

Chapter 6 Markdowns

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Scientific Computations in R

Operations

For

$$A = \begin{bmatrix} 1 & 2 & 3 & 4 \\ 5 & 6 & 7 & 8 \\ 9 & 10 & 11 & 12 \end{bmatrix}, B = \begin{bmatrix} 1 & 1 & 4 & 0 \\ 5 & 1 & 4 & 0 \\ 1 & 9 & 1 & 9 \\ 8 & 1 & 0 & 0 \end{bmatrix}$$

`t(matrix)` Transpose a matrix.

`t(A)`:

$$A^T = \begin{bmatrix} 1 & 5 & 9 \\ 2 & 6 & 10 \\ 3 & 7 & 11 \\ 4 & 8 & 12 \end{bmatrix}$$

`%*%` Multiplies a matrix.

$$AA$$

`%o%` Performs outer-product on a matrix.

`A %o% A`:

$$\begin{bmatrix} 1 \times 1 & 5 \times 5 & 9 \times 9 \\ \vdots & \vdots & \vdots \\ 4 \times 4 & 8 \times 8 & 12 \times 12 \end{bmatrix}$$

`%*%` Performs dot product (inner product) if used on vectors.

`diag(vector/matrix)` Create a diagonal matrix from the vector. Creates a vector from a matrix with its diagonal values.

Can be used even if the matrix is not a square matrix.

`diag(1:4)`:

$$\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 2 & 0 & 0 \\ 0 & 0 & 3 & 0 \\ 0 & 0 & 0 & 4 \end{bmatrix}$$

```
diag(diag(1:4))
```

Output:

```
[1] 1 2 3 4
```

`det(matrix)` Get the determinant from a matrix.

```
det(B)
```

Output:

```
[1] -144
```

`solve(A, b)` Solve $A\vec{x} = \vec{b}$. Will get the inverse of `A` if `b` is missing.

`uniroot(func, range)` Get the value in `range` where `func = 0`.

```
f <- function(x) {x**2 - 1}
uniroot(f, c(0, 2))$root
```

Output:

```
[1] 0.9999997
```

`integrate(func, LM, UM)` Do integrations.

```
f <- function(x) {x**2 - 1}
integrate(f, -1, 1)$value
```

Output:

```
[1] -1.333333
```

`D(expr, varname)` Do differentiation and give out the expression.

```
f <- expression(tan(x))
dfdx <- D(f, "x")
dfdx
x <- pi/9
eval(dfdx)
```

Output:

```
1/cos(x)^2
[1] 1.132474
```

`optimize(func, range, maximum = FALSE)` Get the critical points of a function.

```
f <- function(x) {x**2 - 1}
optimize(f, c(0, 1))$minimum
```

Output:

```
[1] 6.610696e-05
```

`optim(init, func)` Do the same thing as `optimize()`, but with multiple inputs.

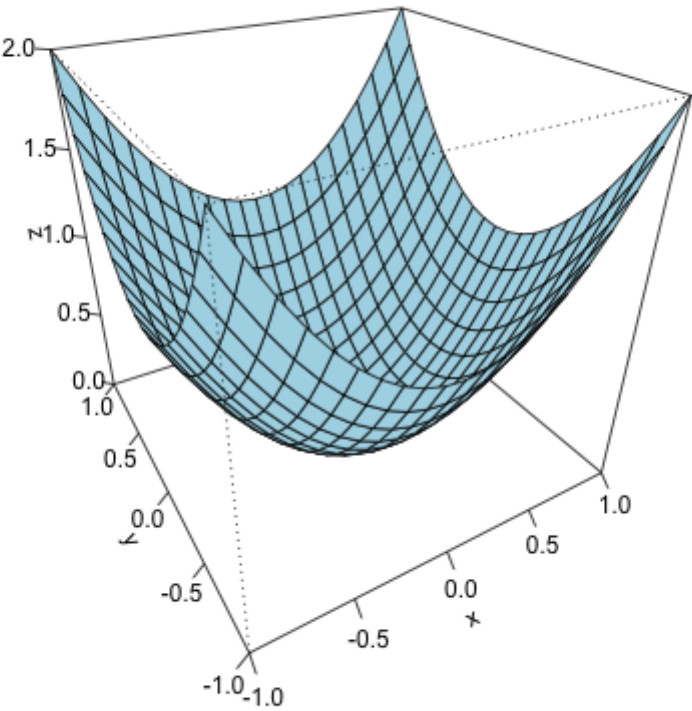
```
f <- function(x) {x[1]^2 + x[2]^2}
optim(c(-1, -1), f)$par
```

Output:

```
[1] -4.375219e-05 -7.907415e-05
```

`persp(x, y, z, theta, phi, **kwargs)` Make 3D plot with perspectives `theta` and `phi`.

```
f <- function(x, y) {x^2 + y^2}
x <- y <- seq(-1, 1, by = 0.1)
z <- outer(x, y, f)
persp(x, y, z, theta = -30, phi = 30, col="lightblue",
ticktype="detailed")
```



Output:
