MATLAB Assignment

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Question one

Creating a code that convert the base of a number from base n to base m

```
Number base conversion
% This code convert a number in base n to base m.
% base n and base m are between 2 and 10
% To do this, I converted base n to base 10 using "base2dec(num_base_n, n)" function
% and then converted from base 10 to base m using "dec2base(num_base_10, m)" function.
% But first, I verified that the inputed number is in base n and that base
% n and m are between 2 to 10.
% I want to ask the user to enter base 'n' and base 'm' but n and m must be 2 - 10 \ (2 \le n \le 10)
disp('base n and base m should be between 2 to 10');
n = input('Enter the base of n (2 \le n \le 10): ');
m = input('Enter the base of m (2 \le m \le 10): ');
% I want to check whether base n and base m is between the specified range
if n < 2 || n > 10
 error('Invalid input for n. Please enter a value between 2 and 10.');
end
if m < 2 || m > 10
 error('Invalid input for m. Please enter a value between 2 and 10.');
end
% I want to ask the user for a number in base-n
disp('The number should be in the base you specified for n'),
num_base_n = input(['Enter a number in base-' num2str(n) ': '], 's');
% I want to check if the input number is valid in base-n, if not it would
% display an error feedback
valid_input_n = CheckBase(num_base_n, n);
if ~valid_input_n
 error('Invalid input for base-%d.', n, n);
end
% My first step, I want to convert the number from base-n to base-10
num_base_10 = base2dec(num_base_n, n);
```

```
% My second step, I want to convert the number from base-10 to base-m
num_base_m = dec2base(num_base_10, m);
% Display the results
fprintf('The number %s in base-%d is equivalent to %s in base-%d.\n', num_base_n, n, num_base_m, m);
function valid = CheckBase(num_str, n)
  %I am initializing a flag to determine if the input is valid in base-n
 valid = true;
 % Convert the input number to a string for processing
  num_digits = numel(num_str);
 % Iterate through each digit and check if it's within the base-n range
 for i = 1:num_digits
    digit = str2double(num_str(i));
    if isnan(digit) || digit >= n
      valid = false;
      return;
    end
 end
end
```

Running the code to convert 404435 to base 7

```
base n and base m should be between 2 to 10
Enter the base of n (2 \le n \le 10): 5
Enter the base of m (2 \le m \le 10): 7
The number should be in the base you specified for n
Enter a number in base-5: 40443
The number 40443 in base-5 is equivalent to 10435 in base-7.
```

Testing the code

The code is saved in *Taiwo_AlareHW_1.m* file.

Comments

For simplicity in base conversion, the number in base n is first converted to decimal and then converted to base m from decimal.

Question two

Creating a function that solve matrix equation using Gaussian Elimination Method

```
function x = GaussElim(A, B)
  N = length(B);
 x = zeros(N,1);
 % Augmenting the matrix by joining the source vector B with the co-efficient matrix A
 Aug = [A, B]; % Use a comma to concatenate matrices horizontally
  % I make the augmented matrix an upper triangular matrix using this loop
  for j = 1:N-1
    for i = j+1:N
      if Aug(j,j) \sim = 0
      m = Aug(i,j) / Aug(j,j);
      Aug(i,:) = Aug(i,:) - (m * Aug(i,:));
        error('computational error') % dividing by zero will give syntax error
      end
 end
 % Displaying the upper triangular augmented matrix
 Aug
 x(N) = Aug(N,N+1) / Aug(N,N);
  for k = N-1:-1:1
    x(k) = (Aug(k,N+1) - Aug(k,k+1:N) * x(k+1:N)) / Aug(k,k);
 end
 X
end
```

Creating a code that solve matrix equation using Gaussian Elimination Method

```
% Solving matrix equation Ax=B using Guassian Elimination Method
% A is the co-efficent matrix (n*n) and B is the source vector
disp('The co-efficent matrix should be in a bracket and the rows should be separated with; [a b c; 1 2 3]')
disp('The source vector should be in a bracket and the rows should be separated with; [a;b;c]')

A = input('Enter your coefficient matrix: ');
B = input('Enter the source vector: ');
x = GaussElim(A, B); % Calling the function x = GaussElim(A, B)
```

Running the code to solve

$$\begin{bmatrix} 10 & 3 & 1 \\ 3 & 10 & 2 \\ 1 & 2 & 10 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \\ x_3 \end{bmatrix} = \begin{bmatrix} 19 \\ 29 \\ 35 \end{bmatrix}$$

```
The co-efficient matrix should be in a bracket and the rows should separated with; [a b c; 1 2 3]
The source vector should be in a bracket and the rows should separated with; [a;b;c]
Enter your coefficient matrix: [10 3 1; 3 10 2; 1 2 10]
Enter the source vector: [19; 29; 35]
Aug =
  10
     3 1 19
  3 10 2 29
  1 2 10 35
Aug =
 10.0000 3.0000 1.0000 19.0000
    0 9.1000 1.7000 23.3000
          0 9.5824 28.7473
    0
x =
 1.7951
 2.5986
 3.0000
>>
```

Testing the code

The function is saved in *GuassElim.m* file and the rest is saved in *Taiwo_Alare_HW_2.m* file. Both files should be opened first and running the *Taiwo_Alare_HW_2.m* file.

Question three

Creating a function that solve pi approximation using Monte Carlo Method

```
function y = MontePi(n)
  inside_circle = 0;

for i = 1:n
    x = rand();
    y = rand();

  if x^2 + y^2 <= 1
    inside_circle = inside_circle + 1;
    end
  end

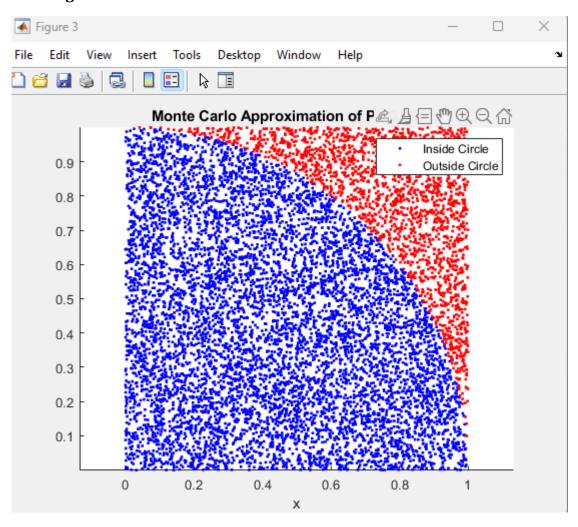
% pi_approx is the approxation of pie
  pi_approx = 4 * inside_circle / n;
  t = abs(pi - pi_approx); % t is the absolute error due pie approximation
  rel_error = t / pi;  % rel_error is the relavative error
end</pre>
```

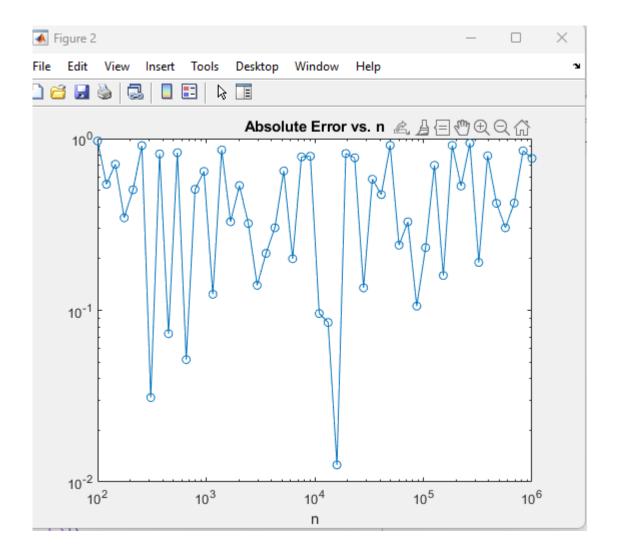
Creating a code that solve pi approximation using Monte Carlo Method

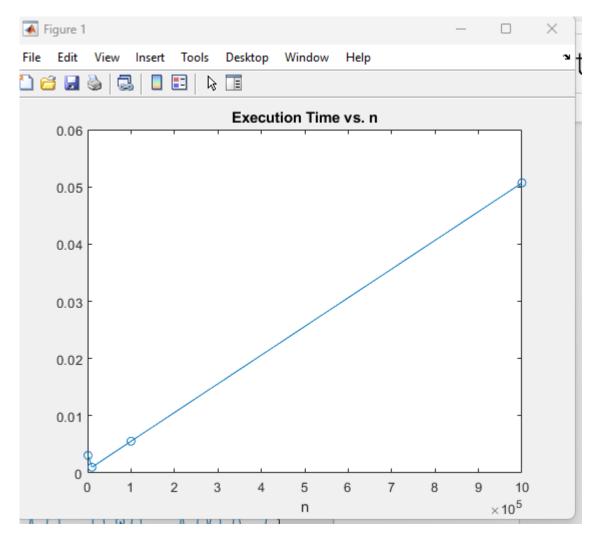
```
% This code shows the approximation of Pi using Monte Carlo method
function y = MontePi(n) % I called the function y = MontePi.m
% first, I time the execution for various values of n
n values = [1000, 10000, 100000, 1000000]; % n values are my given value of n
execution_times = zeros(size(n_values));
% I determined the time of execution of the length of n_values using tic and
% toc command for loop
for i = 1:length(n_values)
  n = n values(i);
  tic;
  MontePi(n);
  execution_times(i) = toc;
end
figure;
plot(n_values, execution_times, 'o-');
xlabel('n');
zlabel('Execution Time (seconds)');
title('Execution Time vs. n');
% I also computed approximations of \pi and plot absolute errors
n_values = logspace(2, 6, 50);
```

```
t = zeros(size(n_values)); % t is the absolute error
for i = 1:length(n values)
  n = round(n values(i));
  y = MontePi(n);
  t(i) = y;
end
figure;
loglog(n_values, t, 'o-');
xlabel('n');
zlabel('Absolute Error');
title('Absolute Error vs. n');
xlim([10<sup>2</sup>, 10<sup>6</sup>]);
% I generated random points and display final value of \pi
n = 10000;
[x, z, color] = deal(zeros(n, 1));
figure;
axis equal;
hold on;
for i = 1:n
  x(i) = rand();
  z(i) = rand();
  if x(i)^2 + z(i)^2 <= 1
     color(i) = 1; % Inside the circle
     color(i) = 2; % Outside the circle
  end
end
scatter(x(color == 1), z(color == 1), 'b.'); % blue color for outside the circle
scatter(x(color == 2), z(color == 2), 'r.'); % red color for outside the circle
xlabel('x');
zlabel('y');
title(['Monte Carlo Approximation of Pi: ', num2str(MontePi(n))]);
legend('Inside Circle', 'Outside Circle');
```

Running the code







Testing the code

The function is saved in *Monte.m* file and the rest is saved in *Taiwo_Alare_HW_3.m* file. Both files should be opened first and running the *Taiwo_Alare_HW_2.m* file should produce the animation