

2019 TJMSC Tech. Courses

Re-ID

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Facial Recognition

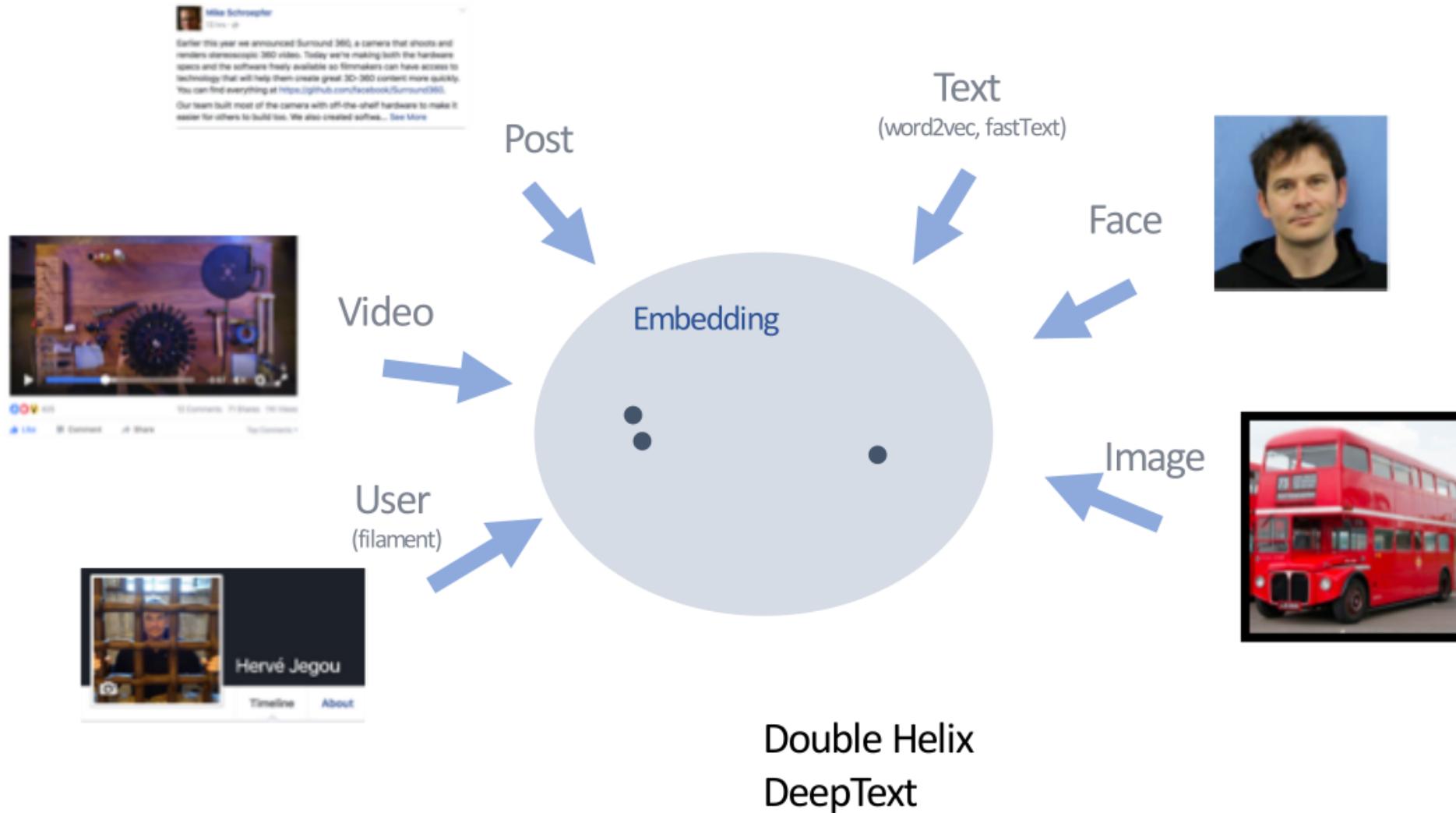
CelebA is a large scale face dataset contains of famous people's faces



Facial Recognition



Embeddings



Embeddings

麻辣烫 ——

麻辣拌, 0.884719466741
冒菜, 0.878425403476
麻辣汤, 0.872023557375
杨国福, 0.863779634807
云南米线, 0.855127326166
张亮, 0.833823338064
过桥米线, 0.833199404157
云南过桥米线, 0.825620560846
羊肉米线, 0.824504212524
重庆小面, 0.823935462376

肯德基 ——

KFC, 0.982491910803
kfc, 0.970919196284
麦当劳, 0.94600897271
德克士, 0.945771247431
华莱士, 0.94466343164
汉堡王, 0.938037115861
正新鸡排, 0.920964315301
派乐, 0.91322924147
豪大大, 0.903992194302
正新, 0.903950289626

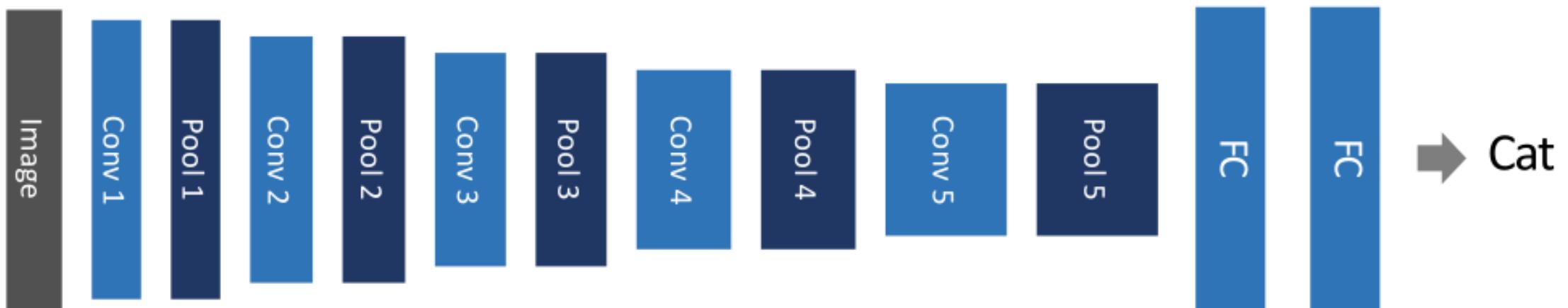
黄焖鸡 ——

黄焖鸡米饭, 0.952911757759
鸡公煲, 0.91343873243
鸡米饭, 0.90181777612
大盘鸡, 0.876224767056
黄闷鸡, 0.875185069057
麻辣香锅, 0.869952513231
香锅, 0.857016354508
鸡汤泡饭, 0.821301219974
水煮肉, 0.81307743024
炒菜, 0.808240640778

混沌 ———

混沌, 0.971946557298
馄饨, 0.959630998451
饺子, 0.942945794257
水饺, 0.926106932097
锅贴, 0.923119816702
小混沌, 0.914481422287
生煎, 0.900458398145
汤包, 0.9000372527
小混沌, 0.897959492742
混沌, 0.896437234474

Image Embeddings



FaceNet and triplet loss

FaceNet: A Unified Embedding for Face Recognition and Clustering

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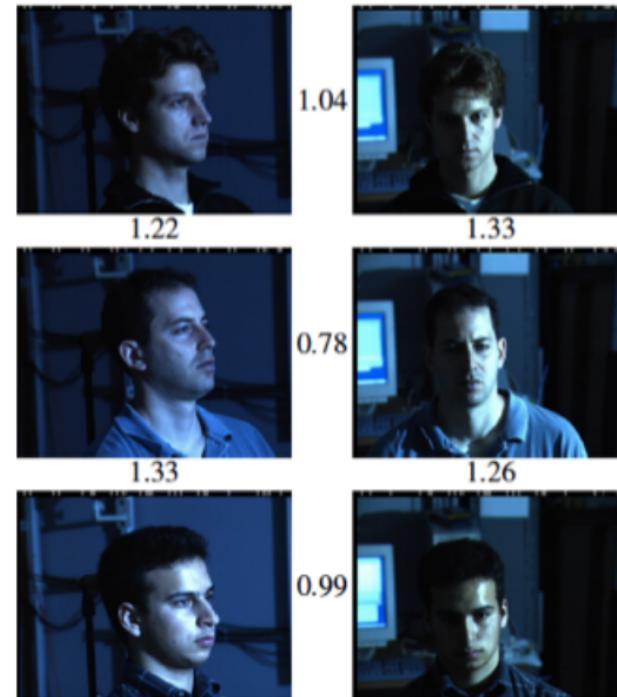
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Abstract

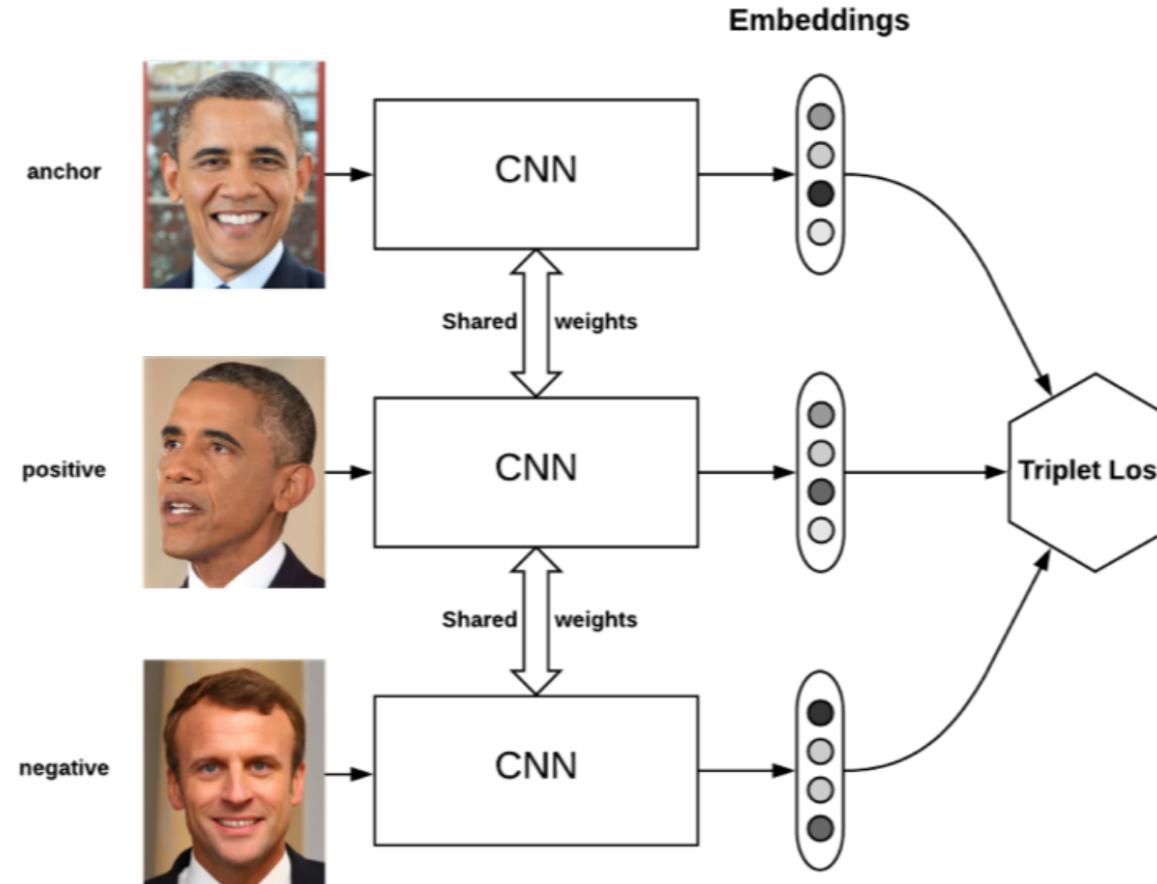
Despite significant recent advances in the field of face recognition [10, 14, 15, 17], implementing face verification and recognition efficiently at scale presents serious challenges to current approaches. In this paper we present a system, called FaceNet, that directly learns a mapping from face images to a compact Euclidean space where distances directly correspond to a measure of face similarity. Once this space has been produced, tasks such as face recognition, verification and clustering can be easily implemented using standard techniques with FaceNet embeddings as feature vectors.

Our method uses a deep convolutional network trained to directly optimize the embedding itself, rather than an intermediate bottleneck layer as in previous deep learning approaches. To train, we use triplets of roughly aligned matching / non-matching face patches generated using a novel online triplet mining method. The benefit of our approach is much greater representational efficiency: we achieve state-of-the-art face recognition performance using



FaceNet and triplet loss

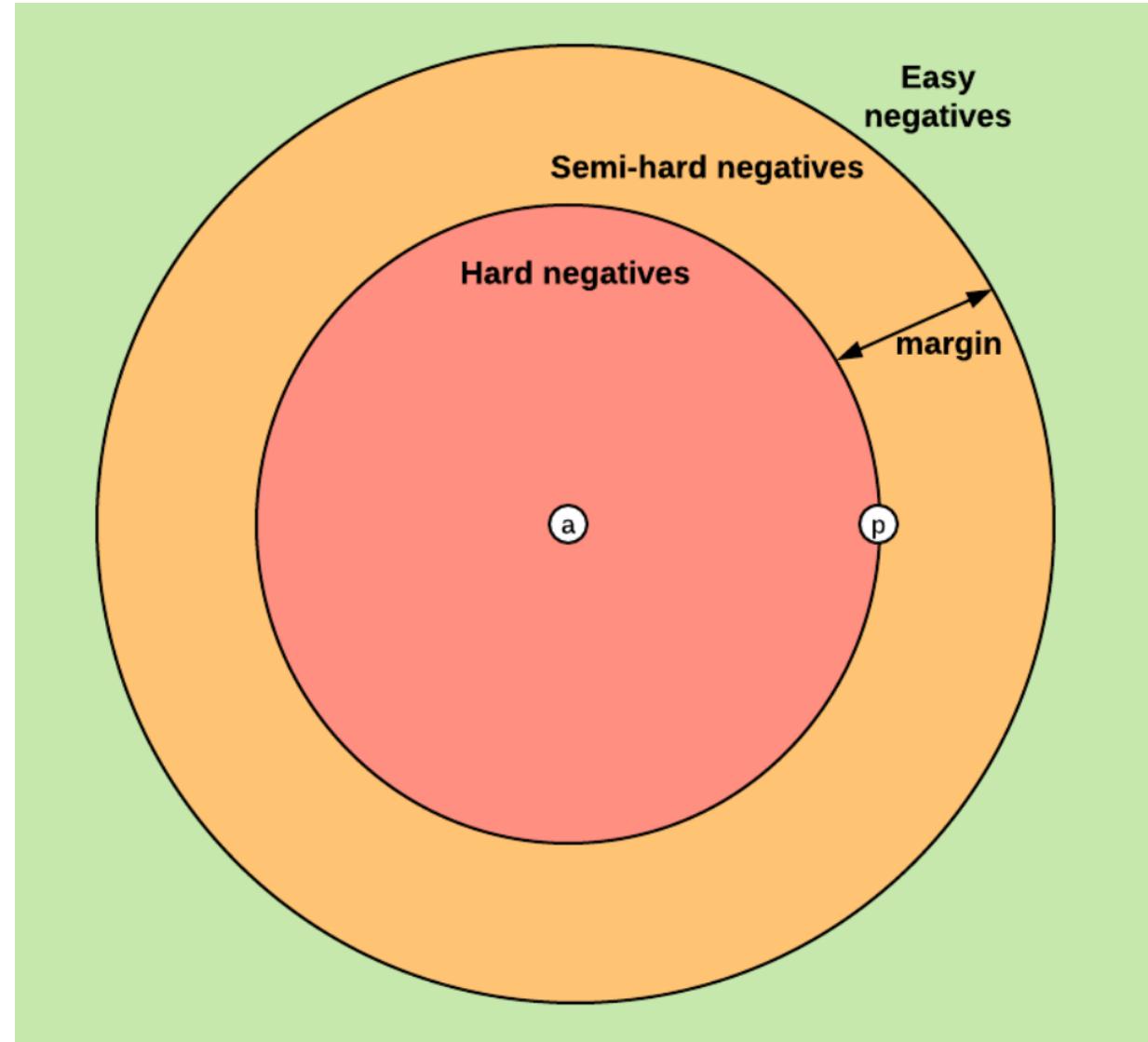
$$L = \max(d(a,p) - d(a,n) + \text{margin}, 0)$$



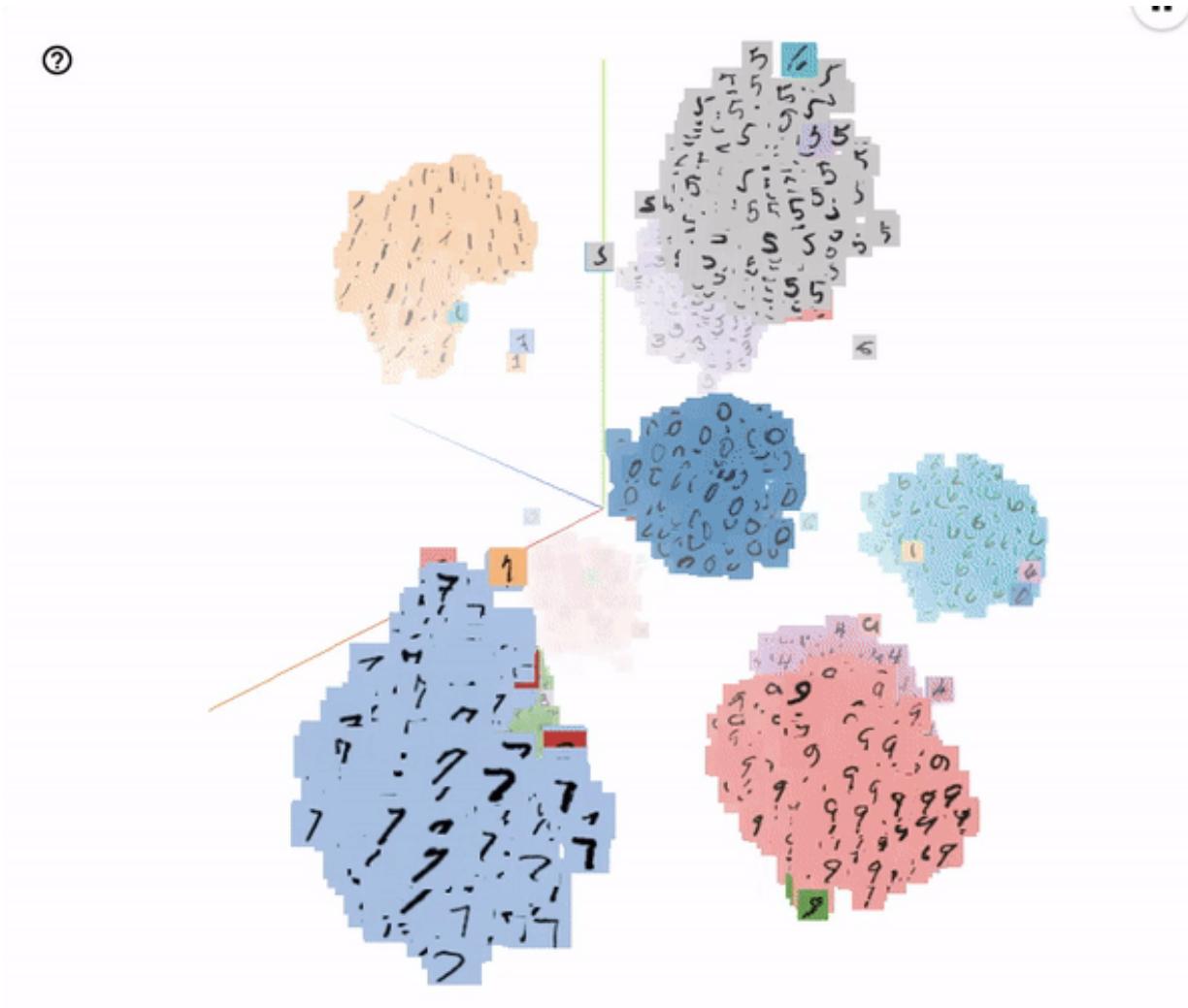
FaceNet and triplet loss

- $L = \max(d(a,p) - d(a,n) + \text{margin}, 0)$
- **easy triplets**: triplets which have a loss of 0, because $d(a,p) + \text{margin} < d(a,n)$
- **hard triplets**: triplets where the negative is closer to the anchor than the positive, i.e. $d(a,n) < d(a,p)$
- **semi-hard triplets**: triplets where the negative is not closer to the anchor than the positive, but which still have positive loss:
 $d(a,p) < d(a,n) < d(a,p) + \text{margin}$

FaceNet and triplet loss



FaceNet and triplet loss



Batch Hard for triplet mining

Sample P identities and for each id sample K images to construct a batch.

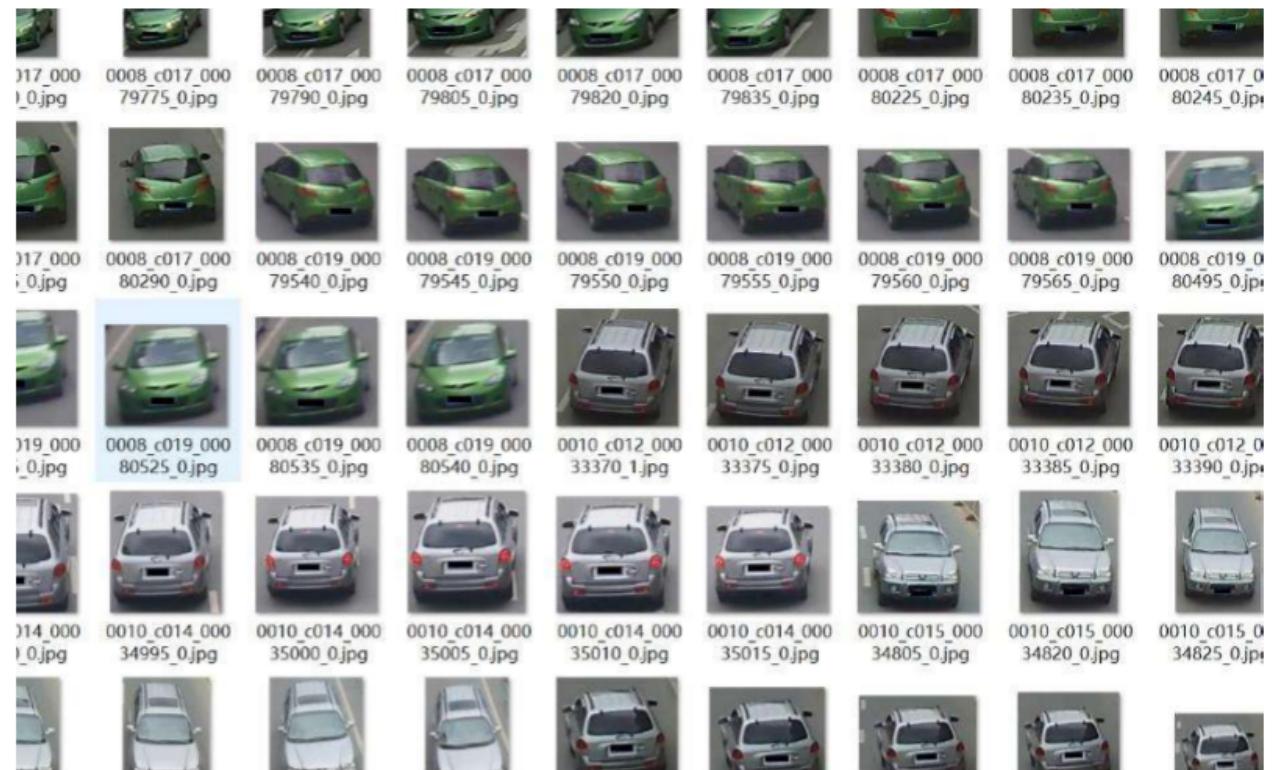
Calculate the hardest positive and negative within a batch.

$$\mathcal{L}_{\text{BH}}(\theta; X) = \sum_{i=1}^P \sum_{a=1}^K \left[m + \underbrace{\max_{p=1 \dots K} D(f_\theta(x_a^i), f_\theta(x_p^i))}_{\text{hardest positive}} - \underbrace{\min_{\substack{j=1 \dots P \\ n=1 \dots K \\ j \neq i}} D(f_\theta(x_a^i), f_\theta(x_n^j))}_{\text{hardest negative}} \right]_+, \quad (5)$$

The VeRi776 dataset

Dataset statistics:

subset	# ids	# images	# cameras
train	576	37778	20
query	200	1678	19
gallery	200	11579	19

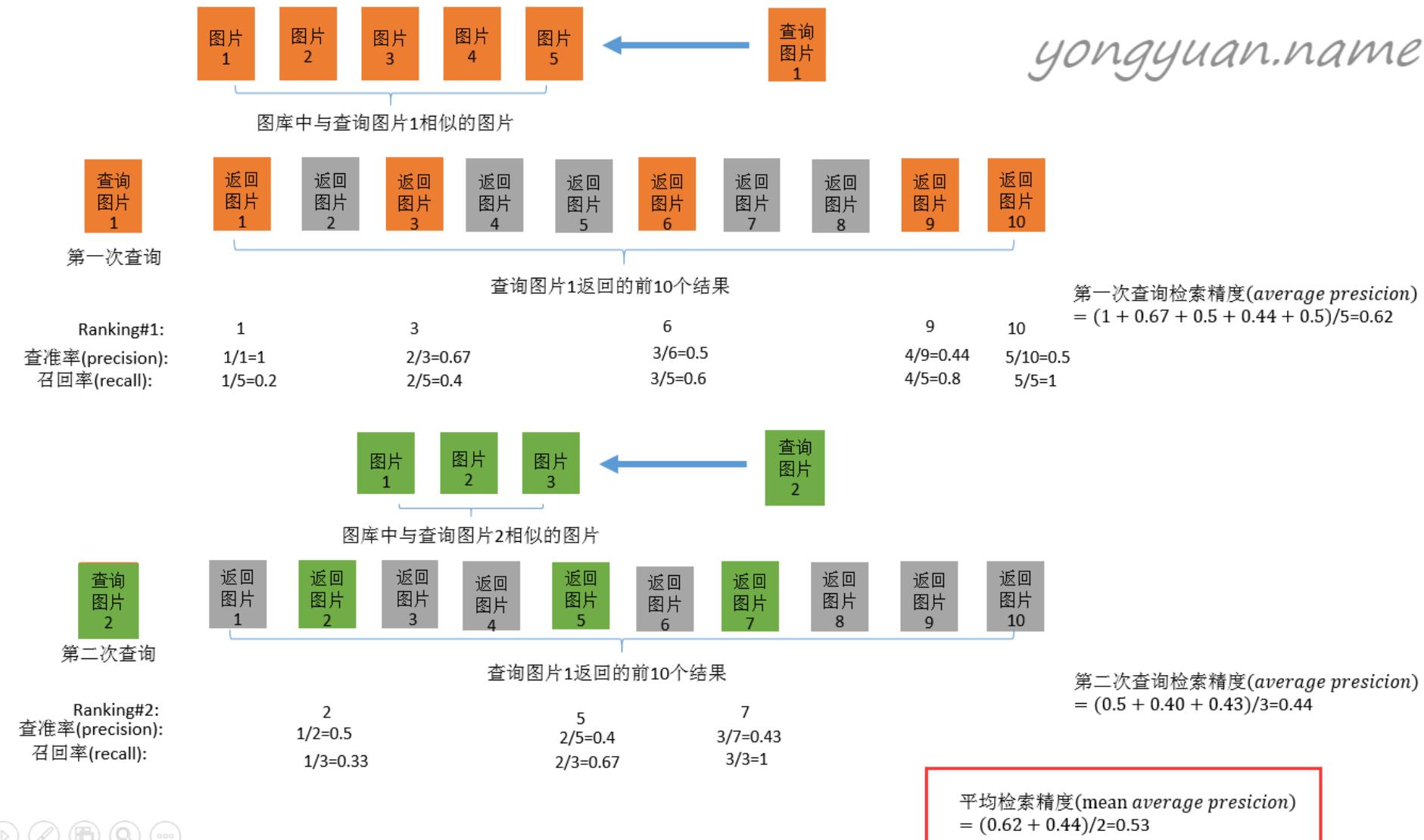


The VeRi776 dataset

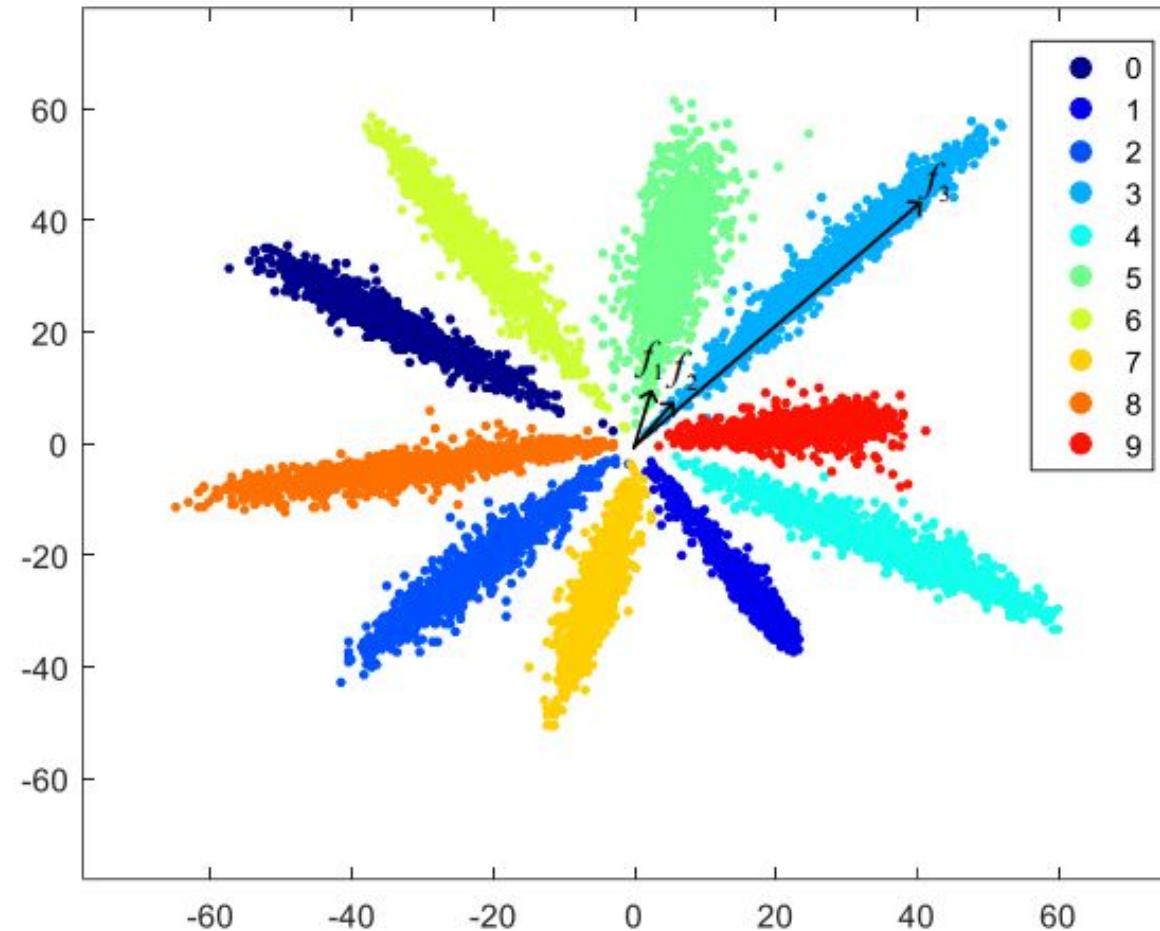
Given a query image, find corresponding image in the gallery



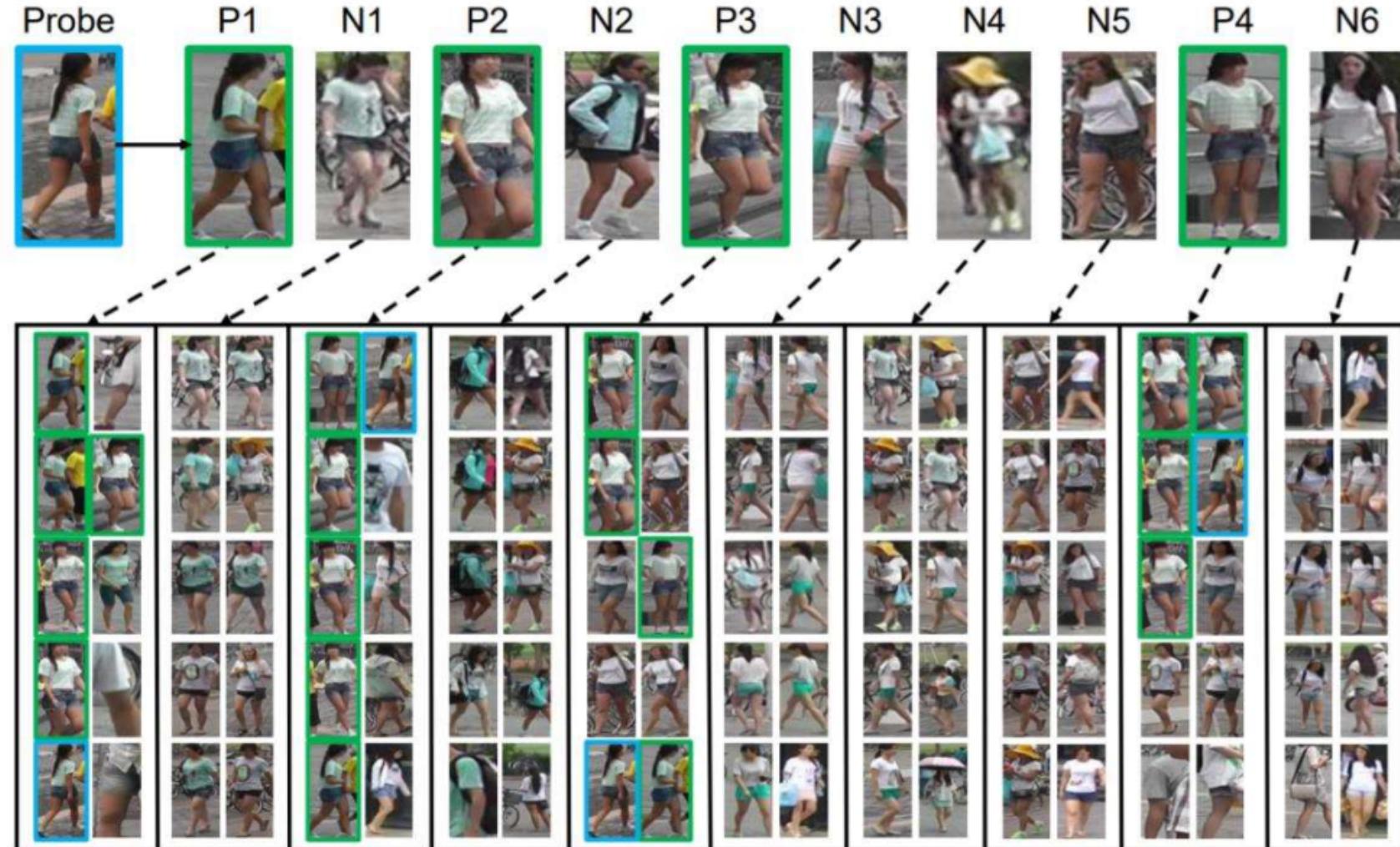
Mean average precision



Joint training of triplet and softmax



Re-Ranking



Re-Ranking

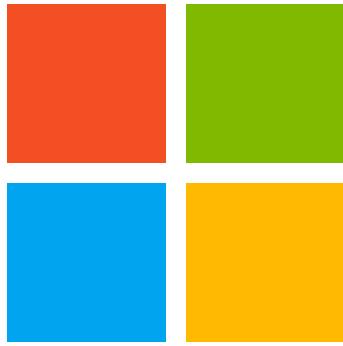
if a gallery image is similar to the probe in the k-reciprocal nearest neighbors, it is more likely to be a true match.

$$\mathcal{R}(p, k) = \{g_i | (g_i \in N(p, k) \wedge (p \in N(g_i, k)))\}$$

$$\begin{aligned} \mathcal{R}^*(p, k) &\leftarrow \mathcal{R}(p, k) \cup \mathcal{R}(q, \frac{1}{2}k) \\ s.t. |\mathcal{R}(p, k) \cap \mathcal{R}(q, \frac{1}{2}k)| &\geq \frac{2}{3}|\mathcal{R}(q, \frac{1}{2}k)|, \\ &\forall q \in \mathcal{R}(p, k) \end{aligned}$$

$$d_j(p, g_i) = 1 - \frac{|\mathcal{R}^*(p, k) \cap \mathcal{R}^*(g_i, k)|}{|\mathcal{R}^*(p, k) \cup \mathcal{R}^*(g_i, k)|}$$

$$D(p, g_i) = d(p, g_i) + d_j(p, g_i)$$



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