

In the previous described design problem we proposed a scenario where we want to check if a student has any available buses to get in.

Alice is a student at Dhaka university . He is a very lazy student just like the author . Tonight he was dreaming about becoming the richest person in the world and because of this he was late to get up . Now he is rushing to get to the university and he uses the University Bus for transportation.

As mentioned in the design problem description, Alice's University has a lot of buses and they follow different routes to go to the campus.

Alice's university has " $n$ " buses and each bus has  $m_i$  ( $1 \leq m_i \leq 100$ , for each  $i$  from 1 to  $n$ ) stoppages. Each bus stops at campus which is at stoppage " $0$ ". Bus follows

$a_1, a_2, a_3, \dots, a_{m_i-1}, a_{m_i}$  [ $a_{m_i} = 0$ ]

While going to the campus a bus needs to pick up students from different places so the route of stoppages will not always be decreasing .

Like : the Bus Route can follow : (Starting)  $5 \rightarrow 2 \rightarrow 3 \rightarrow 1 \rightarrow 0$  (Campus)

Different buses will have different routes and for each route Every stoppage is unique , no stoppage is visited twice in a single route.

Alice is in a rush , he can't wait much longer . All the buses have started to move from their starting position and He is already  $x$  minutes late .He wants to reach campus as fast as possible . For each bus the time takes to reach next stoppage is the that stoppage minus the next stoppage  $|a_i - a_{i+1}|$  ( for,  $i = 1$  to  $n - 1$ ) .

Alice is in position  $p$  ( $p > 0$ ). Now , What is the minimum time Alice will take to reach campus if he takes the most efficient choice of bus.

Input :

Each test contains multiple test cases. The first line contains the number of test cases  $t$  ( $1 \leq t \leq 10^4$ )

The description of the test cases follows. The first line of each test case contains one integer  $n$ . ( $1 \leq n \leq 100$ )

Next  $n$  lines contain an integer  $m$  the number of stoppages ( $2 \leq m \leq 100$ ) of that bus. Then there is  $m$  integers, positions of the stoppages,  $a_1, a_2, a_3, \dots, a_{m-1}, a_m$ . Last stop is 0, campus. ( $0 \leq a_i \leq 1000$ )

Then two integers  $p$  and  $x$  representing Alice's current stoppage and how much time he is late. ( $0 < p$ ), ( $1 \leq x \leq 1000$ )

Output :

Output the minimum time for Alice to reach campus or state that Alice will not be able to catch any bus by printing  $-1$ .

See the sample input and output to get a better understanding.

Sample Input 01 :

```
1
3
5
5 2 3 1 0
4
6 7 5 0
4
6 7 8 0
3 1
```

Output 01 : 6

Explanation :

Among the three routes only 1st bus route has a stoppage at 3, Alice's stoppage. Now, the bus is at stoppage 4 after time  $x$ . So, Alice will wait  $(2 + 1)$  then it will take him  $(2 + 1)$  more time to reach campus.