



# ***“Deep Supervised Hashing for Fast Image Retrieval”***

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# Abstract



- Use of hashing to learn *compact binary codes* for *highly efficient image retrieval on large-scale datasets*
- Uses the power of CNN
- Supervised Learning
  - I/P : pairs of images (similar/dissimilar), discrete values (eg. +1/-1)
  - O/P: K-bit binary codes and images similar to buried images

# *Walk-through*



- Abstract
- Introduction
- Approach
- Loss Function
- Relaxation
- Implementation
- Conclusion

# *Introduction*



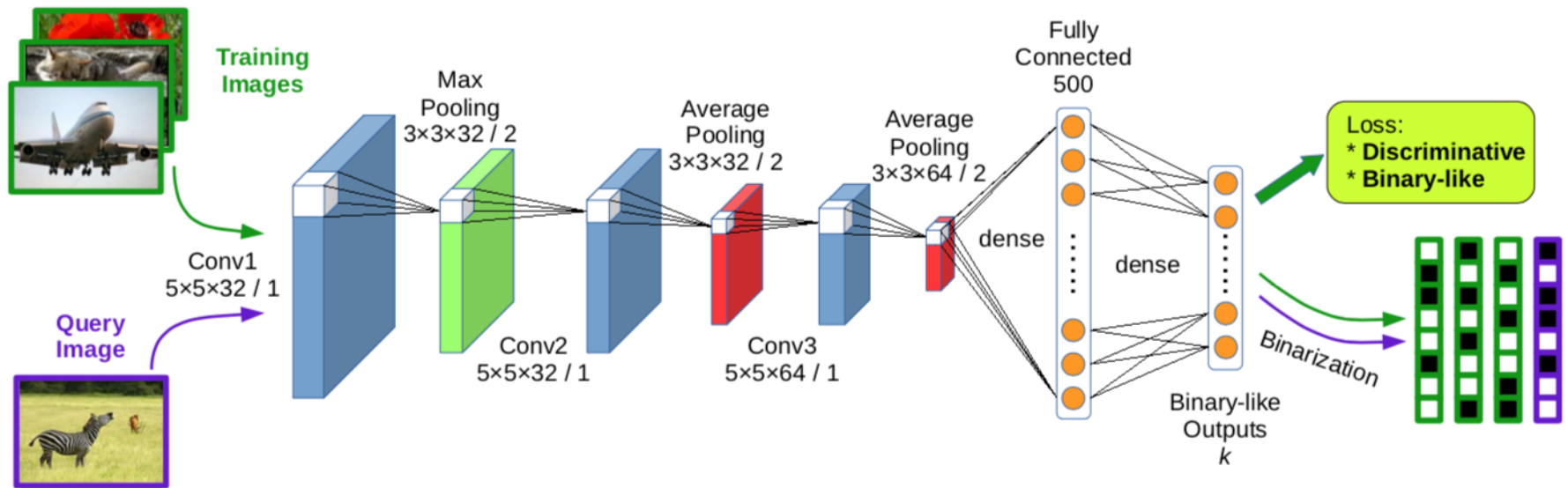
- Goal : learning compact binary codes for images such that
  - similar images should be encoded to similar binary codes in Hamming space
  - the binary codes should be computed efficiently
- Use of CNNs to capture both visual as well as semantic similarity of images.

# *Approach*



- Use CNNs to break out the limitations of both hand- crafted features and linear models.
- Train the CNN using image pairs and the corresponding similarity labels.
- Quantize the CNN outputs to generate binary codes for new-coming images.

# Approach



# Loss Function



- Loss Function is defined as-

$$L(\mathbf{b}_1, \mathbf{b}_2, y) = \frac{1}{2}(1 - y)D_h(\mathbf{b}_1, \mathbf{b}_2) + \frac{1}{2}y \max(m - D_h(\mathbf{b}_1, \mathbf{b}_2), 0)$$

$$s.t. \mathbf{b}_j \in \{+1, -1\}^k, j \in \{1, 2\}$$

where,

- $\mathbf{b}_1, \mathbf{b}_2$  belong to  $\{+1, -1\}^k$
- $y = 0$  if they are similar, and  $y = 1$  otherwise
- $D_h(.,.)$  denote the Hamming distance between two vectors
- $m > 0$  is a margin threshold parameter

# Relaxation



- Hamming distance replaced by Euclidean distance
- Additional regularizer added to replace the binary constraints
- Relaxed Loss Function -

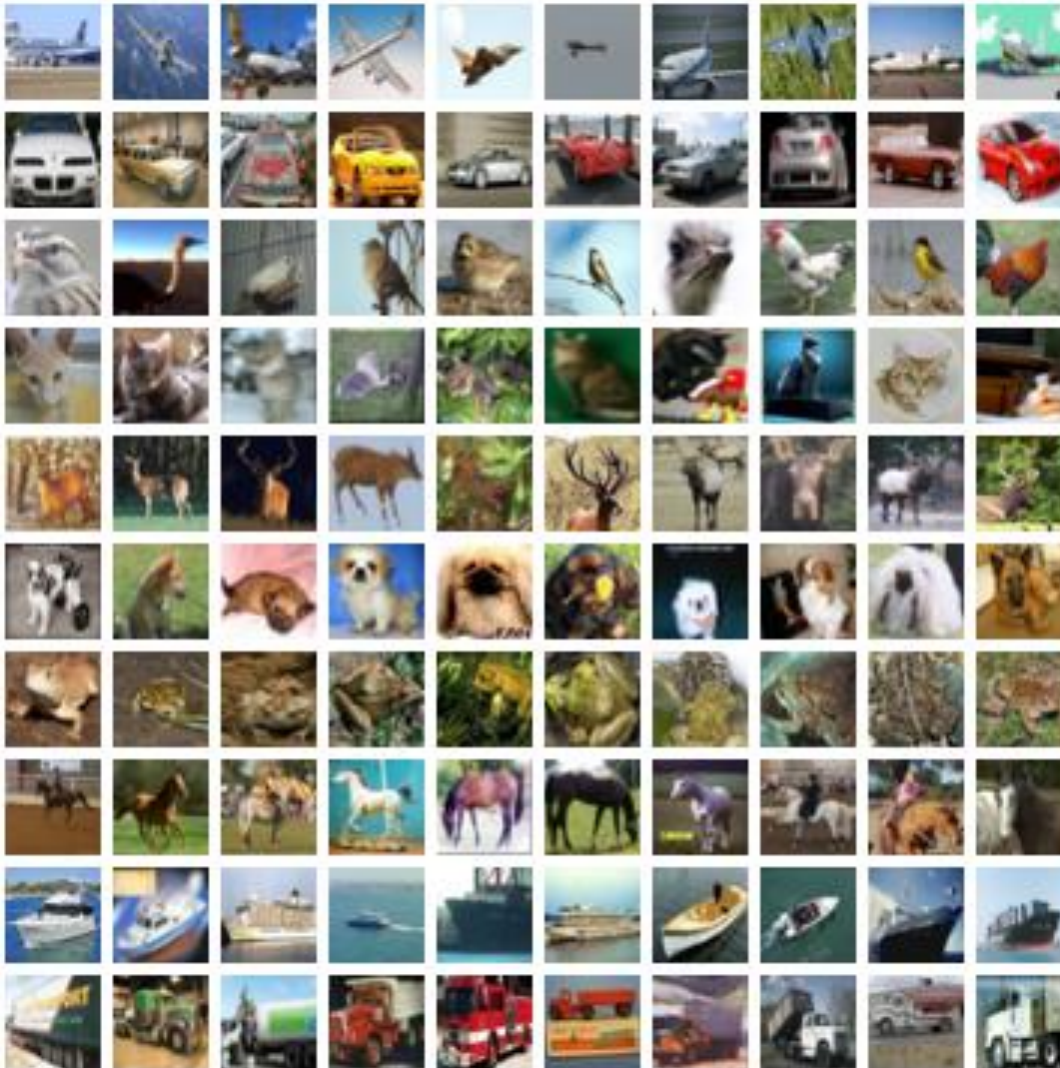
$$L_r(\mathbf{b}_1, \mathbf{b}_2, y) = \frac{1}{2}(1 - y)\|\mathbf{b}_1 - \mathbf{b}_2\|_2^2$$
$$+ \frac{1}{2}y \max(m - \|\mathbf{b}_1 - \mathbf{b}_2\|_2^2, 0)$$
$$+ \alpha(\|\mathbf{b}_1\|_1 + \|\mathbf{b}_2\|_1)$$

where,

- $\mathbf{1}$  is the vector of ones
- $\|\cdot\|_1$  is the L1 norm
- $|\cdot|$  is the element wise absolute value operation
- $\alpha$  is the weighting parameter



# Dataset

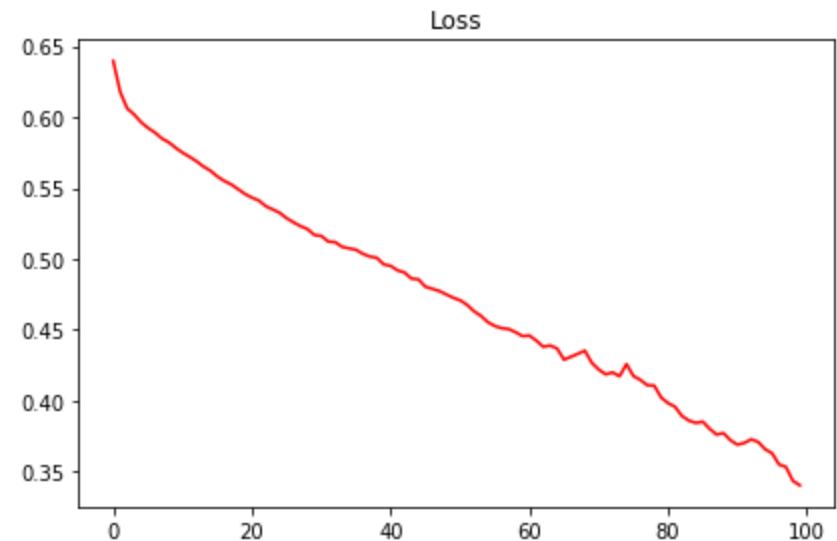
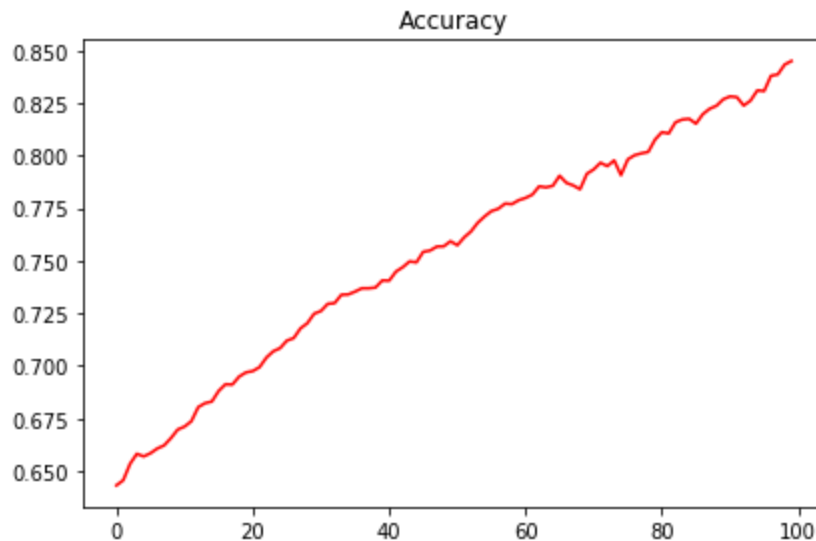


- CIFAR-10 dataset
- 50,000 images – 10 classes
- size  $3 \times 32 \times 32$ .
- Image pairs generated randomly
- Images of same class are similar images
- Images of different classes are dissimilar images

# Results



- 12 bit binary outputs
- The outputs of Model-1 for two images ( $b1-b2$ ) are merged ( $\text{abs}(b1-b2)$ )
- This model is trained with the training dataset created earlier.
- No regularisation
- Number of Image pairs: 200000
- Number of epochs: 100
- Batch Size: 200



# Results



- 100000000001 Frog
- 010011110000 Truck
- 011011110010 Truck
- 100000000001 deer
- 010001110000 automobile
- 111011000000 automobile
- 100100001101 bird
- 100100000100 horse
- 111010010010 ship
- 100000000000 cat
- 100000000001 deer

Precision = 0.7176

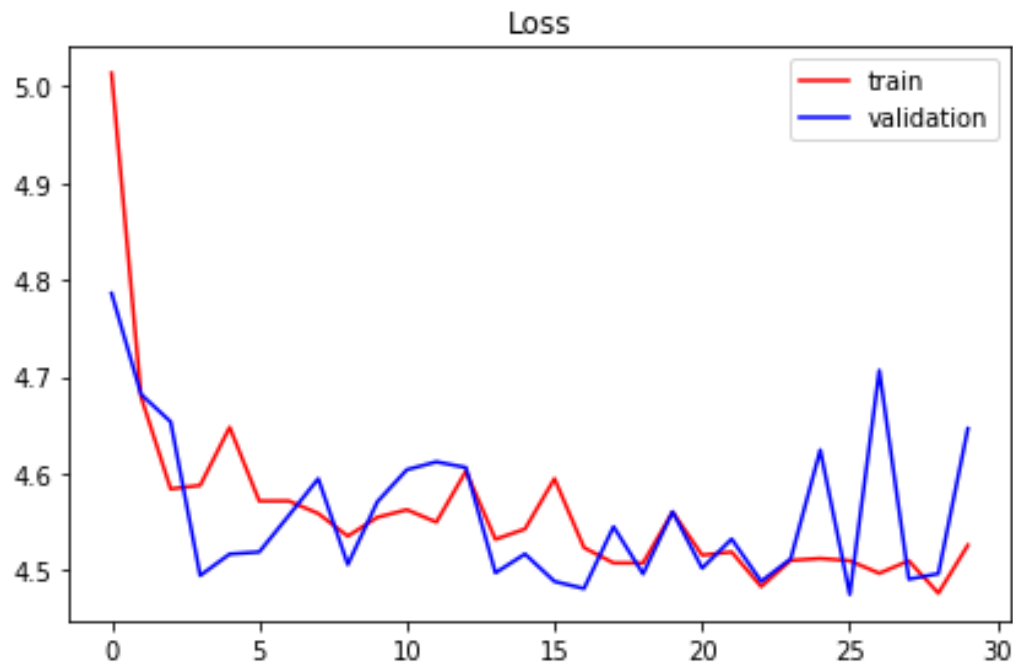
Recall = 0.7268

Average precision = 0.6942

# Results



- 12 bit binary outputs
- Euclidian distance
- Margin (m) for loss calculation = 24
- L1 Regularization parameter = 0.01
- Number of Image pairs: 200000
- Number of epochs: 30
- Batch Size: 200



# References



- H. Liu, R. Wang, S. Shan and X. Chen, "Deep Supervised Hashing for Fast Image Retrieval," *2016 IEEE Conference on Computer Vision and Pattern Recognition (CVPR), Las Vegas, NV, 2016, pp. 2064-2072.*
- T.-S. Chua, J. Tang, R. Hong, H. Li, Z. Luo, Y. Zheng, "Nus-wide: A realworld web image database from national university of singapore", Proceedings of the ACM International Conference on Image and Video Retrieval, pp. 48, 2009.
- J. Deng, N. Ding, Y. Jia, A. Frome, K. Murphy, S. Bengio, Y. Li, H. Neven, H. Adam, "Large-scale object classification using label relation graphs", ECCV 2014, pp. 48-64, 2014.



ThankYou