

# CSE 471: Machine Learning

## Regression Algorithms: Linear Regression

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# Use of Linear Regression

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# Use of Linear Regression

What is the annual sale of the company?



# Use of Linear Regression



Find out the **factors**  
effecting the annual sales



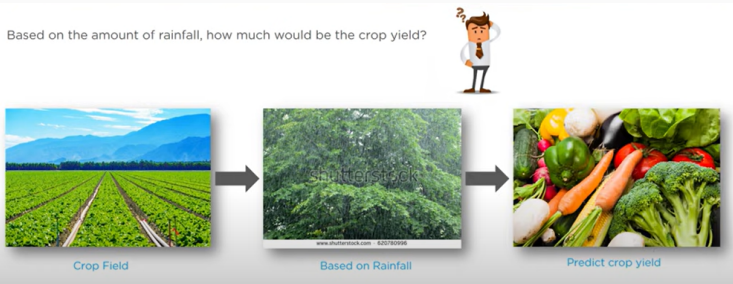
Predict the Annual  
Outcome

**Annual  
Sale**

# Terminologies

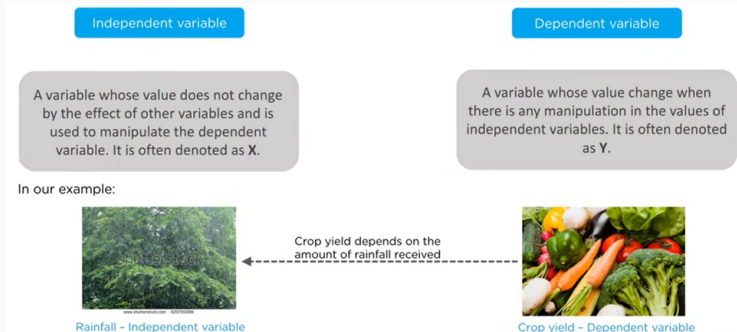
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Based on the amount of rainfall, how much would be the crop yield?



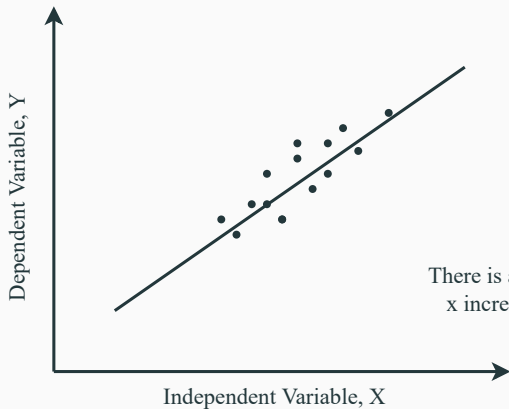
# Independant and Dependant variable

Our motive is to find a relationship between the dependant and independant variable!





# Linear Regression



There is a linear relationship, if  
x increases y also increases

# Types of Linear Regression

There are Two types of linear regression.

## Simple Linear Regression

- Single dependant and independent variable
- We use simple linear equation:  $\hat{y} = \beta_0 + \beta_1 x$ , where  $x$  = independant variable or feature,  $y$  = dependant variable or outcome and  $\beta_0$  = constant and  $\beta_1$  = Regression Coefficient
- We can also represent it in the following form:  $y = mx + c$

# Types of Linear Regression

There are Two types of linear regression.

## Multiple Linear Regression

- Single dependant variable and multiple independent variable
- We use simple linear equation:

$\hat{y} = \alpha_0 + \alpha_1 x_1 + \alpha_2 x_2 + \alpha_3 x_3 \dots + \alpha_m x_m$ , where  $x$  = independent variable or feature,  $y$  = dependant variable or outcome and  $\alpha_0$  to  $\alpha_m$  = Regression Coefficient

# Linear Regression Example

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## Linear Regression Example

x	y
1	3
2	4
3	5
4	7

# Linear Regression Example

## Solution

- We have to find a relationship,  $Y = \beta_0 + \beta_1 X$
- $$\beta_1 = \frac{\sum xy - \frac{\sum x \sum y}{n}}{\sum x^2 - \frac{(\sum x)^2}{n}}$$
- $$\beta_0 = \frac{\sum y - \beta_1 \sum x}{n}$$

