

UESTC 3003: Electronic System Design Static Errors

Lecture 2.4: Bias Current Blues(2)

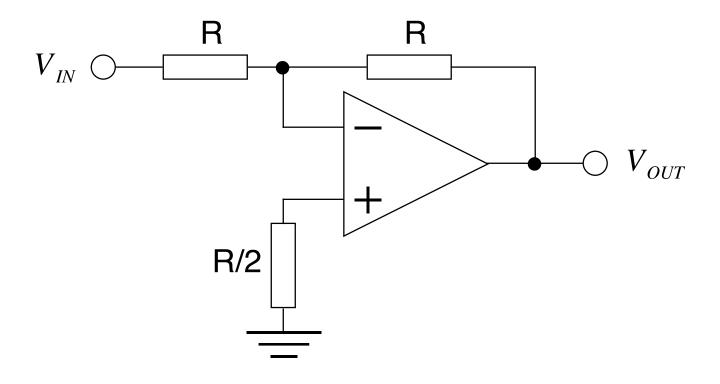
Dr Sajjad Hussain Thanks to Prof. Duncan Bremner

WORLD CHANGING GLASGOW

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A Cool Fix (If currents are Equal)

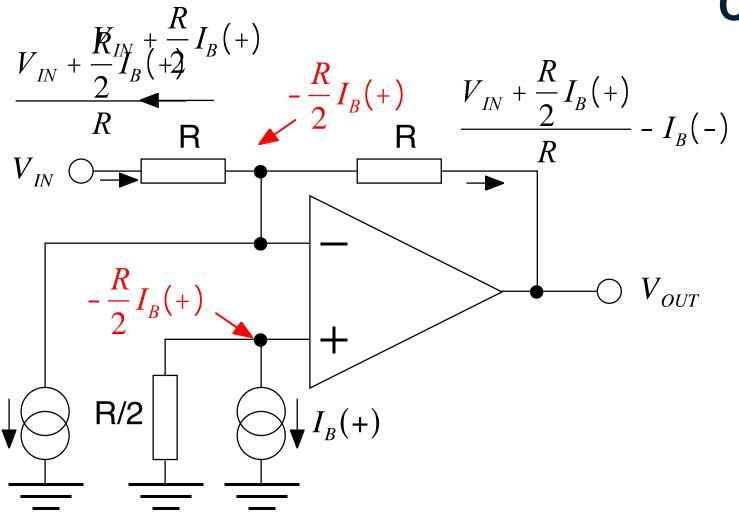


Make DC resistances equal at both inputs

(NOTE: Take care if there are inductors or capacitors about!)



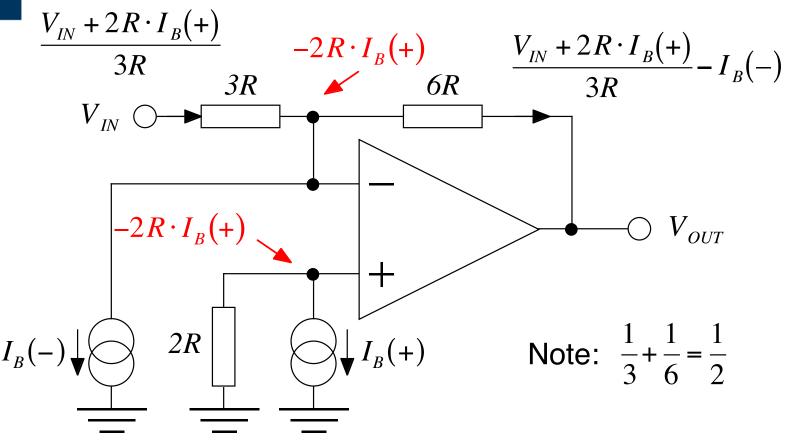
Compensating for Equal Bias Currents



$$V_{OUT} = -\frac{R}{2}I_B(+) - V_{IN} - \frac{R}{2}I_B(+) + RI_B(-) = -V_{IN} + R(I_B(-) - I_B(+))$$



Equal Bias Currents and Gain



$$V_{OUT} = -2R \cdot I_B(+) - \frac{6RV_{IN}}{3R} - \frac{6R \cdot 2R \cdot I_B(+)}{3R} + 6R \cdot I_B(-)$$

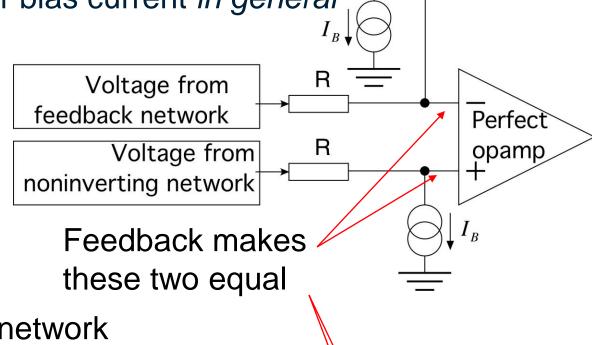
= $-2V_{IN} - 6R \cdot I_B(+) + 6R \cdot I_B(-) = -2V_{IN} + 6R(I_B(-) - I_B(+))$



Equal Bias Currents

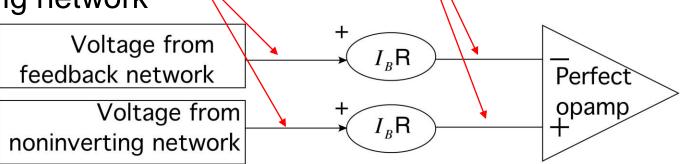
Equal source impedances compensate for bias current *in general*

R is the Thevenin Equivalent source resistance of the associated network

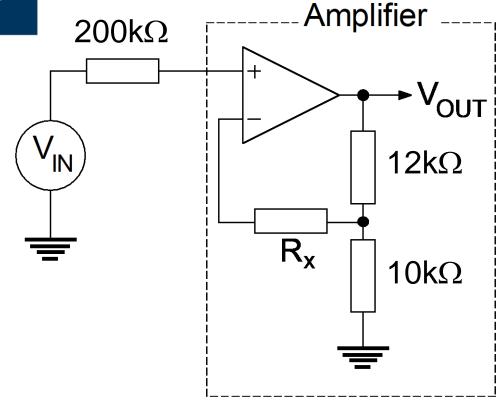


So Voltage from FB network Still equals the voltage from the noninverting network

Is equivalent to







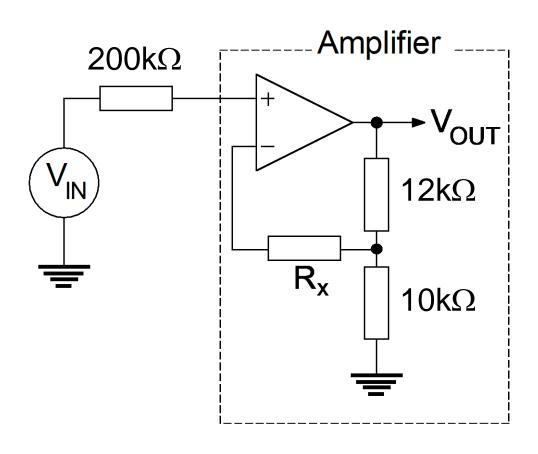
Bias Current Problem

- 1. What is the required Value of R_x to cancel the effect of I_b at the output?
- 2. If $I_b = 120$ nA and $R_x = 200$ k, what is the Voltage error present at the output?

1. What is the required Value of $R_{\rm X}$ to cancel the effect of $I_{\rm b}$ at the output?

Bias Current Problem

2. If $I_b = 120$ nA and $R_x = 200$ k, what is the Voltage error present at the output?



1. $10k\Omega // 12k\Omega = 5.5 k\Omega$

 $Rx+5.5k\Omega = 200k\Omega$, $Rx = 194.5k\Omega$

2. $V(+) = 120 \text{nA} \times 200 \text{k}\Omega = 24 \text{mV}$

Equivalent feedback $R_f = 200k\Omega + 5.5k\Omega = 205.5k\Omega$

$$V(-) = 205.5k\Omega \times 120nA = 24.66mV$$

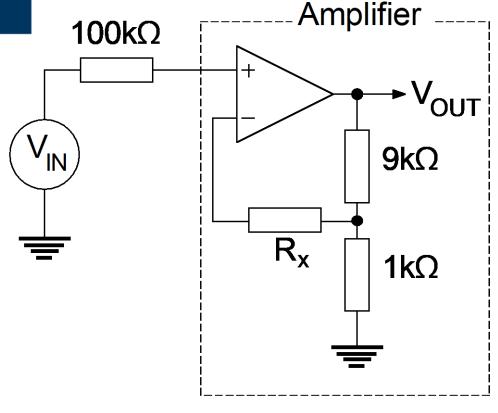
$$\Delta V = 0.66 \text{mV}$$

Gain =
$$\left(\frac{10}{10+12}\right)^{-1}$$
 =2.2

$$V_{out}$$
 error = 2.2 × 0.66 = 1.452mV



Noninverting



What is the required Value of R_x ?

Need 1k // 9k + $R_x = 100k\Omega$

 $R_x = 100k\Omega - 0.9k\Omega = 99.1k\Omega$

Exercise: Show that this works! [Use Ib(+) = Ib(-) = 150nA]

