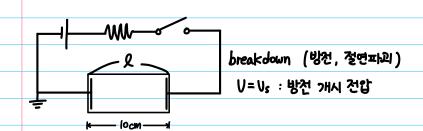
## 29강

## Plasma Breakdown



J.S. Townsend (1858 ~1949) 
$$\left[ \begin{array}{c} I = I_0 e^{\alpha k} \\ \frac{\alpha}{P} = A exp(-\frac{B}{E/P}) \end{array} \right]$$

以: 단위 길이 당 이온화 수

$$n \propto d l = d n \frac{d n}{n} = \alpha d l \cdot n = n_0 e^{\alpha l}$$

$$\overrightarrow{J} = \sum nq\overrightarrow{u} \propto n \Rightarrow \underline{I} = I \cdot e^{\alpha \ell}$$

 $\delta$ : 전자가 이온화 에너지를 얻을만큼 이동한 거리

$$Ux = Ed$$
,  $(\lambda > d)$ 

$$\frac{N}{N} = \exp(-\frac{d}{\lambda})$$
,  $n = N \lambda \propto$ 

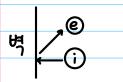
$$\frac{1}{1+1} \frac{\lambda}{\sqrt{1+\frac{\lambda}{\lambda}}} = \frac{1}{\sqrt{1+\frac{\lambda}{\lambda}}} = \frac{1}{\sqrt{1+\frac{\lambda}{\lambda}}} \exp\left(-\frac{\sqrt{1+\frac{\lambda}{\lambda}}}{\sqrt{1+\frac{\lambda}{\lambda}}}\right)$$

$$\therefore \frac{\alpha}{P} = \frac{1}{P\lambda} \exp\left(-\frac{Vx/\lambda P}{E/P}\right) , \left(A = \frac{1}{P\lambda}, B = \frac{Vx}{P\lambda}\right)$$

seed Table mean free path 1411 Item,

충분한 이온화에너지는 가지고 때려우면 여가 exponential 하게 증가.

## 3 7- ₹ (Secondary e)



$$X^+ + Y \rightarrow X^+ + Y^+ + e$$

$$K = \frac{\frac{1}{2}m_{2}V_{2}^{'2}}{\frac{1}{2}m_{1}V_{1}^{'2}} = \frac{m_{2}}{m_{1}V_{1}^{2}} \cdot \frac{4m_{1}^{2}V_{1}^{2}}{(m_{1}+m_{2})^{2}} = \frac{4m_{1}m_{2}}{(m_{1}+m_{2})^{2}} , \quad \overline{K} = \frac{2m_{1}m_{2}}{(m_{1}+m_{2})^{2}} \approx \frac{2m_{2}}{m_{1}} \sim 10^{-4}$$

이은이 전사와 충돌하여 이온화를 시키는 것은 거의 영향을 주지 못한다.

[以,β,γ 襟 纤 2年]

$$\begin{array}{c|cccc}
 & & & & & & & & & & \\
\hline
 & & & & & & & & & \\
\hline
 & & & & & & & & \\
\hline
 & & & & & & & \\
\hline
 & & & & & \\
\hline$$

$$\Rightarrow I = I_0 e^{\alpha l} + \gamma I_0 e^{\alpha l} + \gamma^2 I_0 e^{\alpha l} + \cdots$$

$$= \frac{I_0}{1-2} e^{\alpha l}$$

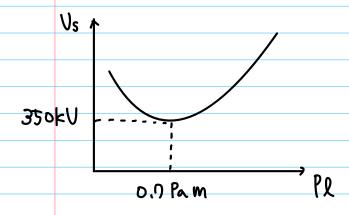
$$= (H \gamma + \gamma^{2} + ...) I_{0} e^{\alpha \ell}$$

$$= \frac{I_{0}}{1 - \gamma} e^{\alpha \ell}$$

$$= \frac{I_{0}}{1 - \gamma} e^{\alpha \ell}$$

$$\Rightarrow \text{Breakdown condition } \gamma = \gamma(e^{\alpha \ell} - 1) = 1$$

F. Paschen (1848~1945)



$$-\frac{B}{Vs/Pl} = \ln \frac{\Phi}{APl} , -\frac{BPl}{Vs} = \ln \frac{\Phi}{APl}$$

$$U_S = -\frac{BPL}{\ln \frac{\Phi}{APL}}$$
  $\therefore \underline{U_S} = \frac{BPL}{\ln \frac{APL}{\Phi}}$