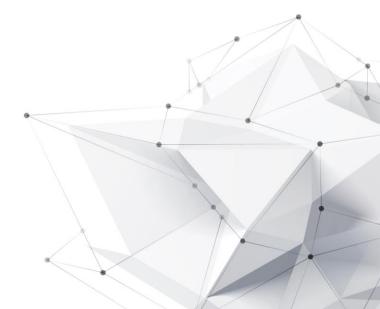
# Sensitive Information Disentanglement with Generative Model

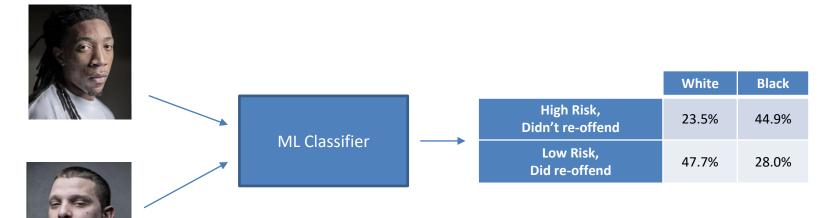
Taeuk Jang 24th, April, 2022





# Preliminary

#### Biased decision making by algorithms



Make favorable decisions to white defendants

\*Images from ProPublica



### What is Fairness?

#### **Individual Fairness**

Similar samples should be treated similarly.

#### **Group Fairness**

• Demographic Parity [Dwork et al. 2012]

$$P(\hat{Y} = 1 | A = 0) = P(\hat{Y} = 1 | A = 1)$$

• Equalized Odds [Hardt et al. 2016]

$$P(\widehat{Y} = Y | A = 0) = P(\widehat{Y} = Y | A = 1)$$

Predictive Parity and more...



### What is Fairness?

#### Achieving Group Fairness is non-trivial problem

- Removing sensitive information (Fairness through blindness) is not enough
- There are features that are highly correlated to sensitive information.
   e.g., ZIP code, graduated college, etc

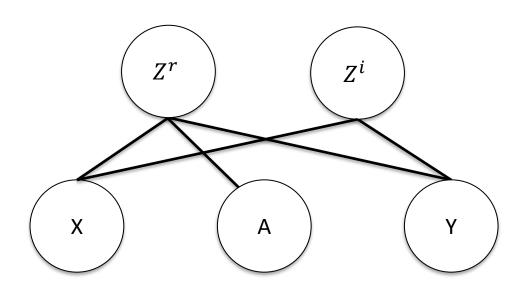
#### To achieve group fairness...

- Data Perspective
- Model Perspective
- Post processing



Disentangle observed data into independent latent features

We assume  $Z^i \perp Z^r$ 



 $Z^r$ : sensitive relevant features

 $Z^i$ : sensitive irrelevant features



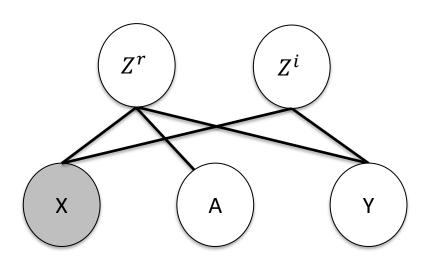
#### Goal #1: Maximize $\log p_{\theta}(X)$

$$\log p_{\theta}(X) \ge \mathcal{L}_{ELBO}$$

$$= \mathbb{E}_{q_{\phi}(Z^{r}, Z^{i}|X)} [p_{\theta}(X|Z^{r}, Z^{i})] - D_{KL}(q_{\phi}(Z^{r}, Z^{i}|X)) || p(Z^{r}, Z^{i}))$$

$$= \mathbb{E}_{q_{\phi}(Z^{r}, Z^{i}|X)} [p_{\theta}(X|Z^{r}, Z^{i})] - D_{KL}(q_{\phi}(Z^{r}|X)) || p(Z^{r}))$$

$$- D_{KL}(q_{\phi}(Z^{i}|X)) || p(Z^{i})),$$



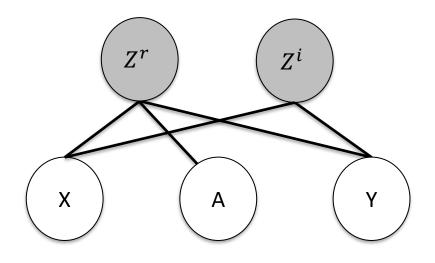
 $Z^r$ : sensitive relevant features

 $Z^i$ : sensitive irrelevant features



Goal #2: Maximize  $\log p_{\theta}(A|Z^r)$  and  $\log p_{\theta}(Y|Z^i,Z^r)$ 

We minimize 
$$\mathcal{L}_{CE}(Y, C_{\omega 1}(Z^r \oplus Z^i)) + \mathcal{L}_{CE}(A, C_{\omega 2}(Z^r))$$



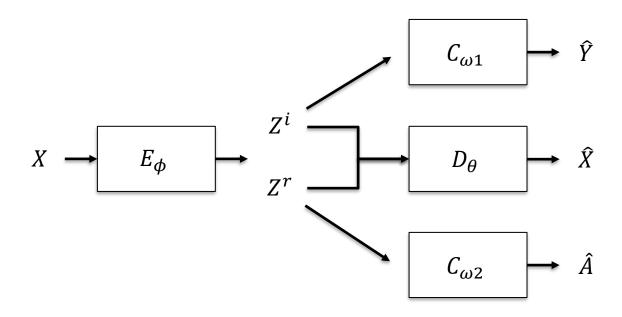
 $Z^r$ : sensitive relevant features

 $Z^i$ : sensitive irrelevant features



#### Final Objective:

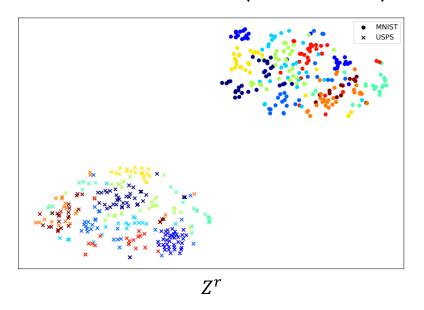
$$\arg\min_{\theta,\phi,\omega} \mathcal{L}_{MSE}(X, D_{\theta}(Z^r \oplus Z^i)) + D_{KL}(q_{\phi}(Z^r|X))||p(Z^r))$$
$$+ D_{KL}(q_{\phi}(Z^i|X))||p(Z^i)) + \mathcal{L}_{CE}(Y, C_{\omega 1}(Z^r \oplus Z^i)) + \mathcal{L}_{CE}(A, C_{\omega 2}(Z^r))$$

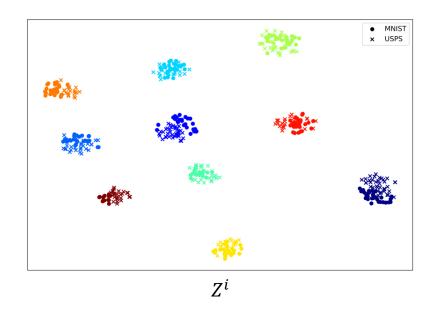




# **Experimental Result**

#### Multi-class Classification (MNIST-USPS)





**Tabular Dataset (Adult Income Dataset)** 

	Acc	Acc diff	EOp	EOd	DP
Baseline	0.853	0.108	0.119	0.098	0.186
SD-VAE	0.838	0.099	0.047	0.050	0.155

Table 1: Comparison of SD-VAE with Logistic regression on Adult dataset.



# **Experimental Result**

#### CelebA Dataset

$$\widehat{X} = D_{\theta} \left( \left[ Z^{i}, Z^{r} \right] \right)$$

$$\widehat{X}' = D_{\theta}(\left[Z^i, \widetilde{Z}^r\right])$$

$$\widehat{X}^{\prime\prime}=D_{\theta}\left(\left[\widetilde{Z}^{i},Z^{r}\right]\right)$$

X





# **Experimental Result**

#### CelebA Dataset

$$\hat{X}' = D_{\theta} \left( \left[ Z^i, \tilde{Z}^r \right] \right)$$

$$\hat{X}^{\prime\prime} = D_{\theta} \left( \left[ \tilde{Z}^i, Z^r \right] \right)$$

