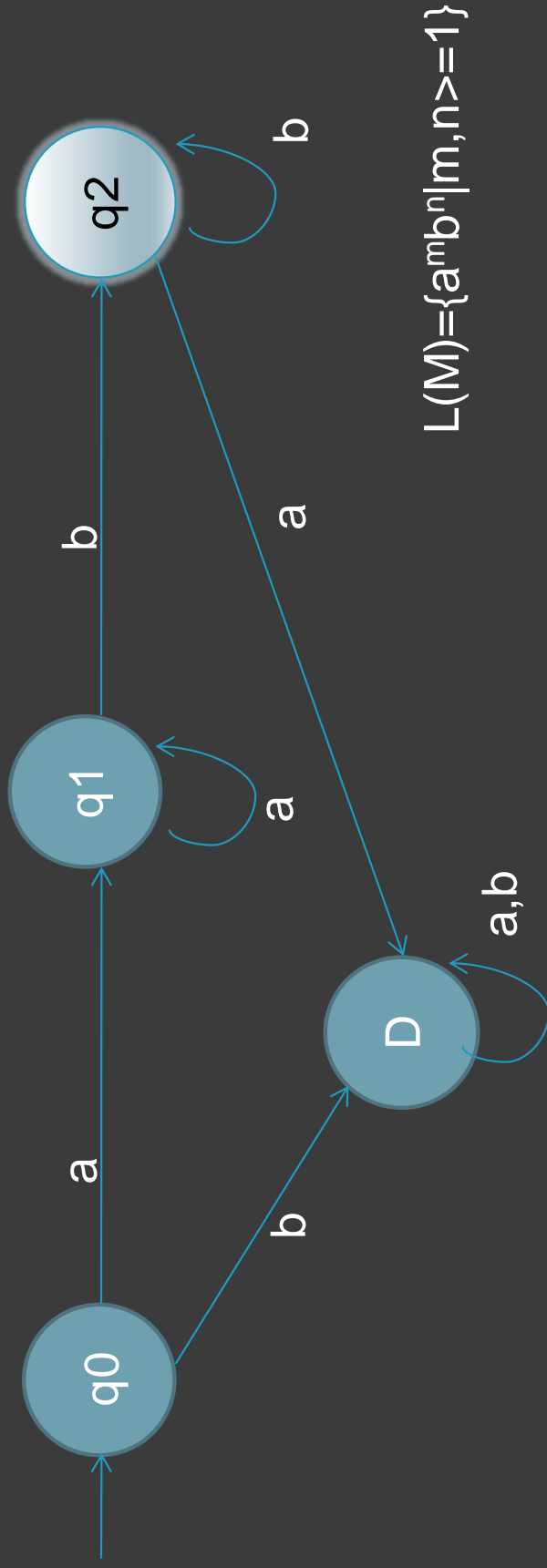


# Conversion of FSA(DFA) to RG

- Given DFA  $M=(Q, \Sigma, \delta, q_0, F)$  construct RG  $G=(N, T, P, S)$
- Such that  $L(G)=L(M)$  or  $L(M)=L(G)$
- Construction
- $N=Q$
- $T= \Sigma$
- $S=q_0$
- Now definition of P
- 1. If  $\delta(q,a)=p$  then  $q \rightarrow ap$  is a rule in P
- 2. If  $\delta(q,a)=p$  and  $p \in F$  then  $q \rightarrow a$  is rule in P

# Conversion of DFA to RG



**DFA M**

**; RG G**

1.  $\delta(q_0, a) = q_1$  ;  $q_0 \rightarrow aq_1$
2.  $\delta(q_0, b) = D$  ;  $q_0 \rightarrow bD$
3.  $\delta(q_1, a) = q_1$  ;  $q_1 \rightarrow aq_1$
4.  $\delta(q_1, b) = q_2$  ;  $q_1 \rightarrow bq_2$  and  $q_1 \rightarrow b$  as  $q_2$  is final state
5.  $\delta(q_2, a) = D$  ;  $q_2 \rightarrow aD$
6.  $\delta(q_2, b) = q_2$  ;  $q_2 \rightarrow bq_2$  and  $q_2 \rightarrow b$  as  $q_2$  is final state
7.  $\delta(D, a) = D$  ;  $D \rightarrow aD$
7.  $\delta(D, b) = D$  ;  $D \rightarrow bD$

$$L(G) = \{a^m b^n | m, n \geq 1\}$$

# Regular Language/ Regular Set

- Regular Grammar generates Regular Language
- Finite State Automata accepts Regular Language
- Regular Expression represents Regular Language
- **$RG \equiv FSA \equiv RE$  [RL]**