



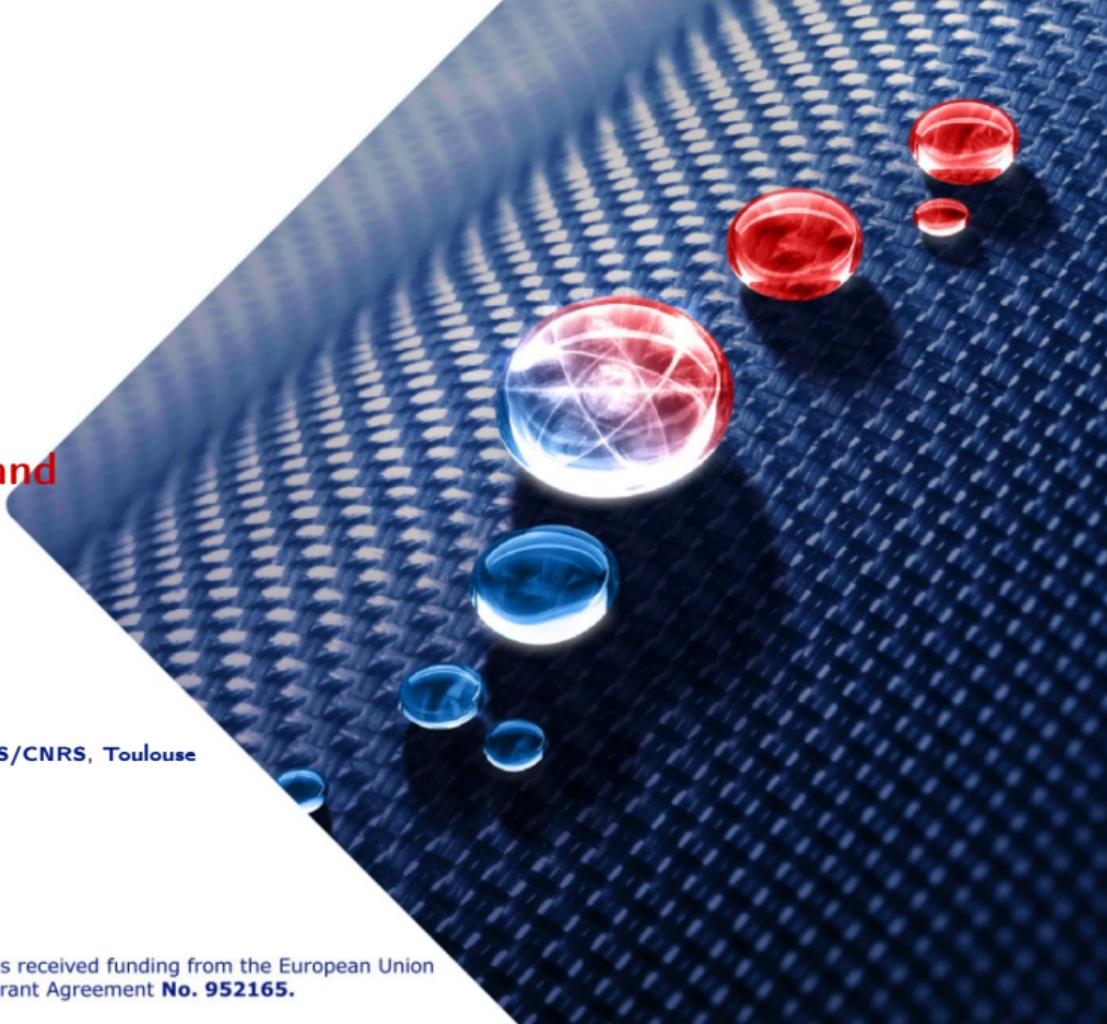
## CIPSI: selected configuration interaction methods for ground and excited states

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18th April 2023

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<https://lcpq.github.io/pterosor>



Targeting Real Chemical Accuracy at the Exascale project has received funding from the European Union  
Horizon 2020 research and innovation programme under Grant Agreement No. 952165.



## Selected Configuration Interaction: “sparse” exploration of the FCI space

*“Among the very large number of determinants contained in the FCI space, only a tiny fraction of them significantly contributes to the energy”*

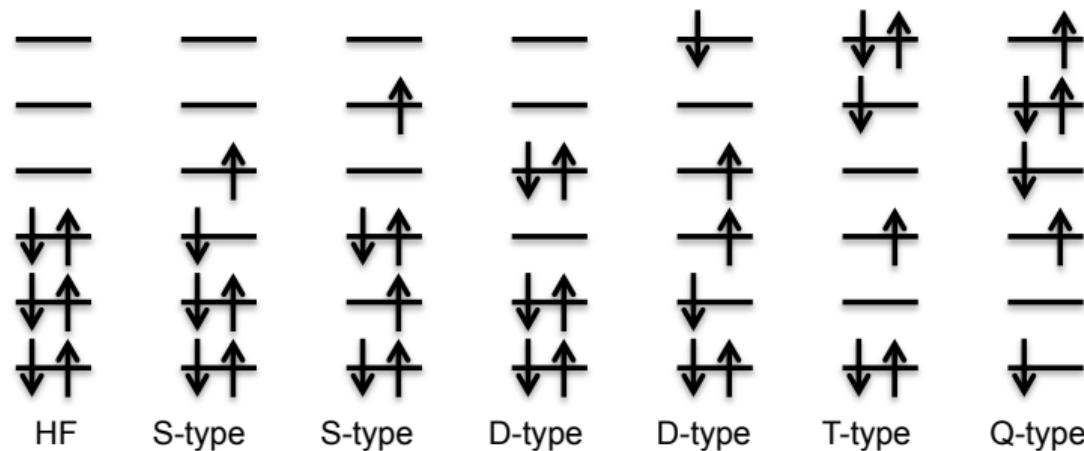
### CIPSI = CI using a Perturbative Selection made Iteratively

- Developed in Toulouse many (many) years ago  
Huron, Malrieu & Rancurel, JCP 58 (1973) 5745
- Based on old idea by Bender and Davidson, and Whitten and Hackmeyer  
Bender & Davidson, Phys. Rev. 183 (1969) 23  
Whitten & Hackmeyer, JCP 51 (1969) 5584
- CIPSI (and SCI methods in general) has been recently resurrected!  
Giner, Scemama & Caffarel, CJC 91 (2013) 879  
Giner, Scemama & Caffarel, JCP 142 (2015) 044115
- CIPSI  $\approx$  heat-bath CI (Umrigar)  $\approx$  adaptive sampling CI (Evangelista)  $\approx$  iterative CI (Liu)  $\approx$  incremental CI (Zimmerman)  $\approx$  FCIQMC (Alavi)

- This is the **oldest** and perhaps the **easiest** method to understand
- CI is based on the **variational principle** [like the Hartree-Fock (HF) approximation]
- The CI wave function is a **linear combination of determinants**
- CI methods use **excited determinants** to “improve” the reference (usually HF) wave function

$$|\Phi_{\text{CI}}\rangle = \underbrace{c_0 |\Psi_0\rangle}_{\text{reference}} + \underbrace{\sum_i c_i^a |\Psi_i^a\rangle}_{\text{singles}} + \underbrace{\sum_{i < j} c_{ij}^{ab} |\Psi_{ij}^{ab}\rangle}_{\text{doubles}} + \underbrace{\sum_{i < j < k} c_{ijk}^{abc} |\Psi_{ijk}^{abc}\rangle}_{\text{triples}} + \underbrace{\sum_{i < j < k < l} c_{ijkl}^{abcd} |\Psi_{ijkl}^{abcd}\rangle}_{\text{quadruples}} + \dots$$

## Excited determinants



## CI wave function

$$|\Phi_{\text{CI}}\rangle = c_0 |0\rangle + c_S |S\rangle + c_D |D\rangle + c_T |T\rangle + c_Q |Q\rangle + \dots$$

- When  $|S\rangle$  (**singles**) are taken into account: **CIS**

$$|\Phi_{\text{CIS}}\rangle = c_0 |0\rangle + c_S |S\rangle$$

**NB:** CIS is an **excited state method**

- When  $|S\rangle$  and  $|D\rangle$  are taken into account: **CISD**

$$|\Phi_{\text{CISD}}\rangle = c_0 |0\rangle + c_S |S\rangle + c_D |D\rangle$$

**NB:** CISD is the **most commonly-used** CI method

- When  $|S\rangle$ ,  $|D\rangle$  and  $|T\rangle$  (**triples**) are taken into account: **CISDT**

$$|\Phi_{\text{CISDT}}\rangle = c_0 |0\rangle + c_S |S\rangle + c_D |D\rangle + c_T |T\rangle$$

- **CISDTQ**, etc.

- When all possible excitations are taken into account, this is called a Full CI calculation (**FCI**)

$$|\Phi_{\text{FCI}}\rangle = c_0 |0\rangle + c_S |S\rangle + c_D |D\rangle + c_T |T\rangle + c_Q |Q\rangle + \dots$$

- FCI gives the exact solution of the Schrödinger equation within a given basis
- FCI is becoming more and more fashionable these days (e.g. FCIQMC and CIPSI methods)
- So, why do we care about other methods?
- Because FCI is super computationally expensive!

"Assume we have 10 electrons in 38 spin MOs: 10 are occupied and 28 are empty"

- There is  $C_{10}^k$  possible ways of selecting  $k$  electrons out of the 10 occupied orbitals

$$C_n^k = \frac{n!}{k!(n-k)!}$$

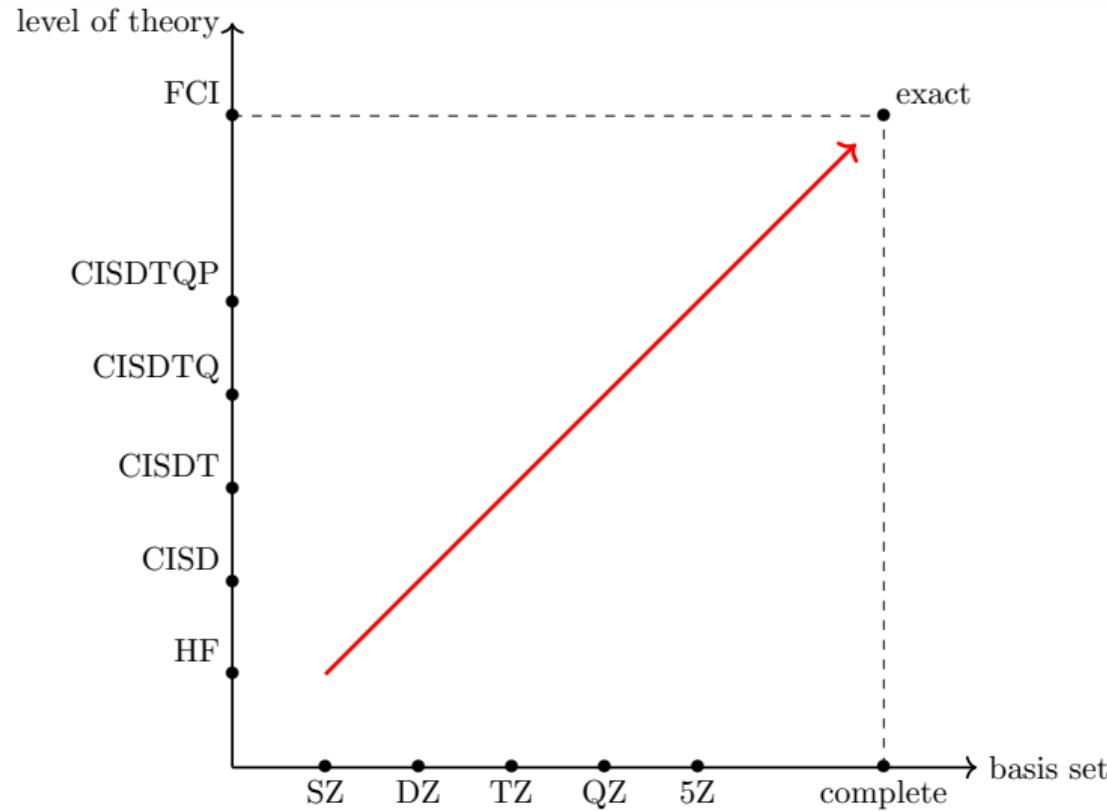
- There is  $C_{28}^k$  ways of distributing them out in the 28 virtual orbitals
- For a given excitation level  $k$ , there is  $C_{10}^k C_{28}^k$  excited determinants
- The total number of possible excited determinant is

$$\sum_{k=0}^{10} C_{10}^k C_{28}^k = C_{38}^{10} = 472,733,756$$

For  $n = 10$  and  $N = 38$ :

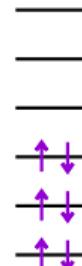
$k$	Num. of excitations
0	1
1	280
2	17,010
3	393,120
4	4,299,750
5	24,766,560
6	79,115,400
7	142,084,800
8	139,864,725
9	69,069,000
10	13,123,110
Tot.	472,733,756

- This is a lot...

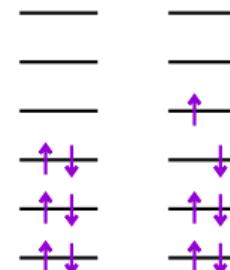


e	
0	
1	
2	
3	

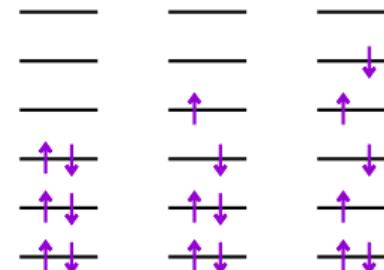
e	
0	HF
1	
2	
3	



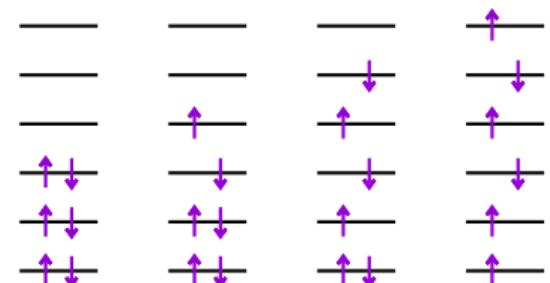
e	
0	
1	CIS
2	
3	



e	
0	
1	
2	CISD
3	

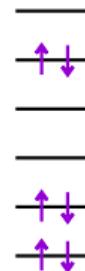


e	
0	
1	
2	
3	CISDT

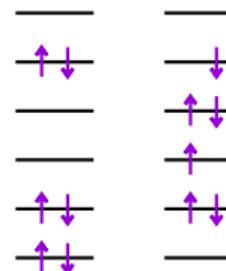


s	0	2	4	6

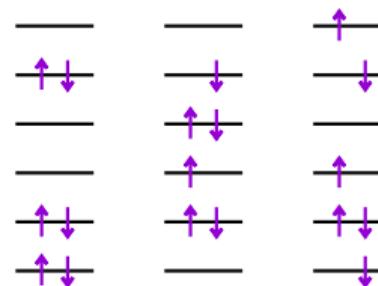
s	0	2	4	6
	<b>sCI0</b>			



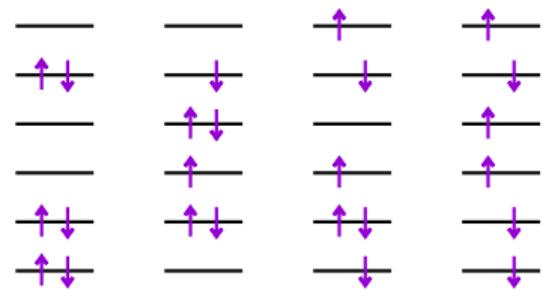
s	0	2	4	6
		sCI2		

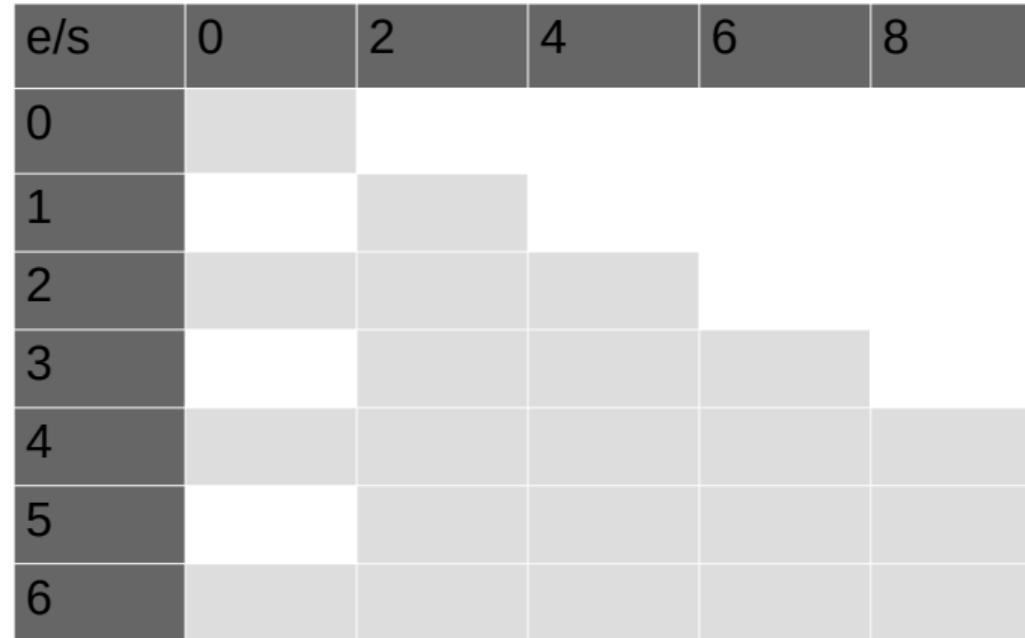


s	0	2	4	6
			sCI4	

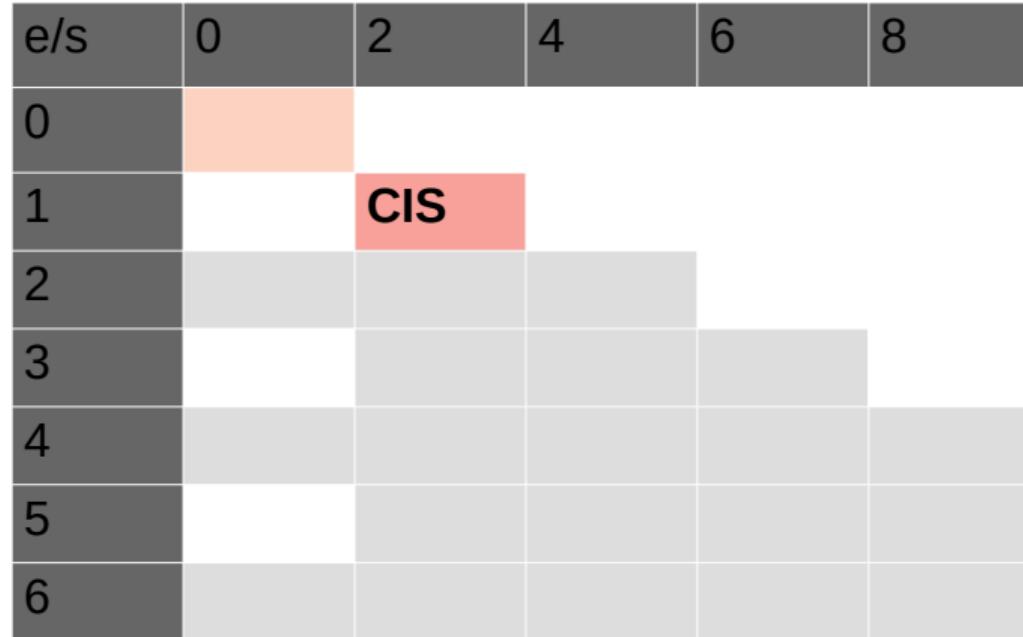


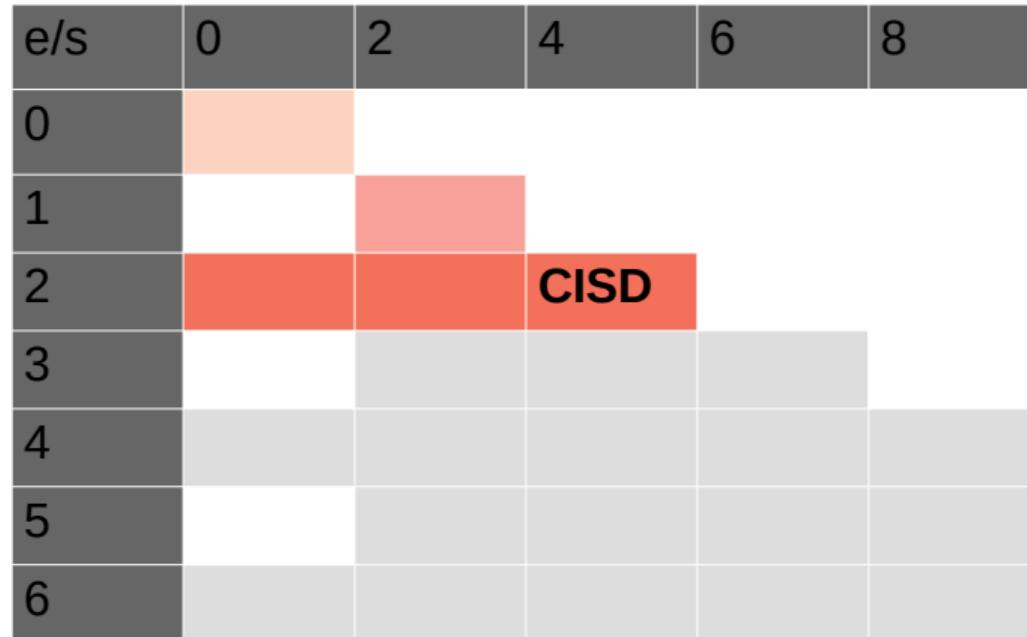
s	0	2	4	6
				sCI6

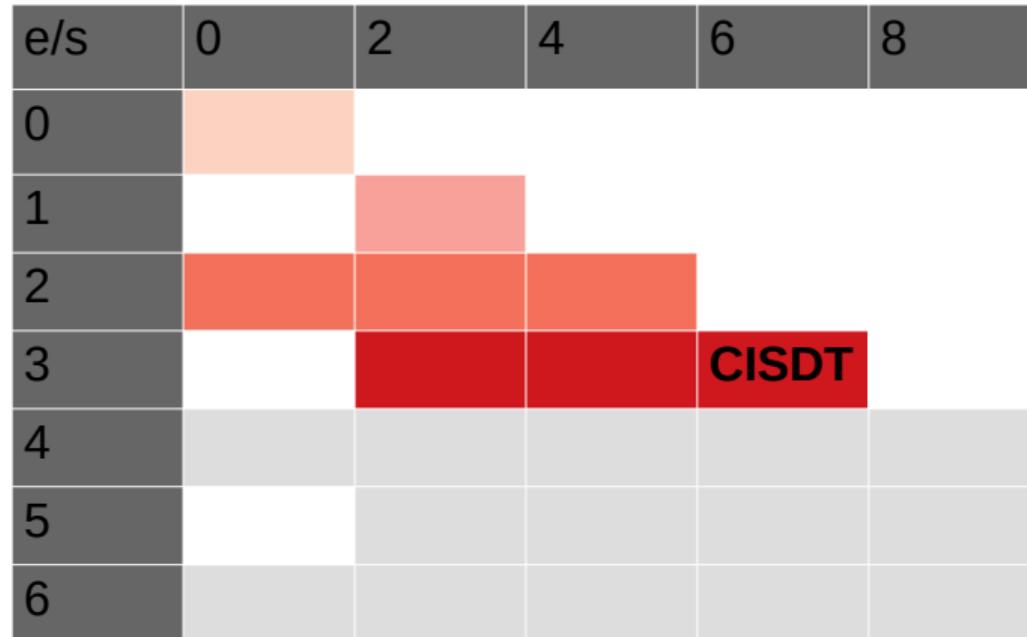


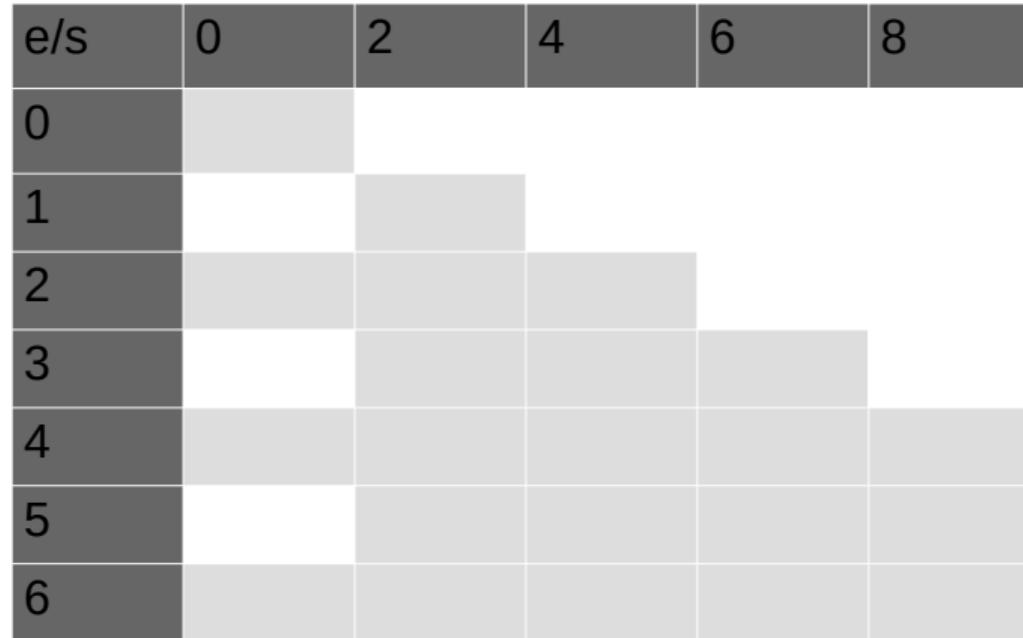


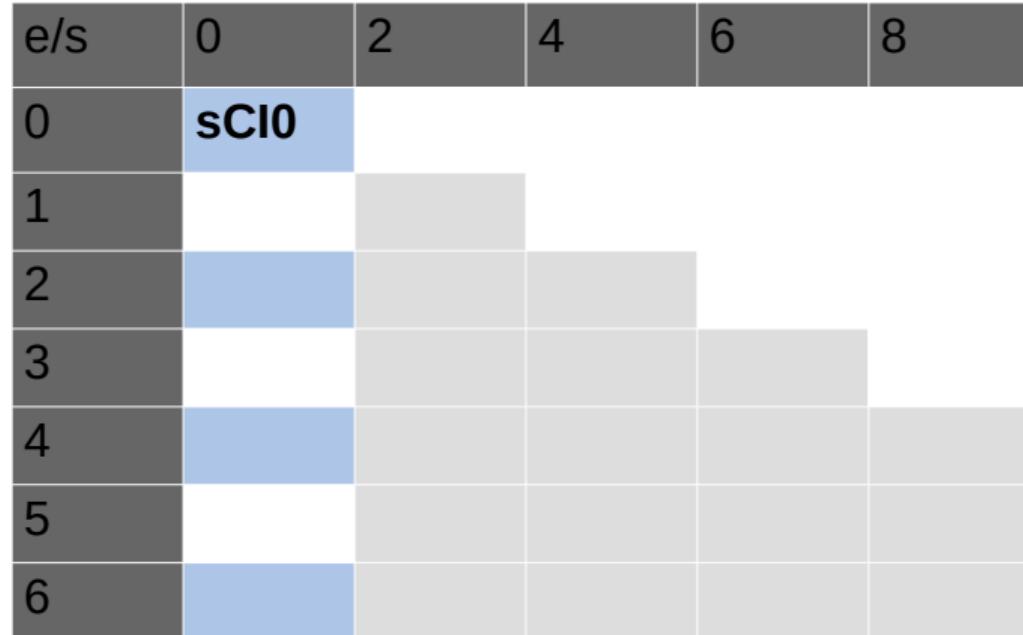
e/s	0	2	4	6	8
0	HF				
1					
2					
3					
4					
5					
6					

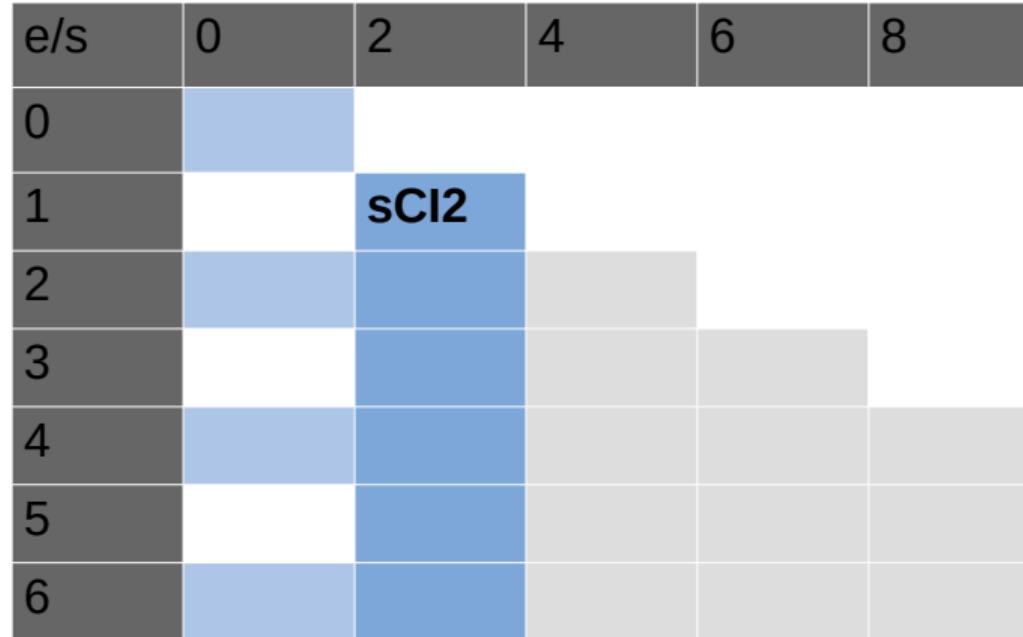


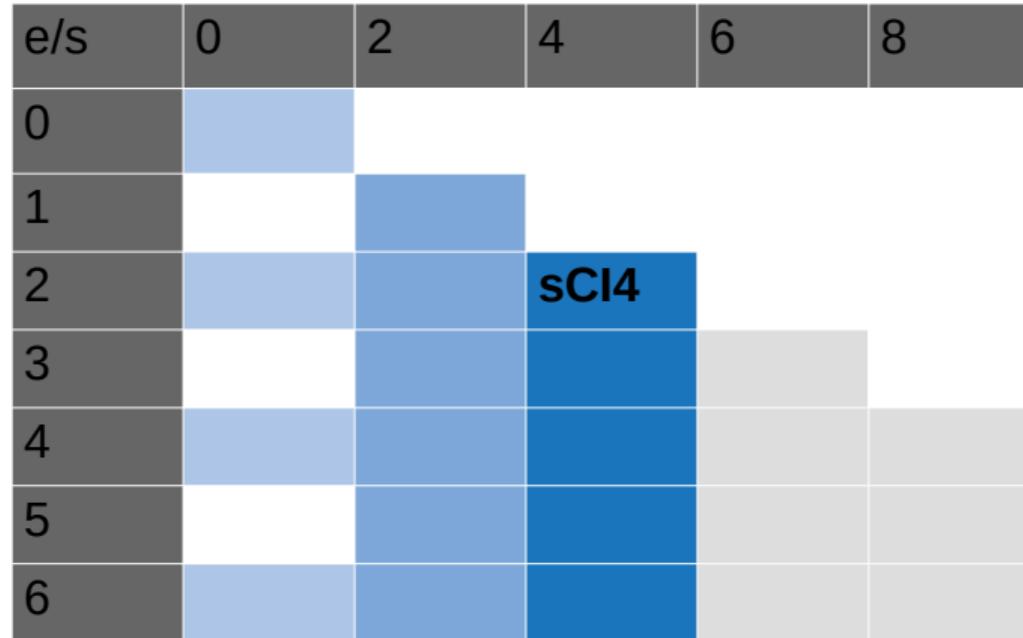


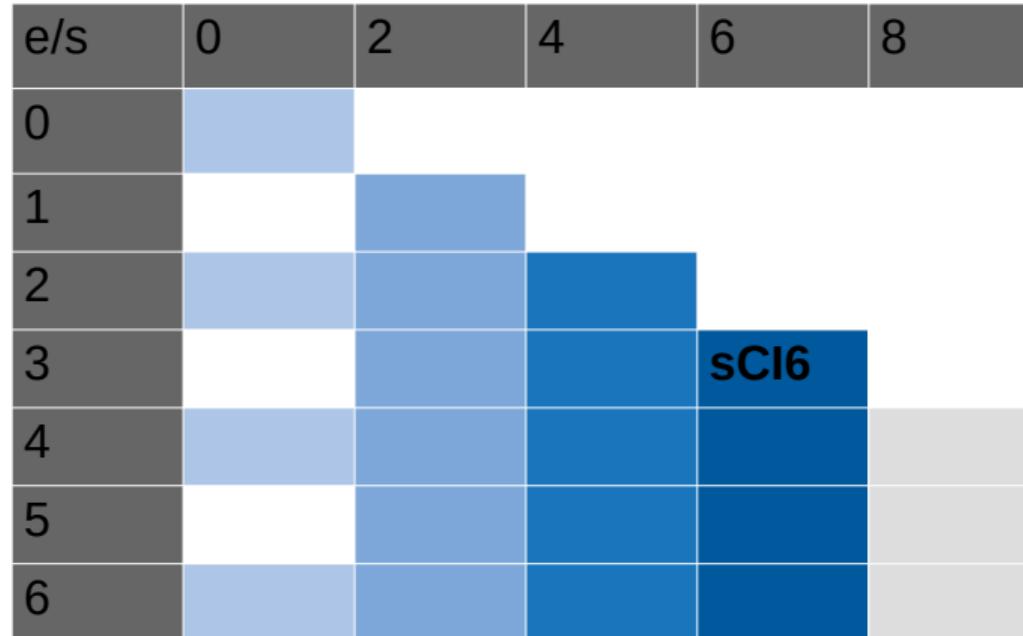








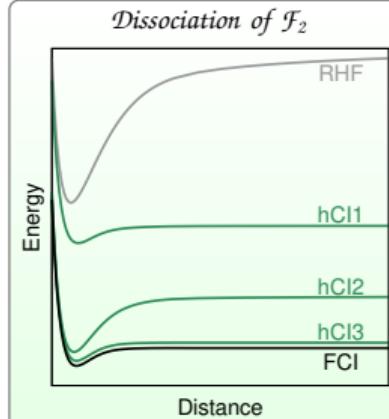




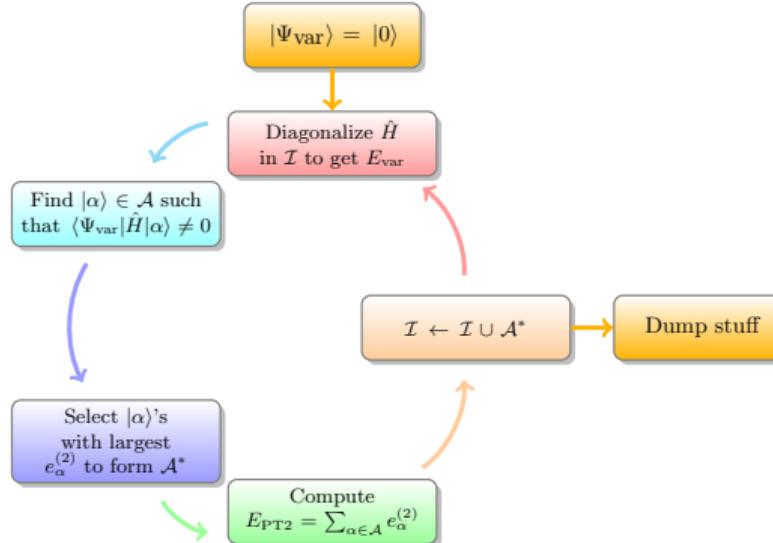
*Hierarchy configuration interaction ( $\text{hCI}$ )*

Excitation degree  $e$   
Seniority number  $s$   
Hierarchy parameter  $h = \frac{e+s/2}{2}$

e/s	0	2	4	6
0	HF			
1		hCI1		
2		hCI1.5	hCI2	
3			hCI2.5	hCI3
4				
5				
6				



Fábris Kossoski



CIPSI is an algorithm, not a method...





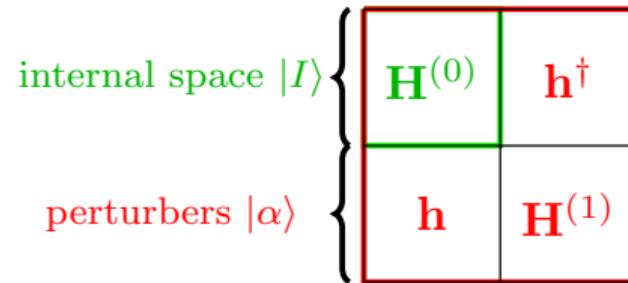








- Green: reference/variational/internal wave function (zeroth-order or model space)
- Red: perturbers or external wave function (first-order or perturbative space)



- 1 Define a (zeroth-order) *reference* wave function:

$$|\Psi^{(0)}\rangle = \sum_{I \in \mathcal{D}} c_I |I\rangle \quad E^{(0)} = \frac{\langle \Psi^{(0)} | \hat{H} | \Psi^{(0)} \rangle}{\langle \Psi^{(0)} | \Psi^{(0)} \rangle}$$

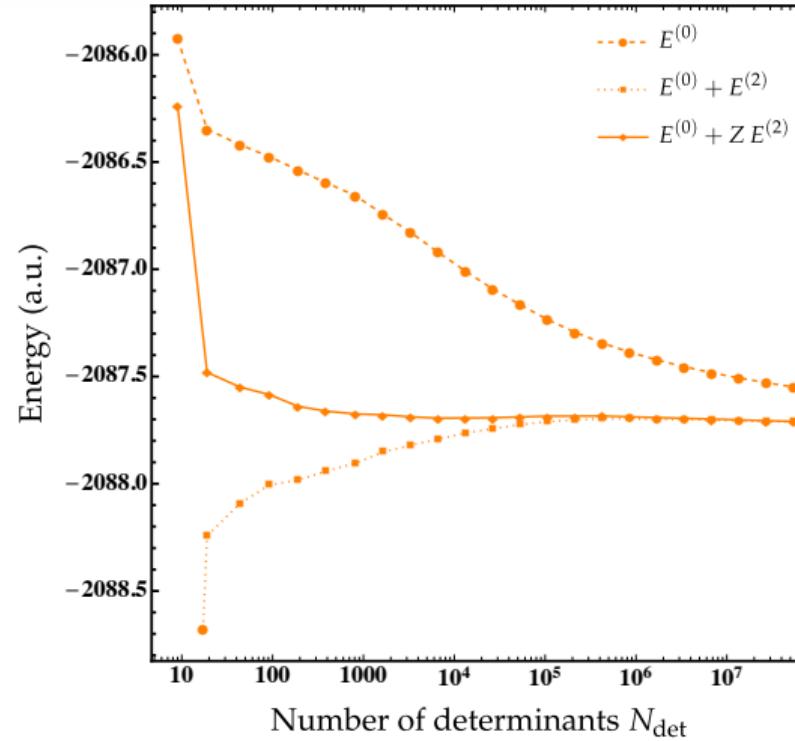
- 2 Generate external determinants:

$$\mathcal{A} = \left\{ (\forall I \in \mathcal{D}) \left( \forall \hat{T} \in \mathcal{T}_1 \cup \mathcal{T}_2 \right) : |\alpha\rangle = \hat{T} |I\rangle \right\}$$

- 3 Second-order perturbative contribution of each  $|\alpha\rangle$ :

$$\delta E(\alpha) = \frac{|\langle \Psi^{(0)} | \hat{H} | \alpha \rangle|^2}{E^{(0)} - \langle \alpha | \hat{H} | \alpha \rangle}$$

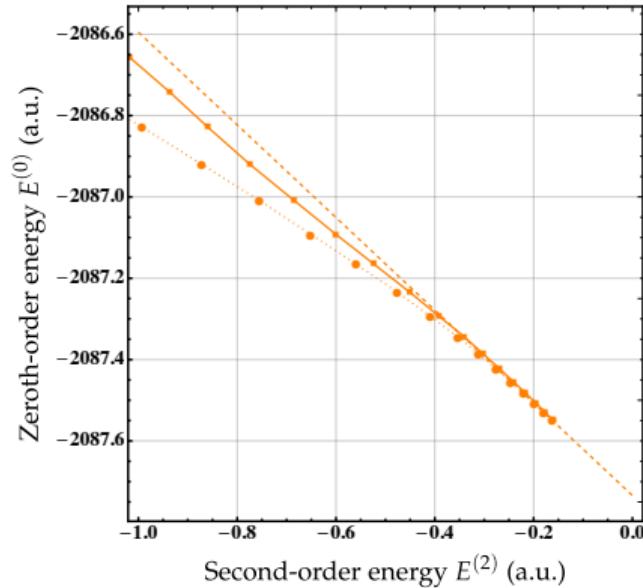
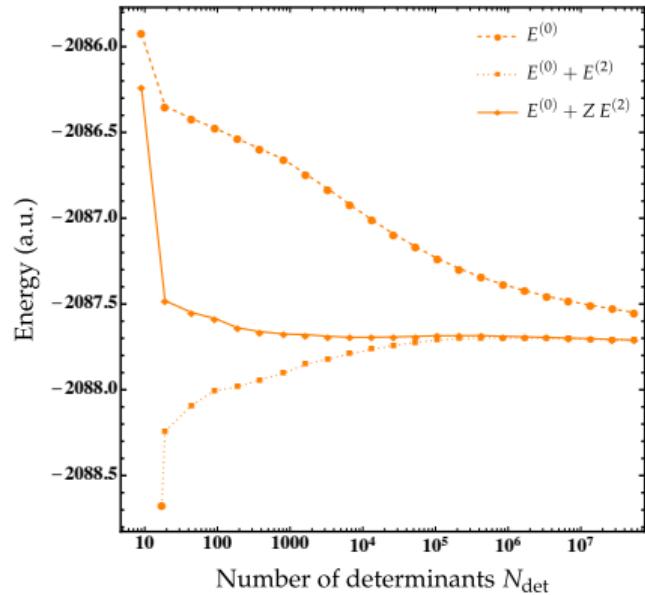
- 4 Select  $|\alpha\rangle$  with largest  $\delta E(\alpha)$  and add them to  $\mathcal{D}$   
5 Diagonalize  $\hat{H}$  in  $\mathcal{D} \Rightarrow$  update  $|\Psi^{(0)}\rangle$  and  $E^{(0)}$   
6 Iterate



- Second-order Epstein-Nesbet correction:

$$E^{(2)} = \sum_{\alpha} \delta E(\alpha)$$

- $|\alpha\rangle$ 's with largest  $\delta E(\alpha)$  have been added to  $\Psi^{(0)}$  previously  
⇒ only small contributions remaining
- $A$  increases with  $D$   
⇒ a *very large* number of *very small* contributions
- In practice, we use a semi-stochastic algorithm to compute  $E^{(2)}$   
⇒ *much faster!!*  
*Garniron, Scemama, Loos & Caffarel, JCP 147 (2017) 034101*
- We linearly extrapolate to  $E^{(2)} = 0$  to reach the FCI limit (exFCI)



Garniron et al., JCTC 15 (2019) 3591

At a given CIPSI iteration, the SCI+PT2 energy is given by

$$E = E^{(0)} + E^{(2)}$$

Let us introduce the following energy-dependent second-order self-energy

$$\Sigma^{(2)}[E] = \sum_{\alpha} \frac{\langle \alpha | \hat{H} | \Psi^{(0)} \rangle^2}{E - \langle \alpha | \hat{H} | \alpha \rangle} \quad \text{with} \quad \Sigma^{(2)}[E^{(0)}] = E^{(2)}$$

Brillouin-Wigner perturbation theory tells us

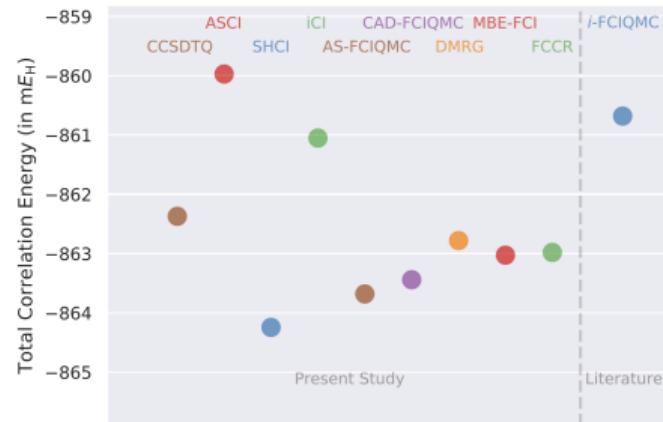
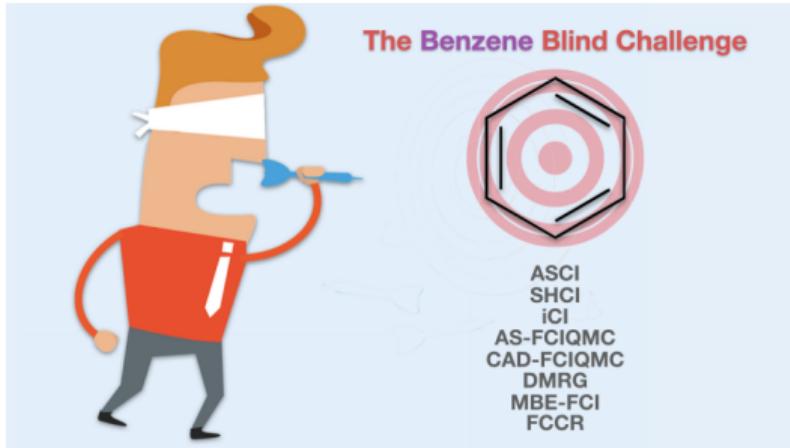
$$E = E^{(0)} + \Sigma^{(2)}[E]$$

Assuming that  $\Sigma^{(2)}[E]$  behaves linearly for  $E \approx E^{(0)}$

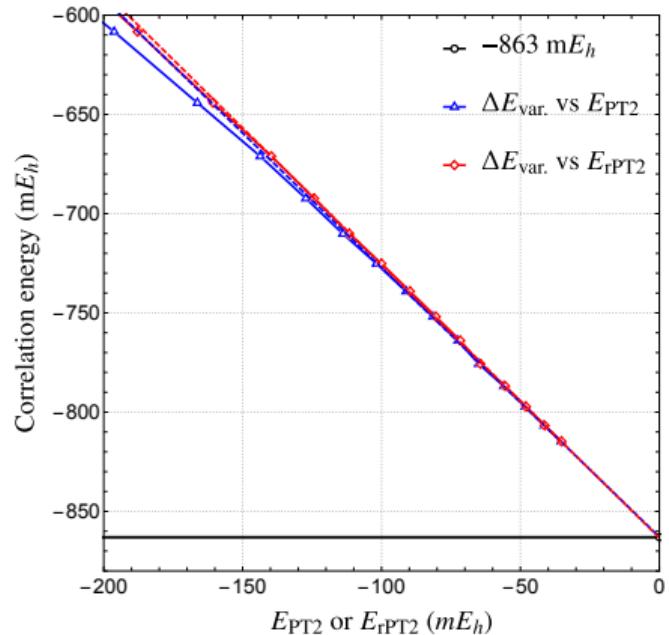
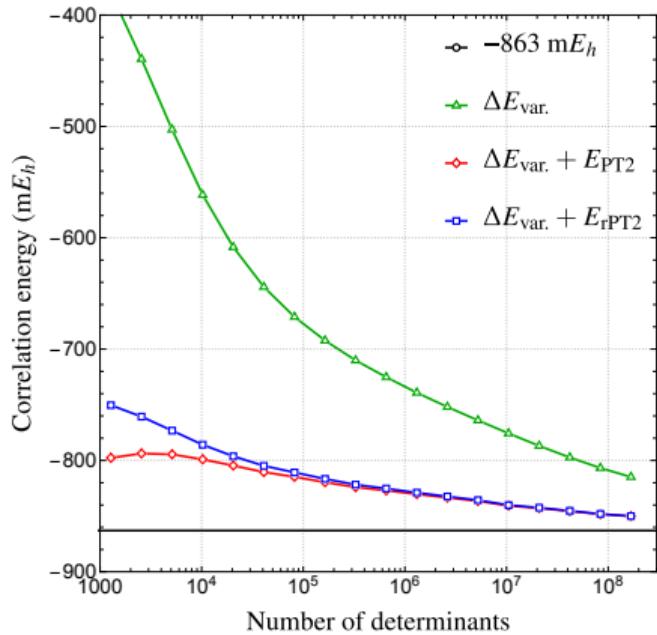
$$\Sigma^{(2)}[E] \approx \Sigma^{(2)}[E^{(0)}] + (E - E^{(0)}) \left. \frac{\partial \Sigma^{(2)}[E]}{\partial E} \right|_{E=E^{(0)}}$$

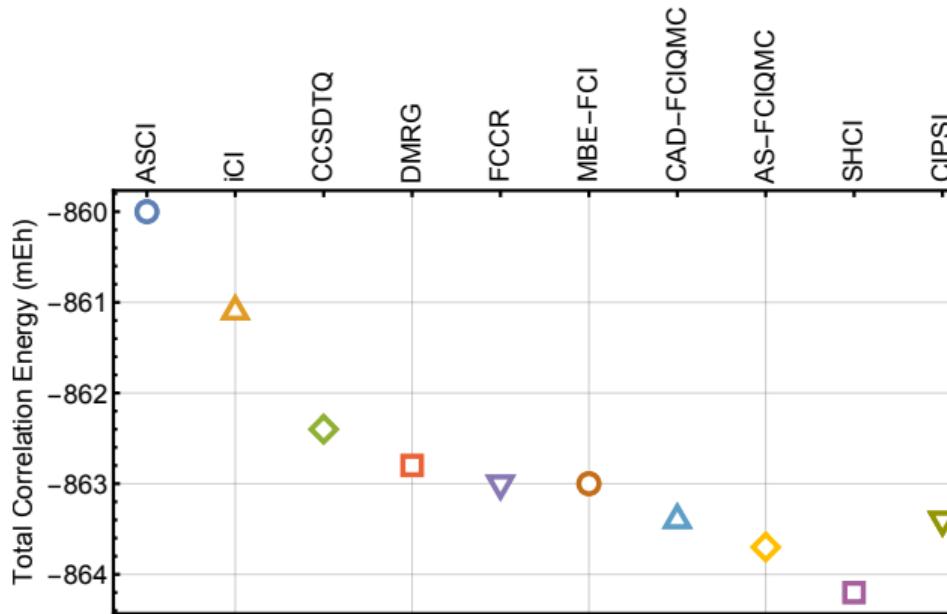
This yields

$$E = E^{(0)} + \Sigma^{(2)}[E^{(0)}] + (E - E^{(0)}) \left. \frac{\partial \Sigma^{(2)}[E]}{\partial E} \right|_{E=E^{(0)}} = E^{(0)} + Z E^{(2)} \quad \text{with} \quad Z = \left[ 1 - \left. \frac{\partial \Sigma^{(2)}[E]}{\partial E} \right|_{E=E^{(0)}} \right]^{-1}$$

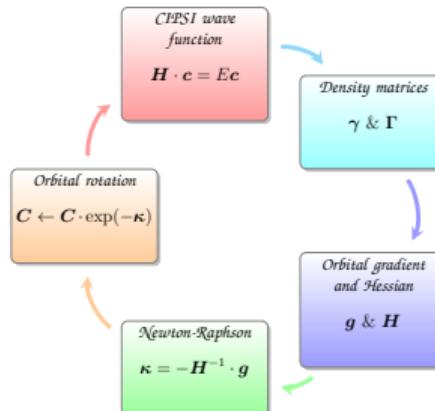
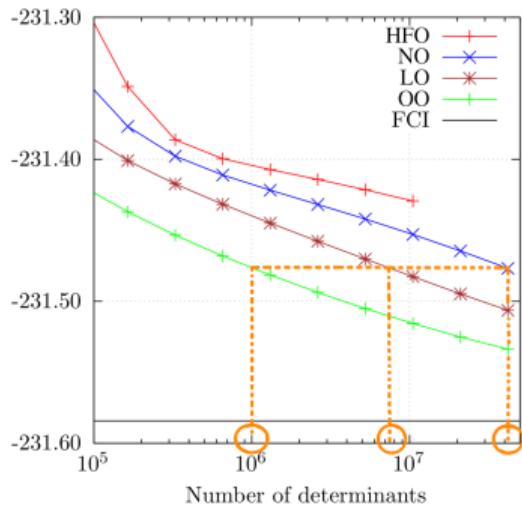


Eriksen et al. JPCL 11 (2020) 8922





Loos, Damour & Scemama, JCP 153 (2020) 176101



Damour, Vérit, Kossoski, Caffarel, Jacquemin, Scemama & Loos, JCP  
155 (2020) 176101

- Orbital optimization largely accelerates the convergence of selected CI

- Trust-region Newton-Raphson algorithm



Yann Damour

# Toward a systematic improvement of the fixed-node approximation in diffusion Monte Carlo for solids—A case study in diamond

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Cite as: J. Chem. Phys. 153, 184111 (2020); <https://doi.org/10.1063/5.0021036>

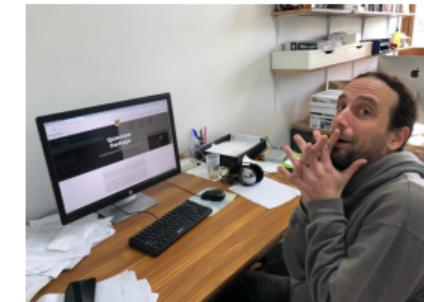
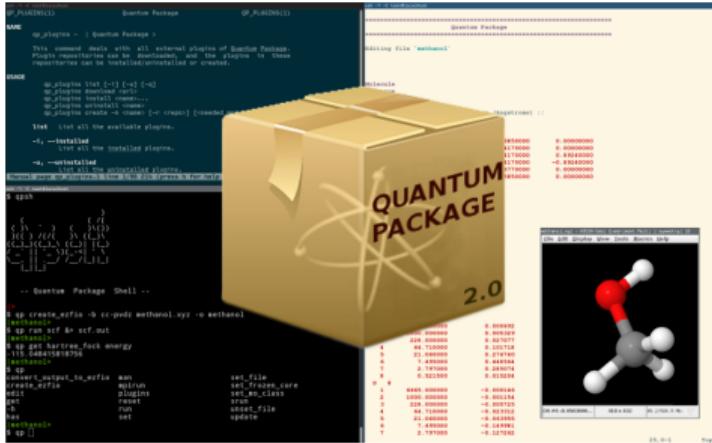
Submitted: 06 July 2020 . Accepted: 12 October 2020 . Published Online: 11 November 2020

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 Anouar Benali,  Kevin Gasperich,  Kenneth D. Jordan, Thomas Applencourt,  Ye Luo,  M. Chandler Bennett,  Jaron T. Krogel,  Luke Shulenburger,  Paul R. C. Kent,  Pierre-François Loos,  Anthony Scemama, and  Michel Caffarel

See also Scemama et al. JCP 153 (2021) 174107 for a range-separated approach in molecules

*"SCI+PT2 methods provide near full CI (FCI) quality quantities with only a small fraction of the determinants of the FCI space"*

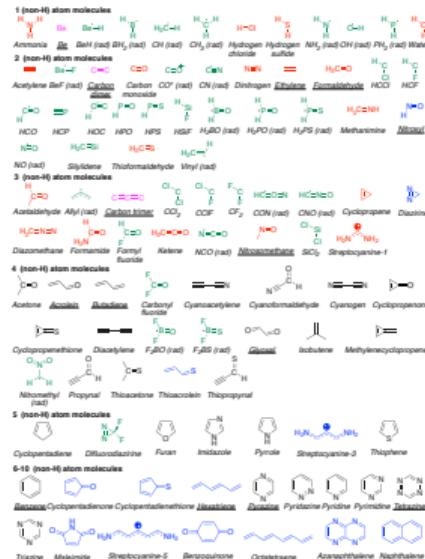
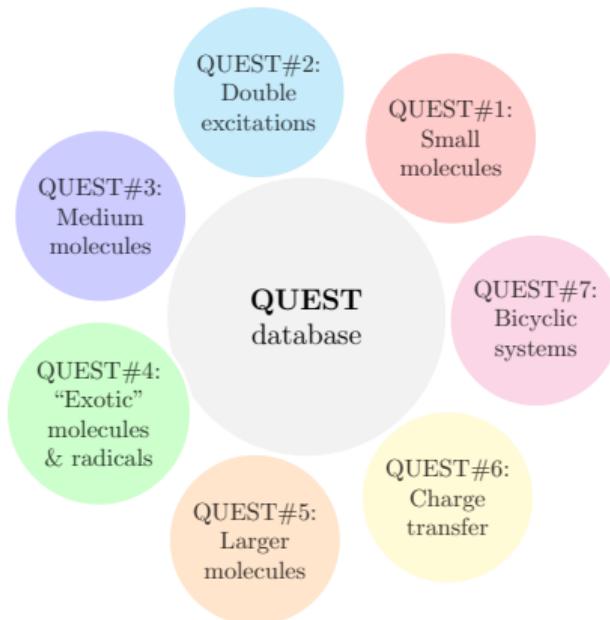


Anthony Scemama

*"Quantum Package 2.0: An Open-Source Determinant-Driven Suite of Programs"*,

Garniron et al., JCTC 15 (2019) 3591

*"The aim of the QUEST project is to provide to the community a large set of highly-accurate excitation energies for various types of excited states"*



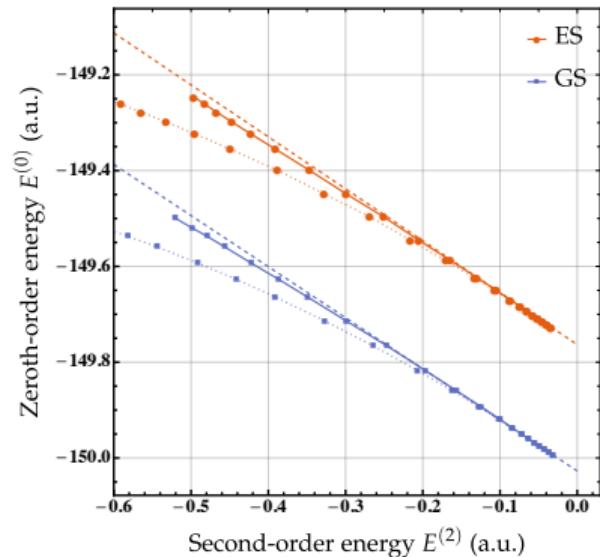
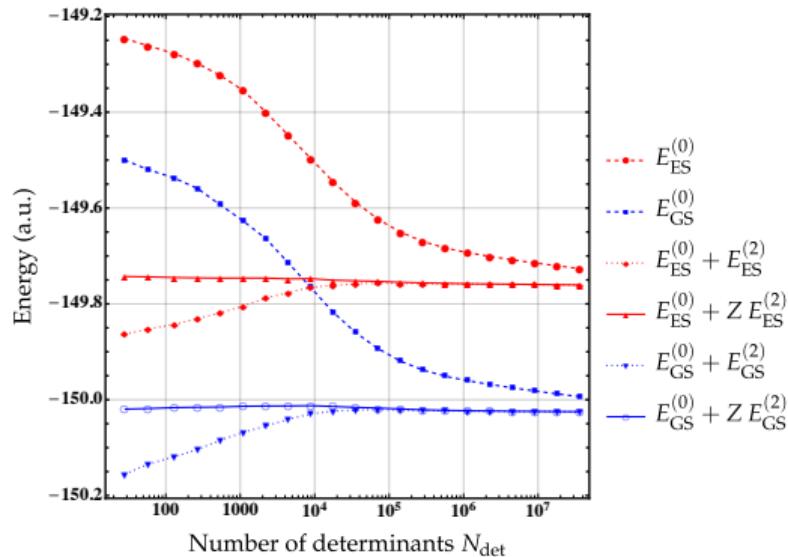
Denis Jacquemin

## Zoo of functionals...



And this is just for excited states...

CCSDT  
Full CIS SF-EOM-CCSD(fT) SCS-ADC(2) SF-TDDFT SF-  
SCS-ADC(2) SF-TDDFT NEVPT3 CCSDTQ  
SF-ADC(2)-x SC-NEVPT2 CIS(D)  
SOS-ADC(2) CR-EOMCC (2,3) CIS ADC(3)  
CCSDT-3 CCSDT CIS MOM  
CCSD TDDFT ADC(2)  
TOPPA SOPPA CC2 CASPT2 CASSCF  
BSE@GW RASPT2 RASSCF  
CCSDR(3) SOS-CC2  
CASPT3 XMS-CASPT2 δ-CR-EOMCC(2,3) ADC(2.5)  
SF-ADC(2)-s SF-EOM-CCSD SCS-CC2  
CCSD(T)(a)\* PC-NEVPT2 EOM-MP2  
DMC CC3 SF-EOM-CCSD(dT) CC4 VMC  
STEOM-CCSD



Garniron et al., JCTC 15 (2019) 3591

Table 1. Zeroth-Order Energy  $E^{(0)}$ , Second-Order Perturbative Correction  $E^{(2)}$ , and Its Renormalized Version  $ZE^{(2)}$  (in hartree) of CN3 for Increasingly Large Wave Functions<sup>a</sup>

$N_{\text{det}}$	$E^{(0)}$		$E^{(0)} + E^{(2)}$			$E^{(0)} + ZE^{(2)}$		
	GS (a.u.)	ES (a.u.)	GS (a.u.)	ES (a.u.)	$\Delta E$ (eV)	GS (a.u.)	ES (a.u.)	$\Delta E$ (eV)
28	-149.499574	-149.246268	-150.155(1)	-149.863(1)	7.95(5)	-150.020(1)	-149.743(1)	7.54(5)
58	-149.519908	-149.261390	-150.134(1)	-149.853(1)	7.67(5)	-150.018(1)	-149.744(1)	7.48(5)
131	-149.537424	-149.277496	-150.118(1)	-149.8427(9)	7.52(4)	-150.017(1)	-149.7449(9)	7.39(4)
268	-149.559465	-149.298484	-150.1035(9)	-149.8308(9)	7.42(4)	-150.0158(9)	-149.7457(9)	7.35(4)
541	-149.593434	-149.323302	-150.0845(8)	-149.8186(8)	7.24(4)	-150.0152(8)	-149.7463(8)	7.32(4)
1101	-149.627202	-149.354807	-150.0683(8)	-149.8045(8)	7.18(3)	-150.0137(8)	-149.7460(8)	7.28(3)
2207	-149.663850	-149.399522	-150.0549(7)	-149.7879(7)	7.26(3)	-150.0132(7)	-149.7462(7)	7.27(3)
4417	-149.714222	-149.448133	-150.0409(6)	-149.7762(6)	7.20(3)	-150.0130(6)	-149.7478(6)	7.22(3)
8838	-149.765886	-149.496401	-150.0296(5)	-149.7655(5)	7.19(2)	-150.0124(5)	-149.7473(5)	7.21(2)
17 680	-149.817301	-149.545048	-150.0239(4)	-149.7615(4)	7.14(2)	-150.0141(4)	-149.7505(4)	7.17(2)
35 380	-149.859737	-149.587668	-150.0216(3)	-149.7582(3)	7.17(1)	-150.0161(3)	-149.7518(3)	7.19(1)
70 764	-149.893273	-149.623235	-150.0207(2)	-149.7566(3)	7.18(1)	-150.0174(2)	-149.7530(3)	7.19(1)
141 545	-149.919463	-149.650109	-150.0214(2)	-149.7572(2)	7.189(8)	-150.0194(2)	-149.7550(2)	7.196(8)
283 108	-149.937839	-149.669735	-150.0224(2)	-149.7576(2)	7.206(7)	-150.0211(2)	-149.7562(2)	7.209(7)
566 226	-149.950918	-149.683278	-150.0233(1)	-149.7580(1)	7.217(6)	-150.0223(1)	-149.7570(1)	7.219(6)
1 132 520	-149.960276	-149.693053	-150.0238(1)	-149.7588(1)	7.212(5)	-150.0231(1)	-149.7580(1)	7.214(5)
2 264 948	-149.968203	-149.700907	-150.0240(1)	-149.7590(1)	7.211(4)	-150.0235(1)	-149.7584(1)	7.212(4)
4 529 574	-149.975230	-149.708061	-150.0245(1)	-149.7594(1)	7.215(4)	-150.0241(1)	-149.7589(1)	7.216(4)
9 057 914	-149.981770	-149.714526	-150.02463(9)	-149.75981(8)	7.206(3)	-150.02434(9)	-149.75948(8)	7.207(3)
18 110 742	-149.987928	-149.720648	-150.02495(7)	-149.76025(8)	7.203(3)	-150.02474(7)	-149.76000(8)	7.204(3)
36 146 730	-149.993593	-149.726253	-150.02527(6)	-149.76065(7)	7.198(3)	-150.02502(6)	-149.760 47(7)	7.198(3)

<sup>a</sup>The excitation energy  $\Delta E$  (in eV) is the energy difference between the ground state (GS) and the excited state (ES). The statistical error, corresponding to one standard deviation, is reported in parentheses.

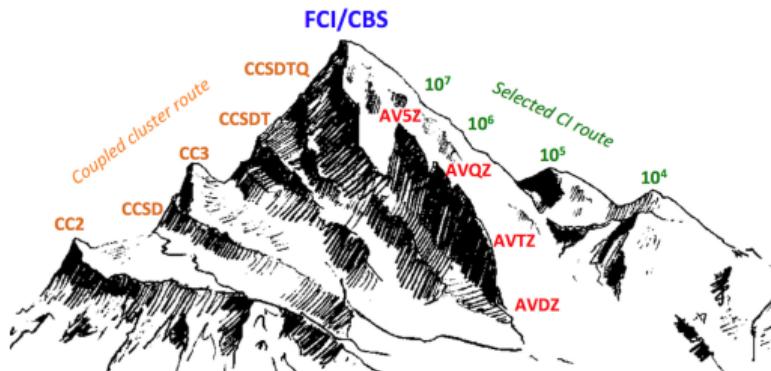


## A Mountaineering Strategy to Excited States: Highly Accurate Reference Energies and Benchmarks

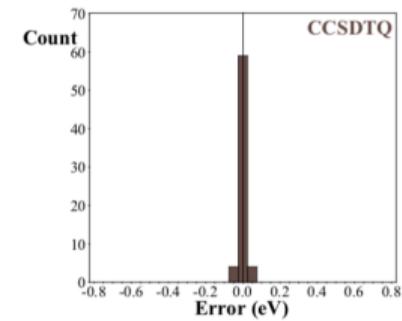
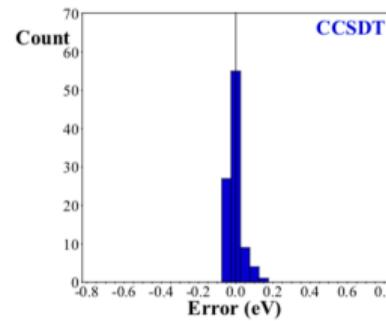
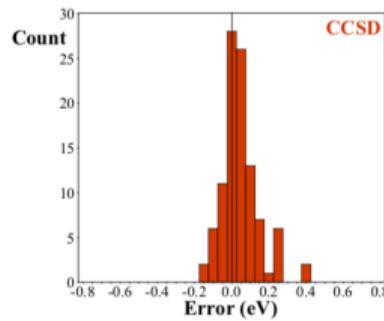
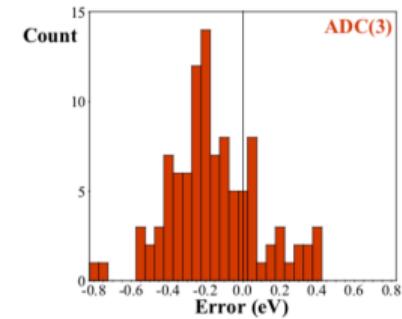
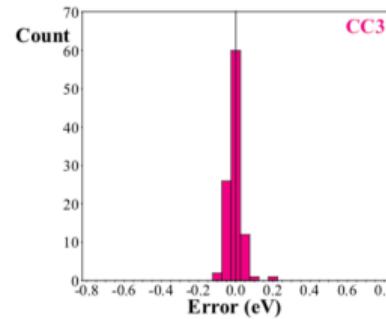
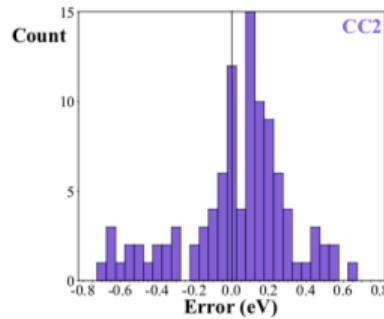
Pierre-François Loos,<sup>\*,†,○</sup> Anthony Scemama,<sup>†</sup> Aymeric Blondel,<sup>‡</sup> Yann Garniron,<sup>†</sup> Michel Caffarel,<sup>†</sup> and Denis Jacquemin<sup>\*‡,○</sup>

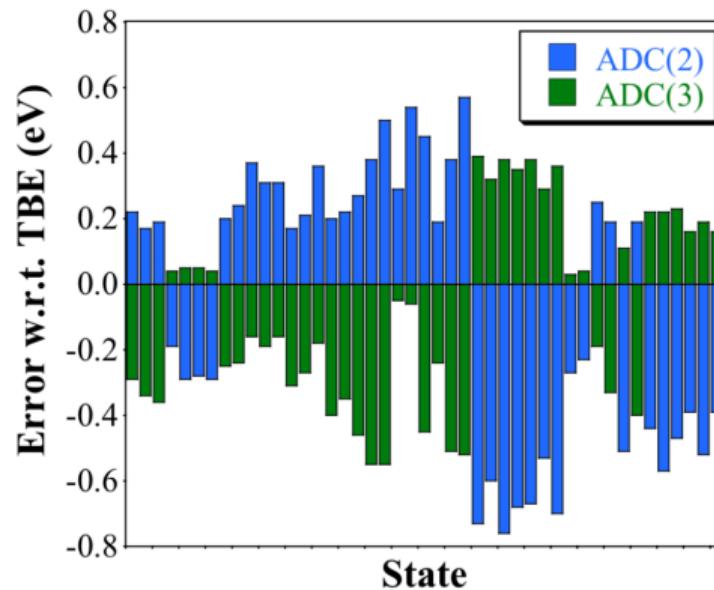
<sup>†</sup>Laboratoire de Chimie et Physique Quantiques, Université de Toulouse, CNRS, UPS, 31013 Toulouse Cedex 6, France

<sup>‡</sup>Laboratoire CEISAM - UMR CNRS 6230, Université de Nantes, 2 Rue de la Houssinière, BP 92208, 44322 Nantes Cedex 3, France



- 110 vertical excitation energies (VTEs) and oscillator strengths
- 18 small molecules with 1 to 3 non-H atoms
- CC3/aug-cc-pVTZ geometries
- mostly singly-excited states and very few doubly-excited states
- rely on FCI to define “theoretical best estimates” (TBEs)
- aug-cc-pVTZ and CBS vertical energies
- benchmark popular excited-state methods accounting for double and triple excitations



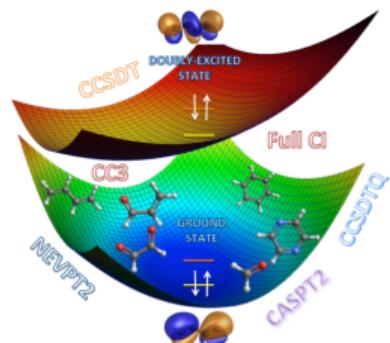


## Reference Energies for Double Excitations

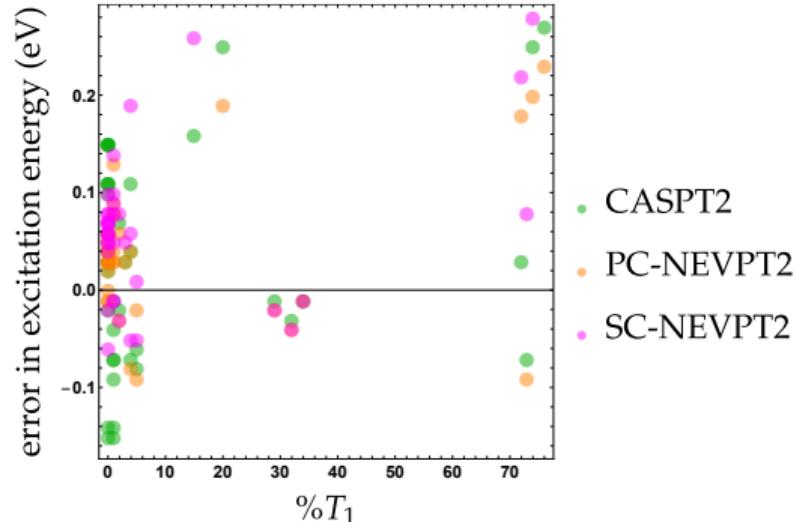
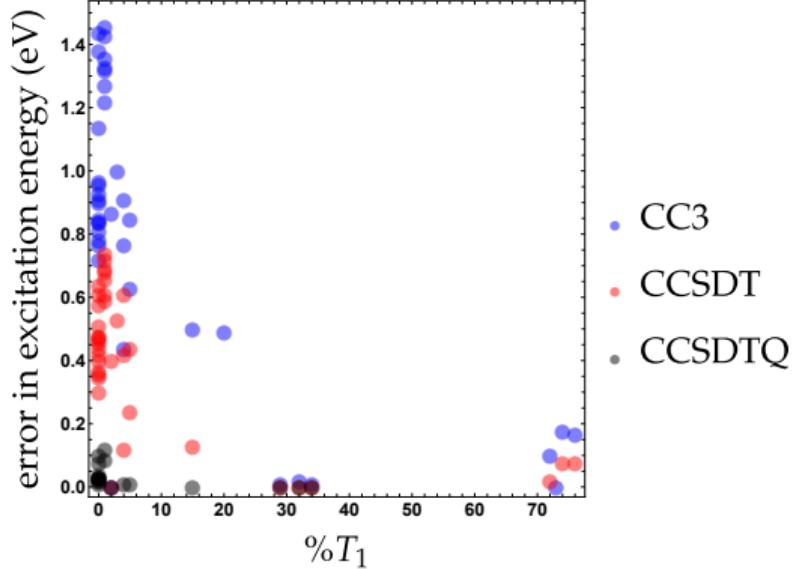
Pierre-François Loos,<sup>\*†</sup> Martial Boggio-Pasqua,<sup>†</sup> Anthony Scemama,<sup>†</sup> Michel Caffarel,<sup>†</sup> and Denis Jacquemin<sup>‡</sup>

<sup>†</sup>Laboratoire de Chimie et Physique Quantiques (UMR 5626), Université de Toulouse, CNRS, UPS, 31062 Toulouse, France

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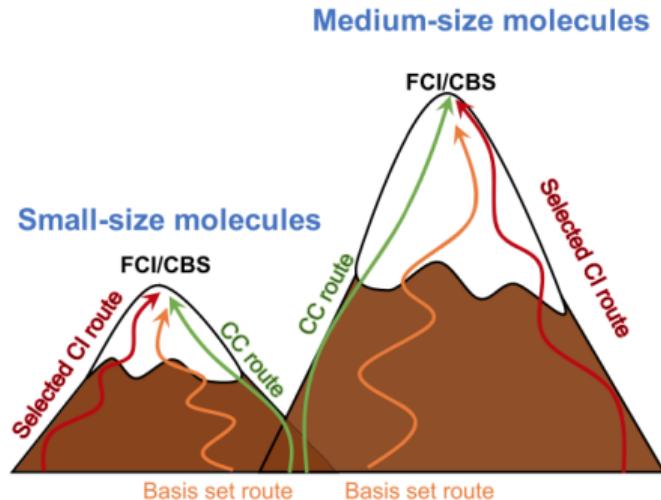


- 20 VTEs for **doubly-excited states**
- 14 small- and medium-sized molecules
- mostly rely on FCI to define TBEs (except for the largest molecules)
- aug-cc-pVTZ and CBS vertical energies
- benchmark excited-state methods including **at least** triple excitations
- additional benchmarks of multi-configurational methods



## A Mountaineering Strategy to Excited States: Highly Accurate Energies and Benchmarks for Medium Sized Molecules

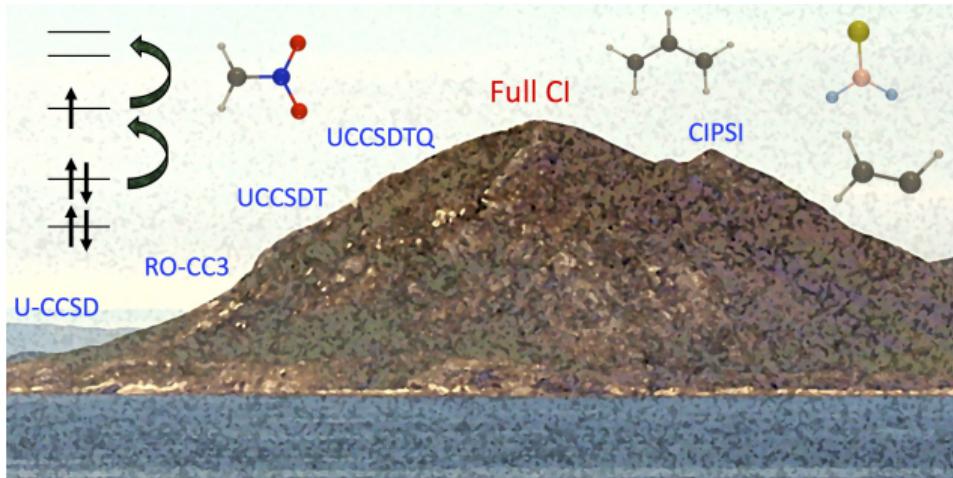
Pierre-François Loos,\* Filippo Lipparini,\* Martial Boggio-Pasqua, Anthony Scemama, and Denis Jacquemin\*



- 238 VTEs (and oscillator strengths) with mostly singly-excited states and aug-cc-pVTZ basis
- 27 small- and medium-sized molecules with 4 to 6 non-H atoms
- rely mostly on CCSDT or CCSDTQ to define TBEs
- benchmark popular excited-state methods accounting for double and triple excitations
- recently improved TBEs with CC4 and CCSDTQ [JCP 154 (2021) 221103; JCTC 18 (2022) 4418]

## Mountaineering Strategy to Excited States: Highly Accurate Energies and Benchmarks for Exotic Molecules and Radicals

Pierre-François Loos,\* Anthony Scemama, Martial Boggio-Pasqua, and Denis Jacquemin\*



- two subsets of excitations and oscillator strengths
- an “exotic” subset of 30 VTEs for closed-shell molecules containing F, Cl, P, and Si
- a “radical” subset of 51 doublet-doublet transitions in 24 small radicals
- total of 81 TBEs mostly obtained at the FCI/aug-cc-pVTZ level
- benchmark popular excited-state methods (U vs RO)

Received: 2 December 2020 | Revised: 5 January 2021 | Accepted: 7 January 2021

DOI: 10.1002/wcms.1517

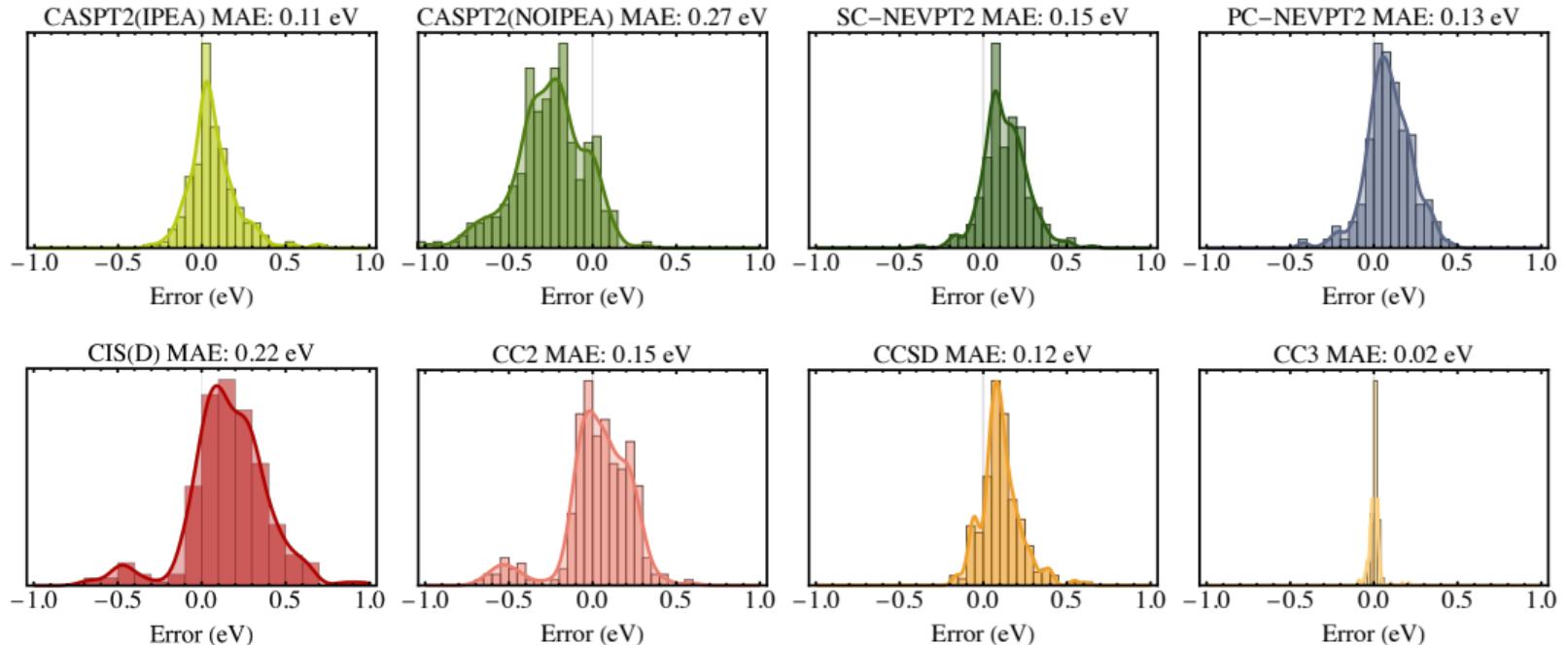
**FOCUS ARTICLE**



## QUESTDB: A database of highly accurate excitation energies for the electronic structure community

Mickaël Vérit<sup>1</sup> | Anthony Scemama<sup>1</sup> | Michel Caffarel<sup>1</sup> | Filippo Lipparini<sup>2</sup> |  
Martial Boggio-Pasqua<sup>1</sup> | Denis Jacquemin<sup>3</sup> | Pierre-François Loos<sup>1</sup>

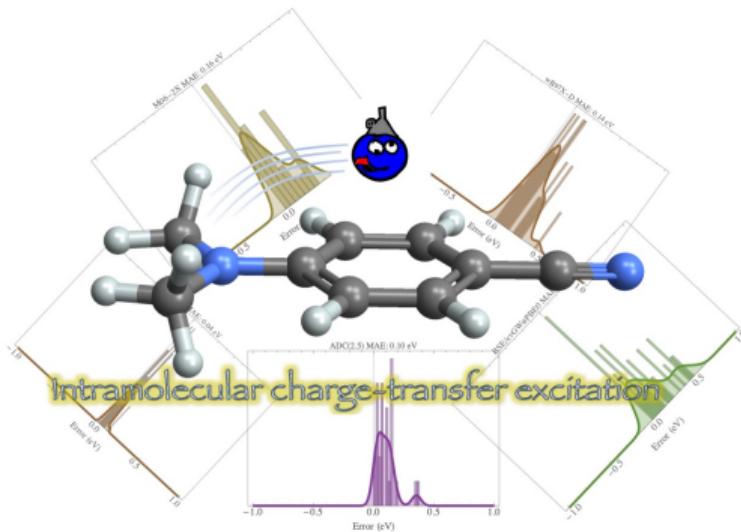
- 13 new systems composed by small molecules as well as **larger** molecules
- 80 new transitions the vast majority being of CCSDT quality
- benchmark popular excited-state methods **over the entire database**



JCTC 18 (2022) 2418; JCP 157 (2022) 014103

## Reference Energies for Intramolecular Charge-Transfer Excitations

Pierre-François Loos,\* Massimiliano Comin, Xavier Blase,\* and Denis Jacquemin\*

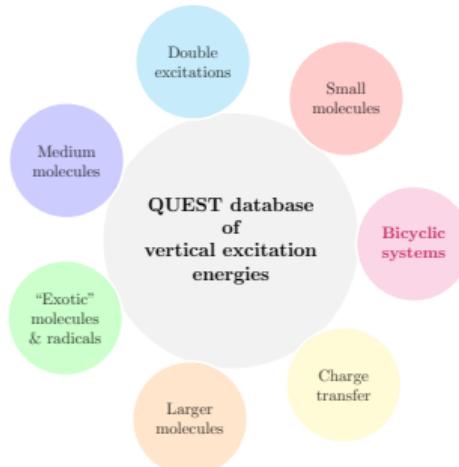


- intramolecular **charge-transfer** transitions in  $\pi$ -conjugated molecules
- 30 transitions of CCSDT quality in 17 systems with cc-pVTZ
- Basis-set correction up to aug-cc-pVQZ computed with CCSD and CC2
- benchmark popular excited-state methods
- **additional benchmarks** of BSE@GW and TD-DFT (hybrids and range-separated hybrids)

## A Mountaineering Strategy to Excited States: Highly Accurate Energies and Benchmarks for Bicyclic Systems

Published as part of *The Journal of Physical Chemistry* virtual special issue "Vincenzo Barone Festschrift".

Pierre-François Loos\* and Denis Jacquemin\*



- VTEs for 10 bicyclic molecules
- 91 new transitions of CCSDT quality for larger systems
- benchmark popular excited-state methods accounting for double and triple excitations

QUEST: a database of highly-accurate excitation energies

HOME DATASET SUBSETS REFERENCES

AVTZ  
AVDZ  
NEVPT2  
CASPT2  
CCSDTQ

# QUESTDB

Medium-size molecules

Small-size molecules

FCI/CBS

Selected

Quantum Excited STates DataBase

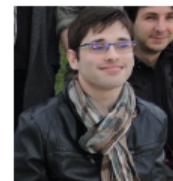
UCCSDTQ

UCCSDT

Full CI

CIPSI

A mountaineering strategy to excited states



Mika Vérit

Vérit et al. WIREs Comput. Mol. Sci. 11 (2021) e1517

[https://lcpq.github.io/QUESTDB\\_website](https://lcpq.github.io/QUESTDB_website)

- Head-Gordon's group: orbital-optimized DFT for double excitations [JCTC 16 (2020) 1699; JPCL 12 (2021) 4517] and TD-DFT benchmark [JCTC 18 (2022) 3460]
- Kaupp's group: assessment of hybrid functionals [JCP 155 (2021) 124108]
- Kallay's and Goerigk's groups: double hybrids [JCTC 15 (2019) 4735; JCTC 17 (2021) 927; JCTC 17 (2021) 5165; JCTC 17 (2021) 4211]
- Truhlar/Gagliardi's group: p-DFT [JCTC 18 (2022) 6065]
- Bartlett's group: Variants of EOM-CC for doubly-excited states [JCP 156 (2022) 201102]
- Neuscamman's group: QMC for doubly-excited states [JCP 153 (2022) 234105]
- Filippi/Scemama's groups: QMC for excited states [JCTC 15 (2019) 4889; JCTC 17 (2021) 3426; JCTC 18 (2022) 1089]
- Gould's group: ensemble DFT [JPCL 13 (2022) 2452]

✗ Forget about large systems/basis sets:

JCTC 16 (2020) 1711

- 1-3 non-H atoms with triple- or quadruple- $\zeta$  basis
- 4-6 non-H atoms with double- $\zeta$  basis

✓ Open-shell systems are “easy” (no spin contamination and independent of starting orbitals)

JCTC 16 (2020) 3720

✓ Double excitations are easily accessible (especially if they have the same symmetry as the ground state)

JCTC 15 (2020) 1939

✓ You can post-process CIPSI wave functions!

- one- and two-body density matrices
- QMC trial wave functions