

MONTE CARLO SIMULATION

3D Simulation.

QUESTION:

Point source is anisotropic: all electrons are emitted along one direction; electron-atom scattering is anisotropic: Theta, θ is determined from $\sin(\theta/2) = a_3$, (where a_1 , a_2 and a_3 are random numbers selected between 0 and 1)

Determination of λ and ϕ is given by:

Lambda, $\lambda = -\ln a_1$, phi, $\phi = 2\pi a_2$.

It is necessary to make simulation for the anisotropic case and to compare results with [previous results for isotropic case](#).

Lambda is the length between the collisions, phi and theta are the angular displacement in x-y, x-z coordinates respectively.

From the sine identity formula, we have that:

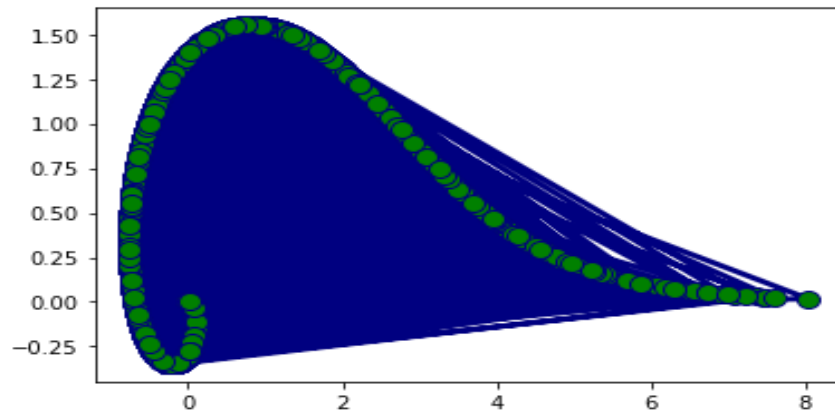
$$\sin(\theta/2) = \sqrt{\frac{(1-\cos\theta)}{2}} = a_3$$

$$\frac{(1-\cos\theta)}{2} = a_3^2$$

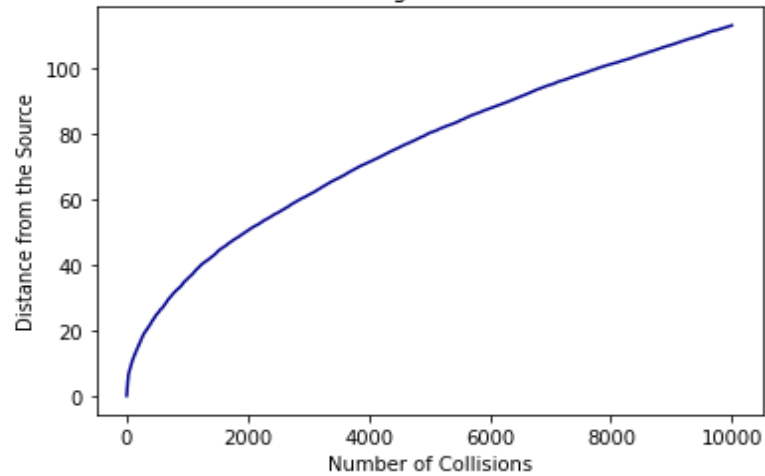
$$\cos\theta = 1 - 2a_3^2$$

$$\theta = \arccos(1 - 2a_3^2)$$

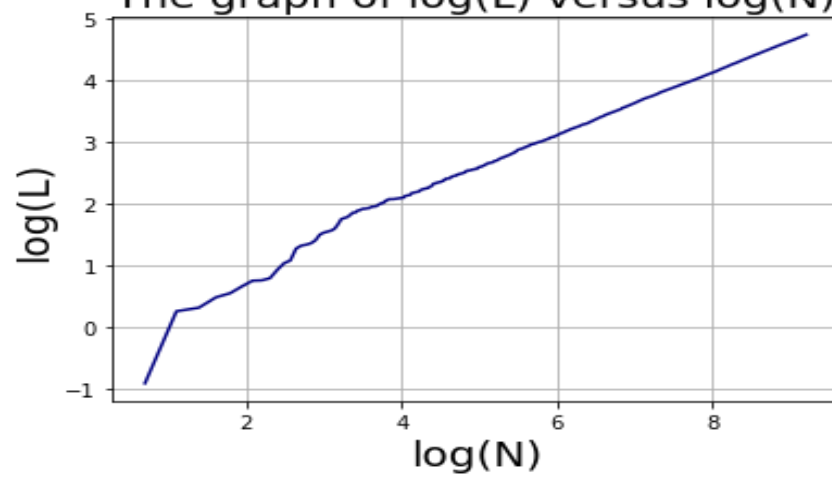
Anisotropic Electron-Atom Scattering in the case of 2D for 10000 collisions



The Plot of Distance from the Source against Number of Collisions: Absolute Values

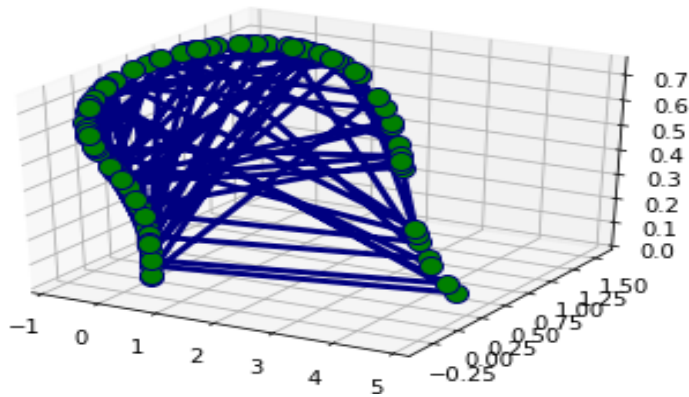


The graph of $\log(L)$ versus $\log(N)$

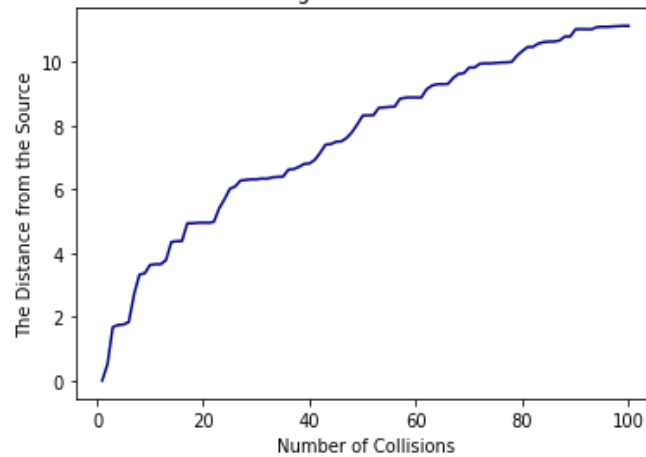


Anisotropic Electron-Atom Scattering in 3D for 100, 1000, and 10000 collisions.

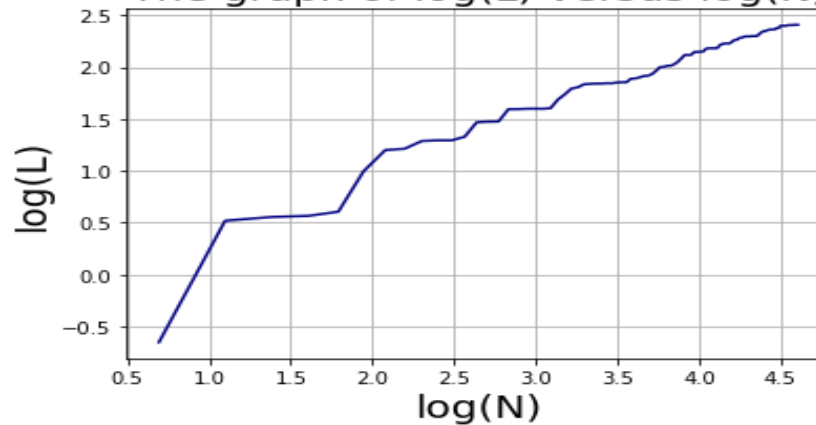
For 100 collisions:



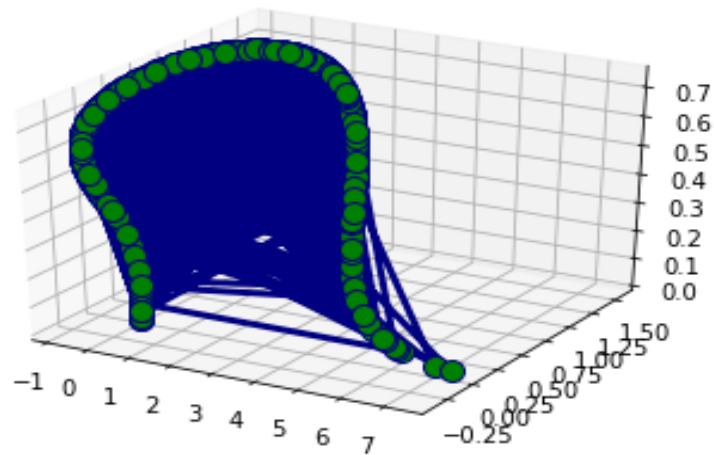
The Distance from the Source against Number of Collisions: Absolute Values



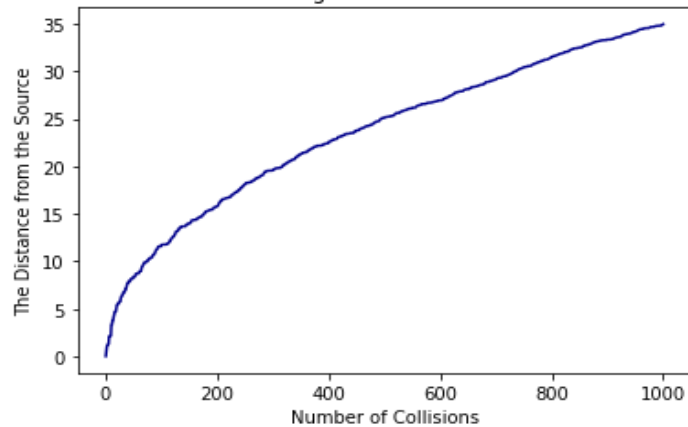
The graph of $\log(L)$ versus $\log(N)$



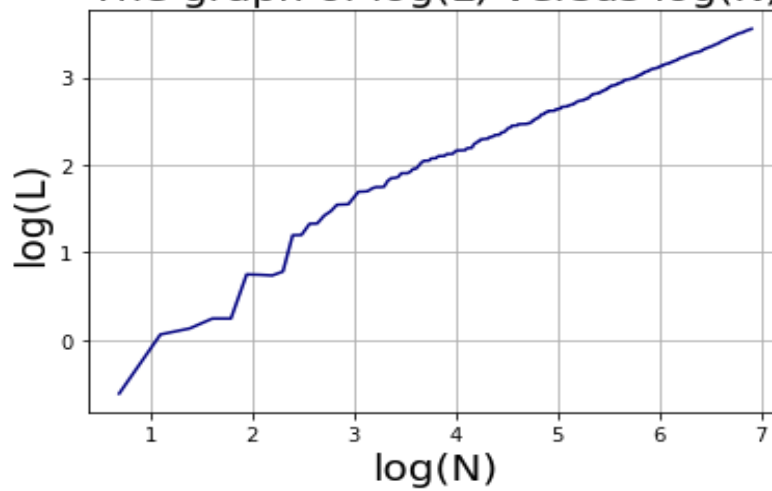
For 1000 collisions:



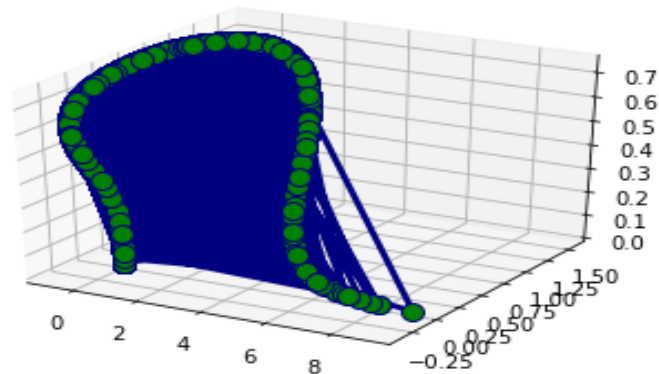
The Distance from the Source against Number of Collisions: Absolute Values



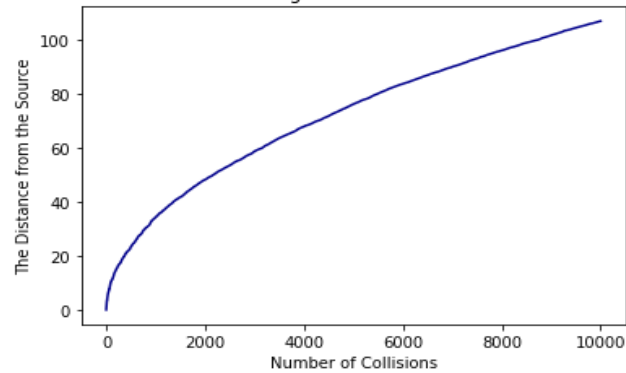
The graph of $\log(L)$ versus $\log(N)$



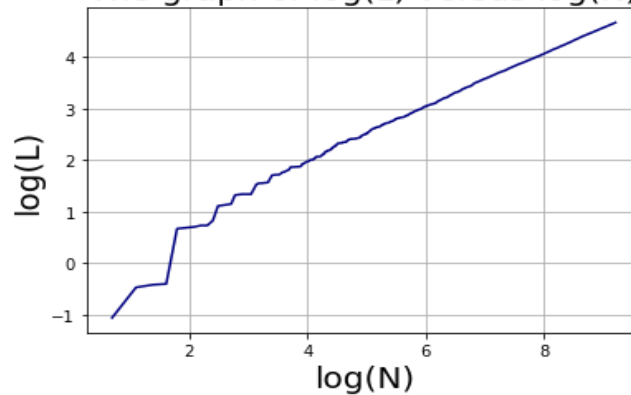
For 10000 collisions:



The Distance from the Source against Number of Collisions: Absolute Values



The graph of $\log(L)$ versus $\log(N)$



The codes for these Results can be found in [My GitHub](#)

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