

## Zero-to-Hero DSA Crash Course.

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### Topic 1: Complexity (The Speed of Code)

*They usually ask: "What is the Time Complexity of X?"*

**Concept:** Big O Notation ( $O()$ ) measures how "slow" an algorithm gets as data grows.

- $O(1)$  (**Constant**): Instant. (e.g., Accessing an array index `arr[5]`).
  - $O(\log n)$  (**Logarithmic**): Very fast. Cuts data in half every time. (e.g., **Binary Search**).
  - $O(n)$  (**Linear**): Reading every item once. (e.g., Finding an item in an unsorted list).
  - $O(n^2)$  (**Quadratic**): Slow. Nested loops. (e.g., **Bubble Sort**).
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### Topic 2: Linked Lists (The Chain)

**Concept:** Unlike Arrays (continuous block), a Linked List is a chain of nodes scattered in memory.

- **Node:** Contains two things: **Data + Pointer** (Address of next node).
- **Head:** The start of the list.
- **Null:** The end of the list.

Key Exam Trick (Visualizing Pointers):

If you see code like `p->next = q->next`, draw it.

- `p->next` means "The arrow coming out of P".
  - If the arrow moves, the link breaks.
  - **Insertion:** To add a node in the middle, you must attach the *new node* to the *next node* **first**, then attach the *previous node* to the *new node*. (Otherwise, you drop the chain).
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### Topic 3: Stacks & Queues (The Rules)

*These are guaranteed 1-2 questions.*

#### A. Stack (LIFO - Last In First Out)

- **Analogy:** A stack of plates. You put the last one on top, and you must take that one off first.
- **Operations:**
  - **Push:** Add to top.
  - **Pop:** Remove from top.
- **Exam Question:** "Which data structure is used for **Recursion** or **Undo** buttons?"  
 $\rightarrow$  **Stack**.

#### B. Queue (FIFO - First In First Out)

- **Analogy:** A line for movie tickets. The person who comes first gets served first.
- **Operations:**
  - **Enqueue:** Add to rear (back).
  - **Dequeue:** Remove from front.
- **Exam Question:** "Which data structure is used for **Printer Spooling** or **BFS**?" \$to\$ Queue.

### C. Postfix Evaluation (The Calculation Question)

You will get an expression like:  $5\ 3\ +\ 2\ *$

How to Solve:

1. Scan from Left to Right.
2. If you see a **Number** \$to\$ Push to Stack.
3. If you see an **Operator** (+, \*, -) \$to\$ Pop the top 2 numbers, calculate, and Push result back.

**Example:**  $5\ 3\ +\ 2\ *$

1. Push **5**, Push **3**. (Stack: 5, 3)
2. See **+**. Pop 3 and 5. Calculate  $5+3 = 8$ . Push **8**. (Stack: 8)
3. Push **2**. (Stack: 8, 2)
4. See **\***. Pop 2 and 8. Calculate  $8 \times 2 = 16$ . Push **16**.
5. **Answer:** 16.

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## Topic 4: Trees (The Big Scorer - 4 Marks)

*This is the most important part. Master this logic.*

**Concept:** A hierarchy. **Root** is the top. **Leaf** is a node with no children.

**Binary Search Tree (BST):**

- **Rule:** Smaller value goes **Left**. Larger value goes **Right**.
- **Trick:** If you do an **Inorder Traversal** of a BST, you get the numbers in **Sorted Order** (Ascending).

### The 3 Traversals (MEMORIZE THIS)

You will be given a tree diagram and asked to write the sequence.

1. **Preorder:** Root \$to\$ Left \$to\$ Right. (Root is First).
2. **Inorder:** Left \$to\$ Root \$to\$ Right. (Root is Middle).
3. **Postorder:** Left \$to\$ Right \$to\$ Root. (Root is Last).

The "Flag Method" (Cheat Code to solve in 10 seconds):

Draw the tree on paper. Trace the outline of the tree starting from the left of the root.

- For **Preorder**: Mark a dot on the **Left** of every node. Read dots as you pass them.
  - For **Inorder**: Mark a dot on the **Bottom** of every node.
  - For **Postorder**: Mark a dot on the **Right** of every node.
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## Topic 5: Sorting & Searching

### A. Binary Search

- **Concept**: Finding a page in a book. You open the middle. If the page is smaller, you ignore the right half. Repeat.
- **Condition**: The list **MUST BE SORTED** first.
- **Complexity**:  $O(\log n)$ .

### B. Sorting Algorithms (One-Liners)

- **Bubble Sort**: Swaps adjacent elements. Slow ( $O(n^2)$ ).
- **Quick Sort**: Fastest in practice. "Divide and Conquer". Worst case  $O(n^2)$  but usually  $O(n \log n)$ .
- **Merge Sort**: Always  $O(n \log n)$ . Uses extra memory. Stable.

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## Final Cheat Sheet for Exam Day

If the question asks...	Your Answer is...
Recursion / Undo / Backtracking	Stack
Printer Queue / BFS / CPU Scheduling	Queue
Shortest Path	Dijkstra's Algorithm
Detect Loop in List	Floyd's Cycle Finding (Slow/Fast Pointers)
Sorted Output from Tree	Inorder Traversal
Binary Search Requirement	Sorted Array
Worst Sorting Algorithm	Bubble Sort ( $O(n^2)$ )
Fastest Searching	Hashing ( $O(1)$ )