

See discussions, stats, and author profiles for this publication at: <https://www.researchgate.net/publication/337214538>

# Adaptive Sensorless Control of PMSM using Back-EMF Sliding Mode Observer and Fuzzy Logic

Conference Paper · October 2019

DOI: 10.1109/EV.2019.8893070

CITATIONS

14

READS

936

3 authors, including:



**Marcel Nicola**

National Institute for Research and Development – ICMET Craiova

383 PUBLICATIONS 880 CITATIONS

[SEE PROFILE](#)



**Claudiu Ionel Nicola**

Institutul National de Cercetare-Dezvoltare si Încercari Pentru Electrotehnica - IC...

138 PUBLICATIONS 769 CITATIONS

[SEE PROFILE](#)

# Adaptive Sensorless Control of PMSM using Back-EMF Sliding Mode Observer and Fuzzy Logic

Marcel NICOLA

Research and Development Division  
National Institute for Research,  
Development and Testing in Electrical  
Engineering – ICMET  
Craiova, Romania  
marcel\_nicola@yahoo.com

Claudiu-Ionel NICOLA

Research and Development Division  
National Institute for Research,  
Development and Testing in Electrical  
Engineering – ICMET  
Department of Automatic Control and  
Electronics  
University of Craiova  
Craiova, Romania  
claudiu@automation.ucv.ro

Marian DUȚĂ

Research and Development Division  
National Institute for Research,  
Development and Testing in Electrical  
Engineering – ICMET  
Craiova, Romania  
marianduta@icmet.ro

**Abstract**—This article presents a sensorless control system of PMSM (Permanent Magnet Synchronous Motors) using a back-EMF (back electromotive force) sliding mode observer and a main and correction fuzzy logic controllers to adapt continuously the adjustment parameters  $K_p$  and  $K_i$  of the speed controller part of the FOC (Field Oriented Control) strategy and achieving superior adjustment performance without overshooting and reduced rising and settling time. In order to achieve superior performance, a second fuzzy controller is proposed which, besides the error and the error derivate of the rotor speed as inputs will also take into account the load torque (an estimate of it) to adjust the adjustment parameter  $K_p$  differently depending on the load torque size, but also on the dynamic or stationary regime that occurs during the required speed profile tracking.

**Keywords**—adaptive sensorless control, sliding mode observer, back-EMF, PMSM, fuzzy logic

## I. INTRODUCTION

The ever-growing use of PMSMs in variable speed electric drives, robot operation, computer peripherals is based on the fact that these motors have low power consumption, reduced dimensions and high duty density. The generation of the magnetic field in PMSMs is carried out by permanent magnets. Low inertia and rapid response is due to the absence of the rotor cage. Some of the general advantages of PMSMs are: easy cooling, losses concentrated in the stator, low harmonic contents in the torque, and high performance of control due to the sinusoidal form of the back-EMF [1] - [3].

By making use of the characteristics and advantages of PMSMs, algorithms and advanced control methods have been developed [4]. Modern PMSM control methods of adaptive control system type are addressed in [5], robust control system methods are presented in [6] and control techniques based on model predictive control in [7]. Among the control systems based on computational intelligence we mention the genetic algorithms and Particle Swarm Optimization (PSO) [8], [9].

In the control systems, the speed response can be acquired from transducers or can be estimated by using software implemented observers with certain advantages regarding the reliability of the global control system [10], [11].

In order to obtain good results in the electrical drives for the entire range of speed variation under the conditions of wide-ranging load torque, continuous adjustment is carried out for the adjustment parameters of the speed controller in the form of a PI controller, or even directly the current reference  $I_q$  (in the FOC control strategy the current reference  $I_d$  is set to zero) by using a fuzzy controller which, through the flexibility of inference rules can assist the global control system in achieving very good adjustment performance under the conditions presented above [12] - [14]. The control systems and the performance achieved for DC or AC electric motor drive, by using such a fuzzy controller are presented in [15] - [17]. A fuzzy control system for PMSM is presented in [18] using three fuzzy controllers, but the overshooting of the system at step signals is significant.

Starting from these, in this paper is presented a sensorless control system of PMSM using a back-EMF sliding mode observer and a main and correction fuzzy logic controllers to adapt continuously the adjustment parameters  $K_p$  and  $K_i$  of the speed controller and achieving superior adjustment performance without overshooting and reduced rising and settling time.

The rest of paper is structured as follows: in Section II is describes the equations for the mathematical model of the PMSM and back-EMF sliding mode observer together with the convergence proofing. The results of the numerical simulation, achieved in Matlab/Simulink environment for the sensorless control of a PMSM based on the back-EMF sliding mode observer and fuzzy logic controllers are presented in Section III. An improved fuzzy logic controller is presented in Section IV and the concluding section presents synthetic ideas on the fuzzy logic control of PMSM and follow-up ideas.

## II. PMSM AND BACK-EMF SLIDING MODE OBSERVER – MATHEMATICAL MODEL

Following [10], [11] by using common notations, the linear model of the PMSM is obtained, by accepting a series of simplifying elements: the hysteresis losses are neglected, the temperature and frequency variation of the resistance and inductance are neglected, it is assumed that the flux from the air gap has a sinusoidal distribution and has a radial orientation. Under these conditions, the general model of PMSM is obtained:

$$\begin{aligned} U &= RI + \frac{d\psi}{dt} \\ \psi &= LI + \psi_M \end{aligned} \quad (1)$$

where  $\psi_M$  is the magnetic flux of the permanent magnet,  $\psi$  is the flux rotor,  $R$  and  $L$  respectively are the resistance and inductances of the motor coils, and  $U$  and  $I$  are the voltage and current for each coils.

The flux generated by the permanent magnet, in a, b, c frame is in the form:

$$\begin{aligned} \psi_{ma} &= \lambda_0 \cos(\theta_e) \\ \psi_{mb} &= \lambda_0 \cos\left(\theta_e - \frac{2\pi}{3}\right) \\ \psi_{mc} &= \lambda_0 \cos\left(\theta_e + \frac{2\pi}{3}\right) \end{aligned} \quad (2)$$

And the currents are given by:

$$\begin{aligned} \frac{di_a}{dt} &= -\frac{R}{L}i_a - \frac{1}{L}e_a + \frac{1}{L}u_a \\ \frac{di_b}{dt} &= -\frac{R}{L}i_b - \frac{1}{L}e_b + \frac{1}{L}u_b \\ \frac{di_c}{dt} &= -\frac{R}{L}i_c - \frac{1}{L}e_c + \frac{1}{L}u_c \end{aligned} \quad (3)$$

The back EMF voltages are obtained from equation (2):

$$\begin{aligned} e_a &= \frac{d\psi_{ma}}{dt} = -\lambda_0 \omega_e \sin(\theta_e) \\ e_b &= \frac{d\psi_{mb}}{dt} = -\lambda_0 \omega_e \sin\left(\theta_e - \frac{2\pi}{3}\right) \\ e_c &= \frac{d\psi_{mc}}{dt} = -\lambda_0 \omega_e \sin\left(\theta_e + \frac{2\pi}{3}\right) \end{aligned} \quad (4)$$

The current equations in  $\alpha, \beta$  frame are obtained using the usual Clarke transformation:

$$\begin{aligned} \frac{di_\alpha}{dt} &= -\frac{R}{L}i_\alpha - \frac{1}{L}e_\alpha + \frac{1}{L}u_\alpha \\ \frac{di_\beta}{dt} &= -\frac{R}{L}i_\beta - \frac{1}{L}e_\beta + \frac{1}{L}u_\beta \end{aligned} \quad (5)$$

The back-EMF from (4) becomes:

$$\begin{aligned} e_\alpha &= \frac{d\psi_{m\alpha}}{dt} = -\lambda_0 \omega_e \sin(\theta_e) \\ e_\beta &= \frac{d\psi_{m\beta}}{dt} = -\lambda_0 \omega_e \cos(\theta_e) \end{aligned} \quad (6)$$

Using a sliding mode observer [10], [11] can be estimated the back-EMF  $e_\alpha$  and  $e_\beta$  and from these the rotor and speed position. The equations of the observer can be described as:

$$\begin{aligned} \frac{d\hat{i}_\alpha}{dt} &= -\frac{R}{L}\hat{i}_\alpha + \frac{1}{L}u_\alpha - \frac{l_1}{L}\text{sign}(\hat{i}_\alpha - i_\alpha) \\ \frac{d\hat{i}_\beta}{dt} &= -\frac{R}{L}\hat{i}_\beta + \frac{1}{L}u_\beta - \frac{l_1}{L}\text{sign}(\hat{i}_\beta - i_\beta) \end{aligned} \quad (7)$$

After a limited time if  $l_1 > \max(|e_\alpha|, |e_\beta|)$  a sliding mode is enforced. Defining errors as  $\bar{i}_\alpha = \hat{i}_\alpha - i_\alpha$  and  $\bar{i}_\beta = \hat{i}_\beta - i_\beta$ , using the equations (5) and (7) are obtained:

$$\begin{aligned} \frac{d\bar{i}_\alpha}{dt} &= -\frac{R}{L}\bar{i}_\alpha - \frac{1}{L}e_\alpha - \frac{l_1}{L}\text{sign}(\bar{i}_\alpha) \\ \frac{d\bar{i}_\beta}{dt} &= -\frac{R}{L}\bar{i}_\beta - \frac{1}{L}e_\beta - \frac{l_1}{L}\text{sign}(\bar{i}_\beta) \end{aligned} \quad (8)$$

When sliding mode occurs, the error is null thus  $\bar{i}_\alpha = 0$

and  $\bar{i}_\beta = 0$  and also:  $\frac{d\bar{i}_\alpha}{dt} = 0$  and  $\frac{d\bar{i}_\beta}{dt} = 0$ . Using the switching quantities equivalent values are obtained the desired back-EMF quantities  $e_\alpha$  and  $e_\beta$ :

$$\begin{aligned} (l_1 \text{sign}(\bar{i}_\alpha))_{eq} &= e_\alpha \\ (l_1 \text{sign}(\bar{i}_\beta))_{eq} &= e_\beta \end{aligned} \quad (9)$$

Due the switching operation at high frequency, a low pass filter is used for reduction of the chattering, and the equation (9) has the next form:

$$\begin{aligned} z_\alpha(t) + \Delta_\alpha(t) &= e_\alpha \\ z_\beta(t) + \Delta_\beta(t) &= e_\beta \end{aligned} \quad (10)$$

where  $\Delta_\alpha$  and  $\Delta_\beta$  are the errors, and  $z_\alpha$  and  $z_\beta$  are the low pass filtered result ( $\hat{e}_\alpha$  and  $\hat{e}_\beta$ ).

The convergence of the observer is demonstrated by a Lyapunov technique [10], [11], and the estimated rotor speed  $\hat{\omega}_e$  is given by:

$$\hat{\omega}_e = \frac{\sqrt{\hat{e}_\alpha^2 + \hat{e}_\beta^2}}{\lambda_0} \quad (11)$$

The estimated rotor position is obtained  $\hat{\theta}$  by integrating the quantity  $\hat{\omega}_e$ .

The block diagram of the Matlab/Simulink implementation of the back-EMF sliding mode observer described is presented in Figure 1. The intermediate filtering block of the back-EMF sliding mode observer was introduced additionally in the structure of the observer, to achieve a trademark between the delay introduced in the calculation of the observer and the smoothness of the back-EMF  $e_\alpha$  and  $e_\beta$ .

The intermediate filtering block of the back-EMF is achieved by using low-pass filters with a cut-off frequency of 500Hz. A precise estimation of the rotor speed  $\omega_e$  is provided by a good smoothness of the back-EMF  $e_\alpha$  and  $e_\beta$ .

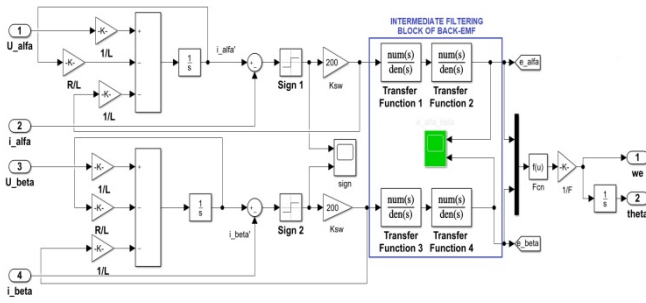


Fig. 1. Back-EMF and rotor speed sliding mode observer – Matlab/Simulink implementation

Since the start of a PMSM in the absence of the speed transducer is carried out in a special mode (in practical implementation with DSP the PMSM starts from a position stored from the previous start or the control is achieved in open loop after a predefined sequence), in the simulation performed the first 100ms the feedback information for the closed loop control is provided by a speed sensor to allow the correct initialization of the sliding mode observer. Then the feedback information is switched from the sensor to the observer.

Figure 2 presents the time evolution of the quantities provided by the sliding mode observer. The input quantities of the sliding mode observer are  $I_\alpha$ ,  $I_\beta$  and  $U_\alpha$ ,  $U_\beta$  and the output quantities are the back-EMF  $e_\alpha$ ,  $e_\beta$ , the rotor speed and position. For the reasons given above, the observer is bypassed the first 100ms. In accordance with the FOC type PMSM control strategy [11], [14], in d-q frame in Figure 2 it is noticed that the current reference  $I_d$  is set to 0 (the  $I_d$  current has an oscillating evolution around this value). After applying a 300 rpm step signal, it is noticed that the sliding mode observer accurately estimates the speed and position of the rotor.

### III. SENSORLESS CONTROL OF PMSM USING FUZZY LOGIC

By using Matlab/Simulink, this section presents the results of the numerical simulation for the sensorless control of PMSM with back-EMF sliding mode observer and a fuzzy logic controller. For the PMSM speed control system, the FOC control strategy is used, where the speed controller is PI type, and the adjustment parameters  $K_p$  and  $K_i$ , are adjusted by using the fuzzy logic. The proposed controller has a high performance and robustness compared to the regular PI controller in sensorless control of PMSM.

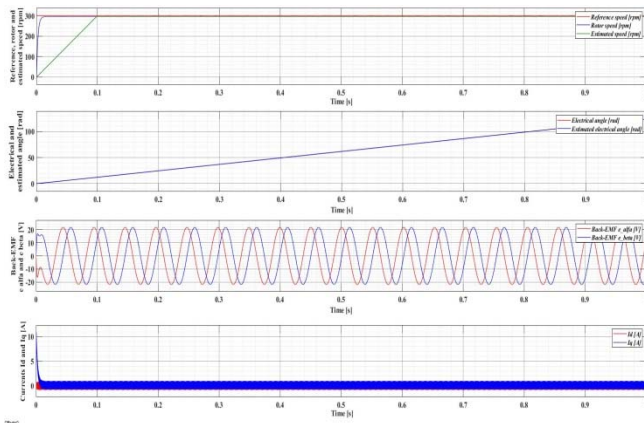


Fig. 2. Time evolution simulation of back-EMF, rotor position and rotor speed from sliding mode observer

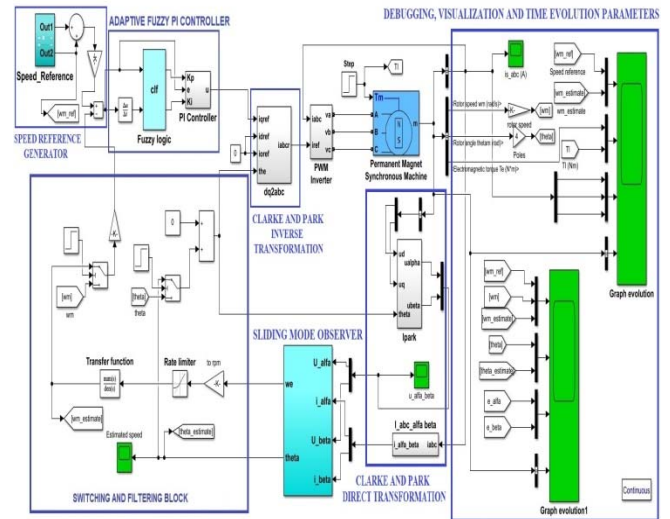


Fig. 3. Matlab/Simulink implementation block diagram for sensorless control of PMSM using back-EMF sliding mode observer and fuzzy logic control

The nominal parameters of PMSM are: the stator resistance  $R_s=2.875\Omega$ ; q and d inductance  $L_q=L_d=0.0085\text{H}$ ; the combined inertia of rotor and load  $J=0.8\text{e-}3\text{kg}\cdot\text{m}^2$ ; the combined viscous friction of rotor and load  $B=0.005\text{N}\cdot\text{m}\cdot\text{s/rad}$ ; the induced flux by the permanent magnets of the rotor in the stator phases  $\lambda_{af}=0.175$ ; and the pole pairs number  $P=4$ .

In Figure 3 is presented the block diagram for the Matlab/Simulink implementation of the sensorless speed control system of PMSM and fuzzy logic control. The main functional blocks from Figure 3 are: the speed controller, the Clarke and Park transforms blocks, inverter block, PMSM block, the back-EMF sliding mode observer block and a switching and filtering block. The switching and filtering block realize the bypass of the sliding mode observer like in previous section.

The transfer function of the speed controller is given by:

$$H_{PI}(s) = K_p + K_i \frac{1}{s} \quad (12)$$

where  $K_p$  is the proportional term and  $K_i$  is the integral term.

For the numerical simulation, the quantization of equation (12) is carried out by using the Tustin substitution:

$$s = \frac{2}{T_s} \frac{z-1}{z+1} \quad (13)$$

where  $T_s$  is sampling period and in the numerical simulations presented  $T_s=2\cdot 10^{-6}$  seconds. The  $s$  and  $z$  are the continuous and discrete variables respectively.

The block diagram implemented in Matlab/Simulink of the adaptive fuzzy logic controllers is presented in Figure 4. This is a part of the adaptive fuzzy PI controller which, based on the rules implemented in the fuzzy controllers will continuously adapt the adjustment parameters  $K_p$  and  $K_i$ .

The inputs of the adaptive fuzzy PI controller are the error and the error derivate of the rotor speed. The output of the adaptive fuzzy PI controller is represented by the current reference  $I_q$ .

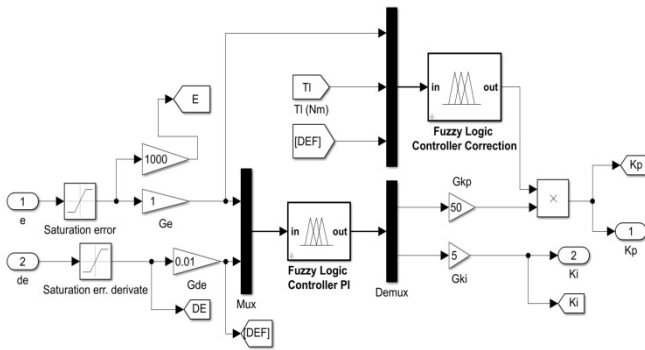


Fig. 4. Matlab/Simulink implementation block diagram for the adaptive fuzzy logic controllers

Due to the fact that the speed of a PMSM can vary rapidly within a wide range, but also due to the load torque which can also exhibit significant variations, by using the Ziegler-Nichols type adjustment method for the PI controller, good results are generally obtained only around a static operating point by portion linearization or by dividing by intervals the significant operating parameters (input sizes, parameters and measurable disturbances) and obtaining a set of adjustment values  $K_p$  and  $K_i$  for each of these intervals. Thus the need to use the fuzzy logic for the adjustment of the PI controller occurs inherently.

In this respect, in this approach, in order to be able to achieve an adjustment of the PI controller allowing, together with the proposed control structure, to track a high dynamic speed profile, with minimum rise time and response time and with no overshooting, under the conditions of wide-ranging load torque, two fuzzy controllers are proposed to be used, within the adaptive fuzzy PI controller.

The first fuzzy controller has input quantities represented by the error and the error derivate of the rotor speed, and it can work independently by adjusting the adjustment parameters  $K_p$  and  $K_i$ . In order to achieve superior performance, a second fuzzy controller is proposed which, besides the error and the error derivative of the rotor speed as inputs will also take into account the load torque (an estimate of it) to adjust the adjustment parameter  $K_p$  differently depending on the load torque size, but also on the dynamic or stationary regime that occurs during the required speed profile tracking. This fuzzy controller runs in tandem only with the first fuzzy controller and it will be described in the next section. In this section we assume that this fuzzy controller is bypassed.

For the Matlab/Simulink implementation of the fuzzy logic controller, the error and the error derivate of the rotor speed, two linguistic values  $E$  and  $DE$  will be used as input quantities, and two linguistic variables  $K_p$  and  $K_i$  will be used as the output quantities. Quantities  $E$  and  $DE$  are normalized in the range  $[-1, 1]$  and have the linguistic values  $\{NB, NS, ZO, PS, \text{ and } PB\}$ , which represent: negative big, negative small, zero, positive small, and positive big. For the output variables  $K_p$ ,  $K_i$ , the linguistic values are  $\{Z, S, M, \text{ and } B\}$  and represent: zero, small, medium, big.

The membership functions of the linguistic variables  $E$ ,  $DE$ ,  $K_p$  and  $K_i$  are triangular functions. The implementation in Fuzzy Toolbox from Matlab of the membership functions for the inputs and outputs of the fuzzy logic controller are presented in Figure 5 and Figure 6. The rules base defined for the fuzzy logic controller is presented in Figure 7.

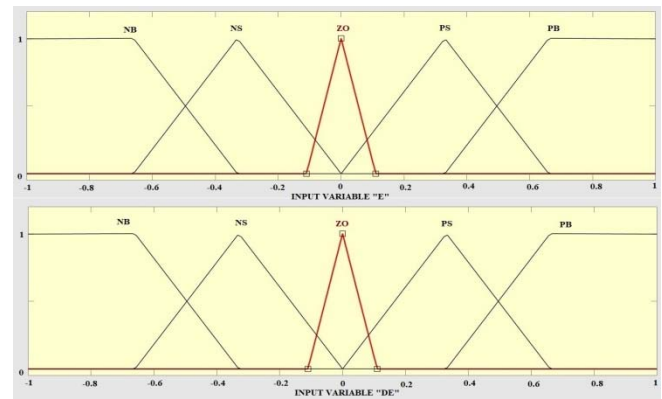


Fig. 5. Input membership functions of the main fuzzy logic controller

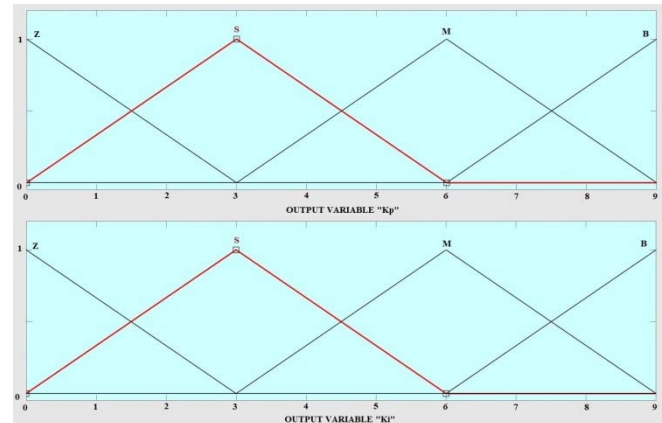


Fig. 6. Output membership functions of the main fuzzy logic controller

The adjustment of the output sizes (the adjustment parameters  $K_p$  and  $K_i$  of the PI controller) is carried out according to the values of the error and error derivate of the rotor speed, and implements in fuzzy logic the general knowledge for the adjustment of a PI controller in order to obtain minimum rise time and response time, an overshooting as low as possible, and zero steady-state error. Mamdani's fuzzy inference method is the most commonly seen fuzzy methodology and was adopted for the fuzzy controllers. The inference method is of min-max type, and the defuzzification method is that of center of gravity.

Figure 8 presents the time evolution simulation for the rotor speed, in the case of a reference speed profile consisting of step signals. It also presents the time evolution simulation for the error and error derivate of the rotor speed, the adjustment parameters  $K_p$  and  $K_i$ , and load and electromagnetic torque.

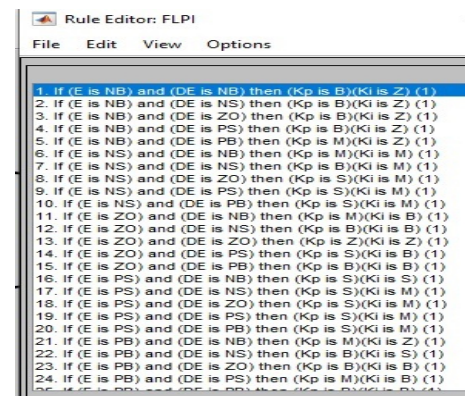


Fig. 7. Rules base of the main fuzzy logic controller



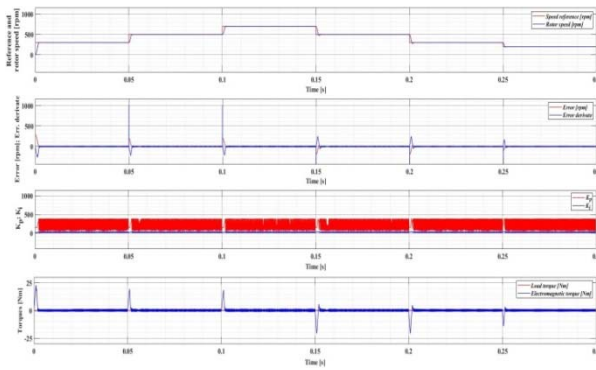


Fig. 8. Time evolution simulation of the sensorless control system with the main fuzzy logic controller

It is noticed that the system behaves with good results with no overshooting for rising steps reference, with very low response and rise time. For a falling steps reference, low overshooting can be noticed to occur, which can be explained by the fact that the engine switches from high speed to low speed, and low or medium load torque will cause the engine speed to drop sharply below the reference value. The fuzzy controller will respond fast and the steady-state error will be zero. To remove such behavior in the case of a high dynamic speed profile and a wide-ranging load torque, the next section presents an improved version of the adaptive fuzzy PI controller, in which the second fuzzy logic controller also intervenes.

#### IV. IMPROVED FUZZY LOGIC CONTROL

Starting from the results obtained in the previous section, we propose the improvement of the adaptive fuzzy PI controller by adding a second fuzzy logic controller which, besides the error and the error derivative of the rotor speed as inputs will also take into account the load torque (an estimate of it) to adjust the adjustment parameter  $K_p$  differently depending on the load torque size, but also on the dynamic or stationary regime that occurs during the required speed profile tracking. Considering (12) which represent the operating equation for the PI controller, we consider that it is sufficient to use the second fuzzy controller to adjust only the  $K_p$  parameter, and not the  $K_i$  parameter, to make sure that a steady-state error is obtained in any required speed variation conditions.

For the Simulink implementation of the correction fuzzy logic controller, the error and the error derivate of the rotor speed and the load torque, three linguistic variables  $E$ ,  $DE$ , and  $TI$  will be used for the inputs, and the linguistic variable  $K_p$  will be used for the output. Quantities  $E$  and  $DE$  are normalized in the range  $[-1, 1]$  and have the linguistic values  $\{N, Z, P\}$ , which represent: negative, zero, positive, and  $TI$  has the linguistic values  $\{L, M, H\}$  which represent: low, medium and high. For the output variable  $K_p$  the linguistic values are  $\{VL, L, M, H\}$  which represent: very low, low, medium and high. The value of this output  $K_p$  of the correction fuzzy logic controller is multiplied by the output value  $K_p$  of the main fuzzy logic controller, carrying out an adequate weighting in order to obtain the adjustment value of  $K_p$  of the PI speed controller.

The membership functions of the linguistic variables  $E$ ,  $DE$ ,  $TI$  and  $K_p$  are triangular functions. The implementation in Fuzzy Toolbox from Matlab of the membership functions for the inputs and output of the correction fuzzy logic controller are presented in Figure 9 and Figure 10.

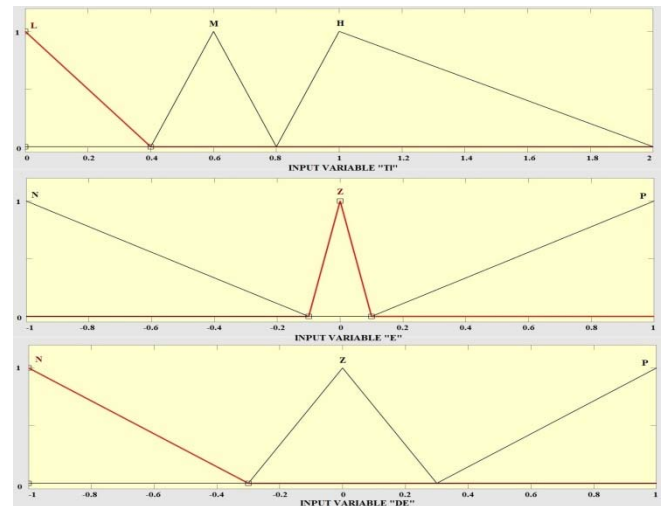


Fig. 9. Input membership functions of the correction fuzzy logic controller

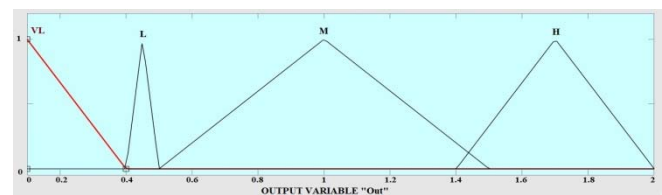


Fig. 10. Output membership functions of the correction fuzzy logic controller

The rules base defined for the correction fuzzy logic controller is presented in Figure 11. Similarly to the main fuzzy logic controller, the min-max type inference method is used also for the correction fuzzy logic controller, and the defuzzification method is that of center of gravity. We specify that although one of the inputs of the correction fuzzy logic controller is the load torque, the required estimation is of a fuzzy type according to the linguistic values: low, medium and high. The main rules of the correction fuzzy logic controller adjusts separately (with different weights) the value of the adjustment parameter  $K_p$  depending on the dynamic or static regime of the required speed profile tracking, but also on the linguistic value of the load torque. Thus, in Figure 11, by analyzing the fuzzy inference rules proposed, it is noted that for very low values of  $E$  and  $DE$ , corresponding to a speed tracking stationary regime, the value of the  $K_p$  parameter is low, medium or high according to the linguistic value of the load torque. In the dynamic regime, when  $E$  and  $DE$  have high or medium values, regardless of the linguistic value of the load torque, the  $K_p$  parameter is weighted by the correction fuzzy logic controller and is set to very low linguistic value. This will prevent the overshooting even for a profile of the speed reference consisting of falling steps.

Thus Figure 12 presents the time evolution simulation of the rotor speed, in the case of a reference speed profile consisting of step signals and ramp signals. It is noticed that the system behaves with good results with no overshooting, with very low response and rising time.

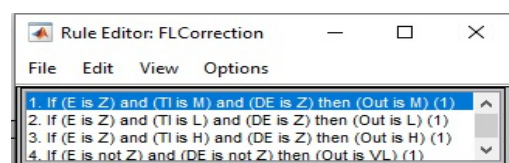


Fig. 11. Rules base of the correction fuzzy logic controller

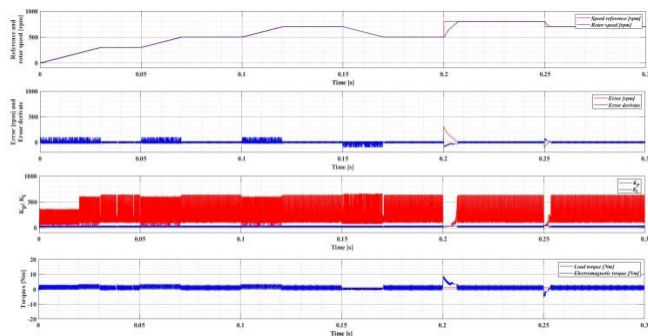


Fig. 12. Time evolution simulation of the sensorless control system with the main and correction fuzzy logic controllers

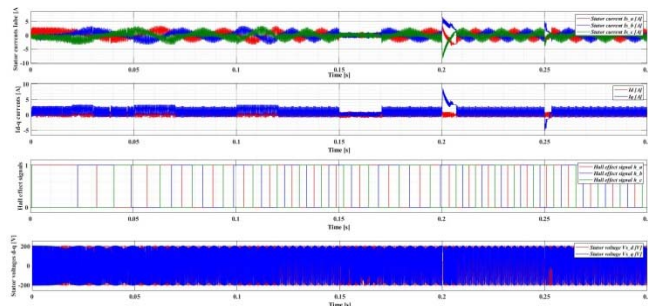


Fig. 13. Time evolution simulation of the electrical parameters of the sensorless control system with the main and correction fuzzy logic controllers

The time evolution simulation for the error and error derivative of the rotor speed, the adjustment parameters  $K_p$  and  $K_i$ , and the load and electromagnetic torque are also presented. Figure 13 shows the time evolution of the stator currents  $I_{s\_a,b,c}$ , the  $I_{d,q}$  currents, the hall effect commutation signals  $h_{a,b,c}$ , and the stator voltages  $V_{s\_d,q}$ .

## V. CONCLUSIONS

This article presents a sensorless control system of PMSM using a back-EMF sliding mode observer and a main and correction fuzzy logic controllers to continuously adapt the adjustment parameters  $K_p$  and  $K_i$  of the speed controller.

The sliding mode observer provides the back-EMF  $e_a$  and  $e_b$  from which can be obtained the estimations of the rotor speed and position. The article presents the operating equations and the main blocks of the Matlab/Simulink implementation of the FOC control strategy, where the  $I_d$  reference is set to zero, and the reference for  $I_q$  is set by the speed controller whose adjustment parameters  $K_p$  and  $K_i$  are continuously adjusted by the fuzzy controllers.

The main objective of the presented sensorless control system of PMSM consists in tracking a high dynamic speed profile, with minimum rise time and response time, and with no overshooting, under the conditions of wide-ranging load torque.

Based on the good results obtained from numerical simulations, future approaches will deal with the implementation of a multi-motors PMSM sensorless control system using the adaptive fuzzy PI logic control.

## ACKNOWLEDGMENT

The paper was developed with funds from the Ministry of Scientific Research as part of the NUCLEU Program: PN 19 38 01 03.

## REFERENCES

- [1] A. M. Saleque, A. M. A. Khan, S. H. Khan, E. Islam, and M. N. Chowdhury, "Variable speed PMSM drive with DC link voltage controller for light weight electric vehicle," International Conference on Electrical, Computer and Communication Engineering (ECCE), Cox's Bazar, Bangladesh, 2017, pp. 145-151.
- [2] N. Zhou, H. He, Z. Liu, and Z. Zhang, "UKF-based Sensor Fault Diagnosis of PMSM Drives in Electric Vehicles," 9<sup>th</sup> International Conference on Applied Energy (ICAE), Cardiff, UK, 2017, pp. 2276-2283.
- [3] W. Lina, X. Kun, L. de Lillo, L. Empringham, and P. Wheeler, "PI controller relay auto-tuning using delay and phase margin in PMSM drives," in Chinese Journal of Aeronautics, vol. 27, no. 6, pp. 1527-1537, December 2014.
- [4] A. Asri, M. N. Fazli, N. A. Salim, A. Omar, and M. Osman, "Speed Control Design of Permanent Magnet Synchronous Motor using Takagi-Sugeno Fuzzy Logic Control," in Journal of Electrical Systems (JES), vol. 13, no. 4, pp. 689-695, November 2017.
- [5] C. Varghese and V. Suresh, "Control of Permanent Magnet Synchronous Motor using MRAS," in International Journal of Latest Trends in Engineering and Technology (IJLTET), vol. 3, no. 4, pp. 71-77, March 2014.
- [6] A. Fezzani, S. Drid, A. Makouf, L. Chrifi-alaoui M. Ouriagli, and L. Delahoche, "Robust Control of Permanent Magnet Synchronous Motor," 15<sup>th</sup> International Conference on Sciences and Techniques of Automatic control & computer engineering (STA), Hammamet, Tunisia, 2014, pp. 711-718.
- [7] X. Wu, H. Wang, X. Yuan, S. Huang, and D. Luo, "Design and Implementation of Recursive Model Predictive Control for Permanent Magnet Synchronous Motor Drives," in Mathematical Problems in Engineering, vol. 2015, pp. 1-10, April 2015.
- [8] M. Tarhouni, K. Laabidi, M. Lahmari-Ksouri, and S. Zidi, "System Identification Based on Multi-Kernel Least Squares Support Vector Machines (Multi-Kernel LS-SVM)," International Conference on Fuzzy Computation (ICFC) and 2<sup>nd</sup> International Conference on Neural Computation (ICNC), Valencia, Spain, 2010, pp. 310-315.
- [9] Y. Yusof and Z. Mustaffa, "A Review on Optimization of Least Squares Support Vector Machine for Time Series Forecasting," in International Journal of Artificial Intelligence & Applications (IJAA), vol. 7, no. 2, pp. 35-49, March 2016.
- [10] V. Utkin, J. Guldner, J. Shi, Sliding mode control in electromechanical systems, second edition. Automation and Control Engineering, Taylor & Francis, 2009.
- [11] J. Zambada, D. Deb, Sensorless Field Oriented Control of PMSM Motors, Microchip Technology Inc., 2010.
- [12] A. Mutlag, A. Mohamed, and H. Shareef, "A Nature-Inspired Optimization-Based Optimum Fuzzy Logic Photovoltaic Inverter Controller Utilizing an eZdsp F28335 Board," in Energies, vol. 9, no. 3, pp. 1-32, March 2016.
- [13] N. Quynh, Y. Kung, and L. Hien, "Robustness of Adaptive Fuzzy for PMSM Sensorless Speed Controller," in Journal of Automation and Control Engineering, vol. 1, no. 3, pp. 265-269, September 2013.
- [14] M. Dursun and A. F. Boz, "The Analysis of Different Techniques for Speed Control of Permanent Magnet Synchronous Motor," in Technical Gazette, vol. 22, no. 4, pp. 947-952, August 2015.
- [15] F. Faisal and A. Hoque, "Speed Control on DC Motor using Self-tuned Fuzzy PID Controller," in International Journal of Engineering Research & Technology (IJERT), vol. 6, no. 11, pp. 41-46, November 2017.
- [16] Y. Gao and Y. Gao, "Research of PMSM Fuzzy Direct Torque Control Based on Sliding Mode Observer," International Conference on Mechatronics and Automation, Harbin, China, 2017, pp. 17-21.
- [17] S. Arpudha, M. Ragulkumar, and R. Govindarajulu, "Adaptive Fuzzy Logic Based Speed Control of Permanent Magnet Synchronous Motor Using FPGA," in International Journal of Emerging Trends in Science and Technology (IJETST), vol. 1, no. 3, pp. 393-398, May 2014.
- [18] N. J. Patil, R. H. Chile, and L. M. Waghmare, "Fuzzy Adaptive Controllers for Speed Control of PMSM Drive," in International Journal of Computer Applications, vol. 1, no. 11, pp. 94-101, November 2010.