

# MAT5317 Categorical Assignment 1

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## Introduction

We were given the data set of The National Health and Nutrition Examination Survey (NHANES). The survey program has been conducted as a series of surveys designed to assess the health and nutritional status of adults and children in the United States since the 1960s, according to CDC (2023). It combines in-person face-to-face interviews and physical examinations of participants for data collection.

The survey data wasn't a simple random sample, however. According to CDC's National Health and Nutrition Examination Survey: Plan and Operations, 1999–2010 (G et al. 2013), the sampling strategy consists of several stages: 1. Selection of counties as primary sampling units (PSU). 2. selection of segments within PSUs that constitute blocks of households. 3. Selection of specific households within segments. 4. Selection of individuals within a household.

We aim to study the relationship between the weight variable and the other health related variables of the data.

## Method

We began our study by doing an exploratory analysis among the variables through various tables and charts. We then performed several hypothesis tests on some of the variables. Lastly we did a linear regression model fit to the response variable “weight” with other variables and confounders.

Table 1: Data Variable Definition

Variables	Type	Example	Number.Unique	MissingPct	Comment
id	integer	1, 2, 3	6482	0%	Identification Code (1 - 6482)
gender	factor	Male, Female	2	0%	Gender (1: Male, 2: Female)
age	integer	34, 16, 60	65	0%	Age (Years)
marstat	factor	Married, NA, Widowed	6	9.7%	Marital Status (1: Married, 2: Widowed, 3: Divorced, 4: Separated, 5: Never Married, 6: Living Together)
samplewt	numeric	80100.544, 13953.078, 20090.339	2499	0%	Statistical Weight (4084.478 - 153810.3)
psu	integer	1, 2	2	0%	Pseudo-PSU (1, 2)
strata	integer	9, 10, 1	15	0%	Pseudo-Stratum (1 - 15)
tchol	integer	135, 192, 202	251	6.09%	Total Cholesterol (mg/dL)
hdl	integer	50, 60, 45	112	6.09%	HDL-Cholesterol (mg/dL)
sysbp	integer	114, 112, 154	61	8.53%	Systolic Blood Pressure (mm Hg)
dbp	integer	88, 62, 70	40	9.16%	Diastolic Blood Pressure (mm Hg)
wt	numeric	87.400002, 72.300003, 116.8	957	0.57%	Weight (kg)
ht	numeric	164.7, 181.3, 166	527	0.57%	Standing Height (cm)
bmi	numeric	32.22, 22, 42.39	2276	0.57%	Body mass Index (Kg/m <sup>2</sup> )
vigwrk	factor	No, Yes, NA	2	0.02%	Vigorous Work Activity (1: Yes, 2: No)
modwrk	factor	No, Yes, NA	2	0.02%	Moderate Work Activity (1: Yes, 2: No)
wlkbik	factor	No, Yes, NA	2	0.02%	Walk or Bicycle (1: Yes, 2: No)
vigrecre	factor	No, Yes, NA	2	0.02%	Vigorous Recreational Activities (1: Yes, 2: No)
modrecre	factor	No, Yes, NA	2	0.03%	Moderate Recreational Activities (1: Yes, 2: No)
sedmin	integer	480, 240, 720	37	1.22%	Minutes of Sedentary Activity per Week (0 - 840)
obese	factor	No, Yes, NA	2	0.57%	BMI>35 (1: No, 2: Yes)

```
##      wt      marstat obese
## 1  87.4      Married    No
## 3 116.8      Widowed   Yes
## 4  97.6      Married    No
## 5  86.7 Living Together No
## 6  79.1      Married    No
## 7  89.6      Widowed    No
```

Table 2: Contingency Table

		Obesity	
		No	Yes
Marital Status	Married	2530	474
	Widowed	418	86
	Divorced	528	112
	Separated	158	35
	Never Married	863	160
	Living Together	388	66

Given the categories of marriage, we are interested in the number of obese people in each category. We have six categories in total. This forms a Multinomial random variable  $\vec{X} = (X_1, \dots, X_6)$  where each  $X_i$  is the number of obese people in category  $i$ . We get the estimates of the MLEs for the corresponding proportions:

```
## # A tibble: 6 x 4
## # Groups:   marstat [6]
##   marstat      No    Yes p_mle
##   <fct>      <int> <int> <dbl>
## 1 Married      2530    474 0.158
## 2 Widowed       418     86 0.171
## 3 Divorced      528    112 0.175
## 4 Separated     158     35 0.181
## 5 Never Married  863    160 0.156
## 6 Living Together 388     66 0.145
```

The covariance matrix of the MLE is:

$$Cov(\hat{p}_1, \hat{p}_2) = \begin{bmatrix} \frac{p_1(1-p_1)}{n_1} & \dots & -\frac{n}{n_1 n_k} p_1 p_k \\ -\frac{n}{n_k n_1} p_1 p_k & \dots & \frac{p_k(1-p_k)}{n_k} \end{bmatrix}$$

```
##           Married  Widowed  Divorced  Separated  Never Married
## Married      0.000044 -0.000103 -0.000084 -0.000287    -0.000047
## Widowed     -0.000103  0.000281 -0.000539 -0.001851    -0.000301
## Divorced    -0.000084 -0.000539  0.000226 -0.001495    -0.000243
## Separated   -0.000287 -0.001851 -0.001495  0.000769    -0.000836
## Never Married -0.000047 -0.000301 -0.000243 -0.000836     0.000129
## Living Together -0.000098 -0.000631 -0.000509 -0.001750    -0.000285
##
##           Living Together
## Married      -0.000098
```

## Widowed	-0.000631
## Divorced	-0.000509
## Separated	-0.001750
## Never Married	-0.000285
## Living Together	0.000274

We are interested in testing the following hypothesis:

$$H_0 : p$$

$$H_1 : p_2$$

## Conclusion

## References

2023. [https://www.cdc.gov/nchs/nhanes/about\\_nhanes.htm](https://www.cdc.gov/nchs/nhanes/about_nhanes.htm).
- G, Zipf, Chiappa M, Porter KS, et al. 2013. “National Health and Nutrition Examination Survey: Plan and Operations, 1999–2010.” *National Center for Health Statistics* 1 (56).