



电子与电气工程系  
Department of Electrical and  
Electronic Engineering

# Wafer

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**Lecturer: Mengyuan Hua**

# Summary

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- Wafer shaping
- Crystal defects
- Material properties

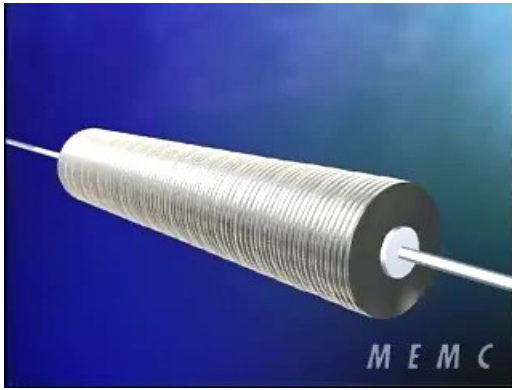


# Silicon Ingot

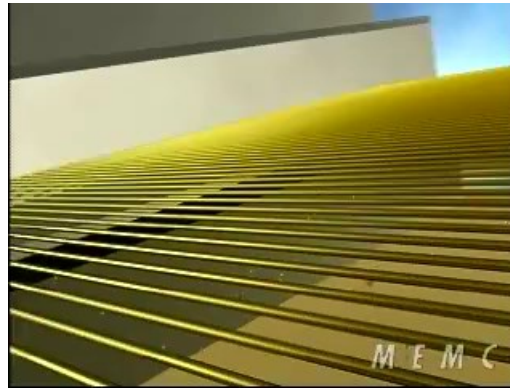


# From Ingots to Wafers

Many processing steps are needed to convert ingots into wafers for VLSI fabrication



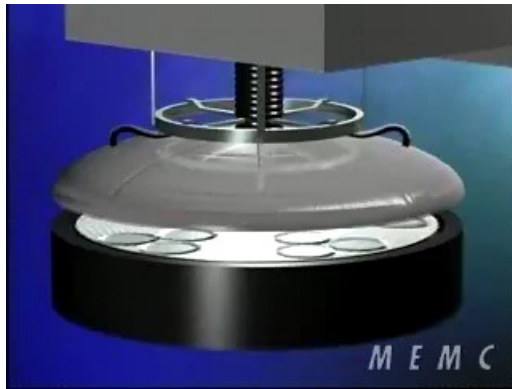
- Shaping ingot



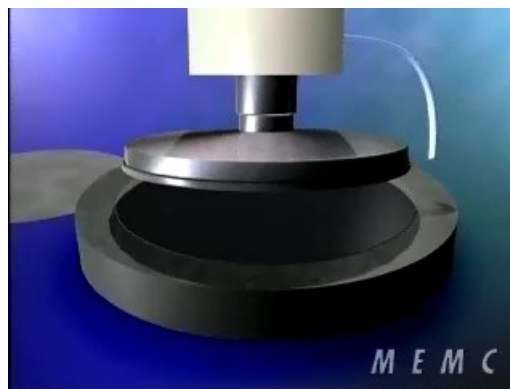
- Saw into wafers



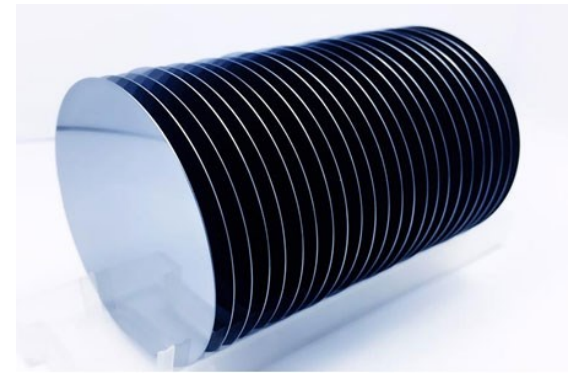
- Edge smoothing



- Flatness



- Polish

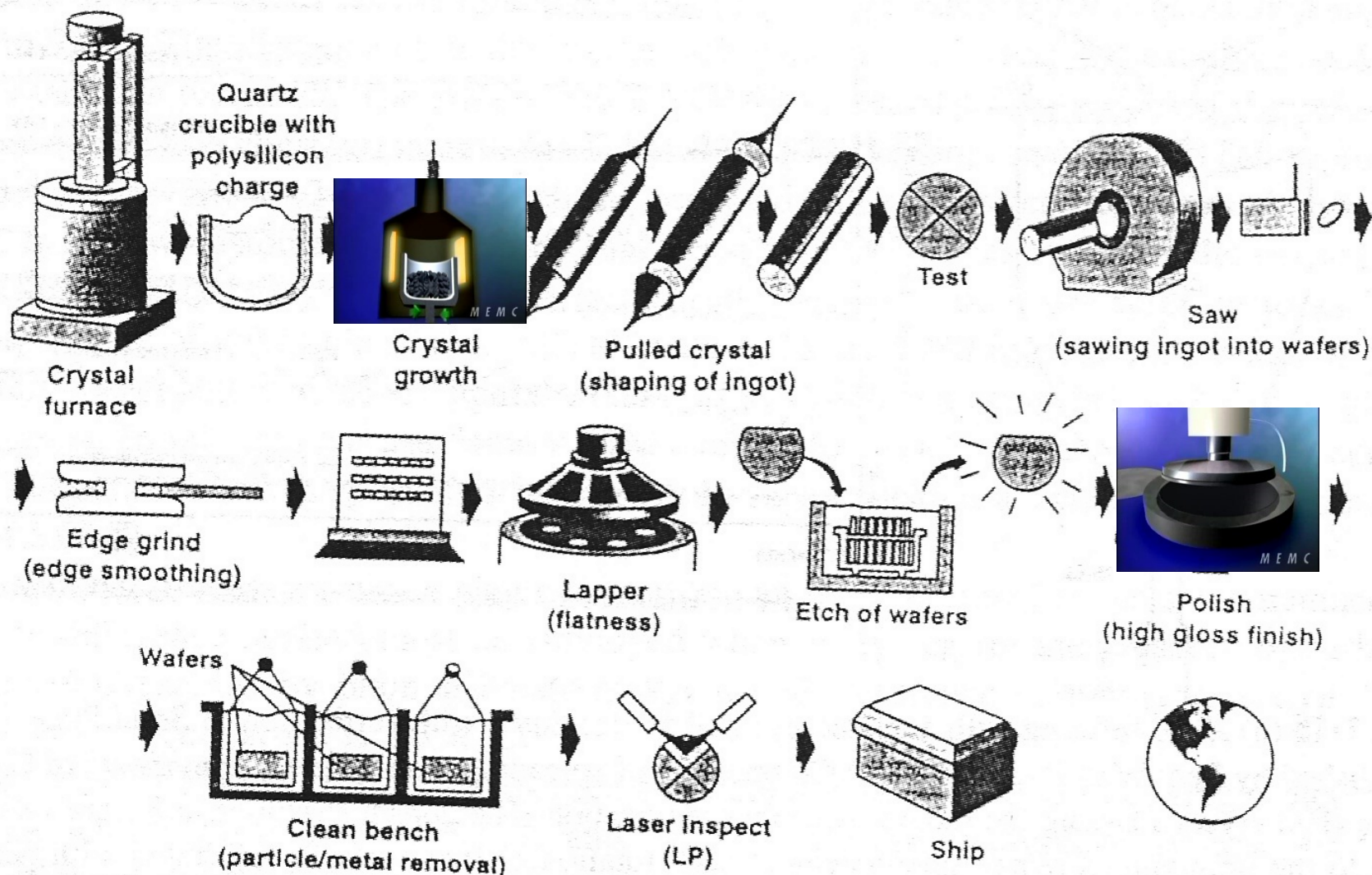


- Clean and Inspect



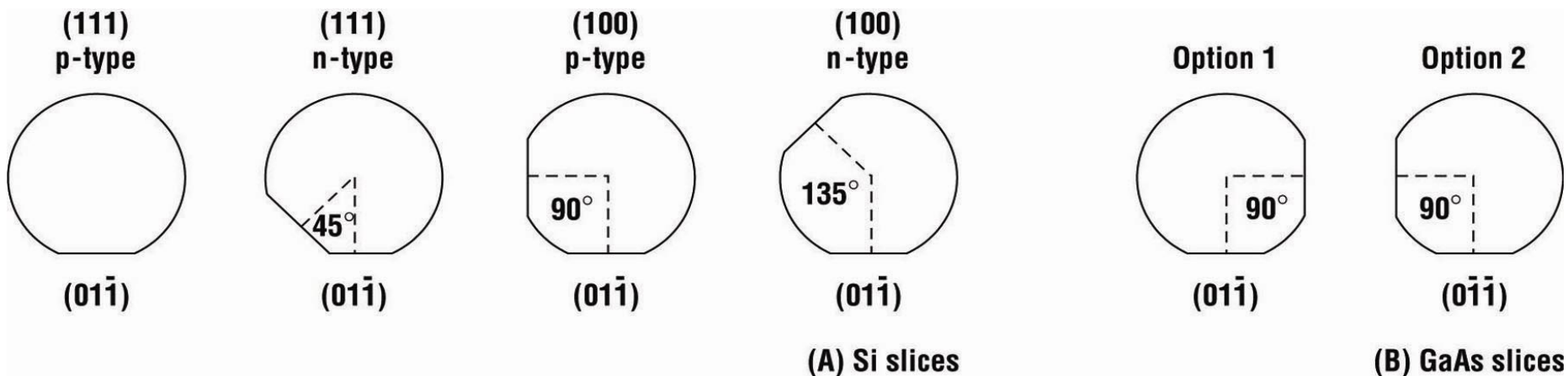
# Wafer Shaping

Many processing steps are needed to convert ingots into wafers for integrated circuit fabrication

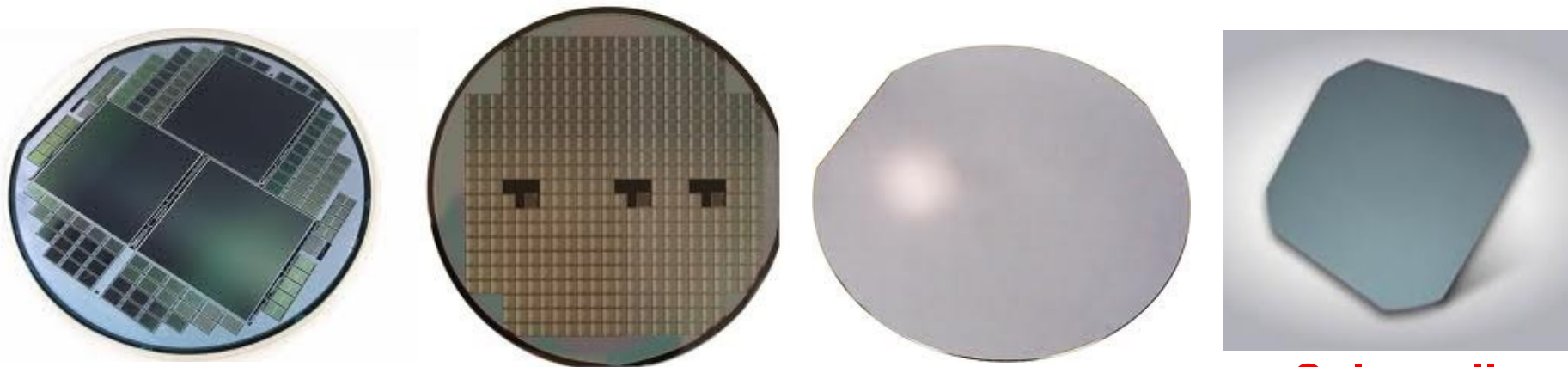


# Identifying Flats

Wafers are marked for doping type and crystal orientation

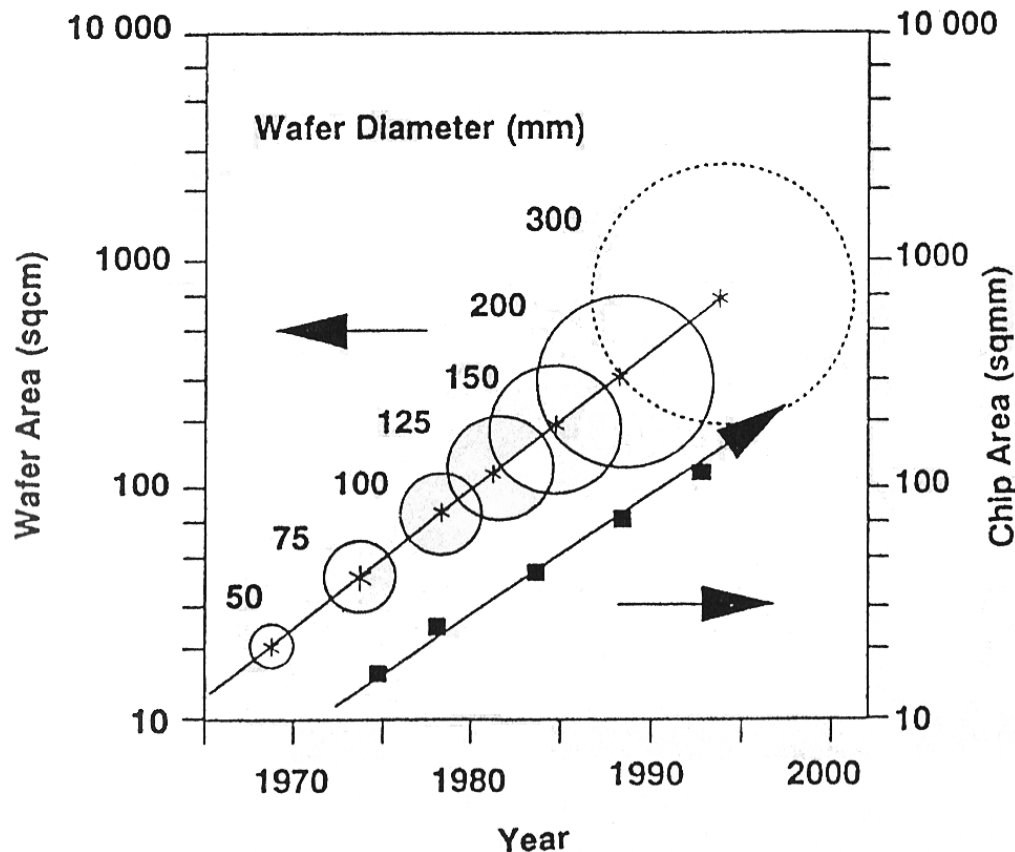


Standard flat orientations for different semiconductor wafers



**Solar cell**

# Trend in Wafer Sizes



Diameter	Area (Sq. Inches)
2 Inch	3.1
3 Inch	7.1
100mm	12.6
125mm	19.6
150mm	28.3
200mm	50.2
300mm	109.5

Diameter Increase	Percentage Area Increase
2" → 3"	125%
3" → 100 mm	78%
100 mm → 125 mm	56%
125 mm → 150 mm	44%
150 mm → 200 mm	78%
200 mm → 300 mm	125%

40% cost reduction for every new generation of wafer size



# State of the art Silicon wafers

Diameter	[mm]	150 / 200 / 300	$\pm 0.20$
Thickness	[ $\mu\text{m}$ ]	625 / 700 / 775	$\pm 10$
Bow	[ $\mu\text{m}$ ]	10	
Global flatness	[ $\mu\text{m}$ ]	3	
Microroughness	[nm RMS]	0.2	
Cleanliness	[partices/cm <sup>2</sup> ]	< 0.03	
Oxygen concentration	[ppma]	15-19 or (< 22)	$\pm 3\%$
Carbon concentration	[ppma]	< 3	
Bulk metal contamination	[ppba]	< 0.001	
Grown in dislocations	[1/cm <sup>2</sup> ]	< 0.1	
Cost	[\$ /cm <sup>2</sup> ]	0.2	





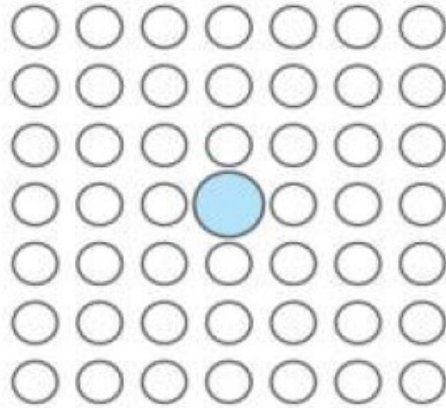
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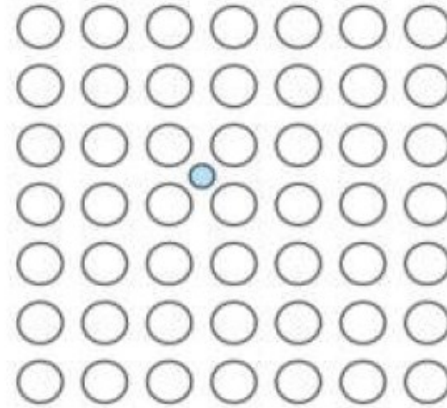
- Wafer shaping
- **Crystal defects**
- Material properties



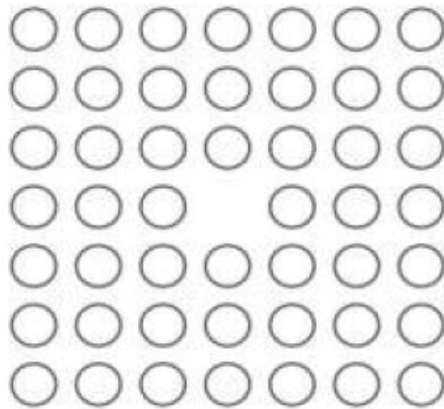
# Crystal Defects: Point Defects



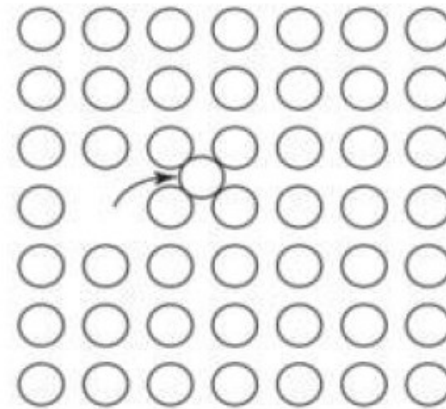
Substitutional impurity



Interstitial impurity

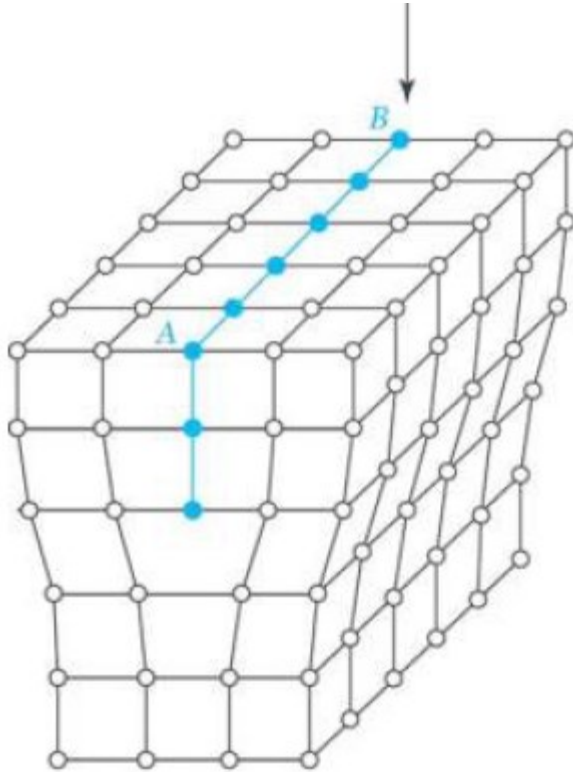


Lattice vacancy

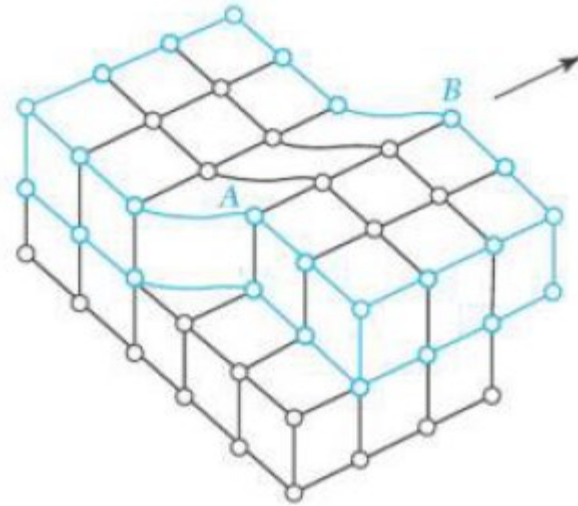


Frenkel-type defect

# Crystal Defects: Line Defects



Edge dislocation

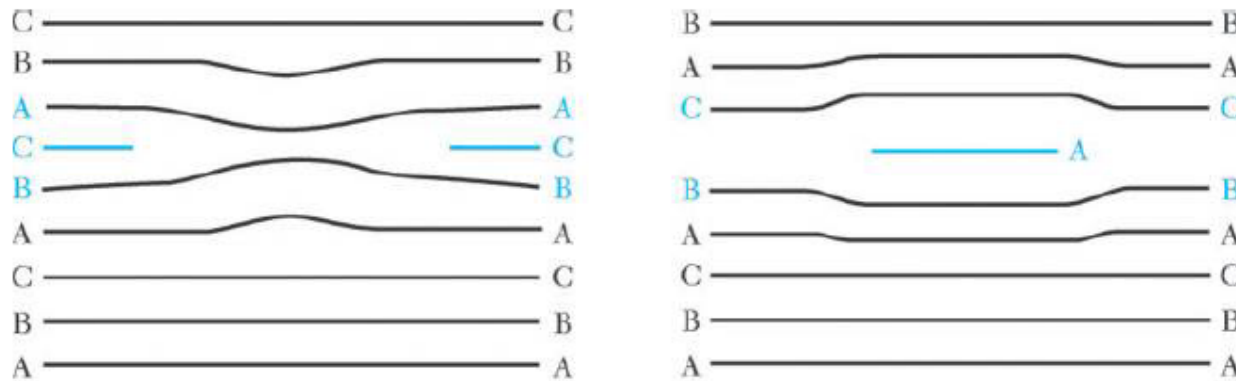


Screw dislocation

# Crystal Defects

## Area defect – 2-D

- Extend in two directions through crystal
- Example: stacking fault at polycrystalline grain boundaries

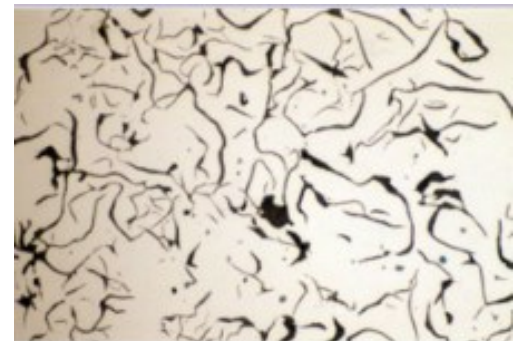


(a) Intrinsic stacking fault.

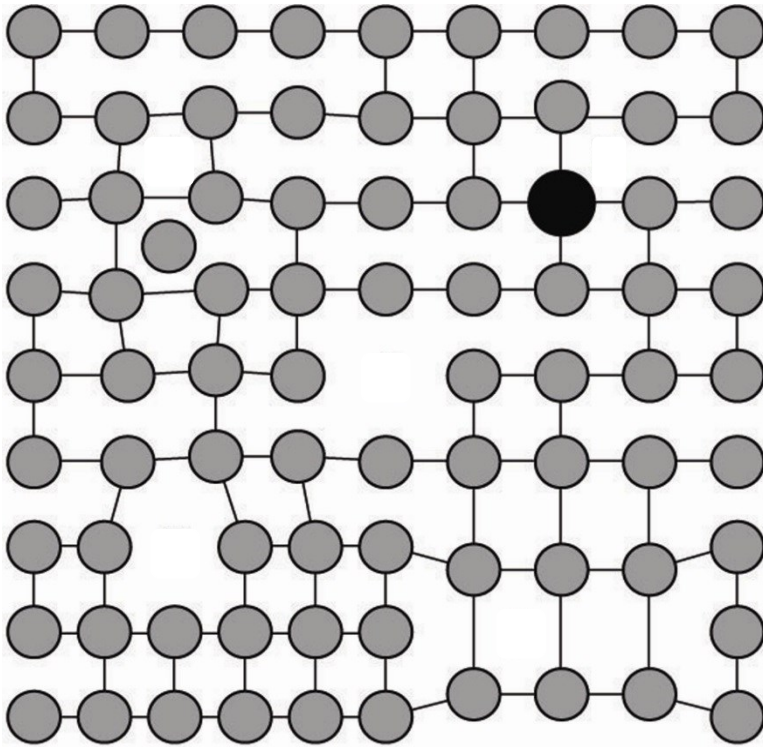
(b) Extrinsic stacking fault

## Volume defect -3-D

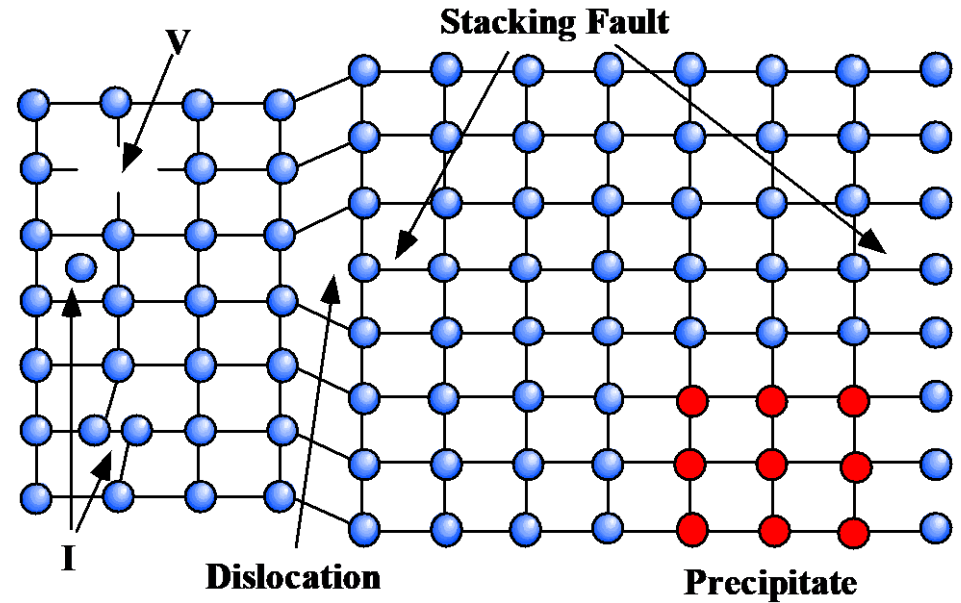
- Irregular structure in all three dimensions
- Example: impurity precipitate



# How many defects in Crystal Structures?



Simple 0- and 1-D semiconductor defects include: (A) vacancies, (B) self-interstitials, (C) substitutional impurities, (D) edge dislocations, and (E) dislocation loops.



Illustrations for vacancies (V), interstitials (I), dislocation, stacking fault and precipitate



# Defect Concentrations

- At any temperature other than 0 K, there exists thermal energy which can create vacancy and self-interstitial defects
- Vacancy and self-interstitial defects always exist, thus we call them **intrinsic defects**

**Vacancy concentration is described by an Arrhenius equation:**

$$N_v^o = N_o e^{-E_a/kT}$$

$N_o$ : the number density of atoms in crystal lattice (e.g., for Si, it is  $5.02 \times 10^{22} \text{ cm}^{-3}$ )

$E_a$ : the activation energy associated with the formation of a vacancy (2.6 eV for Si)

$K$ : the Boltzmann's constant ( $8.617 \times 10^{-5} \text{ eV/K}$ )

## Example

Find the vacancy concentration of silicon crystal at room temperature and at 1000°C.

Solution: At room temperature,  $kT = 8.617 \times 10^{-5} \times 298 = 0.0257 \text{ eV} = 25.7 \text{ meV}$

So,  $N_v^o = 5.02 \times 10^{22} \times e^{-2.6/0.0257} = 5.81 \times 10^{-22} \text{ cm}^{-3} \approx 0$

At 1000°C,  $kT = 8.617 \times 10^{-5} \times 1273 = 0.1097 \text{ eV}$ , so  $N_v^o = 5.02 \times 10^{22} \times e^{-2.6/0.1097} = 2.55 \times 10^{12} \text{ cm}^{-3}$

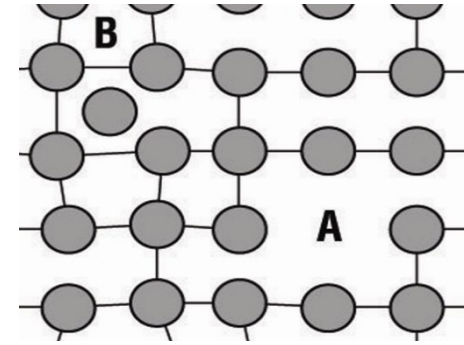
**How pure Si we need?**



# Defect Concentrations

**The defect sites can be charged when silicon is doped**

- Doping introduces extra electrons and holes into the silicon crystal
- At vacancy defect, silicon bonds are not saturated. Electrons can be captured to make the vacancy negatively charged or removed to make the vacancy defect positively charged



**The concentration of charged vacancies at equilibrium is described by:**

$$N_{v-}^o = N_v^o \frac{n}{n_i} e^{(E_i - E_v^-)/kT}$$

$$N_{v+}^o = N_v^o \frac{p}{n_i} e^{(E_v^+ - E_i)/kT}$$

$N_v^o$ : the total number density of vacancy defects

$E_v^-$ ,  $E_v^+$ : the energy levels associated with the negatively and positively charged vacancies

$n_i$ : the intrinsic carrier concentration at temperature T

# Outline

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- Wafer shaping
- Crystal defects
- **Material properties**



# Material Properties

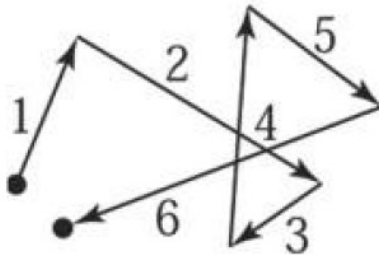
Property <sup>a</sup>	Characteristics		Requirements for ULSI
	Czochralski	Float zone	
Resistivity (phosphorus) <i>n</i> -type (ohm-cm)	1–50	1–300 and up	5–50 and up
Resistivity (antimony) <i>n</i> -type (ohm-cm)	0.005–10	—	0.001–0.02
Resistivity (boron) <i>p</i> -type (ohm-cm)	0.005–50	1–300	5–50 and up
Resistivity gradient (four-point probe) (%)	5–10	20	< 1
Minority carrier lifetime (μs)	30–300	50–500	300–1000
Oxygen (ppma)	5–25	Not detected	Uniform and controlled
Carbon (ppma)	1–5	0.1–1	< 0.1
Dislocation (before processing) (per cm <sup>2</sup> )	≤ 500	≤ 500	≤ 1
Diameter (mm)	Up to 200	Up to 100	Up to 300
Slice bow (μm)	≤ 25	≤ 25	< 5
Slice taper (μm)	≤ 15	≤ 15	< 5
Surface flatness (μm)	≤ 5	≤ 5	< 1
Heavy-metal impurities (ppba)	≤ 1	≤ 0.01	< 0.001

<sup>a</sup> ppma, parts per million atoms; ppba, parts per billion atoms.



# Resistivity: mobility

$$\mathcal{E} = 0$$



**Schematic path of an electron in a semiconductor. (a) Random thermal motion. (b) Combined motion due to random thermal motion and an applied electric field.**

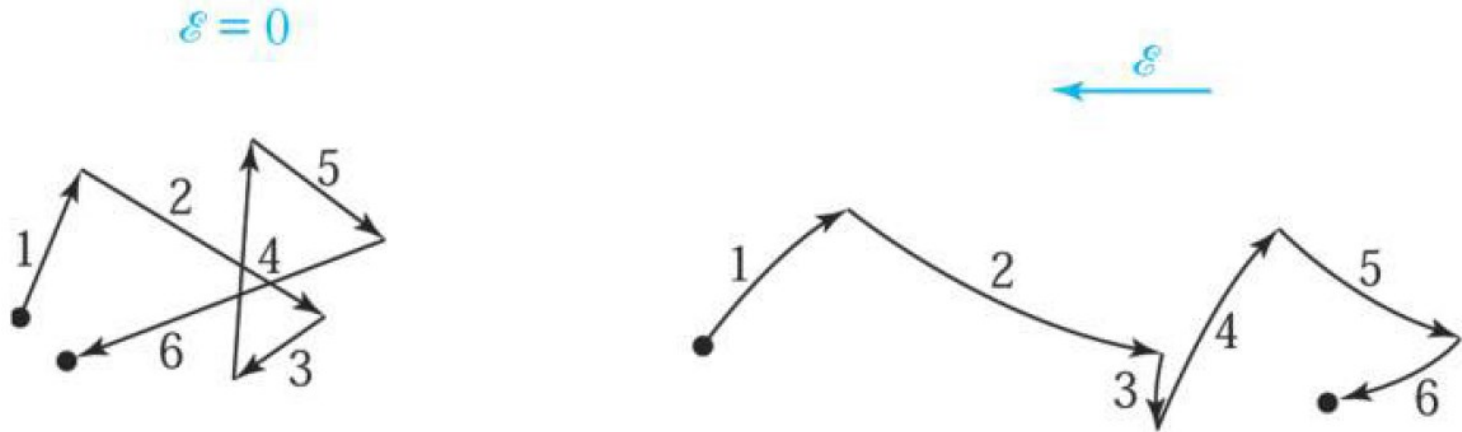
$$\frac{1}{2} m_n v_{th}^2 = \frac{3}{2} kT$$

thermal velocity =  $10^7$  cm/s

400 times of  
the fastest  
airplane!



# Resistivity : mobility



Schematic path of an electron in a semiconductor. (a) Random thermal motion. (b) Combined motion due to random thermal motion and an applied electric field.

$$q\epsilon\tau_c = m_n v_n$$

Labels for the equation above:

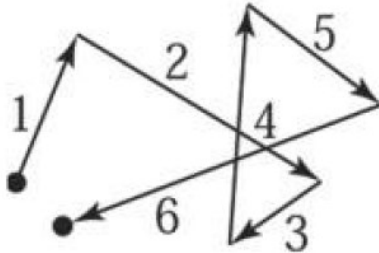
- $q\epsilon$ : E-field
- $\tau_c$ : Mean free time
- $m_n$ : Mass of carrier
- $v_n$ : Drift velocity

$$v_n = \left( \frac{q\tau_c}{m_n} \right) \epsilon$$

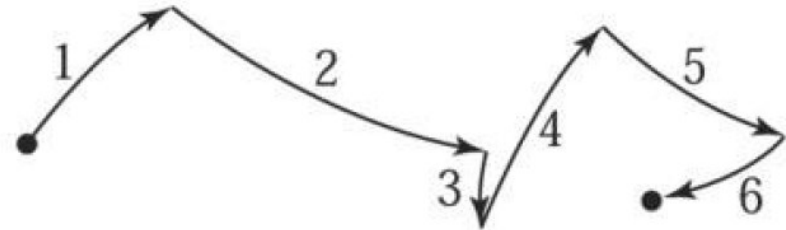
Mobility  $\mu$

# Resistivity : mobility

$$\frac{1}{2} m_n v_{th}^2 = \frac{3}{2} kT \quad \mathcal{E} = 0$$



$$q\mathcal{E}\tau_c = m_n v_n \quad \leftarrow \mathcal{E}$$



Calculate the mean free time of an electron having a mobility of  $1000 \text{ cm}^2/\text{V-s}$  at  $300 \text{ K}$  and  $E = 1 \text{ MV/cm}$ ; also calculate the mean free path. Assume  $m_n = 0.26 m_0$  in these calculations.

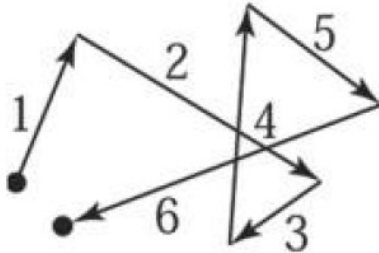
$$q\mathcal{E}\tau_c = m_n v_n$$

$$\mu_n \equiv \frac{q\tau_c}{m_n}$$

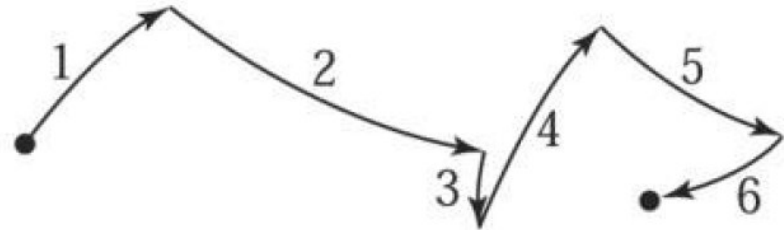
**Thermal velocity? Or drift velocity? Or both?**

# Resistivity : mobility

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**Thermal velocity? Or drift velocity? Or both?**

The thermal velocity is  $2.28 \times 10^7 \text{ cm/s}$  for  $m_n = 0.26 m_0$  from Eq. (1).

The mean free path is given by

$$l = v_{th} \tau_c = (3kT/m_n)^{1/2} \tau_c = (2.28 \times 10^7 \text{ cm/s})(1.48 \times 10^{-13} \text{ s}) = 3.37 \times 10^{-6} \text{ cm} = 33.7 \text{ nm}.$$

# Resistivity : mobility

$$\mu_n \equiv \frac{q\tau_c}{m_n}$$

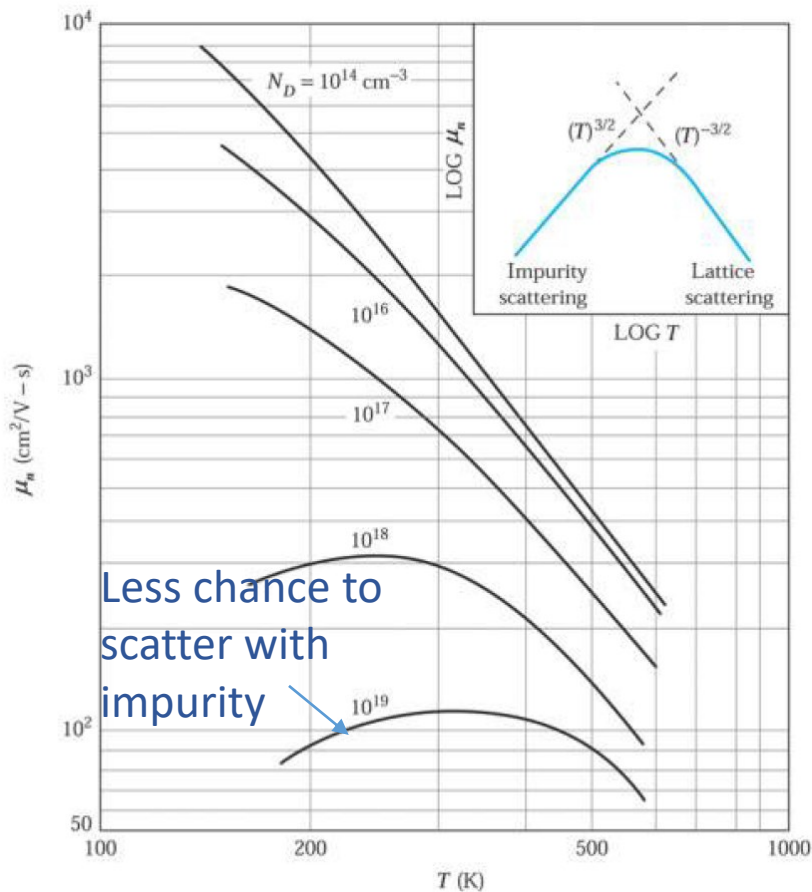
$$\frac{1}{\tau_c} = \frac{1}{\tau_{c, lattice}} + \frac{1}{\tau_{c, impurity}}$$



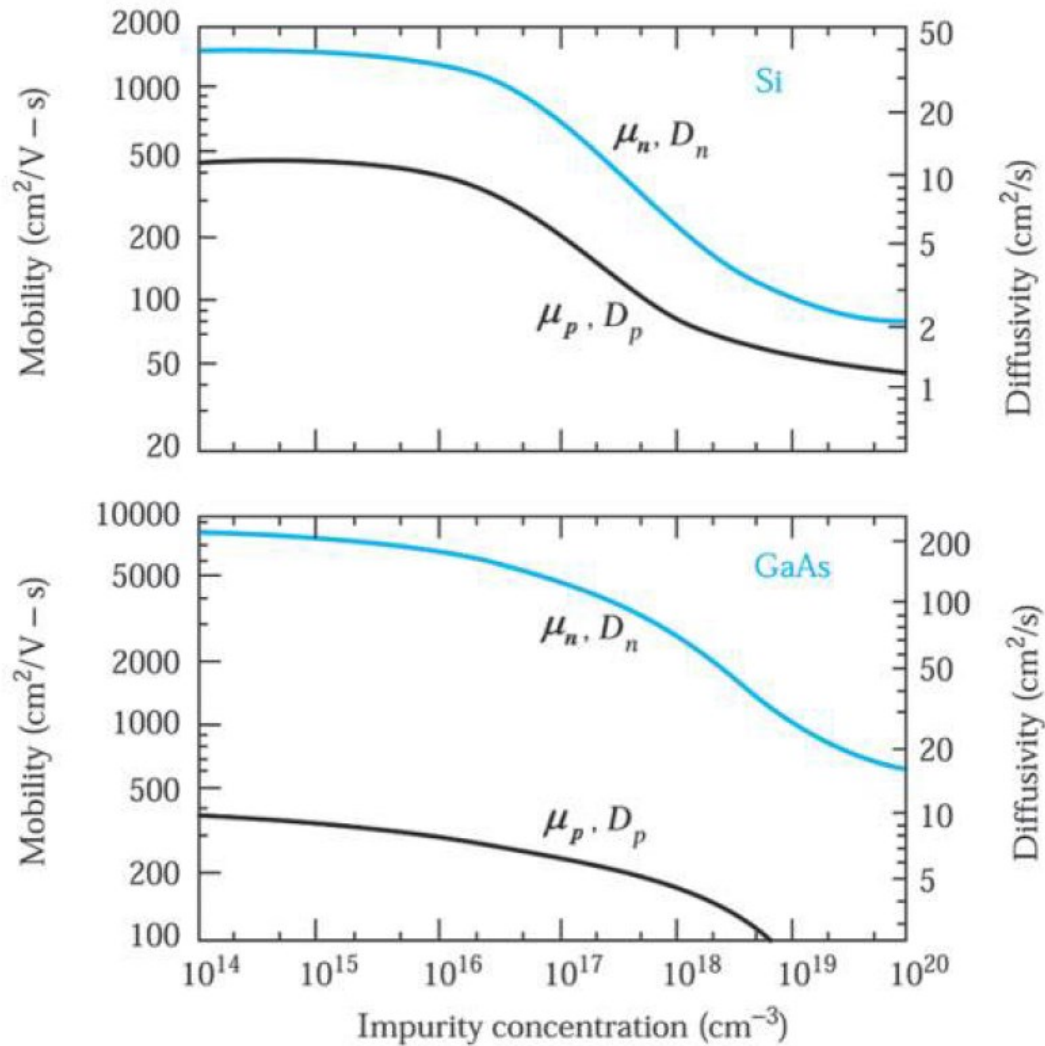
$$\frac{1}{\mu} = \frac{1}{\mu_L} + \frac{1}{\mu_I}$$



$$v_n = \mu_n \mathcal{E}$$

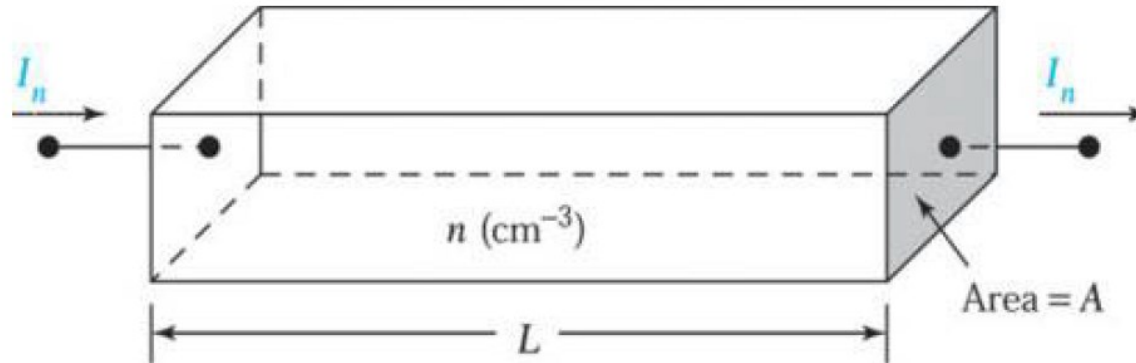


# Resistivity: Mobility





# Resistivity

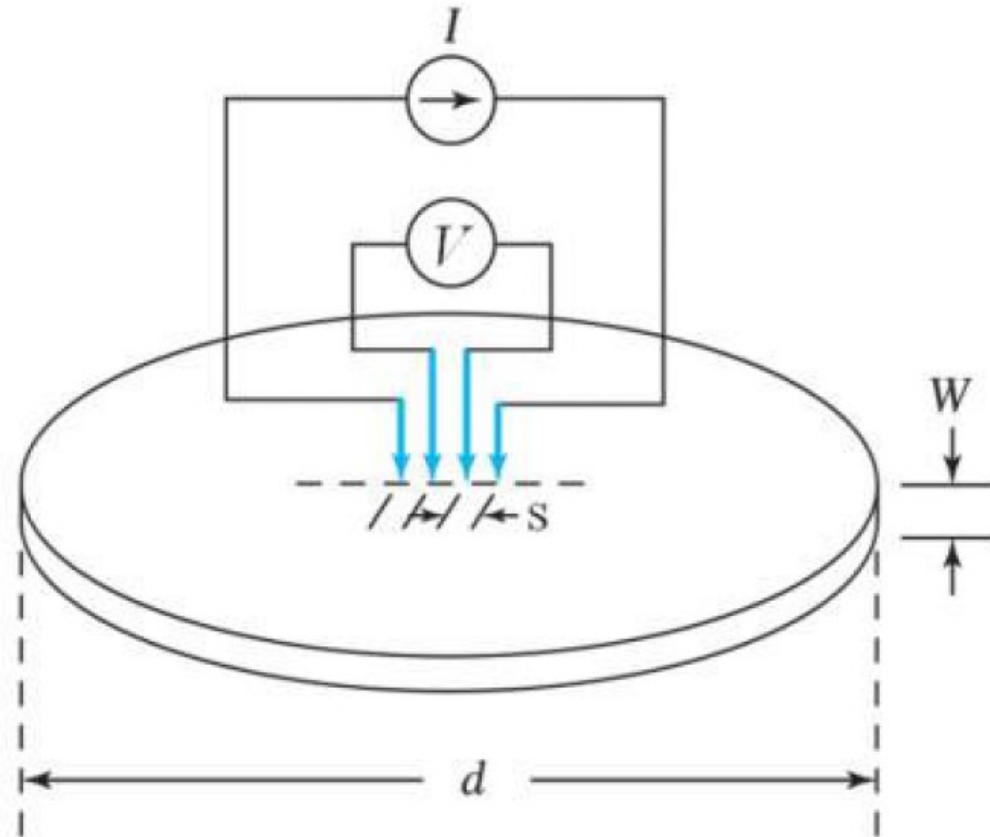


$$J_n = \frac{I_n}{A} = \sum_{i=1}^n (qv_i) = qnv_n = \boxed{qn\mu_n} \mathcal{E}$$

$$\text{Resistivity } \rho = \frac{1}{qn\mu_n} \quad \leftarrow \text{Conductivity}$$

Resistance can be measured with four-point probe method

# Four-point probe method



$$\rho = \frac{V}{I} \cdot W \cdot CF \quad \Omega\text{-cm}$$

# Material Properties

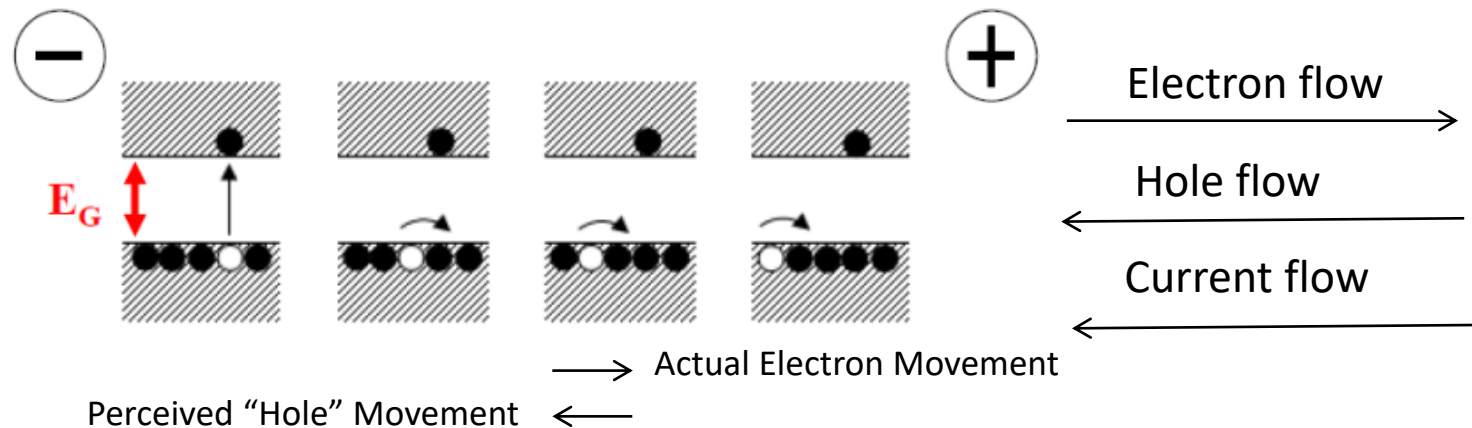
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Slice bow (μm)	≤ 25	≤ 25	< 5
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Surface flatness (μm)	≤ 5	≤ 5	< 1
Heavy-metal impurities (ppba)	≤ 1	≤ 0.01	< 0.001

<sup>a</sup> ppma, parts per million atoms; ppba, parts per billion atoms.



# Electrons and holes in Semiconductors

- In pure (also called intrinsic) Si, free electrons and holes appear **in PAIRS**



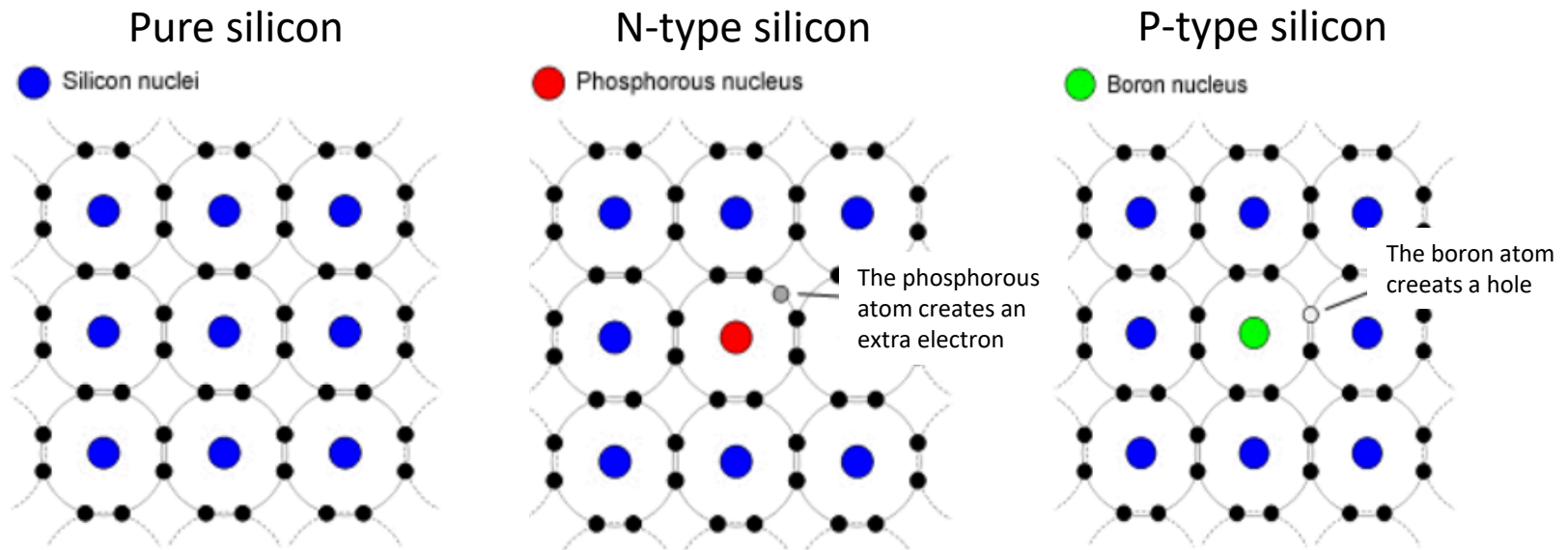
- The “hole” is an **abstraction**; it has no substance and does not actually move itself, but movement of electrons in the opposite direction is perceived as the hole moving.
- In an ideal(intrinsic) semiconductor crystal,  $n_i=p_i$
- Hole mobility is usually lower than electron mobility.

**Due to very low intrinsic electron and hole concentration, intrinsic Si exhibits very low conductivity at room temperature.**

# Extrinsic semiconductors

The conduction in a semiconductor can be changed via doping. Doping is the introduction of foreign atoms such as B, As, P in Si.

- **Doping with donors:** gives an n-type material. “n” means **negative**, that is free electrons  $n_n >$  free holes  $p_n$ .
- **Doping with acceptors:** gives a p-type material. “p” means **positive**, that is free holes  $p_p >$  free electrons  $n_p$ .





# Recombination Lifetime

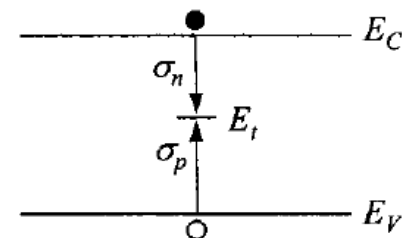
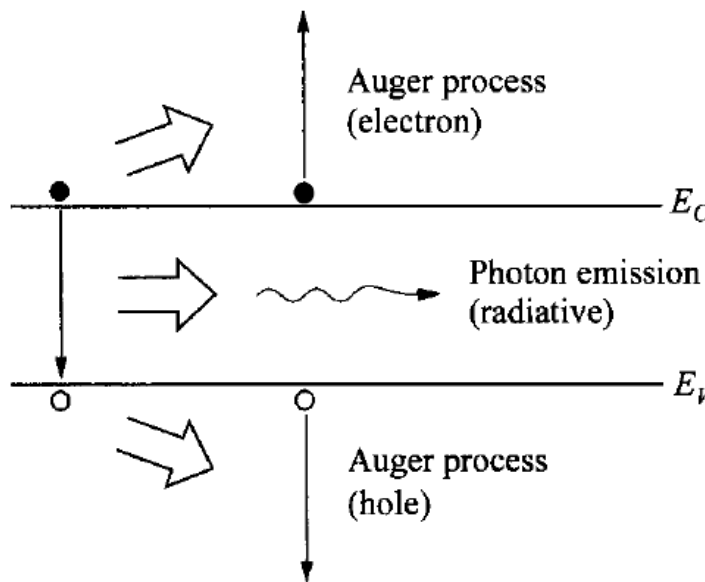
During recombination, the energy of the carriers is dissipated by several mechanisms:

## Band-to-band

- Emission of a photon (referred to as **radiative recombination**);
- Transmission of the energy to a third particle, which can be either an electron or a hole (referred to as **Auger recombination**).

## Deep trap center

- Distribution of the energy into the lattice in the form of phonons (referred to as **Shockley-Read-Hall (SRH)** or multi-phonon recombination);



**Non-radiative recombination**

# Shockley–Read–Hall Recombination

- In a semiconductor such as Si with an indirect band gap structure, the probability for direct transitions from the conduction band to the valence band is small. Consequently, the **radiative recombination** lifetime for silicon is on the order of **1 s**.
- In comparison, the density of recombination centers is sufficiently high, even in high purity silicon used to fabricate power devices, so as **to reduce the lifetime** associated with recombination via the deep levels to **less than 100  $\mu\text{s}$** .
- SHR lifetime is given by

$$\tau_{SRH} = \frac{\tau_p(n_o + n_1 + \Delta n) + \tau_n(p_o + p_1 + \Delta p)}{p_o + n_o + \Delta n}$$

$$n_1 = n_i \exp\left(\frac{E_T - E_i}{kT}\right); p_1 = n_i \exp\left(-\frac{E_T - E_i}{kT}\right)$$

$$\tau_p = \frac{1}{\sigma_p v_{th} N_T}; \tau_n = \frac{1}{\sigma_n v_{th} N_T}$$



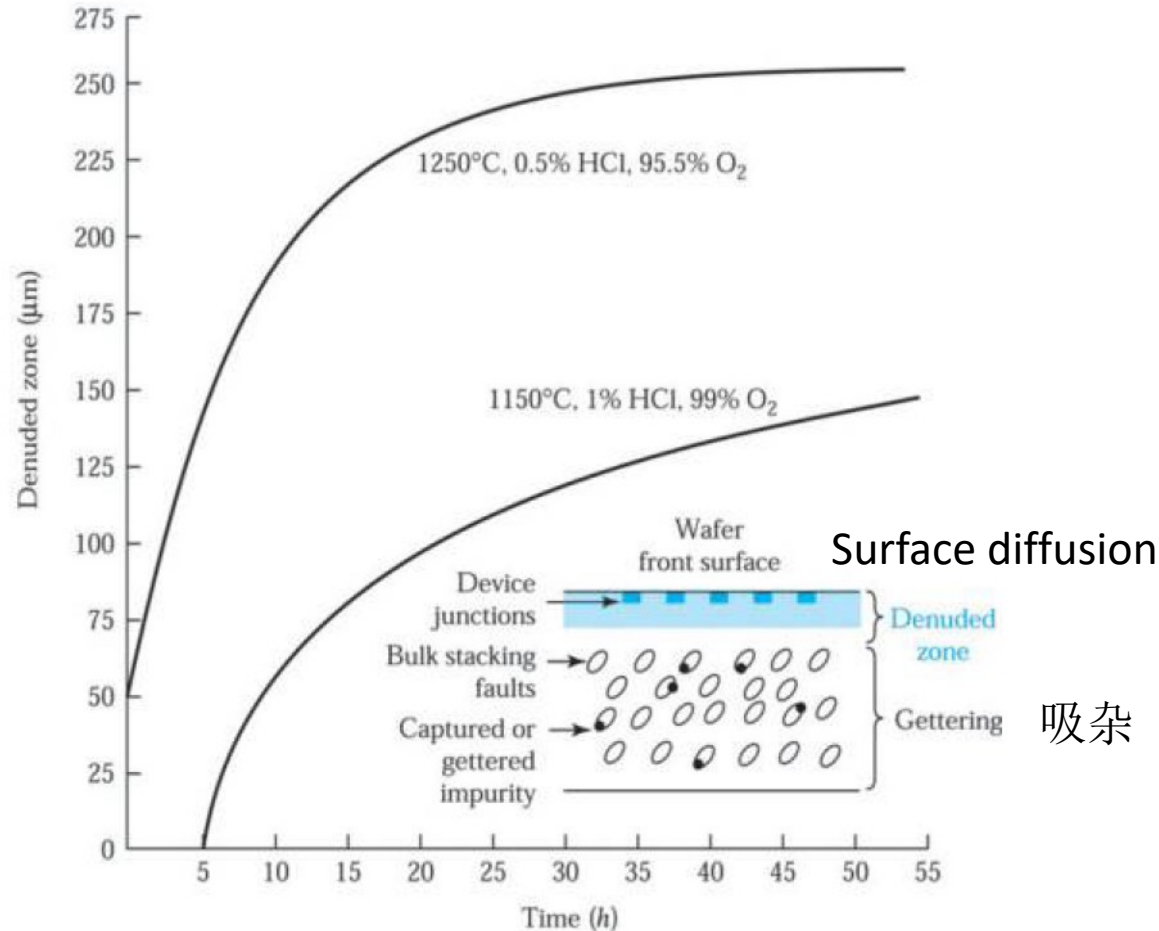
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# Gettering Effects



Denuded zone width for two sets of processing conditions. Inset shows a schematic of the denuded zone and gettering sites in a wafer cross section.