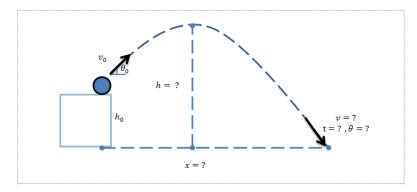
Lab Work 1 Due Date: Apr.7.2020



1. For the initially given parameters  $v_0$ : the magnitude of initial velocity vector,  $h_0$ : initial height,  $\theta_0$ : the angle of the velocity vector with the horizontal axis, g: gravity;

Calculate the final velocity vector (its magnitude as well as its angle with the horizontal axis  $(v, \theta)$ ), the time passes during this travel (t), the horizontal distance it travels (x), and the maximum height it reaches to (h).

$$v_0, h_0, \theta_0, g$$
 (input)  
( $v, \theta$ ),  $h, t, x$  (output)

Tasks:

- $v_0$ =20,  $\theta_0$  = (0:1:90)[degres],  $h_0$ =30 Find outputs.
- $v_0$ =(1:1:20),  $\theta_0$  = 75,  $h_0$ =30 Find outputs.
- $v_0$ =20,  $\theta_0$  = 75,  $h_0$ =0:1:30 Find outputs.

Write two files for these purposes

**ballArc.cpp** - can be .cpp file for the function. Use function form which accepts the input and computes the output **test\_ballArc.cpp** - can be .cpp file to test ballArc.cpp

## Mathematical expressions for the problem

```
\pi=3.141592
```

$$g = 9.8$$

%assuming  $\theta_0$  is given in degrees not in radians

$$v_{0y} = v_0.\sin(\pi.\theta_0/180)$$

$$v_{0x} = v_0 . cos(\pi. \theta_0/180)$$

$$t_{rise} = (v_{0y} - 0)/g$$

$$m.\,g.\,h_{rise} = \frac{1}{2}m.\,(v_{0y})^2\!\to\! h_{rise} \!=\! 0.5(v_{0y})^2/g$$

$$h_{fall} = h_{rise} + h_0$$

$$m. g. h_{fall} = \frac{1}{2} m. (v_y)^2 \rightarrow v_y = (2. g. h_{fall})^{0.5}$$

$$t_{fall} = (v_y - 0)/g$$
;

$$x = v_{0x} \cdot (t_{rise} + t_{fall})$$

$$v_x = v_{0x}$$

$$\theta = (tan^{-1}(-v_v/v_x))/\pi.180$$

2. Given an empty sphere we can put a cone inside it.

The base and the top of it touch the sphere. Sphere is represented with a radius  $r_s$  the cone is represented with a radius  $r_c$  and a height h. Write a cpp code **cone\_in\_a\_Sphere.cpp** 

- a) Initially given  $r_s=10$  and  $r_c=8$  compute the h, the volume of the sphere and the cone
- b) For a given set of  $r_c$  values  $(0.1r_s:0.1:r_s)$  Compute h values, Plot  $r_c$  versus h,  $r_c$  versus the volume of the cone. (Excel, GNU-plot or any other mean for plotting)
- c) Plot  $r_c$  versus the volume of the space inside the sphere but outside the cone (volume of the sphere volume of the cone) try to figure out when it is at the minimum. (Excel, GNU-plot or any other mean for plotting)

- Submit your .cpp codes, your relevant tables, and plots, in one zipped folder.
- A suitable name for the folder can be KOM3550\_YourName\_YourNumber\_Lab1.{zip/rar}. Write a relevant title for the email you are sending. KOM3550\_YourName\_YourNumber\_ KOM3550\_YourName\_YourNumber\_Lab1 is a good option.

"No other e-mails will be even opened".

Dr. Muharrem Mercimek

- a. The due date is firm and it is the midnight just before the next class. The files should be submitted by the end of the due date.
- b. Submit your documents via e-mail to programming.kom@gmail.com