

PIR: Mixed-Initiative Mission

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- Context
- Theory
- Experiment
- Conclusion

Increasing use of automated systems

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 - judiciary responsible
 - able of creativity or improvisation.

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Human factors involved in 80% of AAVs accidents! [Wil]

experiment

Potential effects of a mission on human operators:

- stress (danger, pressure)
- workload (multi-task, hard tasks)
- fatigue, boredom (long mission)

experiment

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Consequences:

- mental confusion
- attentional tunneling
- mind wandering
- lower vigilance
- ...

increase in accident risk resulting in mission fails

use of human state feedbacks!

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Human operators equipped with sensors

data from the human operator state can refine supervision of human-robot team

experiment

use of human state feedbacks! beamer-onera-

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- [SCD15] target identification task (ground robot)
 - **devices:** eye tracking + electrocardiography
 - human state: cognitive availability estimation
 - **superv. validation:** simulations of the system (including human behavior)

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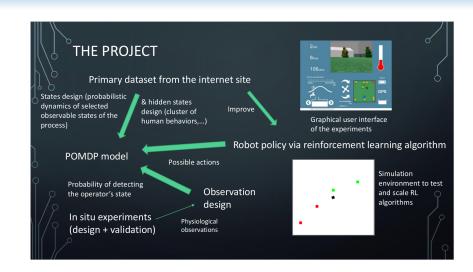
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- [SCD15] target identification task (ground robot)
 - devices: eye tracking + electrocardiography
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 - **superv. validation:** simulations of the system (including human behavior)
- search and rescue task (AAVs) [GCLD16]
 - device: eye tracking
 - **human state:** *current human task* = human gaze
 - superv. validation: tested on 10 volunteers

theory

experiment

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Domain's birth: late 70's by the encounter of

- experimental psychology
- computational neuroscience
- dynamic programming

Theory History



theory

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An approach to experimental psychology: Law of effects (Thorndike, 1911)

"The greater the satisfaction or discomfort, the greater the strengthening or weakening of the bond".

What is Reinforcement Learning?

It is an approach, here computational, to decision-making, understanding and goal-directed learning.

Theory

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What does it needs? The definition of the interactions between a learning agent and its environment.

- the states
- the actions
- the rewards

experiment

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RL objectives:

the automatized acquisition of skills for decision making in a complex and uncertain environment and learning by "experience" a behavioral strategy (named policy) reflecting the failures and success (reinforcements or rewards).

Markov property

all the useful information for the future prediction is in the present state.

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theory

Markov Chain

a dynamic system with discrete time $(x_t)_{t\in\mathbb{N}}\in X$, where X is space of states such as:

$$\mathbb{P}(x_{t+1} = x | x_t, x_{t-1}, ..., x_0) = \mathbb{P}(x_{t+1} = x | x_t).$$

Theory

Markov Decision Process (MDP)

defined by (X, A, p, r), where :

- X space of states
- A space of actions
- p(y|x,a): probability of transition from a state $x \in X$ to $y \in X$ when the action $a \in A$ is chosen:

$$p(y|x, a) = \mathbb{P}(x_{t+1} = y|x_t = x, a_t = a),$$

r(x, a, y): reward when passing from x to y using the action a.



Value function and Bellman operator-onera-head

Value function

The value function are defined over the state space: for $x \in X$, V(x) is the mean of the sum of the rewards over time for a process starting in x.

theory

$$V^{\pi}(x) = \mathbb{E}\left[\sum_{t>0} r(x_t, \pi(x_t))\right]$$



Value function and Bellman operator concrete Name | Value function and Bellman operator |

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Bellman operator

Written T^{π} , it is defined by :

$$T^{\pi} = V^{\pi}(x) = r(x, \pi(x)) + \sum_{x'} p(x'|x, a)V(x')$$

theory

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I heory

experiment

- **Direct solving** of the linear system $(I \gamma P^{\pi})V^{\pi} = r^{\pi}$. That's the Gauss elimination method, but it have a complexity of $O(N^3)$
- Iteration on the values for a permanent policy: we iterate on the operator T^{π} (Bellman operator). Considering a given value function V_0 , $V_{n+1} = T^{\pi}V_n$. We have then convergence of V_n toward V^{π} . The problem is that the convergence is asymptotical, but the advantage is that it as a lower complexity than the direct solving method $(O(N^2 \frac{\log(1/\epsilon)}{\log(1/\gamma)}))$ for an approximation of ϵ (interesting if γ is not too close from 1)).

■ Monte-Carlo : we simulate n trajectories $((x_t^i)_{t\geqslant 0})_{1\leqslant i\leqslant n}$, starting from x and following the policy π : $x_{t+1}^i \ p(.|x_t^i,\pi(x_t^i))$, so :

$$V^{\pi}(x) \approx \frac{1}{n} \sum_{i=1}^{n} \sum_{t \geq 0} \gamma^{t} r(x_{t}^{i}, \pi(x_{t}^{i})).$$

this method is interesting if we want to evaluate a unique state. It has an approximation error of order $O(1/\sqrt{n})$

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■ **Temporal differences TD**(λ): This is a smart method for using the trajectories to evaluate all the states crossed by those trajectories, by evaluating the value of a state x, by the sum of the observed temporal differences $r_t + \gamma V(x_{t+1}) - V(x_t)$ at the future instants t, weighted by a "trace" λ .

The impact of the temporal differences of future transitions on the estimation of the current state value is controlled by λ . $TD(\lambda)$ is a compromise between :

■ **TD(0)** (to estimate the fixed point of the operator of Bellman T^{π}):

$$V_{n+1}(x_k) = V_n(x_k) + \eta_n(x_k)d_k.$$

■ **TD(1)** (to estimate the mean):

$$V_{n+1}(x_k) = V_n(x_k) + \eta_n(x_k) \sum_{l \geq k} d_l.$$

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the choice of λ :

- $\lambda < 1$ allows to reduce the variance of the estimators compared with $\lambda = 1$.
- $\lambda > 0$ allows to propagate faster the rewards compared with $\lambda = 0$.

theory

I heory $TD(\lambda)$

> the algorithm $TD(\lambda)$ After the observation of a trajectory $(x_0, x_1, ..., x_K = 0)$, we update V_n to the states $(x_k)_0 \leqslant k < K$ following:

$$V_{n+1}(x_k) = V_n(x_k) + \eta_n(x_k) \sum_{l=k}^{N-1} \lambda^{l-k} d_l,$$

where $d_l = r^{\pi}(x_l) + V_n(x_{l+1}) - V_n(x_l).$

with η_n the learning step, typically $\frac{1}{n}$.

the algorithm TD(λ) in the actuated case : We can define the actuated value function when, at each time step, the process is stopped with probability $1-\gamma$ with $0<\gamma<1$:

$$V^{\pi}(x) = \mathbb{E}[\sum_{t\geqslant 0} \gamma^t r(x_t, \pi(x_t))].$$

Algorithm $TD(\lambda)$ becomes

$$V_{n+1}(x_k) = V_n(x_k) + \eta_n(x_k) \sum_{t \geqslant k} (\gamma \lambda)^{l-k} d_l.$$

The mission

A search and fight type mission : the firefighter

The mission beamer-onera-head

A search and fight type mission : the firefighter

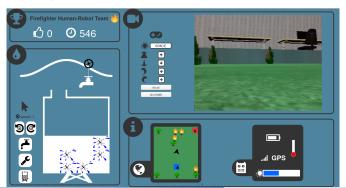
The objectives : extinguish the maximum number of fire

A search and fight type mission : the firefighter

The objectives: extinguish the maximum number of fire

The drawbacks:

- the battery
- the water level
- the temperature





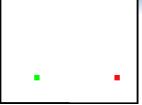


Figure: View of the simulation of the simple environment



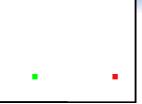


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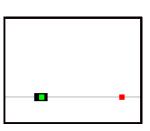


Figure: View of the simulation of the 1D environment



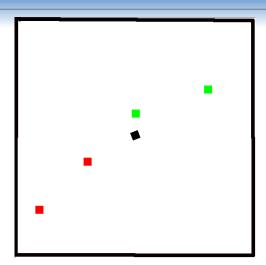


Figure: View of the simulation of the 2D environment

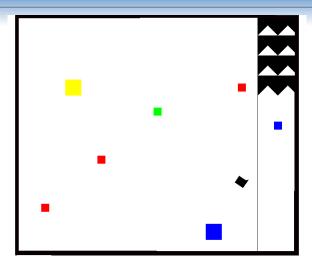


Figure: View of the simulation of the complex 2D environment

Results beamer-onera-hea

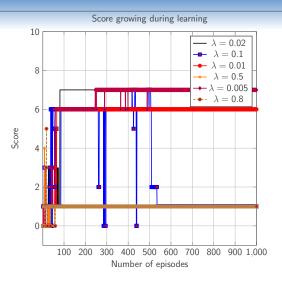


Figure : Score of the deterministic 1D environment for λ

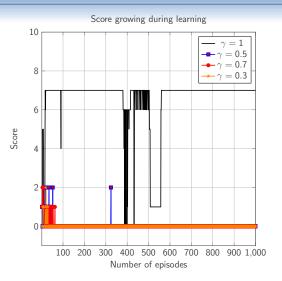


Figure : Score of the deterministic 1D environment for γ

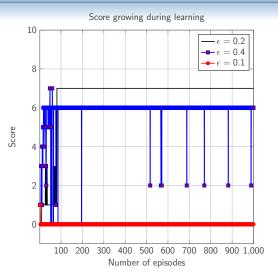


Figure : Score of the deterministic 1D environment for ϵ

Conclusion



theory





summary

Thibault Gateau, Caroline Ponzoni Carvalho Chanel, Mai-Huy Le, and Frédéric Dehais.

Considering human's non-deterministic behavior and his availability state when designing a collaborative human-robots system.

In IEEE/RSJ International Conference on Intelligent Robots and Systems, IROS '16, 2016.



Paulo Eduardo Ubaldino de Souza, Caroline Ponzoni Carvalho Chanel, and Frederic Dehais.

Momdp-based target search mission taking into account the human operator's cognitive state.

In Proceedings of the IEEE International Conference on Tools with Artificial Intelligence, ICTAI '15, 2015.



Kevin W. Williams.

A summary of unmanned aircraft accident/incident data: Human factors implications.

U.S. Department of Transportation, Federal Aviation Administration, Civil Aerospace Medical Institute.

Thank you!