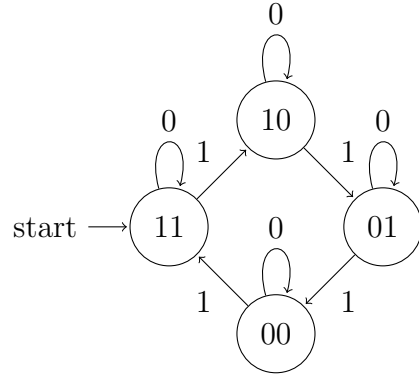


1. The state diagram is like below:



The state table is like the following:

$x$	Current State	Next State
0	00	00
0	01	01
0	10	10
0	11	11
1	00	11
1	01	00
1	10	01
1	11	10

x \ Current State	Current State			
	00	01	11	10
0	0	0	1	1
1	1	0	1	0

Table 1: Karnugh Map for  $D_1$

x \ Current State	Current State			
	00	01	11	10
0	0	1	1	0
1	1	0	0	1

Table 2: Karnugh Map for  $D_2$

2. (a) 1- Capacity of the memory. 2- Speed of the memory. 3- Cost of the memory.

- (b) We use memory hierarchy to have the maximum capacity and speed and minimum cost. The method is that you use memories with higher speed in the place in which they are closer to the CPU and memories with less speed but more capacity further from the CPU. To have maximum speed and capacity and minimum cost.
- (c) Yes, when the time of retrieving data from the intermediate memories is more than the time of retrieving data from the main memory.
- (d) Static memories are more expensive and have high speed because they don't need refreshing and less dense and they use less power. But Dynamic memories are cheaper but they need refresher and so they are slower than static memories and they are denser than static memories and they use more power. - Using static memories is easier.
3.  $T_{access} = t_1 + (1 - h_1)(t_2 + (1 - h_2)(t_3 + (1 - h_3)t)) = 3 * 10^{-9} + 0.08 * (20 * 10^{-9} + 0.25 * (350 * 10^{-9} + 0.65 * 12 * 10^{-3}))$
- (a)  $T_{access} = t_1 + (1 - h_1)(t_2 + (1 - h_2)(t_3 + (1 - h_3)t)) = 3 * 10^{-9} + 0.08 * (20 * 10^{-9} + 0.30 * (350 * 10^{-9} + 0.65 * 12 * 10^{-3}))$
- (b)  $T_{access} = t_1 + (1 - h_1)(t_2 + (1 - h_2)(t_3 + (1 - h_3)(t_4 + 1 - h_4(t_5)))) = 3 * 10^{-9} + 0.08 * (8 * 10^{-9} + 0.15 * (20 * 10^{-9} + 0.3 * 10^{-9} * 350 + 0.65 * 10^{-3} * 12))$
4. (a) width = bitline = 8B = 8 \* 8 = 64 bits.  
height = wordline = 64 \* 1024 = 65536 bits.  
volume = size = 64 \* 65536 = 4194304 bits.  
number of bits for addressing =  $\log_2 65536 = 16.0$
- (b) width = bitline = 1B = 1 \* 8 = 8 bits.  
height = wordline = 16 \* 1024 = 16384 bits.  
volume = size = 8 \* 16384 = 131072 bits.  
number of bits for addressing =  $\log_2 131072 = 17.0$
- (c) width = bitline = 1B = 1 \* 8 = 8 bits. height = wordline = 16 \* 1024 = 16384 bits. volume = size = 8 \* 16384 = 131072 bits.  
number of bits for addressing =  $\log_2 131072 = 17.0$