

Data Freshness in Mixed-Memory Intermittently-Powered Systems

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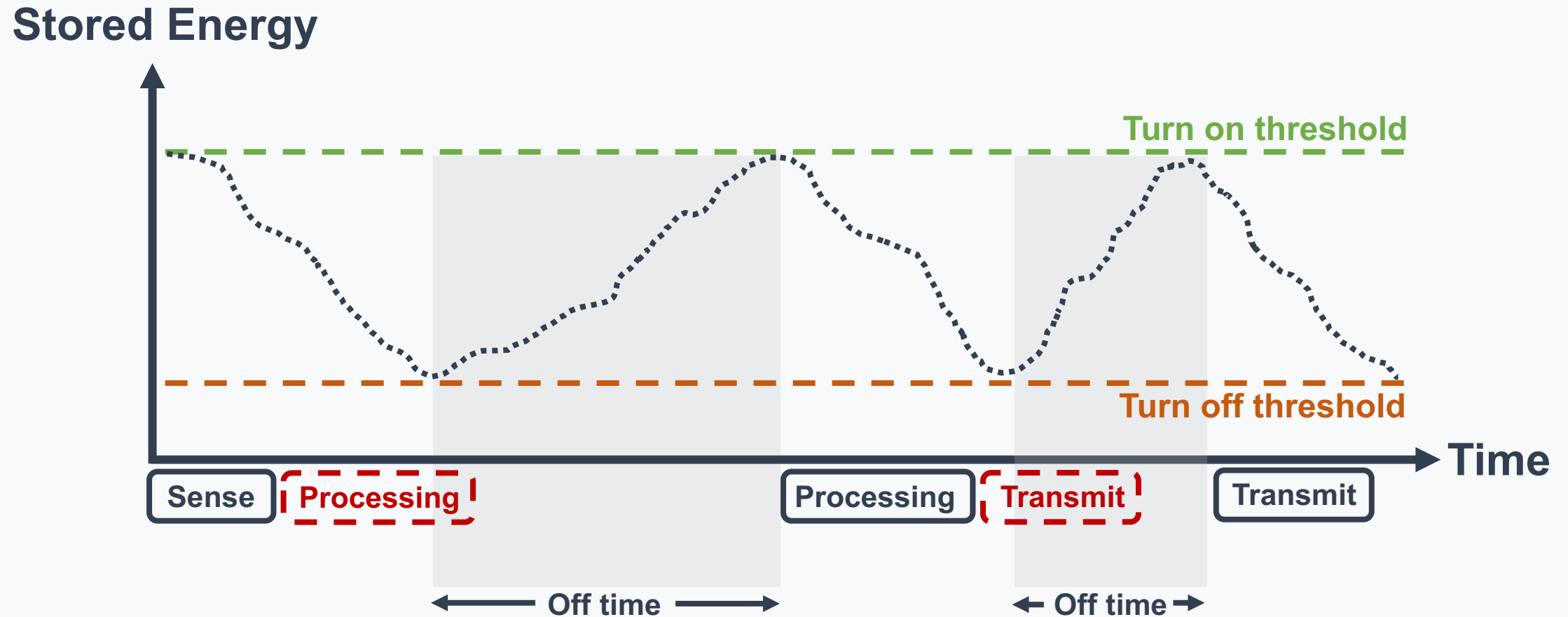
ISIT 2021

29,300,000,000

Networked devices by 2023*

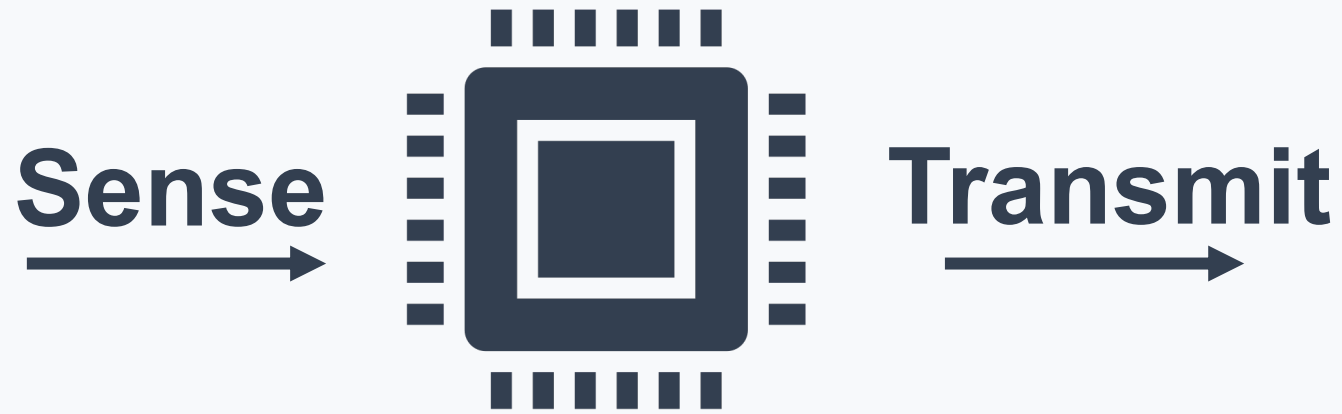
**Removing batteries to make a
more sustainable IoT**

Intermittent Computing



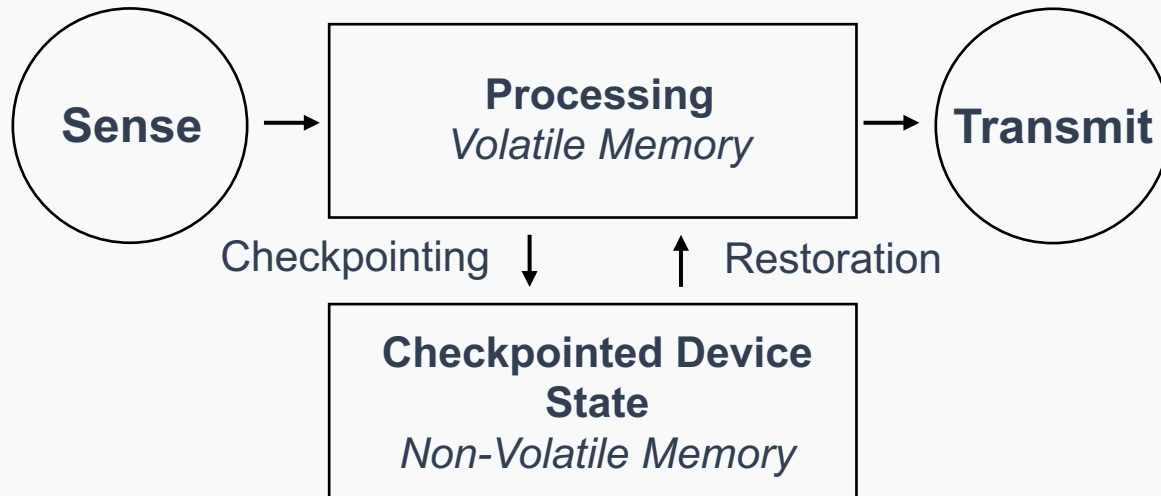
Intermittently Operating Sensor

Often have **mixed-memory** structure



Checkpointing between memory types
common to reduce impact of failure

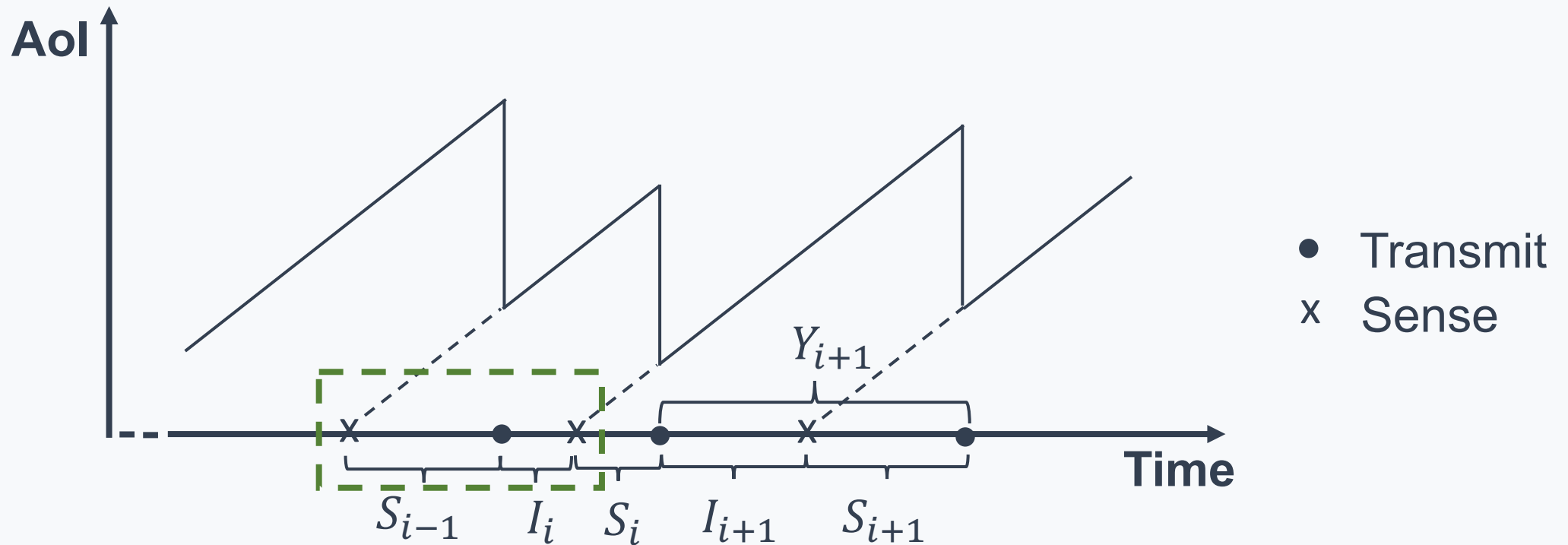
Mixed-Memory System Model



How does **checkpointing** affect the **freshness** of data generated by the sensor?

We can use the apparatus of **Age of Information (Aol)**

Aol Evolution of the System



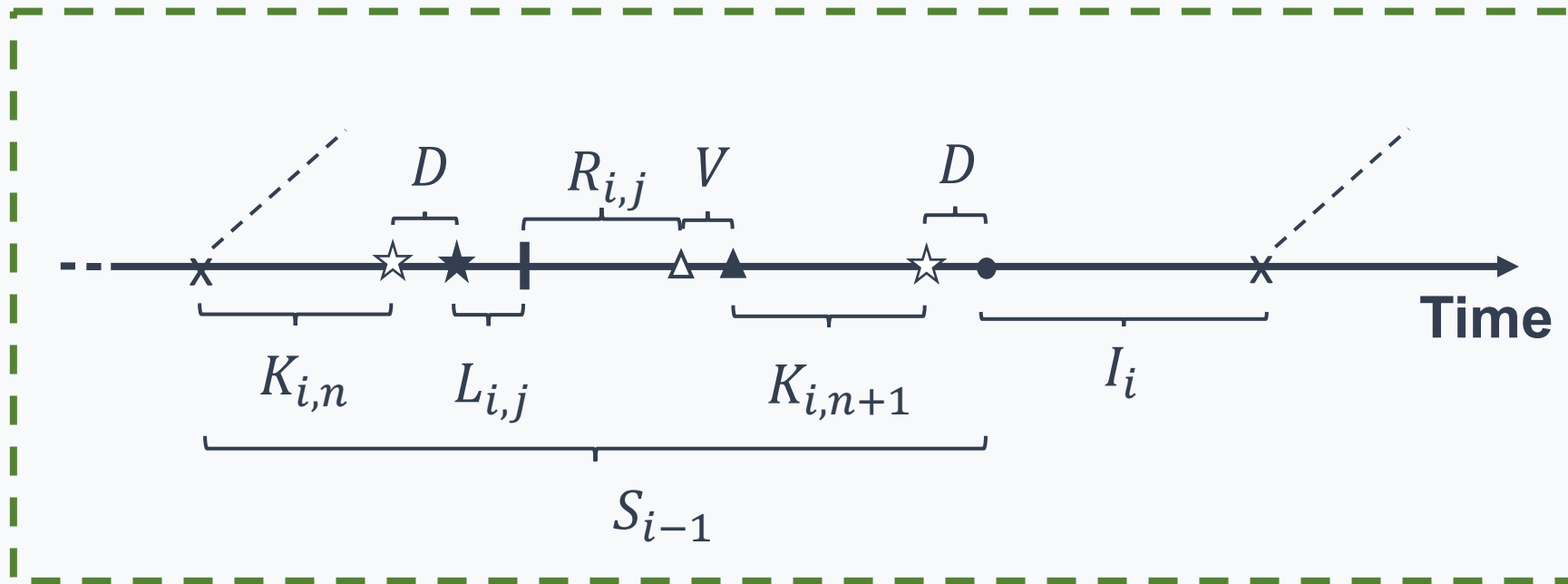
Average Peak AoI

$$\mathbb{E}[\Delta^{\text{Peak}}] = \mathbb{E}[Y] + \mathbb{E}[S]$$

Average AoI

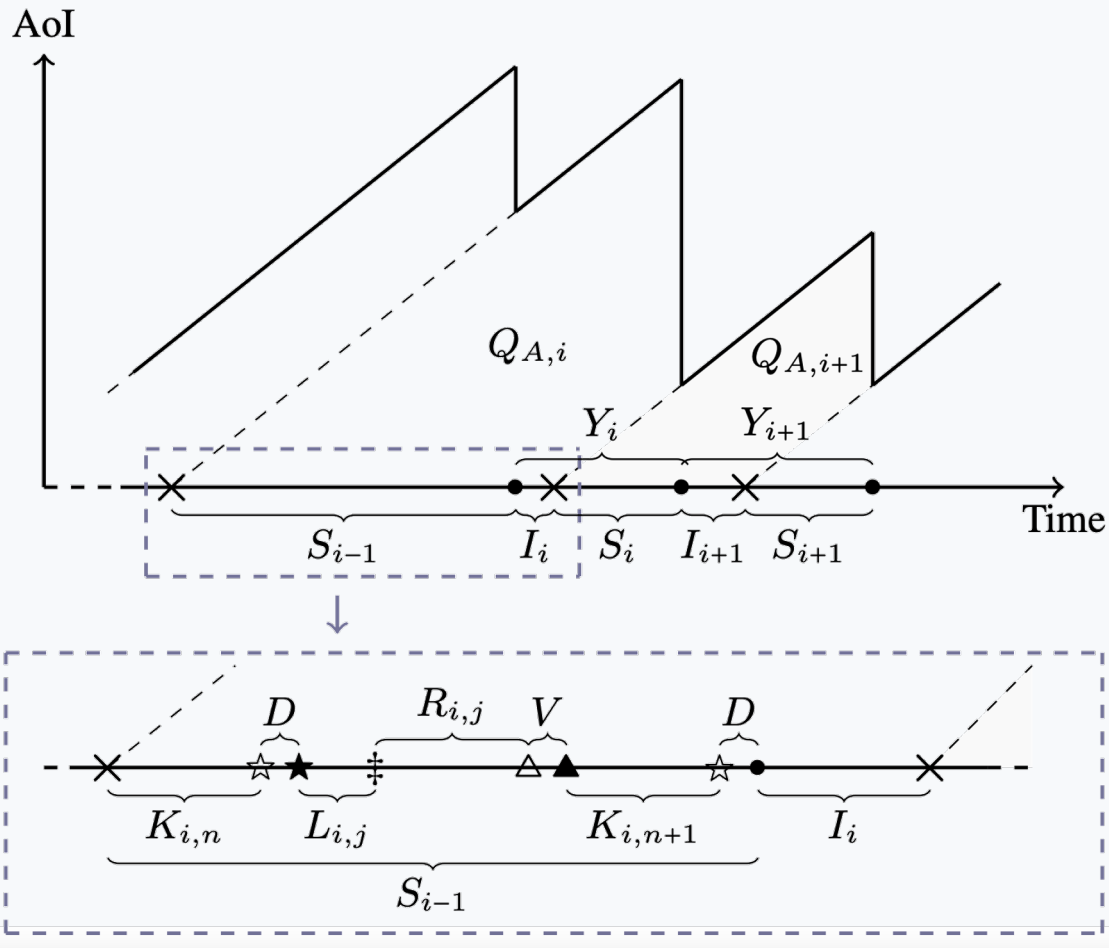
$$\mathbb{E}[\Delta] = \frac{\mathbb{E}[Y^2]}{2\mathbb{E}[Y]} + \mathbb{E}[S]$$

Aol Evolution of the System



- $K_{i,n}$ Inter-checkpointing time
- D Time to checkpoint
- $L_{i,j}$ Wasted processing time
- $R_{i,j}$ System down time
- V Restoration time
- S_{i-1} Completion time
- I_i Idle time

Aol Evolution of the System



Inter-completion time:

$$Y_i = \underbrace{I_i}_{\text{Idle time}} + \underbrace{\sum_{j=1}^f (L_{i,j} + R_{i,j} + V)}_{\text{Events associated with failure}} + \underbrace{\sum_{n=1}^h K_{i,n}}_{\text{Processing} \triangleq P_i} + \underbrace{Dh}_{\text{Checkpointing}}$$

Completion time:

$$S_i = Y_i - I_i$$

Problems Evaluated in the Paper

- 1) **Optimise** checkpointing strategies to **improve the freshness** of data produced by the system
- 2) Compare the data freshness produced by **alternative memory** arrangements to mixed-memory
- 3) Compare **alternative time-dependent checkpointing** strategies to improve system resilience to variable environmental conditions

Expectation of Peak AoI

$$Y_i = \underbrace{I_i}_{\text{Idle time}} + \underbrace{\sum_{j=1}^f (L_{i,j} + R_{i,j} + V)}_{\text{Events associated with failure}} + \underbrace{\sum_{n=1}^h K_{i,n}}_{\text{Processing} \triangleq P_i} + \underbrace{Dh}_{\text{Checkpointing}}$$

$$S_i = Y_i - I_i$$

Expectation of Peak AoI

$$\mathbb{E}[\Delta^{\text{Peak}}] = \mathbb{E}[Y] + \mathbb{E}[S]$$

By applying Wald's identity

Expectation of inter-completion time

$$\begin{aligned} \mathbb{E}[Y] &= \mathbb{E}[I] + \mathbb{E}[f] (\mathbb{E}[L] + \mathbb{E}[R] + V) \\ &\quad + \mathbb{E}[h] \mathbb{E}[K] + D \mathbb{E}[h], \end{aligned}$$

Expectation of completion time

$$\mathbb{E}[S] = \mathbb{E}[Y] - \mathbb{E}[I],$$

Expectation of Peak AoI

Expectation of Peak AoI

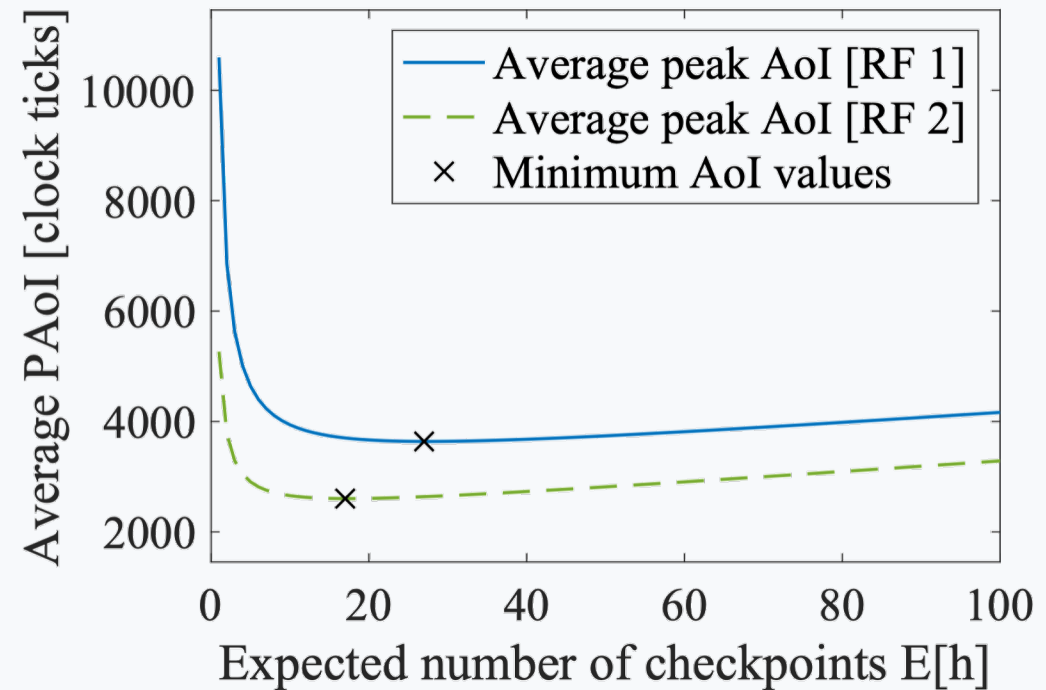
$$\mathbb{E}[\Delta^{\text{Peak}}]_{\text{MM}} = 2 \mathbb{E}[f] \left(C_1 + \frac{\mathbb{E}[P]}{2 \mathbb{E}[h]} \right) + C_2 + \mathbb{E}[P] + 2D \mathbb{E}[h]$$

Minimising Peak AoI

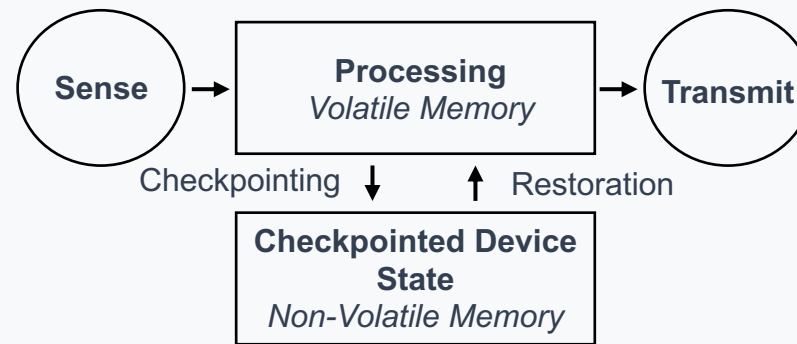
$$\frac{d \mathbb{E}[\Delta^{\text{Peak}}]_{\text{MM}}}{d \mathbb{E}[h]} = 2D - \frac{\mathbb{E}[f] \mathbb{E}[P]}{\mathbb{E}[h]^2}$$

Optimum checkpointing

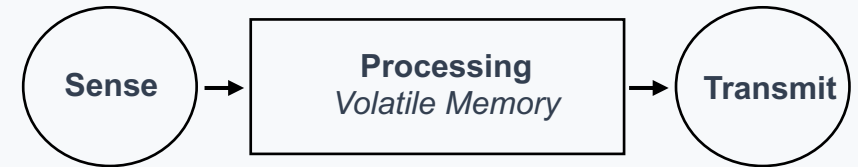
$$\mathbb{E}[h] = \sqrt{\frac{\mathbb{E}[f] \mathbb{E}[P]}{2D}}$$



Memory Structure and Data Freshness

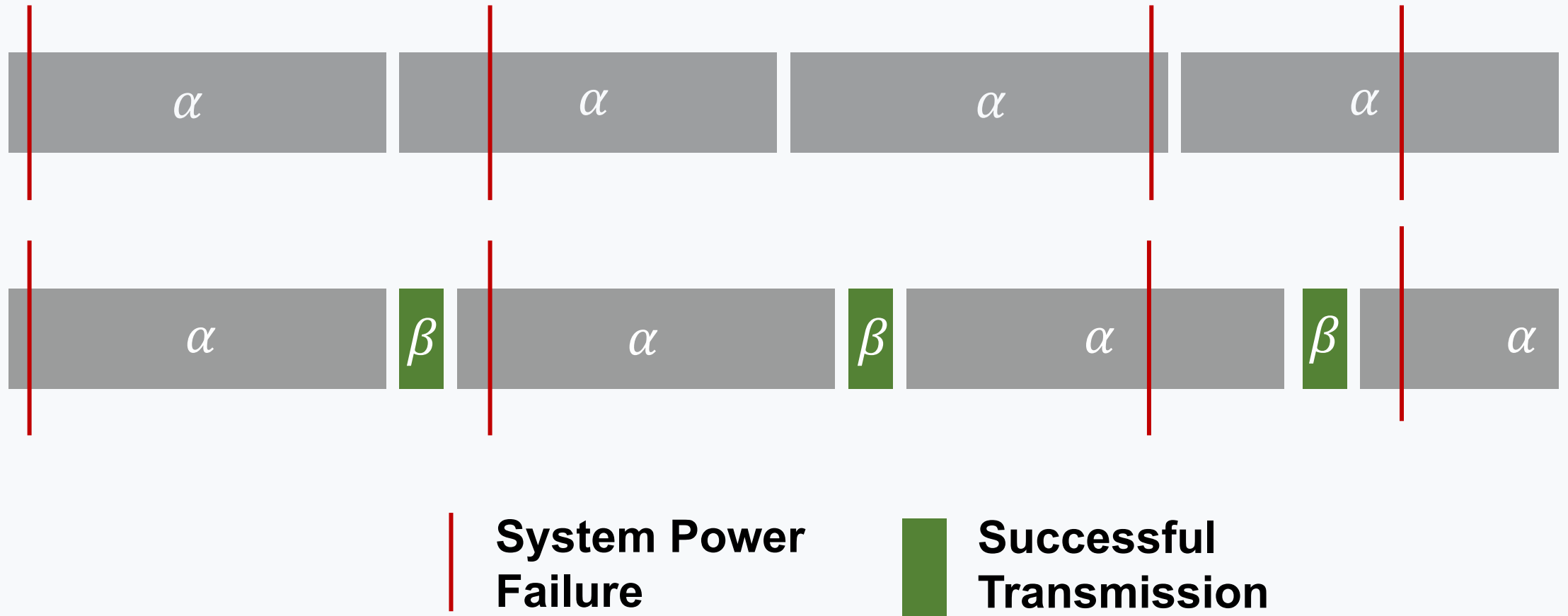


Lemma 1. An entirely NVM IPD will have a lower or equal average PAoI than a checkpointing mixed-memory IPD



Lemma 2. Under certain environmental conditions a mixed-memory IPD will have a lower average PAoI than a single-memory VM IPD

Improving Resilience in Variable Environmental Conditions



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