## STUDENT'S DECLARATION OF ORIGINALITY

By submitting this online assessment, I declare that this submitted work is free from all forms of plagiarism and for all intents and purposes is my own properly derived work. I understand that I have to bear the consequences if I fail to do so.

No.	Student Name	Student ID	Student Contact No.	Programme/ Tutorial Group	Signature
1	Tan Kang Hong	20WMD02959	010-250 8963	DCS2/G5	akohla
2	Har Chun Wai	20WMD02982	014-930 2328	DCS2/G5	Wai.
3	Ho Jing Xian	20WMD02895	011-1069 3791	DCS2/G5	<b>*</b>
4	Ong Shen Hoi	20WMD03015	017-646 8809	DCS2/G5	<del>1/6j</del>

	Marks /50	Mark /100		
Section 1 (40%)	40	69		
Section 2 (10%)	σı	20		
Total	50	(00)		

Excellent!

	No.: Date: 27 3 2022						
	Question 5						
05.	Use the Euclidean algorithm to find the greatest common divisor and the lease common multiple of $a > a = 20220$ and $b = 238$ . Find $a > a = a = a = a = a = a = a = a = a = $						
do gal	to seem a more to some the most on the horse at a life of parties						
	a: 20220 , b = 238						
	Charles 1989 Seffer March 1994 Seffer State 1995						
	20220 = 238(84) +228 qcd (20220, 238) = gcd (238, 228)						
	238 = 228(1) + 10 = qcd (228, 10)						
	228 = 10(22) + 8 = 9cd(10, 8)						
	10 = 8(1) + 2 = 10 = 10 = 10 = 10 = 10 = 10 = 10 =						
	8 = 2(4) +0 = 3 gcd (2,0)						
	Q.d (2022 178) - 2						
	9cd (20220, 238) = 2						
	to LCM (20220, 288), 20220 x 238						
	gcd(20220,238)						
	100 2 et (4 10 14 2 1 20220 X 238 10 17 Mays 24 10 14 5 16 16 16 17						
	2						
	= 2,406,180						
	\$ 2 x 1140 m . Obe +6 . min 1450 U8						
	2:10-80)						
	= 10 - [228 - 10(22)]						
	= 33(10) - 328						
	= 23 [238-228(1)]-228						
	≈23 (238) - 23(224) - 228						
	- 23(238) - 23(228) -228						
	= 23(238) -24(228)						
	23 (238) -24 [ 20220 - 238(84)]						
	- 23 (238) - 24(20220) + <b>2016(84)</b> 2016(238)						
	= -24(20220) + 2039(238)						
	:. S:-24, t=2039						

Page 5

<b>0</b> 6.	Question 6	To not be a fee					
Ø6.	Per 1 1 1 2 2 2 2 2						
Talot .	Prove that the sum of four consecutive integer	ere is even.					
	24 St. Carlo Bl. H. and O. 2016. Do G. 43 (1.2) (2.2) (2.2) (2.2) (2.2) (2.2) (2.2)						
	Proof:	V18 Ac					
	Suppose N,n+1,n+2, and n+3 are porticular but o	arbitrarily chosen consecutive integer.					
	By the parity property, n is either odd or even	to the name of the RITO					
	Case 1: If n is even						
	By definition of even, n=2k#, keZ	k. 3 a DR 12 w00					
	Then, (2k) + (2k+1) + (2k+2) + (2k+3)	North Report					
	= 8K+6						
	= 2(4k+3)						
	= 2m, m=4k+3, meZ	the angle of this (do T.O.					
	since the sum of Aintegers is an integer, 4k+3 i	is an integer and hence by definition					
	of even, n+(n+1)+(n+2)+(n+3) = 2m is an even in	rteger.					
	Therefore, if n is even, then n+(n+1)+(n+2)+(n-	ta) is even.					
	CILLE	S - Julian - Sacrina					
	Case 2: If n is odd						
	By definition of odd , n=2k+1 , kEZ						
	Then, (2k+1)+[(2k+1)+1]+[(2k+1)+2]+[(2k+1)+3]						
	= 6k+10						
	internal = 2(4k+5) settem profits si A note	(5) 5/1 15/0 snu yourns (5) (1) [2]					
	product of	Ultrafair or thought					
	Since the sum of integers is an integer, 4kt5 is						
	of even, (2/44 n+(nti)+(nt2)+(nt3)=21 is an	even integer.					
	Therefore if n is add, then n+(n+1)+(n+2)+(n+2)	is even.					
	93(C) 1 1 14 C) 30	20 minute 124 2					
	: Reportless of which case actually occurs	, either n is odd number or even					
	number, the other sum of 4 four consecutive	integers is even.					
985	1,	Page					

	No.: Sectio	1) 2		111	-			Date: 27 3 2002	*********
	Question 7							0.000	, ,
27.	Let set S	; fa,t	,c,d,	e,f3	and	70.1			16
	R= {(a,a), (a,b), (a,c), (a,e), (b,a), (b,b), (b,c), (c,b), (c,c).(c,d), (d,e), (e,f)} be a relation							ation	
	on the set							1907	
								Fra Ben Sin Harman Bank Bank	
Q7.(a)	F	4 10 1 1 1 1					1.0	· Andrews Andrews Mark	
Q 1.(W)	tina the	domain	and	ange	of	the c	elatio	R. Harris Land M. Co.	
	Dom (s	R) = {0	h c	10	?	1	100	/n, many to not gift us	
	Ran CR						V	economic a tale mode	
	7.50,70,1	.) - [0	1010	w, o	, ,			98.45	
								(5+A+)C	
Q7. (b)	Find the i	n-degre	e and	out	-degr	ee of	each	vertex:	
ok hady		J	n u	. 5	1	Topis'		abcdef	
	vertex	а	Ь	С	d	е	f	(E+m+(r+n)+(n+n) 1 1 1 0 10	
	In-degree	2	3	3 -	( Li	2	14 (	ngit , may b 1 1 1 0 0 0	
	out-degree	4	3	3		1	0	C 0 1 1 1 0 0	
	d 0 000 10								
	Tax rates, the e e o o o o o o								
	124(44) + [24(4)] + [44(4)								
Q7.(C)	Determine	whether	the 1	elatio	n R	is	reflex	ne icreflexive summetric asummetric	
41.0	Determine whether the relation R is reflexive, irreflexive, symmetric, asymmetric, antisymmetric or transitive. Give a counterexample if the answer is "No".								
	MULLER MINERALLY OF HAIDTING STIVE OF COMMERCIANTING IT THE WINDER IS 140.								
or the first	R is not	reflexi	ve si	nce (	(d,d)	₫ R	to a	a anistr 4 mag sa sais	
	Ris not irreflexive since (a,a) $\in R$								
	R is not symmetric since (a,c) & R but (c,a) & R								
	R is not asymmetric since (a,b) and (b,a) $\in \mathbb{R}$								
14/2	R is not antisymmetric since (a, b) ab, a) eR, Huthorth and a \$ b \ good								) DOD (
	R is not transitive since (b,c) and (c,d) ER, but (b,d) &R								