25! (all permutations of the 25 letters)
```

```
keyspace = math.factorial(n)
```

```
# Convert to power of 2: log2(25!) approx_power_of_2
```

```
= math.log2(keyspace)
```

```
print(f"Possible keys  $\approx 2^{\text{approx\_power\_of\_2:.2f}}$ ")
```

```
Exp 25
```

```
import numpy as np from
```

```
sympy import Matrix
```

```
# Convert letter to number (A=0,...Z=25) def
```

```
text_to_nums(text):
```

```
    return [ord(c) - ord('A') for c in text.upper() if c.isalpha()]
```

```
# Build matrix from pairs def
```

```
build_matrix(pairs):
```

```
    return np.array(pairs).reshape(2, 2).T
```

```
# Inverse mod 26 using sympy def
```

```
mod26_inv(matrix):
```

```
    return Matrix(matrix).inv_mod(26)
```

```
# Known plaintext-ciphertext pairs
```

```
plaintext = "HELP" ciphertext =
```

```
"ZEBB"
```

```
P = build_matrix(text_to_nums(plaintext)) # 2x2 plaintext matrix
```

```
C = build_matrix(text_to_nums(ciphertext)) # 2x2 ciphertext matrix
```

```
# Solve for key:  $K = C * P_{inv} \text{ mod } 26$ 
```

```
P_inv = mod26_inv(P)
```

```
K = (Matrix(C) * P_inv) % 26
```

```
print("Recovered Hill Cipher Key Matrix:") print(np.array(K).astype(int))
```