# Machine Learning Fairness

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## I. Implemented Algorithm

- A4: Fairness Beyond Disparate Treatment & Disparate Impact: Learning Classification without Disparate Mistreatment (DM and DM-sen)
- A6: Handling Conditional Discrimination (LM and LPS)
- Pre-processing: A6
- In-Processing: A4

## II. Dataset Overview & Processing

- A database containing the criminal history, jail and prison time, demographics and COMPAS risk scores for defendants from Broward County from 2013 and 2014
- 7214 Observations \* 53 Features

- Select features with less than 15% missing, not string or meaningless
- Binarize categorical variables, take logarithm on time variables
- 7214 Observations \* 53 Features -> 5730 Observations \* 16 Features
- Train:Validation:Test = 5:1:1 for model training

## III. A6: Handling Conditional Discrimination

#### Setup:

- Some differences in decisions made across sensitive groups can be explained by other (correlated, non-sensitive) attributes; therefore we only want to remove the bad discrimnation and keep the explainable discrimination
- Local techniques for handling conditional discrimination when one of the attributes is considered to be explanatory
- Instead of removing S and E, we augment some training data near the decision boundary to control for bad bias
- S (sensitive attribute): Race; E (explanatory variable): Charge Degree

# Local Massaging (LM)

Goal: Modify data labels until for all charge, in the range of charge,

$$P'(+|AA, charge_i) = P'(+|C, charge_i) = (P(+|AA, charge_i) + P(+|C, charge_i))/2$$

P: Probability before modifying data, P': Probability after modifying data

#### Process:

 For each charge<sub>i</sub>, train a classifier. Switch the target labels for a calculated number of AA and C observations near the decision boundary

# Local Massaging (LM)

```
DELTA(African American) = 46 African Americans changed from 1 to 0
DELTA(Caucasian) = 39 Caucasians changed from 0 to 1
DELTA(African American) = 90 African Americans changed from 1 to 0
DELTA(Caucasian) = 54 Caucasians changed from 0 to 1
```

After the data augmentation, a logistic regression model is trained on this new data.

Improved parity and calibration, compared to the baseline logistic regression model.

# Local Preferential Sampling (LPS)

<u>Goal</u>: Modify data composition by **deleting and duplicating training observations** until for all charge, in the range of charge,

 $P'(+|AA, charge_i) = P'(+|C, charge_i) = (P(+|AA, charge_i) + P(+|C, charge_i))/2$ 

P: Probability before modifying data, P': Probability after modifying data

#### Process:

 For each charge<sub>i</sub>, train a classifier. Delete and duplicate a certain number of of AA and C observations near the decision boundary to remove discrimination in training data.

# Local Preferential Sampling (LPS)

Size of training data remains the same (but composition changed)

After the data augmentation, a logistic regression model is trained on this new data.

Improved calibration compared to the baseline logistic regression model.

Highest overall accuracy after the baseline models.

## IV. A4: Disparate Mistreatment

- Avoiding disparate treatment:  $P(\hat{y} \mid x, z) = P(\hat{y} \mid x)$ 
  - Given the information of sensitive feature, the prob will not change
- Goal: The misclassification rates for different groups of people having different values of the sensitive feature z are the same
  - Minimizing differences of FPR and FNR for each group
- Notation:

overall misclassification rate (OMR): 
$$P(\hat{y} \neq y | z = 0) = P(\hat{y} \neq y | z = 1),$$
 false positive rate (FPR): 
$$P(\hat{y} \neq y | z = 0, y = -1) = P(\hat{y} \neq y | z = 1, y = -1),$$
 false negative rate (FNR): 
$$P(\hat{y} \neq y | z = 0, y = 1) = P(\hat{y} \neq y | z = 1, y = 1),$$

## Disparate Mistreatment With Sensitive

 To restrict the overall misclassification rate, we put constraints on loss function optimization problem with threshold ε

minimize 
$$L(\boldsymbol{\theta})$$
  
subject to  $P(\hat{y} \neq y | z = 0) - P(\hat{y} \neq y | z = 1) \leq \epsilon$ , (8)  
 $P(\hat{y} \neq y | z = 0) - P(\hat{y} \neq y | z = 1) \geq -\epsilon$ ,

#### Rewrite Problem into DCCP

- DCCP: Disciplined Convex-Concave Program
- We use logistic regression for modeling and training

minimize 
$$-\sum_{(\mathbf{x},y)\in\mathcal{D}} \log p(y_i|\mathbf{x}_i,\boldsymbol{\theta})$$
subject to 
$$\frac{-N_1}{N} \sum_{(\mathbf{x},y)\in\mathcal{D}_0} g_{\boldsymbol{\theta}}(y,\mathbf{x})$$

$$+\frac{N_0}{N} \sum_{(\mathbf{x},y)\in\mathcal{D}_1} g_{\boldsymbol{\theta}}(y,\mathbf{x}) \leq c$$

$$\frac{-N_1}{N} \sum_{(\mathbf{x},y)\in\mathcal{D}_0} g_{\boldsymbol{\theta}}(y,\mathbf{x})$$

$$+\frac{N_0}{N} \sum_{(\mathbf{x},y)\in\mathcal{D}_1} g_{\boldsymbol{\theta}}(y,\mathbf{x}) \geq -c.$$

g<sub>θ</sub>(y,x) means signed distance to the boundary

# Training Process

- Getting θ from Loss function DCCP problem with training data
- Predict response by using  $\theta$  in logistic regression
- Evaluate results

#### V. Evaluation Method

- Accuracy: When controlling fairness, does overall accuracy fall greatly?
- Parity: Are probability for positive prediction differs in two groups?
- Calibration: Do accuracies differ in two groups?
- False Positive Rate: Is it more likely to test positive for one group?
- False Negative Rate: Is it more likely to neglect positive individuals for one group?

#### VI. Result

### Algorithm 4:

- Consider more on the FPR and FNR
- Not too much accuracy loss

- Consider less on parity
- Takes longer time
- DM-sen algorithm takes sensitive feature in learning can result in disparate treatment though this effect is unobservable
- Unstable when features are limited

#### Result

#### Algorithm 6:

#### LM:

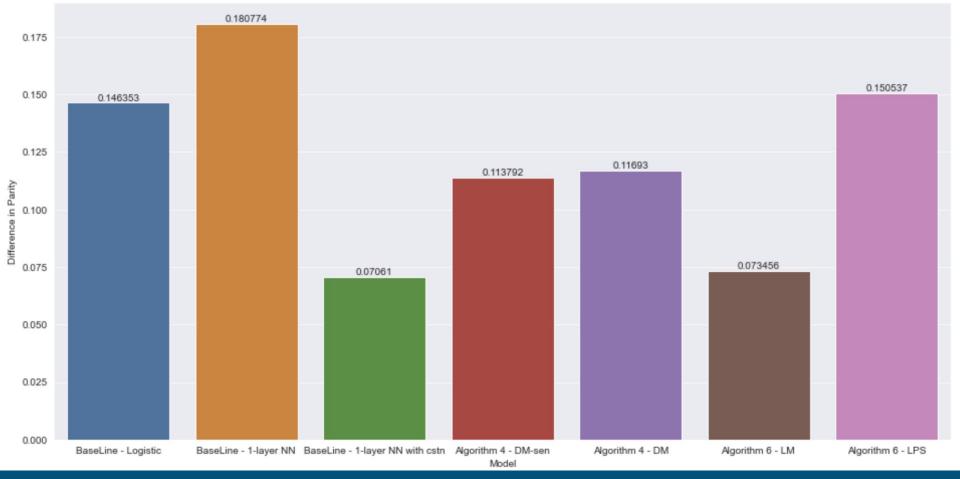
- Considers more on parity and calibration
- Accuracy loss is higher than LPS
- Not controlling the difference in FNR and FPR

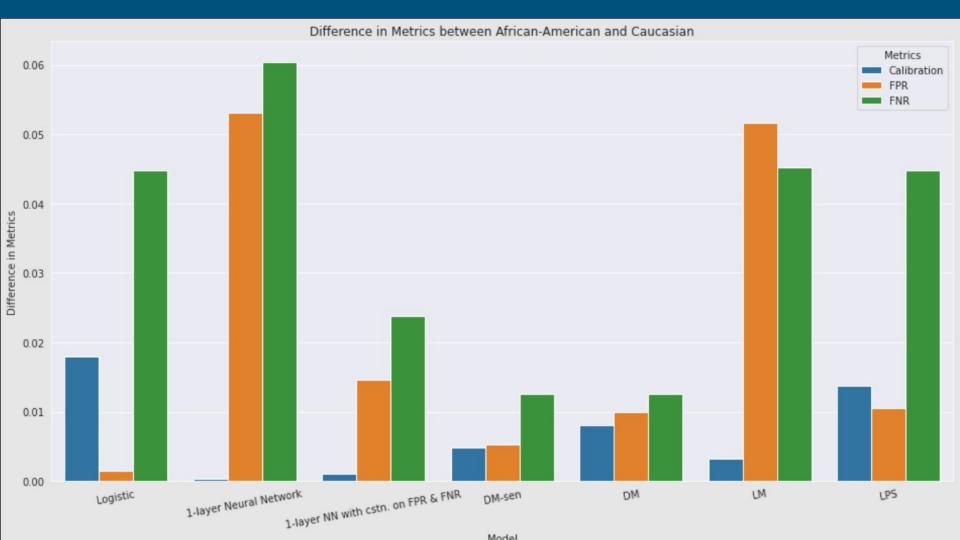
#### LPS:

- With least accuracy loss
- Parity and Calibration may not hold
- Not controlling the difference in FNR and FPR

Overall Result Comparison on Algorithm 4 and Algorithm 6 **False Positive** False Negative Metrics Parity Calibration Accuracy Rate (FPR) Rate (FNR) Overall 0.067146 0.073107 0.93 African-American 0.537657 0.937238 0.067873 0.058366 Logistic Caucasian 0.391304 0.919255 0.066327 0.103175 Difference 0.146353 0.017983 0.001546 -0.044809 Overall 0.92875 0.079137 0.062663 African-American 0.562762 0.92887 1-laver Neural 0.104072 0.042802 BaseLine Network Caucasian 0.381988 0.928571 0.05102 0.103175 0.180774 0.000299 0.053052 -0.060373 Difference Overall 0.80375 0.201439 0.190601 1-layer NN African-American 0.520921 0.803347 0.198444 0.19457 with cstn. on 0.450311 0.804348 0.209184 Caucasian 0.174603 FPR & FNR Difference 0.07061 -0.001001 -0.014614 0.023841 Overall 0.924084 0.088496 0.063683 African-American 0.427966 0.927966 0.084507 0.053191 DM-sen Caucasian 0.541758 0.923077 0.089835 0.065708 Algorithm Difference -0.113792 0.004889 -0.005328 -0.012517 0.925829 Overall 0.084956 0.063683 African-American 0.077465 0.423729 0.932203 0.053191 DM Caucasian 0.540659 0.924176 0.08747 0.065708 Difference -0.11693 0.008027 -0.010005 -0.012517 Overall 0.915 0.069544 0.101828 African-American 0.495816 0.916318 0.045249 0.116732 LM 0.42236 0.913043 0.071429 Caucasian 0.096939 Algorithm Difference 0.073456 0.003275 -0.05169 0.045303 Overall 6 0.9275 0.071942 0.073107 African-American 0.541841 0.933054 0.076923 0.058366 LPS 0.391304 0.919255 0.066327 0.103175 Caucasian Difference 0.150537 0.013799 0.010596 -0.044809







Thank you!