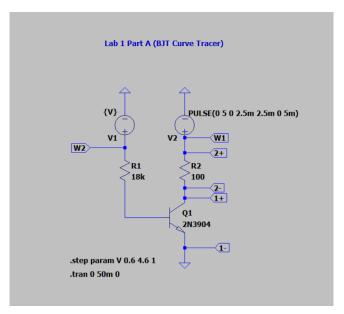
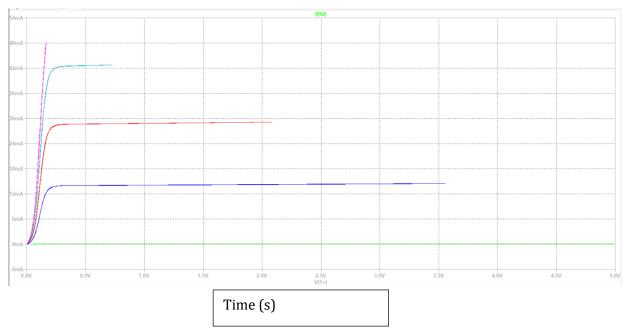
## Lab 2 BJT Curve Tracer 1 (Common Emitter)

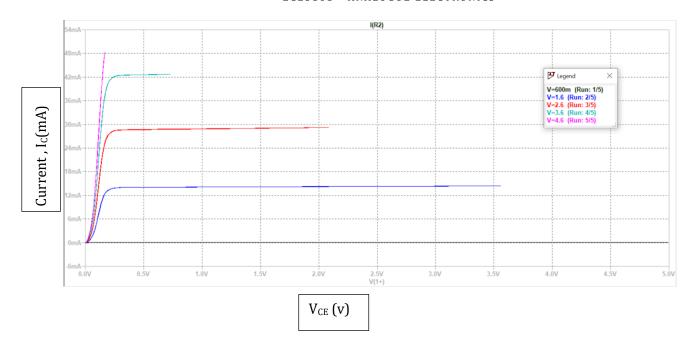
## 1 LTspice Simulations (Pre-lab)

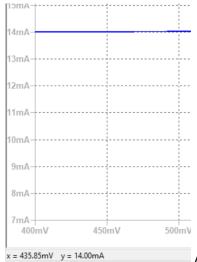
(a) Plot  $I_C$  vs  $V_{CE}$  using X-Y plot and export the plot to be included in your lab report. In your XY plot, X-Axis should be VCE and Y-Axis should be IC. Include the circuit schematic in the report. (1 mark)



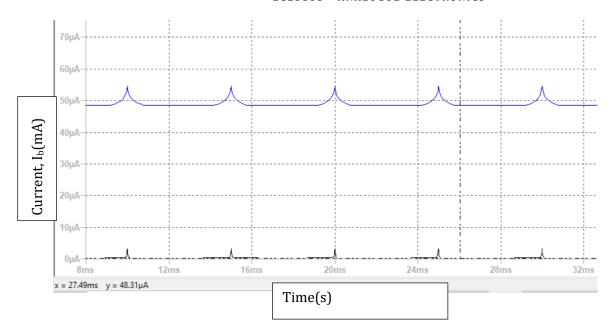


Current (mA)





A zoom-in measurement of  $I_c\text{-}V_{\text{CE}}$  graph for the  $2^{nd}$  line



(b) From the plot, calculate the (forward) **large-signal current gain** at a chosen current, Beta ( $\beta = I_{C}/I_{B}$ ). (1 mark)

$$\beta = \frac{I_C}{I_B}$$

Compare your calculated gain to that of the value (hFE) in 2N3904 datasheet. (1 mark)

$$I_B = 48.31 \, \mu A$$

$$I_C = 14.00 \, mA$$

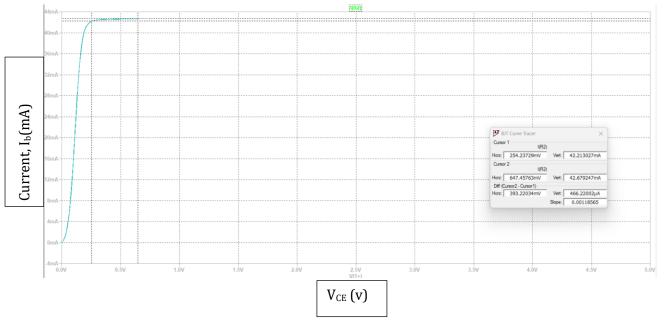
$$\beta = \frac{I_C}{I_B} = \frac{14.00 \, mA}{48.31 \, \mu A} = 289.80$$

Based on the datasheet, the value of  $\beta$  is approximately 300.

$$300 - 289.80 = 10.2$$

There is a slight difference between the data sheet and the theoretical value due to the systematic error caused during the reading of the graph.

### (c) Using the curve for the 3.6V step, estimate the **Early voltage**, $V_A$ . (1 mark)



We can determine the long forward active portion of the graph. From here, we will take out the value of the two points. From these two points, we can calculate the gradient of the graph. LTSpice will automatically calculate the gradient of the graph

$$m = 0.00118565$$
  
 $Y = mX + C$   
 $42.679247mA = 0.00118565 * (647.45763mV) + C$   
 $C = 0.0415$ 

The early voltage can be obtained by finding the x-intercept of the linear line

$$-Va = -\frac{0.0415}{0.00118585} = 35.0 V$$

(d) Calculate the small-signal output resistance at this current,  $r_o = V_A/I_C$ . (1 mark)

Measured from the graph,  $I_c$ = 42.65mA when  $V_{w2}$ =3.6 V

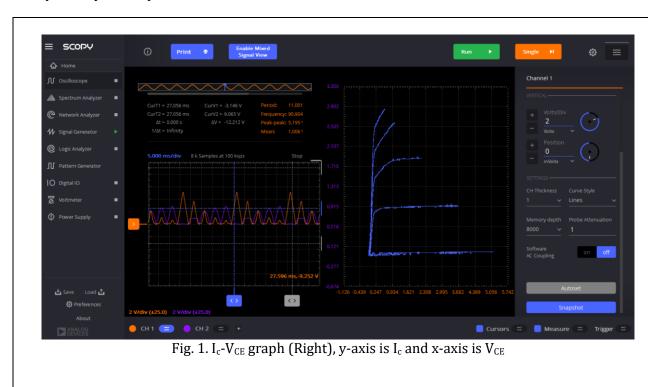
$$r_o = \frac{35V}{42.65 \ mA} = 820.63\Omega$$

## 2 Experimental Work (pre-lab and in-lab)

### PART A: CREATE A SET OF I<sub>C</sub> VS. V<sub>CE</sub> CURVES

### Report (you may have to refer to lecture note or wiki for definitions):

**a.** Using the XY plot function in Scopy to plot  $I_C$  vs.  $V_{CE}$ , and export the plot to be included in your lab report. In your XY plot, X-Axis should be CH 1, Y-Axis should be CH 2.



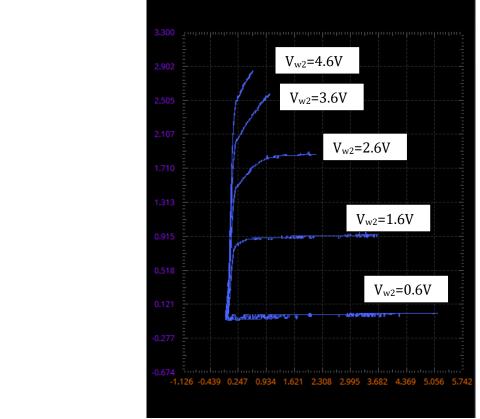


Fig. 2.  $I_c$ - $V_{CE}$  graph, y-axis is  $I_c$  and x-axis is  $V_{CE}$ 

Fig 1. Ic-Vce graph

**b.** From the measured data calculate the (forward) **large-signal current gain** at a chosen current, Beta  $(\beta = I_C/I_B)$ .

In order to calculate beta,  $\beta$ , we would need to calculate  $I_B$  and  $I_C$ . Assuming  $V_{BE} = 0.7V$ , and the resistor used is  $18k\Omega$ , and the choice of  $V_{W2} = 1.6V$ 

 $I_B$  can be calculated using the following formula

$$I_B = \frac{V_{W2} - V_{BE}}{18 \, k\Omega} = \frac{1.6 \, V - 0.7 \, V}{18 \, k\Omega} = 0.05 \, mA$$

 $I_C$  can be calculated by taking the voltage across resistor R2 and divide the value with the resistance value of R2. The voltage value is taken from the graph below.



Fig. 3.  $I_c$ - $V_{CE}$  graph (Right), y-axis is  $I_c$  and x-axis is  $V_{CE}$ 

$$I_C = \frac{V_{100\Omega}}{100 \Omega} = \frac{0.8832 V}{100 \Omega} = 8.832 mA$$

With both of the values, we can then calculate our  $\beta$  value using the following formula

$$\beta = \frac{I_C}{I_B}$$

We will obtain

$$\beta = \frac{8.832 \, mA}{0.05 \, mA} = 176.64$$

c. Identify the Forward-Active regions in the curves. Use the highest-current curve that has a reasonably long forward-active portion to avoid the knees of the curves, and estimate the **Early voltage**,  $V_A$ .

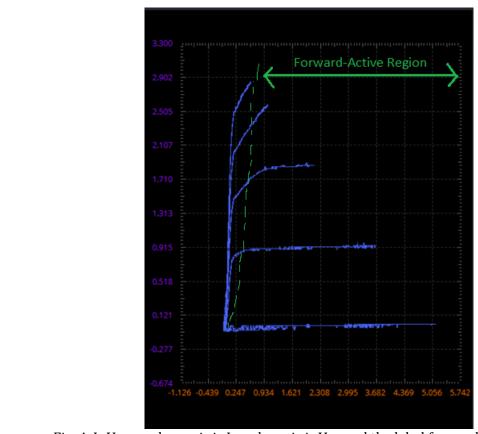
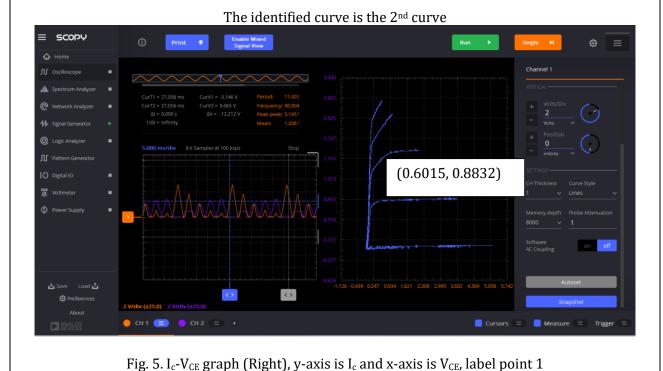


Fig. 4.  $I_c$ - $V_{CE}$  graph, y-axis is  $I_c$  and x-axis is  $V_{CE}$ , and the label forward-active region



- 8 -



Fig. 6.  $I_{c}\text{-}V_{CE}$  graph (Right), y-axis is  $I_{c}$  and x-axis is  $V_{CE}$  label point 2



Fig. 6.  $I_{c}\text{-}V_{CE}$  graph (Right), y-axis is  $I_{c}$  and x-axis is  $V_{CE}$  label point 3

At here,we can take two points from one of the highest-current curve that has a reasonably long forward-active portion. In this case, it would be when  $V_{W2} = 1.6$ V. The two points obtained is shown on the graph above.

The two points are as follows: Point 1 (0.6015, 0.8832)

Point 2 (3.682, 0.9215)

From here, we will need to calculate the gradient from the two measured points

$$m = \frac{\frac{0.9215 - 0.8832}{100}}{3.682 - 0.6015} = 0.000124$$

Now, we will need to obtain the y-intercept from the formula y = mx + c. We can just substitute one of the points into our equation and the gradient calculated from above.

$$\frac{0.9215}{100}$$
 = 0.000124 (3.682) + c

We will obtain c to be

$$c = 0.008758$$

Now, we can obtain the Early Voltage by finding the x-intercept of the line,  $I_C = 0 \, mA$ 

$$I_C = 0.000124 \, V_{CE} + 0.008758$$

$$Va = 70.629 V$$

**d.** Calculate the **small-signal output resistance** at this current,  $r_o = V_A/I_C$ . Does this fit with the slope of the curve?

$$r_o = \frac{V_A}{I_C} = \frac{70.629}{8.832 \ mA} = 7996.94 \ \Omega$$

gradient from 
$$r_o = \frac{1}{7996.94} = 1.250 \times 10^{-4}$$

The computed value from  $r_0$  is very similar to the value of gradient found from the graph.

$$|1.250 \times 10^{-4} - 0.000124| = 1 \times 10^{-6}$$

Percentage of error is

$$\frac{1 \times 10^{-6}}{1.25 \times 10^{-4}} * 100\% = 0.8\%$$

The error is almost negligible, and it might be contributed from the systematic error of reading the graph. Yes, this fit with the slope of the curve.

e. Where possible, compare your results with the manufacturer's specifications in the datasheet.

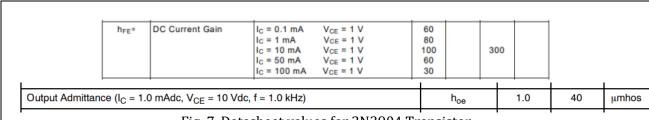


Fig. 7. Datasheet values for 2N3904 Transistor

As we can see from the datasheet, the stated range for the β value is between 100 to 300. As our measure value is 176.64, the value lies in between the specified range. The measured value is acceptable.

For the small-signal output resistance, we can compute it from the output admittance,

$$\frac{1}{40\mu\text{U}} = 25k\Omega \le r_o \le \frac{1}{1\mu\text{U}} = 1M\Omega$$

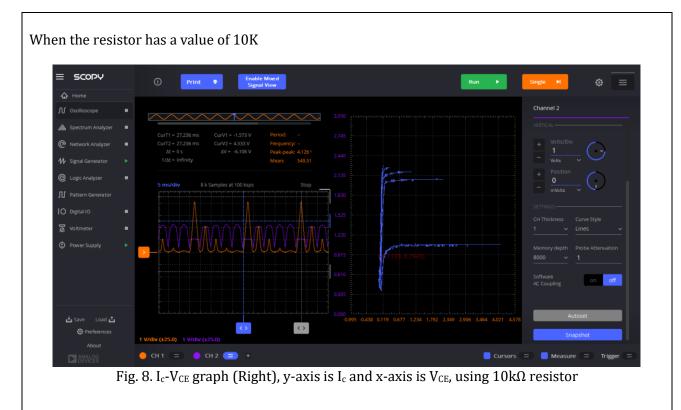
 $\frac{1}{40\mu\text{V}}=25k\Omega\leq r_{o}\leq\frac{1}{1\mu\text{V}}=1M\Omega$  The small-signal output resistance that we measured, 7996.94  $\Omega$  falls outside of the range stated by the datasheet. The measured value is not acceptable.

### PART B: A MORE ACCURATE APPROACH TO CREATE IR

### Report (you may have to refer to the lecture notes or Wiki):

**a**. Using the XY plot function in Scopy to plot  $I_C$  vs.  $V_{CE}$ , and export the plot to be included in your lab report. In your XY plot, X-Axis should be CH 1, Y-Axis should be CH 2.

Click the Hyperlink Scopy Oscilloscope if you are not sure about how to draw an XY plot.





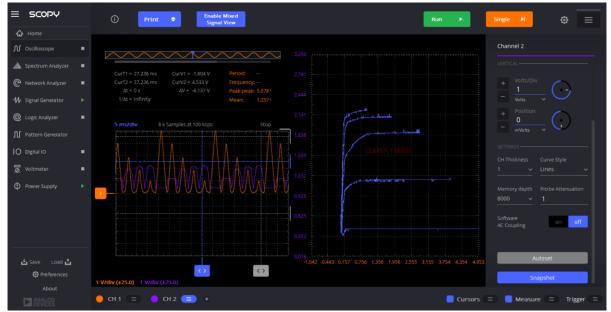


Fig. 9.  $I_c$ - $V_{CE}$  graph (Right), y-axis is  $I_c$  and x-axis is  $V_{CE}$ , using  $24k\Omega$  resistor

### **b**. Calculate the large-signal current gain **Beta** ( $\beta = I_C/I_B$ ) from the measured data.

Assuming  $V_{w2}$ =2.6 and  $V_{be}$ =0.7V, using a 24k $\Omega$  resistor for a longer forward active region,

$$I_B = \frac{V_{W2} - V_{BE}}{24 \text{ k}\Omega} = \frac{2.6 \text{ V} - 0.7 \text{ V}}{24 \text{ k}\Omega} = 79.167 \text{ }\mu\text{A}$$

 $I_C$  can be calculated by taking the voltage across resistor R2 and divide the value with the resistance value of R2. The voltage value is taken from the graph below.

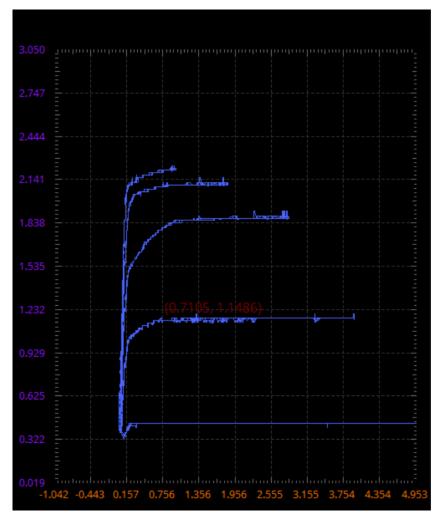


Fig. 10.  $I_c$ - $V_{CE}$  graph, y-axis is  $I_c$  and x-axis is  $V_{CE}$ , label point 1

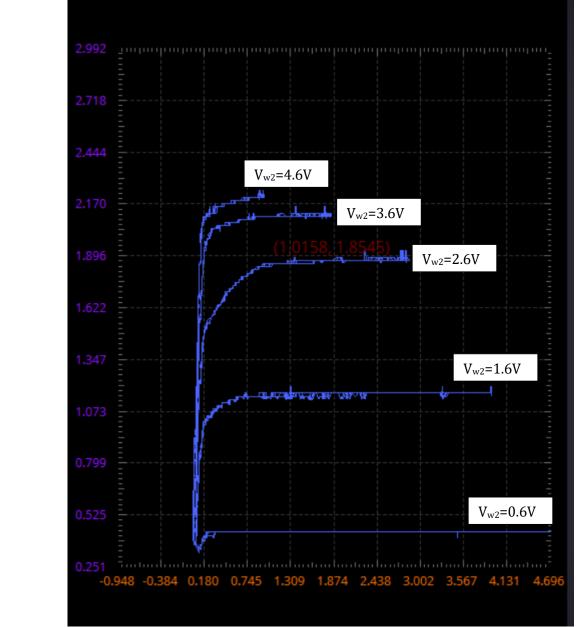


Fig. 11.  $I_c$ - $V_{CE}$  graph, y-axis is  $I_c$  and x-axis is  $V_{CE}$ , label point 2

$$I_C = \frac{V_{100 \Omega}}{100 \Omega} = \frac{1.8545 V}{100 \Omega} = 0.018545 A$$

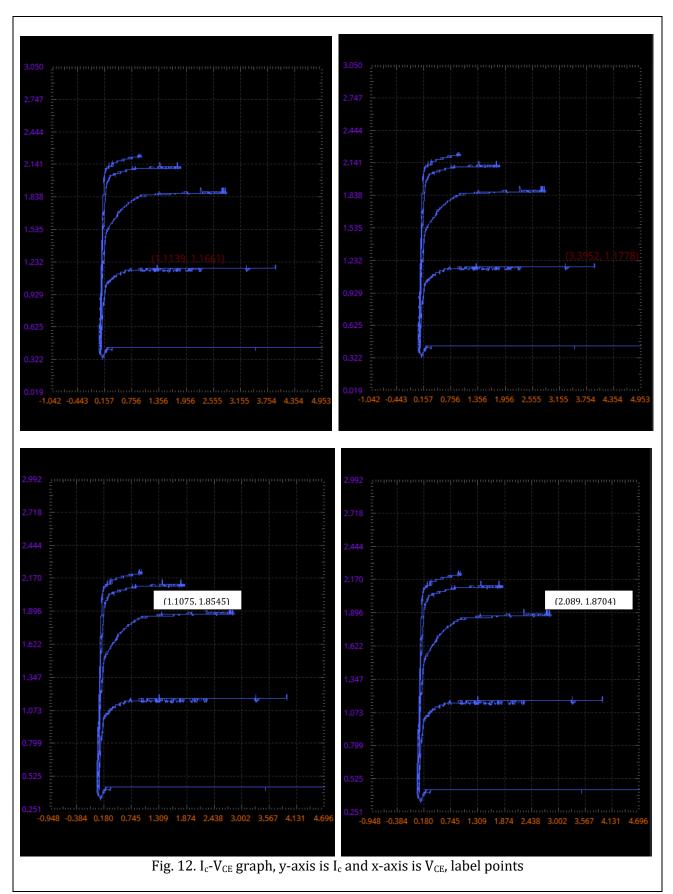
With both of the values, we can then calculate our  $\beta$  value using the following formula

$$\beta = \frac{I_C}{I_B}$$

We will obtain

$$\beta = \frac{0.018545 \, A}{79.167 \, \mu A} = 234.25$$

### **c.** Calculate the **Early voltage** from the $I_C$ vs. $V_{CE}$ curve.



At here,we can take two points from one of the highest-current curve that has a reasonably long forward-active portion. In this case, it would be when  $V_{W2} = 2.6$ V. The two points obtained is shown on the graph above.

The two points are as follows: Point 1 (1.1075, 1.8545) Point 2 (2.089, 1.8704)

From here, we will need to calculate the gradient from the two measured points

$$m = \frac{\frac{1.8704 - 1.8545}{100}}{\frac{100}{2.089 - 1.1075}} = 0.000162$$

Now, we will need to obtain the y-intercept from the formula y = mx + c. We can just substitute one of the points into our equation and the gradient calculated from above.

$$\frac{1.8545}{100}$$
 = 0.000162 (1.1075) + c

We will obtain c to be

$$c = 0.01837$$

Now, we can obtain the Early Voltage by finding the x-intercept of the line

$$I_C = 0.000162 \, V_{CE} + 0.01837$$

### Acknowledgement

This labsheet is based on the Educational Programme of Analog Devices Inc. The original source can be found at <a href="https://wiki.analog.com/university/courses/electronics/electronics-lab-4">https://wiki.analog.com/university/courses/electronics/electronics-lab-4</a>. Please browse their educational pages for supporting material on ADALM2000, Scopy and the devices used in this lab.

For extra information, please go to <a href="https://wiki.analog.com/university/tools/adalm2000/users">https://wiki.analog.com/university/tools/adalm2000/users</a>.

### ASSESSMENT

**Student Statement:** 

I have read the university's statement on cheating and plagiarism, as described in the *Student Resource Guide*. This work is original and has not previously been submitted as part of another unit/subject/course. I have taken proper care safeguarding this work and made all reasonable effort to make sure it could not be copied. I understand the consequences for engaging in plagiarism as described in *Statue 4.1 Part III – Academic Misconduct*. I certify that I have not plagiarized the work of others or engaged in collusion when preparing this submission.

Student signature:	Tan Jin Chun, Izaac Chong Yen Jui	n Date: <u>16/3/2023</u>
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All components must be kept by you, for future use (including the miniproject).		