**APPROXIMATION METHODS FOR SOLVING**

**FIRST ORDER PARTIAL DIFFERENTIAL**

**EQUATIONS**

**A SEMINAR 2 PRESENTATION**

**BY**

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**IN PARTIAL FULFILMENT OF THE REQUIREMENTS FOR THE AWARD OF BACHELOR OF SCIENCE DEGREE IN MATHEMATICS,**

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# CERTIFICATION

This is to certify that this report was undertaken and submitted by **ADEBISI ADEWUNMI FAITH** with matriculation number **20182972**, a student of the department ofMathematics, College of Physical Sciences, Federal University of Agriculture, Abeokuta, for SEMINAR 2.

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# INTRODUCTION

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